

CONDUCTANCE AND TRANSFERENCE NUMBERS OF AQUEOUS SOLUTIONS OF SODIUM METABENZENEDISULFONATE

Thesis for the Degree of M. S. MICHIGAN STATE UNIVERSITY Hossein Pazandeh 1959

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Submitted to the College of Science and Arts
Hichi_pan State University of Agriculture and
Figlied Science in partial fulfillment of
the requirements for the degree of

MASTER OF SCIENCE

Department of Chamistry

Approved:

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Recent theoretical developments have prompted an investigation of the behavior of strong 2-2 electrolytesin water. Certain anomalies which appeared using zinc sulfate, resulted in a search for another 2-2 electrolyte which would not undergo hydrolysis and whose ions would not be capable of forming covalent bonds with the solvent or with oppositely charged ions. The strong electrolyte, barium metatenzenedisalfonate seemed to fit these requirements. In order to aid in the theoretical treatment, an independent value of the limiting equivalent conductance of the metabenzenedismlfonate ion was needed. This thesis describes the measurecent of the conductance of sodium metabenzenedisculfoneto. The value of λ 2 obtained is 59.66 ohm⁻¹ equiv.⁻¹ on².

It was found that in dilute solutions, the conductance data fit the limiting slope predicted by the Casager equation. At higner concentrations. the deviations were in the proper éirection, and had the correct magnitude to be described by higher order terms of the electrophoretic equation.

In view of recent deviations of some 1-2 and 2-1 electrolytes from the Onsager equation in dilute solutions, it wonld be of interest to determine the effect of cation size on the conductance. This measurement on sodium metabenzenedisulfonate is one step in this series.

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The author wishes to express his most sincere thanks to Dr. J. L. Dye whose interest, patience, and counsel greatly facilitated the completion of this study. He also wishes to thank Mr. G. Gordon and other members of the Chemistry Department for their helpful suggestions.

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LIST OF FIGURES

I. INTRODJCTION

Ever since Arrhenius⁽¹⁾ in 1383, from studies of the oonéuotances of aqueous solutions of acids, postulated that an electrolyte solution contains free ions, solutions of these ions have been studied extensively. Kohlrausch in studying the conductances of such solutions noticed that oxygen and hydrogen which tend to be absorbed at the surface of the electrodes can be dissolved when the polarity is reversed. This led him to apply an alternating potential when making conductance measurements. As the adsorption is also affected by the surface area, he coated the platinum with platinum black. Kohlrausch⁽²⁾, who also emphasized the importance of good temperature control, made quite precise measurenents; his cats on potassium chloride in water are still valid. Since specific conductance of the solution refers to that of one cubic centimeter, it is necessary to measure the cell constant $\frac{\partial}{\partial t}$. (The area of electrodes is A and the distance which separates the electrodes is d.)

In 1923 Parker⁽³⁾ observed that the cell "constants" are apparently not really constant, but vary with the resistance being measured. Shedlovsky, Jones, and Bollinger⁽⁴⁾, showed that this effect is due to the capacitance of the cell, and designed new types of cells which minimized the

effect. Jones and his co-workers, with some refinements in the technique, i.e., using an oil bath, a special bridge and a sensitive amplifier with a telephone headset for detection, were able to get results of high precision $(0,02\%)$.

Any modern theory of conductivity must be concerned with the concept of the interaction between thermal motion of the ions and their electrical attractions and repulsions. Using the results of Lebye-Huckel⁽⁵⁾ theory of ionic interaction (1923), Onsager⁽⁶⁾ (1929) was able to calculate from solvent properties the limiting behavior of 1-1 electrolytes, alkaline earth halides (2-1) and rare earth halides (3-1). The disagreement of the conductance of 1-4 and 2-2 electrolytes from this theory was attributed to ion-pair formation. In a study of theoretical and experimental behavior of $\text{Im} \Theta_{\mu}$ by J_{\bullet} L. Dye and co-workers⁽⁷⁾, it was desired to measure λ_{Zn} ⁺⁺ from data on Zn(ClO_u)₂. These workers found a large deviation from the Onsager equation even in dilute solution. Probably hydroysis effects or covalent tendencies of $2n^{++}$ are responsible. In the case of $K_2Ft(CN)_L$ for which similar deviation are observed⁽³⁾, the spatial configuration (square coplanar) could allow attachment of water molecules in the octahedral positions. The observed deviations promptea a search for another 2-1 or 1-2 electrolyte for which hydrolysis could be definitely ruled out and for which the formation of covalent bonds was unlikely.

The purpose of this study of sodium metabenzenedisulfonate,

Na₂**a** φ (SO₃)₂, is a basic step in the interpretation of 2-2 electrolyte behavior. This involves the study of Ba $\alpha \phi$ (SO₃)₂: which has already been begun (9) . The measurements on Na₂ m- φ (50₃)₂ were done to evaluate λ for m- φ (30₃)₂.

In addition it would be desirable to study the effect of cation type on the conductivity. Some other metabenzenedisulfonates such as Li_2 m- $\Psi(\text{SO}_3)_{2}$. $\text{[N(CH}_3)_{4}]_{2}$ m- $\Psi(\text{SO}_3)_{2}$ and $[N(3u)_4]_2$ m- $\phi(S0_3)_2$ will be studied to determine the effect of cation size on the conductance. Such an effect has been recently found to be very significant for 4-1 electrolytes (10) .

The observation by Daniel⁽¹¹⁾ of electroanalysis in a three compartment cell showed that positive and negative ions do not carry equal amounts of electricity. In other words, different ions have different ease of movement under the influence of an electrical field. This is contrary to the earlier idea of Arrhenius who erroneously ascribed the decrease of equivalent conductance to a decrease in the number of free ions and assumed the mobilities to be constant.

Ionio conductivity and transference number are internally related by the equation $t_{+} = \frac{\lambda^{+}}{\Lambda}$ and $t_{-} = \frac{\lambda^{-}}{\Lambda}$, Where t_{\star} and t_{\star} are transference numbers, λ_{\star} and λ_{\star} are the ionic conductances of cation and anion respectively, and Λ 1s the equivalent conductance.

Three types of experimental methods of determination of transference nebber have been caployed:

(1) The Hittorf method of exporiment, which was frequently used in the past, requires accurate anal, tical work and is quite time consuming.

(2) The e.f method, involving members and of calls with and without transference, requires electrodes reversible to both ions, and even then is of limited accuracy.

(3) The moving boundary method, with widch these experiments are concerned, involves the observation of the velocity of a boundary between two solutions. Anis method is relatively rapid and provides the best accuracy attainable at present.

In addition, transference numbers afford an independent experimental test of theory. It happens that transference numbers of ansymptrical electrolytes are nore sensitive to deviation from Onsager theory than are conductances (12).

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II. TheORY

A. Debve-Huckel Theory of Ion-Interaction

It has been shown that the Debye-Huckel limiting law gives theoretical predictions which fit experiment at very low concentrations. Bowever the theory is not valid at high concentrations.

Debye and Huckel made some assumptions in developing the theory, which in most cases are not valid at high concentrations. These assumptions are the following:

1. long behave as hard non-polarizablo Spheres. This assumption gives to each electrolyte a mean distance of closest approach. Ions are asnuned unable to penetrate within this distance and the charges are assumed to be spherically distributed over the ions. It is expected that this assumption will be invalid for large ions whose charge distribution is somewhat distorted.

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theory, which in most cases are not va
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in the section o 2. The solution is assumed to have a uniform dielectric constant - actually solvent molecules are about the same size as ions and the assumption of uniform dielectric constant cannot be valid if a few solvent molecules are on the average between each pair of ions. The dielectric constant of the bound water is not the same as that of free water in the pure state. Furthermore the work of Hasted,

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3. The time-average charge distribution can replace the instantaneous distributions.

In using the time-average distribution of ions in the POisson equation, instantaneous interaction forces were ignored. These forces give rise to the so called "fluctuation term", whose magnitude has been the subject of much study over the years. A semi-empirical treatment by P_i errum (14) , Fuoss, and Kraus (15) took care of this situation reasonably well for symmetrical electrolytes through the introduction of the ion-pair concept. This does not completely explain the behavior of unsymmetrical electrolytes however. Recent advances using statistical mechanics by Mayer and Foirier (16) . Kirkwood(17) and Heeron(13), have sought the answer to this problem.

The interaction between two ions of given charge depends upon the sign, structure and polarizability of the ions, and also on the size, structure, dipole moment, and polarizability of the solvent molecules with which the ions likewise interact. As the interaction between ion and solvent increases, the ion-ion interaction decreases and when ion-solvent interaction decreases, ion-ion interaction increases and ion-pairs will form. For weak ion-solvent interaction there is a likelihood of the formation of iontriples and higher clusters.

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4. solutions are dilute--the theory of Debye and Huckel accounts satisfactorily for the behavior of normal 1-1 salts, such as KC1, in aqueous solution up to concentrations of about 0.01 N. Above this concentration both the physical and the cathematical approximations oreak down.

The essential festure of Debye-Huckel theory is the calculation of electrostatic potential Ψ at a point in the solution in terms of concentrations and charges of the ions and the properties of the solvent. This is achieved by the device of combining the Poisson equation of electrostatio theory with a statistical mechanical distribution formula. The result for the potential ψ_j is given by:

$$
\psi_j = \frac{-\frac{3}{2}e}{1+ka} \cdot \frac{Ka}{r}
$$

Where is the alectrical charge on the contral j-ion, "a" represents the limit within which no other ion can approach the central ion and

$$
K = \left(\frac{4\pi e^2 \sum n_1 z_1^2}{kr^2}\right)^2
$$

 $\alpha_{\texttt{MSeq}(\texttt{cr}}(19)$ has shown that the correct time-average ionic distribution function is given by the equation

$$
\mathbf{r}_{j1} = \mathbf{n}_1 \exp\left\{\frac{W_{j1}}{kT}\right\}
$$

Where W_{11} represents the time-average energy to charge the 1-ion at a distance of r from j-ion, less the time average energy

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required to charge the i-icn at an infinite distance from the j -ion, (tht still remaining in solution). The corres-;onding value of tji from the equation of Lebye and Tuckol 18 bji \approx $\mathbf{e}_1 \mathbf{\Psi}_1$.

B. Onsager Theory Of Conductance

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results are applicable to the
er wit The Debye-Euckel theory, in its general form, accounted satisfactorily for the thermodynamic properties of dilute solutions. A simple conductance treatment of dilute solutions by Debye-Huckel was not completely satisfactory. Lowever, the necessary refinements were given by Onsager⁽⁶⁾. who studied the theory of conductance and diffusion in electrolyte solutions. Onsager developed a theory considering the quantitative aspects of the conductance problem which gives the individual lonic conductivity of dilute solutions as a function of concentration. At the same time the results are applicable to the change of transference number with concentration.

The motion of an ion under an external field is complicated by two effects arising from interionic forces; the relaxation and the electrophoretic effect. Each of these acts as a drag operating between oppositely chargedions moving in orpoeite directions.

1) The time of relaxation effect - Onsager in the calculation of retardation by the time of relaxation effect used the equation of motion and the equations of continuity to

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 $\mathfrak{se}^{\scriptscriptstyle \bullet}_\circ$ $\hat{\mathcal{L}}$ \vec{p} er $\hat{\mathcal{A}}$ fric $oc\tau$ \mathcal{A}^{max} ur: $\mathcal{L}^{(1)}$. port the lac) $\hat{\mathcal{L}}$ tez \mathbb{Z}^2 $\sim 10^7$ sta ele $\sim 10^{-10}$ arc dir c_{ϵ} $\hat{\mathcal{A}}$ $\overline{}$ $\tilde{\mathbf{t}}$ \mathbf{t}_L \cdot ϵ $\dot{\mathfrak{c}}_s$ \mathbf{t}_i $\mathfrak{o}^{\mathfrak{e}}$ \mathbf{a}_δ $\mathcal{A}^{\mathcal{A}}$ k. \mathbf{v} set up an expression for the asymmetry of the ionic atmosphere. This treatment involves the use of espreeeions for frictional forces and ionic interaction and results in a complex differential equation. Approximate solution of the differential equation gives a retarding force which is proportional to the square root of the concentration and to the mobility of the ion in question. The expression also includes the dielectric constant of the solvent and the temperature.

 $2.$) The electrophoretic effect - Another electrostatic action which lowers the mobility of the ion is the electrophoretic effect. The ions comprising the atmosphere around the central ion are moving themselves in the opposite direction. As these ions are usualy solvated they tend to carry with them their associated solvent molecules, so that there is a net flow of solvent in a direction opposite to the motion of the central ion, which is thus forced to "swim upstream" against this current. The electrophoretic effect normally makes the larger contribution to the conductance. The basic eXpression used in the treatment of the electrophoretic effect is Stokes' Law of the velocity of a sphere moving through a viscous medium. It is also assumed that a steady state is quickly reached in which momentum is transferred from the ions to the solvent and vice-verse.

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According to the Cnsager theory, the conductance of an electrolyte is given by the equation:

$$
\Lambda = \Lambda_{\rm e} = (8\Lambda_{\rm e} + \rho)^{3}
$$

where \le and β are constants depending on the dielectric constant, temperature, and viscosity, and Λ_{\bullet} is the limiting conductance. This equation is a limiting form. If \bigwedge is plotted versus $e^{\frac{1}{2}}$, then in dilute solutions the points approach a straight line whose slope is equal to $\prec \wedge_{\sigma} + g$. For salts of a given charge type, the slopes differ little, but the magnitude of the slope increases markedly as the number of unit charges on the ions increases. Onsager's equation is very useful as a limiting form for purposes of extrapolation.

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Extensions of Changer's Theory
1. Fuoss-Onsager Theory -
xamined the equations of conti
ition of the differential equ 1. Fuoss-Onsager Theory - Recently Fuoss and Onsager⁽²⁰⁾ re-examined the equations of continuity and the boundary condition of the differential equation and included higher order terms than before as well as the idea of a finite ionic dianeter. These workers obtained a new eXpression for the relaxation field. The resulting equation for conductance has the form

$$
\Lambda = \Lambda_e - (4\Lambda_e + \alpha) e^{\frac{1}{2}} + DC \ln 2 + (\mu_1 e^{\frac{1}{2}}) (\mu_1 - e^{\frac{1}{2}})
$$

where the terms higher than $\varepsilon^{3/2}$ are neglected. The terms

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j, and j₂ are explicit functions of ionic size, A_{ρ} and some solvent properties; D is independent of ionic size. This equation was derived only for symmetrical electrolytes. Tests of this eguation in solvents of various Gielectric constants give consistent results for the ionic size and reasonable values of the association constant. (12) .

2. Higher terms of the electrophoretic'efrect - Extension of Onsager's theory by Eye and Spedding involved the inclusion of higher-order terms in the distribution function used in the electrophoretic effect. This treatment gave satisfactory agreement for both conductances and transference numbers of alkaline earth and rare earth halides. Recently, the integrals have been evaluated by nunsrical methods using machine calculations⁽²¹⁾ for a variety of charge types, ion sizes, and concentrations.

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1. Solvent structure - Tiest to structure - Tiest to strong electrical fie
 l. Solvent structure - The ions in solution are subject to strong electrical fields due to solvent molecules. The intensity of this field depends on the value of the dipole moment of the solvent molecules. In considering this interaction the smaller the molecules of solute, the greater is the force of interaction with the solvent. In general the results of solvent-ion interaction will manifest themselves in three different ways: effect on the motion of ions; solvetion properties; and interaction of ions with each other.

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2.$ $1 - 1$ $\mathcal{L}^{\text{max}}_{\text{max}}$, where $\mathcal{L}^{\text{max}}_{\text{max}}$ $\overline{\text{Hz}}$ $C₂$ \mathbf{r} $\label{eq:2.1} \mathcal{L}(\mathcal{L}^{\mathcal{L}}_{\mathcal{L}}(\mathcal{L}^{\mathcal{L}}_{\mathcal{L}})) = \mathcal{L}(\mathcal{L}^{\mathcal{L}}_{\mathcal{L}}(\mathcal{L}^{\mathcal{L}}_{\mathcal{L}})) = \mathcal{L}(\mathcal{L}^{\mathcal{L}}_{\mathcal{L}}(\mathcal{L}^{\mathcal{L}}_{\mathcal{L}}))$

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2. High concentrations - In experimental work on 1-1 electrolytes up to concentrationsof 0.01 normal, the limiting law of Onsager can be applied. Beyond this concentration many varied and complex effects come into play which cannot be quantitatively predicted. For example, the viscosity of the solutions is altered, and as the concentration increases, a quasi-lattice forms and certainly in very concentrated solution the ionic distribution must alternate as in a crystal.

3. Unsymmetrical electrolytes - Snsymretricsl electrolytes are complicated by the fact that the theory of Fuoss and $\text{Cnsuper}(22)$ is applicable only to the symmetrical type. Further complications arise from the fact that any ion-pair which might form still carries a net charge and this species has an unknown mobility.

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}$ $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2.$ $\hat{\tilde{h}}_0$ $\mathcal{L}(\mathcal{L}^{\mathcal{L}})$ and $\mathcal{L}^{\mathcal{L}}$ and $\mathcal{L}^{\mathcal{L}}$ and $\mathcal{L}^{\mathcal{L}}$ $\mathbb{C}^\mathbb{Z}$ R \mathbf{h}_i $\label{eq:2.1} \mathcal{L}(\mathcal{L}) = \mathcal{L}(\mathcal{L}) \mathcal{L}(\mathcal{L}) = \mathcal{L}(\mathcal{L}) \mathcal{L}(\mathcal{L})$ $\ddot{}$ $\mathcal{L}^{\mathcal{L}}(\mathcal{L}^{\mathcal{L}})$ and $\mathcal{L}^{\mathcal{L}}(\mathcal{L}^{\mathcal{L}})$ and $\mathcal{L}^{\mathcal{L}}(\mathcal{L}^{\mathcal{L}})$ and $\mathcal{L}^{\mathcal{L}}(\mathcal{L}^{\mathcal{L}})$ ϵ^{\prime} i.
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III. EXPARINENTAL

A. Furification and Preparation

Since pure Na_2 m - φ (SO₃)₂ was not available, and because of uncertainties in weighing due to hydration of the salt, the stock solutions were prepared as follows:

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prepared from the stock by indicate
oration.
1. Parium metabonzeused is
 $-9(50₃)₂$ obtained from neurall anount Eenzenedisulphonio acid was neutralized with barium hydroxide according to E_2 m $-\phi(\text{SO}_2)$ ₃ + Ba(Oi)₂ \rightarrow Ba m $-\phi(\text{SO}_3)$ ₂ + E_2 0. and the end-point was checked with pH paper indicator. After purification, a solution of known concentration of Ba π - ϕ (50₃)₂ and also a solution of Na₂50_{μ} was metathesized. After removal of barium sulfate by filtration, the solution was weighed and its molality calculated. Other solutions were prepared from the stock by weight and stored in Pyrex brand flasks with rubber cars to prevent loss by evaporation.

l. Farina metabonzenedisulfonete - The crate Ba m $-\phi$ (SO₃)₂ obtained from neutralization wes dissolved in a small amount of conductance water and recrystallized with ethyl alcohol five or six tines.

2. Sodium sulfate - Analytical reagent grade sodium sulfate which might still contain some sodium hydrogen sulfate and moisture wes heated for three hours at 500^0 C., cooled in a dessicator and used to prepare stock solutions.

These solitions were analyzed for sulfate by bariun sulfate precipitation.

3. Water - Preparation of a good conductivity water free from CO₂ and other impurities which may contaminate the water is of great importance. To provide a good water for the experimental work of this thesis, the following essential points have been observed:

 s . The cistillation flasks and columns were thoroughly washed with cleaning solution and soaked in good water for a period of time before using.

b. For the purpose of preparation of water free from organic substances and contaminant gases, a two-step distillation was performed. First deninerelized water was distilled from an alkaline permanganate solution to remove organic materials by oxidation. Secondly, the water thus produced was introduced into a separate distillation flask, and distilled under a stream of nitrogen. Before the nitrogen was introduced into this system, it was purified by passage through gas-washing towers containing H_2SO_L , KOS solution and water containing phenolphthalein respectively. nic raterials by oxidat
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distilled under a stress
was introduced into this
age through gas-washing
tion and water containit
The average conduction
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Conductance lieusuresent
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The average conductivity of the water used was 0.3? $x 10^{-6}$, chm⁻¹ cm⁻¹

B. Conductance Measurement

The apparatus used for measurement of conductivity is described below:

1. Bridge - The bridge used is a modification of the Jones bridge described by Rogers and Thompson⁽²³⁾. It consisted of an audio frequency oscilator, an amplifier and a cathede ray tube. This bridge allows the use of frequencies of 400 , 600 , 1000 , and 4000 cps. The balance point can be reproduced to \pm 0.101%. The resistance showed a slight frequency dependence which was corrected to infite frequency in the usual fashion. For high resistance a 20,000 onn shunt was used in parallel with the cell.

 $2.$ C11 Lath $-$ *in* oil bath was used instead of a water bath in order to decrease the capacitance effect. Temperature control to \pm 0.01⁰ C. was obteined using a mercury therrorcgilator to control a heat lamp. The both was stirred with a Gorman - Kipp centrifugal pump and temperature gradients within the bath were less than $_e$ C2⁰ C.

3. Conductance Cell - The conductance cells for low concentrations wore constricted from Leeds and Northrop Type A cells. A 500 al. Erlenmeyer flask was attached to the electrode chatter. This makes thorough mixing of the solution possible. The platinum electrodes were lightly platinized before using (ca. 40 sec. at 40 ma.). The steps involved in a typical conductivity run are:

a.) Water transfer and measurement - Before introducing the water into the cell, it was cleaned with hot, fuming nitric acid and rinsed 15-20 times with water and finally allowed to stand overnight filled with conductance water. After drying the cell, the stopcock and standard taper cap were lubricated with Apiezon "E" grease and the cell was weighcé. Water from the final distillation under mitrogen was transferred into the cell under nitrogen pressure. Before introducing any water, the trapped air inside the cell was swept out with nitrogen for 15 minutes. Only about 300 ml. or less of water was used so that efficient mixing could be obtained. After completion of the transfer, the cell and water were weighed to \pm 0.01 g.

b. Measurement of water conductance. - The cell with water was placed irto the oil bath for at least 1/2 hour before measuring the resistance. Due to the high resistance of water, it was necessary to measure the resistance in parallel with a 20,000 ohm shunt. The cell was removed and the contents mixed gently until reproducible resistance readings were obtained.

6. Addition of a solute — A weight burotte containing stock solution was used to introduce solution into the water which was previously weighed and whose conductance was measured. By knowing the weight of the burette before and after addition the amount of solute introduced into the cell could be obtained. The addition was made with nitrogen flowing through the cell. Care was exercised in introducing the solute into the cell. to make sure that the irops fell directly into the bulk of the liquid.

d. Heasurement of resistance - The resistance measurement was carriea out as for the water except that the shunt was not necessary. If the room temperature was lower than the bath, some conlensation appeared on the cop and neck of the cell. It was then necessary to heat the portion of the cell above the bath with a host lamp.

e. For measurement of high concentrations (.007 N.). a Leeds and Horthrup type B cell was used. Golutions made from the stock were prepared in Pyrex flocks and measured directly. The water used in this preparation was soparately stored and its conductanoe measured.

C. Transference Maders

Transference numbers were measured by the noving boundary mothol using visual observation of the boundary. This detection is based upon the difference of refractive indices between the leading solution and the indicator solution. The instruments used in this experiment are:

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1. Call - The ce
artments and a U tub
of the arms. The ca
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ither rising or fall
een the leading and
djusted potential is
n to move through th
in to move through t $1.$ Call \sim The cell consists of anode and cathode compartments and a U tube with a calibrated pipette forming one of the arms. The cathode and anode corportments are separated by two hollow stopcooks which allow measurement of either rising or falling boundaries. When the stopcock between the leading and indicator solutions is opened and an adjusted potential is applied, the boundary will form and begin to move through the calibrated tube. The rate of

motion of the boundary is observed visually. The anode is made of a chemically pure cadmium plug and the cathode is a silver-silver chloride electrode made from silver sheet.

2. Current Control Apparatus - Current for the measurement was supplied by an electronic constant-current device described by Spedding, Porter, and Wright⁽²⁴⁾ and modified by Dye. The current through the cell was also passed through a standard 100 chm resistor and the emf developed wos measured with a Loofs and Northrup Type K potentiometer. The unbalance from the potentiometer was fed to a Brown 'Electronik" amplifier which was used to (rive a synchronous motor attached to the control Helipot" of the constant-0urrent circuit. The current could be maintainefi constant at 0.5 to 10 ma to \pm 0.05...

3. Light and Telescope - The position of the boundary was detected by moans of a narrow slit of light passed through the transference tube from the back side with a telescope focused on the tube from the front.

 $4.$ Stopwatch - The time required for the boundary to pass tetwoen the gaps that were marked on the pipette was measured with stopwatches which had been calibrated ageinst the standard WWV signal.

17. RESULTS ARD DISCUSSION

A. Examita

The analyses of solutions used are given in Tuble I. The conductance results are given in Table II and are shown graphically in Figures 1 and 2. Figure 2 is a graph of Λ_{\bullet} versus the square root of normality, where

$\Lambda_{0} = \Lambda + (\alpha \Lambda_{0} + 1) \sqrt{C}$

The values of of and q used were taken from Harned and C_{W} en⁽²⁵⁾ and are

$$
\alpha = \frac{\alpha^{4}}{\sqrt{2}} = 0.5227 \quad \alpha^{4} = 0.2229 \omega^{2}Q
$$
\nand\n
$$
q = \frac{q^{4}}{\sqrt{2}} = 110.59 \quad q^{4} = 60.19 \omega^{4}
$$

Table III gives the data used for determination of the cell constant. For the equivalent conducts noe of ECl, the equation

$$
\Lambda = \Lambda_{\bullet} - S_{\lambda}\sqrt{C} + AC \log C + BC
$$

was used.

The transference cell was checked a number of times using EC1 solution. The values obtained for E_{+} agreed with the literature values to within 0.1%.

Five runs were made with Ba-m $\phi(\text{SC}_3)$ solution which were combined with earlier data of Dye and Cordon⁽²⁶⁾. The coubined results are given in Table IV and shown in Figure 3. The limiting value of T_{+} , denoted by T_{+} ⁰ is of particular interest since it fixes a value of for m- ϕ (SO₃)⁵ which can be compared with conductance results. T_{+} and λ_{34}^{\prime} a yalue of λ_{-}^{\prime} 60.70 this gives with

Three attemts were made to measure the transference number of solign metabenzenedisulforate without success. Only for the most concentrated solution could a boundary be seen and even for this case it was too faint to follow. This could be caused by close values of the refractive index of the leading and following solutions or by the presence of a slight excess of Ra^{++} or SO_L^{--} ions. This will need further investigation.

The value of obtained in this work is 109.76 ohm⁻¹ esuiv -1 ω ². Using

$$
\lambda_{+}^{0} = 50.10 \text{ cm}^{-1} \text{ erguiv}^{-1} \text{ cm}^{2} \text{ for } \text{Na}^{+} \text{ gives}
$$

$$
\lambda_{-}^{0} = 55.66 \text{ cm}^{-1} \text{ equiv}^{-1} \text{ cm}^{2} \text{ for } \text{m} \text{ (SO}_3\text{)}_{2}
$$

 $\lambda^{\circ} = 60.7$ This is to be compared with the value of obtained from transference measurements on the barian salt.

Application of the extended electrophoretic calculatlons of fye and Spedding gives an $\frac{8}{4}$ value of about 7

Angstroms. This is to be considered tentative, however since transference numbers are also needed for this delculation.

B_{\bullet} Discussion of Frrors

Errors due to actual measurement of resistance were certainly negligible. This is evident in repost runs of conductivity using the high cell. Repeat measurements differed by not more than \pm 0.02%.

Different analysis for the stock colitions used to make the final solution agreed with each other to within \pm 0.1% and the metathized solution was checked for extra ion of each reactant. Nevertheless, the solution certainly contained some extra Ea⁺⁺ and E_0 = because of the solubility of BaSO_h. This should not have made an appraciable error in conductance, however, pH measure ents showed that the acidity of the Ba $x = \phi$ (20₃)₂ stock solution after several months standing was essentially unchanged from that of the water used. Check determinations of the conductance showed no change during this period. This indicates ro decomposition or evaporation of the solution. As the graph of conductance versua the square root of concentration shows, at concentrations below about 0.005 N the changes in conductance are in accordance with Onsager's theory. At higher concentrations where the theory mathematically breaks down, systematic deviations set in. At least some of these deviations can be attributed to higher terms in the electrophoretic equation.

It will be interesting to see whether other salts of $m = \frac{1}{2}$ $\left(\frac{1}{2} \right)^2$ with univalent cationsalso give agreement with theory or whether a pronounced ion-size effect occurs.

 ~ 1

 $\mathcal{L}^{\text{max}}_{\text{max}}$, $\mathcal{L}^{\text{max}}_{\text{max}}$

 ~ 10

ANALYBIS OF STOCK SOLETION AND NUTATHEMIS CALCULATIONS

	Experimental Bun		
Ea m = $\phi(\log_3)$	N o. 1	No. 2	No.3
Weight of solution	5.7453	5.1146	5.2341
Weight of Paulo	0.2699	0.2400	0.2455
Molality (calculated)	0.2176	0.2173	0.2172
$\frac{\text{Ha}_2 \geq 0_1}{\text{Ha}_2}$			
Weight of solution	5.5061	$5 - 313$	5.7301
Weight of Tabou	0.5563	0.5152	0.5451
Nolality (calculated)	0.4353	0.4355	0.4366
Metathenis - $(30.20 \text{ g.}$ Bam ϕ (so ₃) ₂ stock = 0.245 equivalent cf $x - \phi(0, 0, \frac{1}{2})$ $A_a, 5Q_a$		299.52 ε_{\bullet} Ma _n to _n stock = 0.2 ¹ C equivalent of	

 C_{\bullet} 0'237 = nolality of final solution

TABLE II

2.9243

4.9021

7.6723

10.6193

13.9530

1.0635

 2.7953

2.8191

3.9156

 5.1654

1.4665

 2.4533

 3.0475

5.3254

 6.9972

 Λ .

109.80

109.84

109.03

109.90

110.09

 32477.6 106.32

 $9315.0 104.43$

19730.0

 12773.5

 7137.0

 106.12

 105.23

 103.32

TABLE II

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CONDUCTANCE RESULTS
```


 $\sim 10^{-1}$

TACLE II

COLD KONCIOE LEE TIPS

Series $3 - \text{Cell E-1}$; constant = 29.19
(at 25⁰ C)

 $\mathcal{L}^{\text{max}}_{\text{max}}$, where $\mathcal{L}^{\text{max}}_{\text{max}}$

 ~ 100

TABLE III

 $\mathcal{L}^{\mathcal{L}}(\mathcal{L}^{\mathcal{L}})$ and $\mathcal{L}^{\mathcal{L}}(\mathcal{L}^{\mathcal{L}})$. The contribution of $\mathcal{L}^{\mathcal{L}}$

 $\mathcal{L}^{\text{max}}_{\text{max}}$ and $\mathcal{L}^{\text{max}}_{\text{max}}$

 $\sim 10^{11}$

CELL CONSTANT DETERMINATION

TABLE IV

		T_{+}
0.02036	.1426	0.5123
0.04100	.2025	0.5137
0.06102	.2470	0.5142
$0.0C$ ₁₀₂	.2470	0.5146
0.06494	0.2546	0.5143
0.10906	0.3302	0.5144
0,10906	0.3302	0.5142
0.10906	0.3302	0.5147

THANSEL MANAGER OF BR m- 0 (SOA)

 $\label{eq:2.1} \mathcal{L}(\mathcal{L}_{\mathcal{A}}) = \mathcal{L}(\mathcal{L}_{\mathcal{A}})$

 $\frac{1}{2} \frac{1}{2} \sum_{i=1}^{n} \frac{1}{2} \sum_{j=1}^{n} \frac{1}{2} \sum$

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^{2} \left(\frac{1}{\sqrt{2}}\right)^{2} \left(\$

 $\ddot{}$ $\mathcal{O}(\mathcal{O}(\log n))$

 $\label{eq:2} \mathcal{L} = \mathcal{L} \left(\mathcal{L} \right) \left(\mathcal{L} \right) \left(\mathcal{L} \right) \left(\mathcal{L} \right)$ $\frac{1}{2} \sum_{i=1}^{n} \frac{1}{2} \sum_{j=1}^{n} \frac{1}{2} \sum_{j=1}^{n$ $\label{eq:2} \frac{d\mathbf{y}}{d\mathbf{x}} = \frac{d\mathbf{y}}{d\mathbf{x}} \mathbf{y}$

 $\begin{split} \lim_{\varepsilon\to 0} \frac{\partial \Psi_{\varepsilon}}{\partial \varepsilon} & = \frac{\partial \Psi_{\varepsilon}}{\partial \varepsilon} \end{split}$ $\label{eq:2} \mathcal{L}_{\text{max}} = \mathcal{L}_{\text{max}} + \mathcal{L}_{\text{max}} + \mathcal{L}_{\text{max}}$

 $\mathcal{L}^{\text{max}}_{\text{max}}$ and $\mathcal{L}^{\text{max}}_{\text{max}}$

 $\label{eq:2.1} \frac{1}{2} \sum_{i=1}^n \frac{1}{2} \sum_{j=1}^n \frac{$

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