

G. W. MICHEL

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THS

A DESIGN FOR A HIGHWAY BRIDGE  
AT THE PROPOSED BOGUE  
STREET CROSSING OF THE RED CEDAR

Thesis for the Degree of B. S.

MICHIGAN STATE COLLEGE

G. W. Michel — D. L. Welling

1949

WESAS

A Design for a  
Highway Bridge at the Proposed Bogue  
Street Crossing of the Red Cedar

A Thesis Submitted to  
The Faculty of  
MICHIGAN STATE COLLEGE  
of  
AGRICULTURE AND APPLIED SCIENCE  
by

G. W. Michel

D. L. Welling

Candidates for the Degree of  
Bachelor of Science

June 1949

THESES

1, 2

### Acknowledgements

Mr. William Bradley: For acting as advisor and checker on our design. For explaining design details and procedures of thesis composition.

Mr. C. D. Beukema: For advice about highway specifications and helpful suggestions about ways of approaching this bridge design.

Porete Manufacturing Company: For detailed design information that was used in computing the super-structure details by Alpha Composite Construction Specifications.

The campus of Michigan State College has of recent years expanded itself to the east to quite an extent. The construction of Snyder-Phillips and Shaw Dormitories in addition to the existing Mason-Abbot Dormitory, as well as the construction of the new Physics Building and the Natural Science Building, have made this part of the college property a more integral part of the campus proper. More so than ever before.

The development of this eastern portion of the campus has brought a tremendous increase in the amount of vehicular traffic to this area. The traffic increase comes not only from the numbers of private vehicles of visitors of the dormitory residents, but also from the commercial vehicles supplying food and services necessary for efficient operation and maintenance of these buildings.

The existing means of crossing the Red Cedar do not conveniently serve this more recently developed area. In view of the growth in importance of this eastern portion of the campus, we have proposed the design of a new crossing of the Red Cedar.

The proposed sight of this new crossing would be on a southern extension of the west land of Bogue Boulevard. This extension would cross the Red Cedar and intersect a future extension of South Shaw Lane, east of the new Shaw Dormitory. It is felt that such a crossing would greatly increase the

accessibility of the men's housing and college property in this area.

Another decided advantage of such a crossing would be as a traffic easing measure. After the completion of large college activities which have brought considerable traffic on campus, present outlets from campus are very congested. An additional means of crossing the Red Cedar would provide more ready access to the main traffic arteries.

After several observations of the proposed bridge site, the following preliminary decisions were made:

In view of the relatively high level of the proposed Shaw Lane extensions and the existing Bogue Street pavement with respect to river level, the proposed bridge would have to be set correspondingly high with respect to the existing ground level to eliminate any great negative grade on the bridge approaches.

A bridge in such a setting, to attain more pleasing lines, should probably be of a single span design in view of the appearing awkwardness that could be associated with a high pier supporting section. In addition, a single span bridge would eliminate construction difficulties connected with pier construction and the absence of a pier would eliminate the accompanying obstruction to stream flow. Such a lack of obstruction would be most keenly appreciated during the relatively high flood stages of the Red Cedar as compared with normal flow.

For economy of construction, it was decided that a rolled beam rather than a plate girder would be used if at all possible. The rolled beam was selected and at this point the possibility of the use of ALPHA Composite Construction was considered. This type of design makes possible the use of longer unsupported spans. Such results are possible by considering that the concrete deck slab and the bridge beams act as though compositely constructed. These results accomplished by welding spiraled reinforcing bars to the tops of the beams and thus insuring that the concrete and steel act as one develop greater moments of inertia than if only the steel beam sections were considered.

Studies Made for Preliminary Plans

(From Michigan State Bridge Department Specifications)

Span Lengths: (From the Mississippi Valley Conference, 1940) The discussion relative to the best method of determining span lengths for new structures substantiated the practice of the M. S. H. D. The majority of states are using existing structures wherever possible to determine span lengths and are supplementing this determination by a calculation based upon either Talbot's or Donn's formula.

Stream Data and Waterway Area: The stream gauging stations, maintained by the U. S. Department of Interior, on various streams throughout Michigan have been located on our county map.

Data for each station showing maximum one-half minute discharge, drainage area, runoff data, etc., are on file in Lansing. This data should be checked when determining span lengths for proposed structures.

Railing: In general, concrete bridge railings are used on all concrete structures and occasionally they are used on steel structures also. The height of the rail is two feet, nine inches, and a standard eight feet, six inch panel is used between with the exception of the center and end panel, where a necessary adjustment may be made.

Abutments: Cantilever abutments will be used for walls eight feet, zero inches to twenty feet, zero inches, measured from the top of footing to the bridge seat. Usually the wall thickness at the base is to be approximately 0.14 of the distance between the top of footing and the crown of road. Footings to be as thick as walls at base. If the thickness of the wall at its base as determined above becomes three feet or greater, the footing thickness in the case where no piles are used shall be increased from the usual two feet, six inches to three feet, zero inches.

Slopes in Front of Abutments: Either rip rap or stone facing is to be used between the fascia lines on all structures where there is a considerable amount of fill in front of the abutments. In general, stone facing is to be used on these projects where appearance is an item of importance. On other structures, the

above slopes are to be rewrapped.

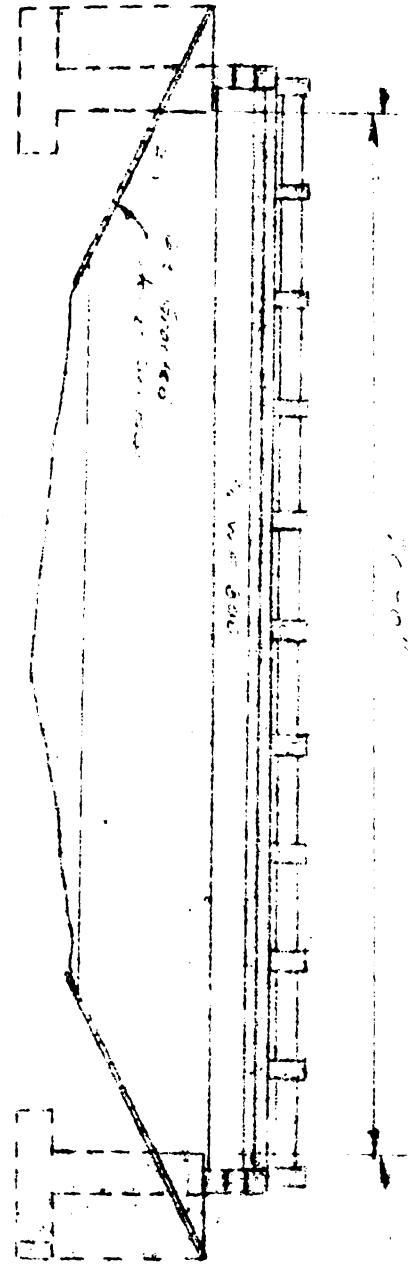
Upon commencing this thesis, our ideas included all the data found in the finished plans of a proposed bridge. This included among other things the complete design of superstructure, abutments, wingwalls, earthwork computations, and complete detailing such as railing, steel take off, etc.

When we started our thesis with the proposed bridge site survey, it soon became most apparent to us that we had picked enough work for at least two if not more theses; consequently, as the design problem was of the most interest to us, we decided to obtain enough data to allow us to start the design and to commence there.

The design problem proved very interesting; however, it also became involved and time consuming. Due to the time allotted for the thesis, the design problem of the bridge will constitute our thesis. However, this does not complete this thesis as we would like to see it completed.

And as a suggestion to any person or persons who would like to finish this thesis, we offer the following topics:

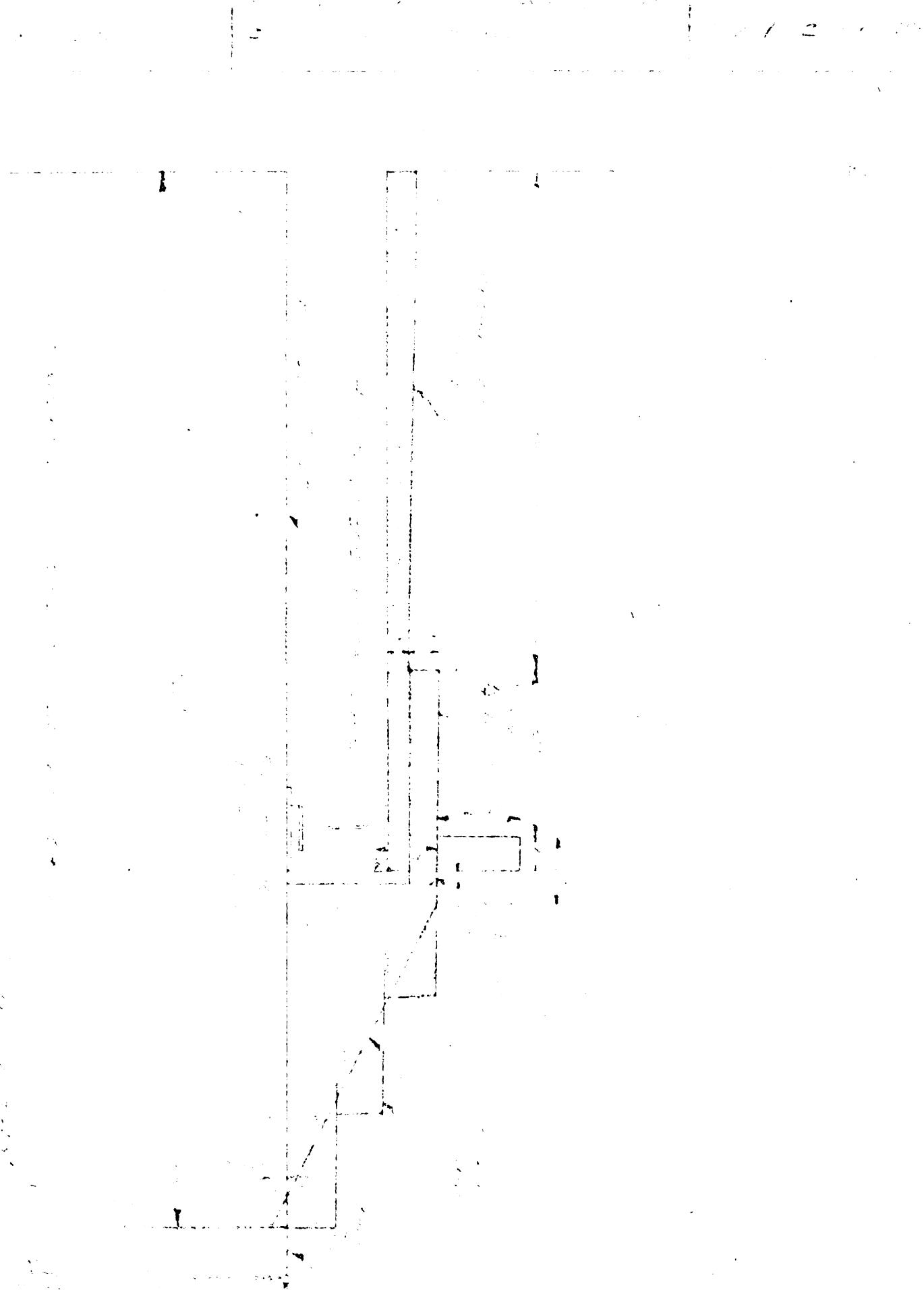
1. Taking a log of borings and calculation of earth excavation and fill.
2. Using our designs - to draw up a complete set of final plans for the bridge, including the detailing.



Mechanical Assembly

Fig. 27. Mechanical Assembly  
from Fig. 26.

Fig. 27 shows the mechanical assembly from Fig. 26. The assembly consists of a central vertical shaft with several horizontal arms extending from it. One arm at the top has a gear-like profile. A horizontal connecting rod is attached to one of the lower arms. The entire assembly is enclosed within a rectangular frame. The drawing is a technical sketch, likely a line drawing or a photograph of a drawing, showing the spatial relationships between the various parts of the machine.



July 17, 1880.

Left home at 8 A.M. with Mr. & Mrs. C. H. Smith and son, Frank, and our dog, "Lucky".

Arrived at 12 M.

Spent the afternoon at the beach.

### The Atlantic Ocean.

Wrote a short letter to my mother, telling her about our trip.

### Father.

He is a good man.

Left home at 12 M. with Mr. & Mrs. C. H. Smith and son, Frank, and our dog, "Lucky".

### Sister.

She is a good girl. She is very fond of her mother and father.

### Mother.

She is a good woman.

She is a good mother.

### The Atlantic Ocean - Father.

He is a good man.

### Wrote a short letter.

Left home at 12 M. with Mr. & Mrs. C. H. Smith and son, Frank, and our dog, "Lucky".

Left home at 12 M.

Left home at 12 M.

Left home at 12 M.

Concrete slab	Live load on slab	Live load on joist
Concrete slab	Live load on slab	Live load on joist
Concrete slab	Live load on slab	Live load on joist

Live load on slab = 1000 lb per sq ft

$$8000 \times 6.1' \times 10^3 = 48,000"$$

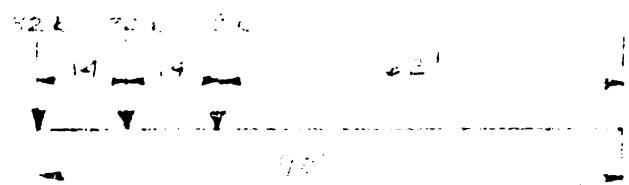
$$8000 \times 12.1' \times 10^3 = 96,000"$$

$$8000 \times 1 = 80,000"$$

$$48,000 + 96,000 + 80,000 = 224,000 \text{ lb per foot of span length}$$

TABLE OF CONCRETE SLAB LOADINGS

Factors	Concretes	Area of slab	Load per sq ft
6.843 x 20.61 x 2	100%	2.87	48,000
6.843 x 12.1 x 2	6.77	10.305	60,000
Such that $\frac{1}{2} \times 12.1 \times 2 = 10.305$	100%	10.305	60,000
6.843 x 8.061	2.741	10.305	22,000
Such that $\frac{1}{2} \times 8.061 \times 2 = 10.305$	100%	10.305	22,000



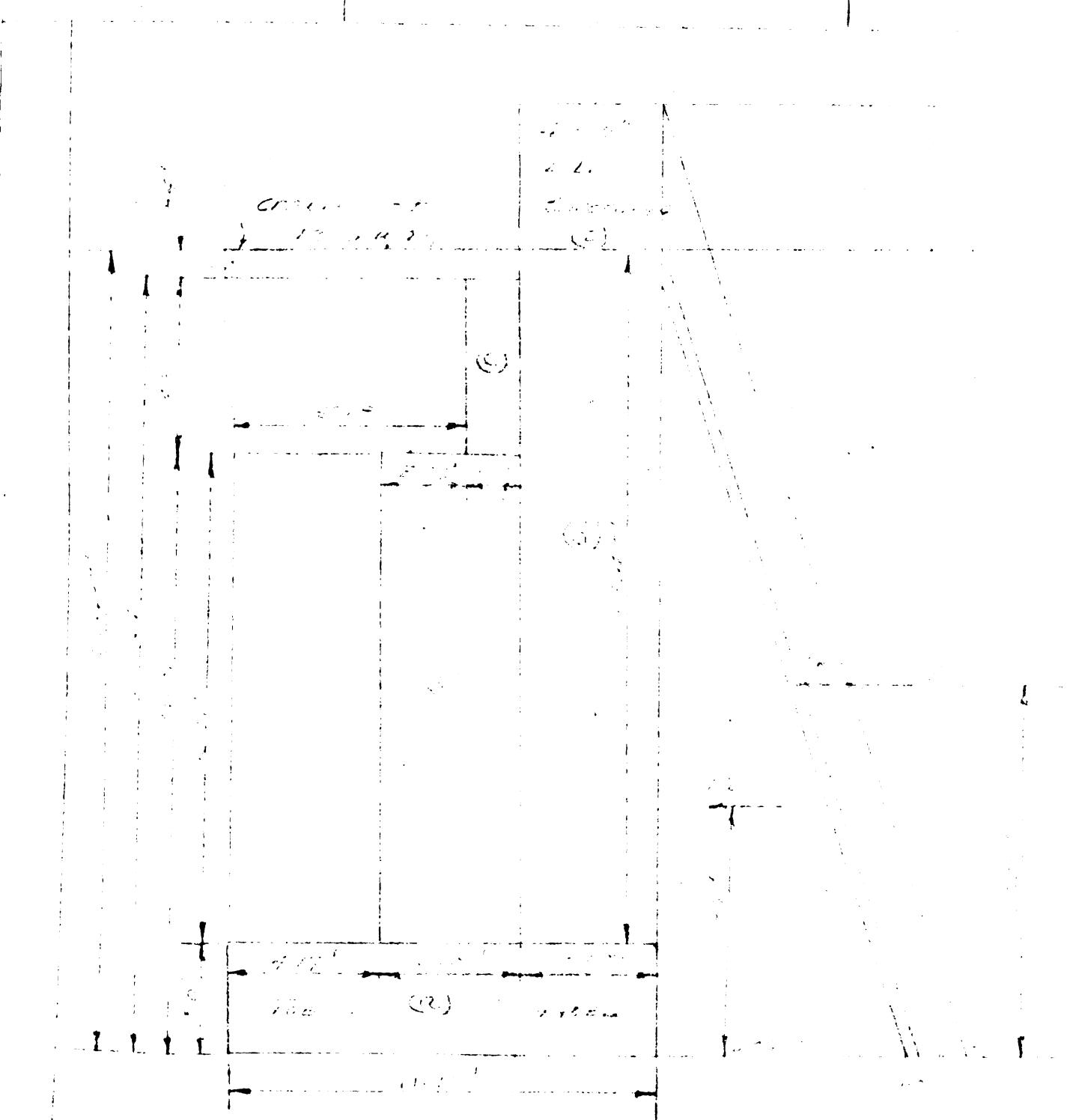
Live Load = 1000 lb per sq ft

## Completed original Apartment Design

Estimated cost

December 64

Est. cost



Furniture

$$\begin{aligned}
 \text{LR} &= 100 \times .20 \times 1.20 = 240\text{ ft}^2 & \text{DR} &= 100 \times .10 \times 1.20 = 120\text{ ft}^2 \\
 \text{K} &= 100 \times .50 \times .33 = 165\text{ ft}^2 & \text{Bath} &= 100 \times .10 \times .33 = 33\text{ ft}^2 \\
 \text{BR} &= 100 \times .40 \times .20 = 80\text{ ft}^2
 \end{aligned}$$

Length by width	the number of cases	the number of cases per lot
(a)	100	100
(b)	100	100
(c)	100	100
(d)	100	100

### Ticks of Shantung Shantung

Length	Factor	Weight	Area	Actual No.
(a)	100 x 300 mm	0.00	0.00	36,100
(b)	300 x 300 mm	7.625	0.00	96,150
(c)	100 x 400 mm	7.625	0.00	86,625
(d)	300 x 1245 mm	6.150	0.00	57,750

Cost of T. Shantung Wt 20.000<sup>m</sup> Area 100,410<sup>m</sup>

+ Supervision cost 100,000<sup>m</sup> area 39,400<sup>m</sup>

Cost of T. Shantung Wt 27,860<sup>m</sup> Area 100,410<sup>m</sup>

+ Cost 3.75 x 4.00 m<sup>2</sup> 143.7<sup>m</sup> 100,000 13,375

Cost of T. Shantung Wt 27,870<sup>m</sup> Area 100,410<sup>m</sup>

+ Supervision cost 100,000<sup>m</sup> area 11,000

31,312.<sup>m</sup> 100,000 277,410<sup>m</sup>

- (c) 100,000<sup>m</sup> 100,000 277,410<sup>m</sup>

Cost of T. Shantung Wt 27,850<sup>m</sup> Area 100,410<sup>m</sup>

Constitutive Law of Soil - Mohr-Coulomb

Ex. 6.3

Given:  $\sigma_x = 100 \text{ kN/m}^2$ ,  $\sigma_y = 80 \text{ kN/m}^2$ ,  $c = 20 \text{ kN/m}^2$

Required:  $\sigma_z$ ,  $\tau_{xy}$ ,  $\tau_{xz}$ ,  $\tau_{yz}$  and the angle of shear resistance  $\phi$

Solution:  $\sigma_x = 100 \text{ kN/m}^2$ ,  $\sigma_y = 80 \text{ kN/m}^2$ ,  $c = 20 \text{ kN/m}^2$

From Mohr's circle,  $\sigma_z = 147.2 \text{ kN/m}^2$ ,  $\tau_{xy} = 17.2 \text{ kN/m}^2$

From Mohr's circle,  $\sigma_z = 147.2 \text{ kN/m}^2$ ,  $\tau_{xz} = 17.2 \text{ kN/m}^2$

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From Mohr's circle,  $\sigma_z = 147.2 \text{ kN/m}^2$ ,  $\tau_{yz} = 17.2 \text{ kN/m}^2$

$c = 20 \text{ kN/m}^2$ ,  $\tau_{xy} = 17.2 \text{ kN/m}^2$ ,  $\tau_{xz} = 17.2 \text{ kN/m}^2$ ,  $\tau_{yz} = 17.2 \text{ kN/m}^2$

$\tan 2\phi = \frac{\tau_{xy}}{c}$ ,  $\tan 2\phi = \frac{17.2}{20}$ ,  $\tan 2\phi = 0.86$ ,  $2\phi = 49^\circ$ ,  $\phi = 24.5^\circ$

Ans.

$\sigma_z = 147.2 \text{ kN/m}^2$ ,  $\tau_{xy} = 17.2 \text{ kN/m}^2$ ,  $\tau_{xz} = 17.2 \text{ kN/m}^2$ ,  $\tau_{yz} = 17.2 \text{ kN/m}^2$

Ans.

$\sigma_z = 147.2 \text{ kN/m}^2$ ,  $\tau_{xy} = 17.2 \text{ kN/m}^2$ ,  $\tau_{xz} = 17.2 \text{ kN/m}^2$ ,  $\tau_{yz} = 17.2 \text{ kN/m}^2$

Completed by the author's letter to the editor

dated 25

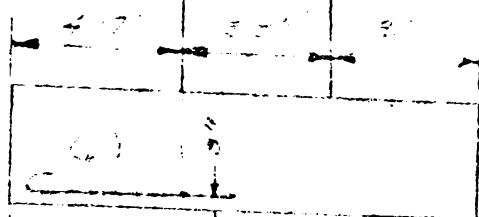
The author's letter to the editor dated 8/1/71

Extracts from the author's letter dated 8/1/71

The author's letter to the editor dated 8/1/71



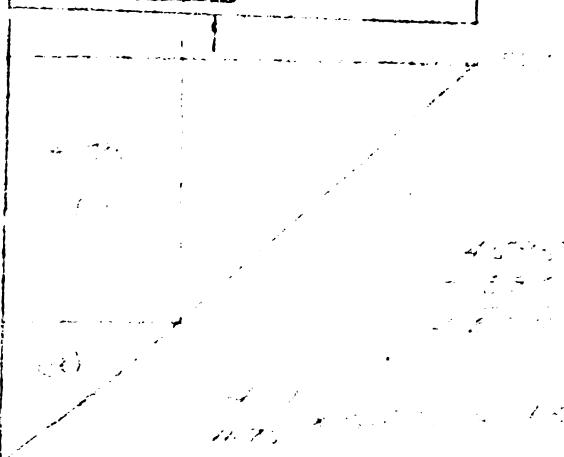
The author's letter to the editor dated 8/1/71



The author's letter to the editor dated 8/1/71

The author's letter to the editor dated 8/1/71

Do you see?



The author's letter to the editor dated 8/1/71

Do you see?



The author's letter to the editor dated 8/1/71

Do you see?



The author's letter to the editor dated 8/1/71

Do you see?

Do you see?

The author's letter to the editor dated 8/1/71

	(a)

(b)

(c)

(d)

(e)

(f)

## 12. Effect of the various factors



12 Dec 1968 10:00 AM - 12 Dec 1968 10:00 AM

and the first 100' of the 1000' distance were measured with a tape.

The last 900' of the 1000' distance was measured with a chain.

The distance from the point where the first 100' of the 1000' distance was measured to the point where the last 900' of the 1000' distance was measured was measured with a tape.

The total distance of the 1000' distance was measured with a tape.

The total distance of the 1000' distance was measured with a tape.

The total distance of the 1000' distance was measured with a tape.

Distance = 1000'

Distance = 1000' + 100' = 1100'

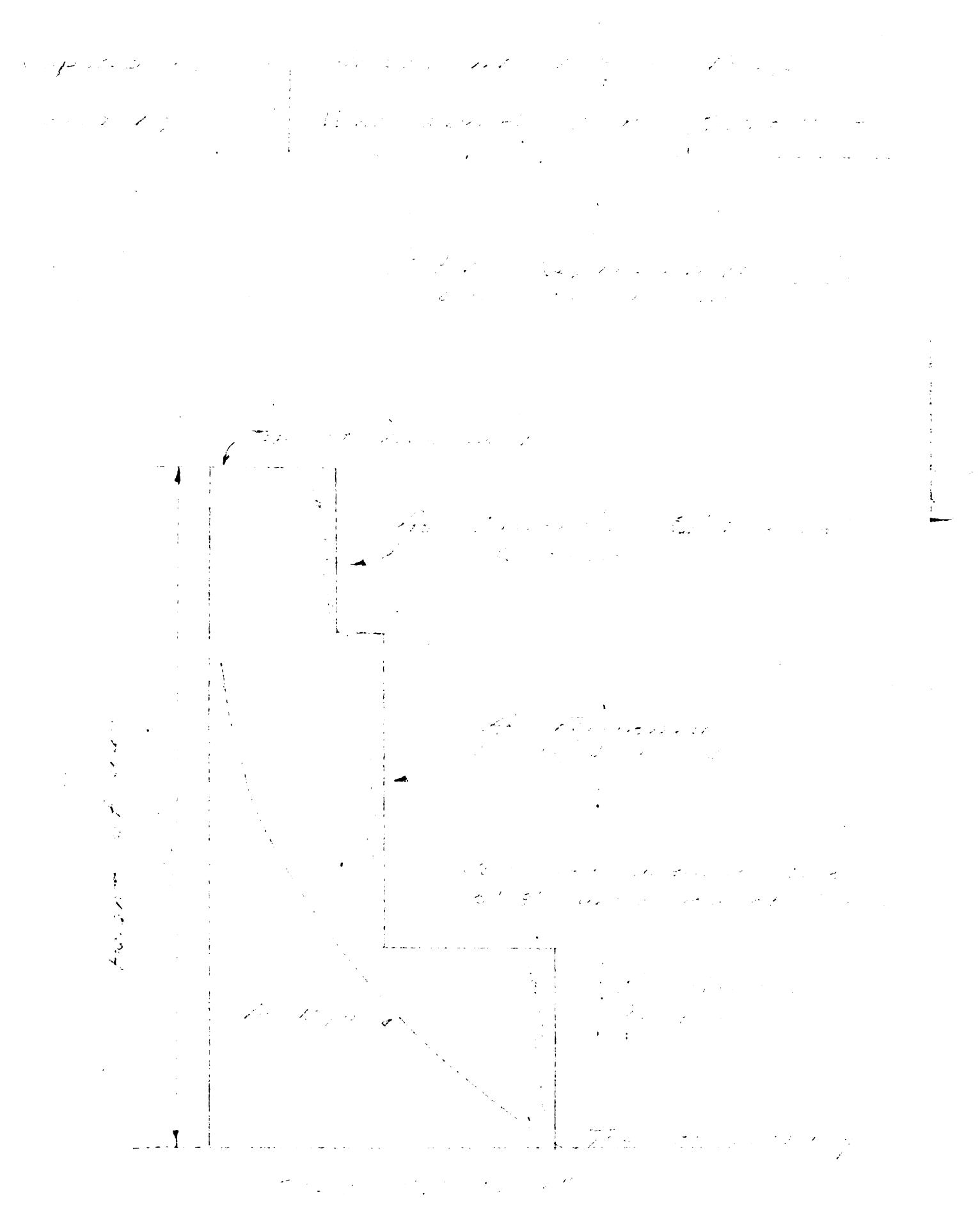
The distance from the point where the first 100' of the 1000' distance was measured to the point where the last 900' of the 1000' distance was measured was measured with a tape.

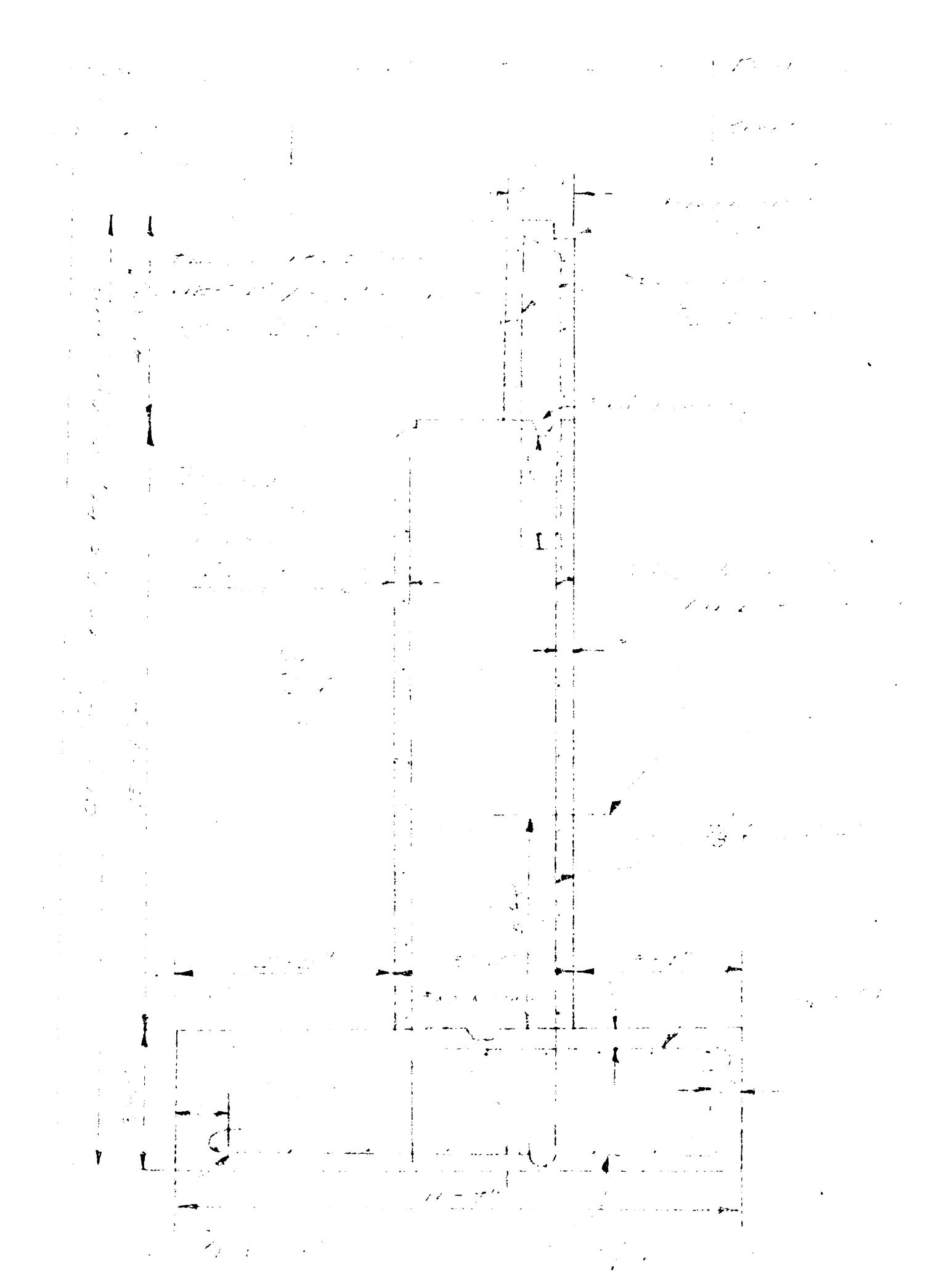
Distance	100' distance	Distance
1000'	100'	1000'
1000'	100'	1000'
1000'	100'	1000'

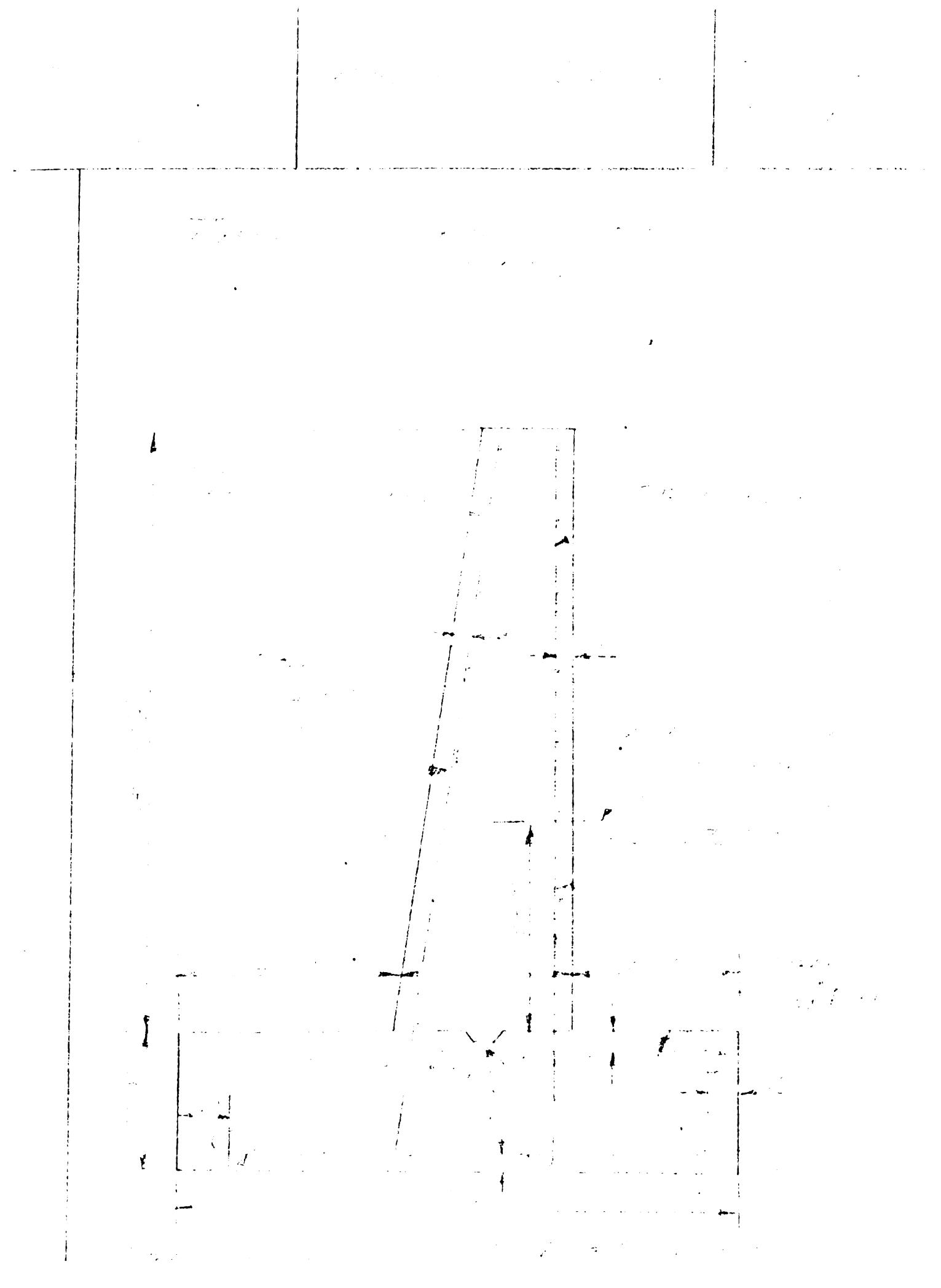
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$\phi_1 \rightarrow \phi_2$

/

/

/

/

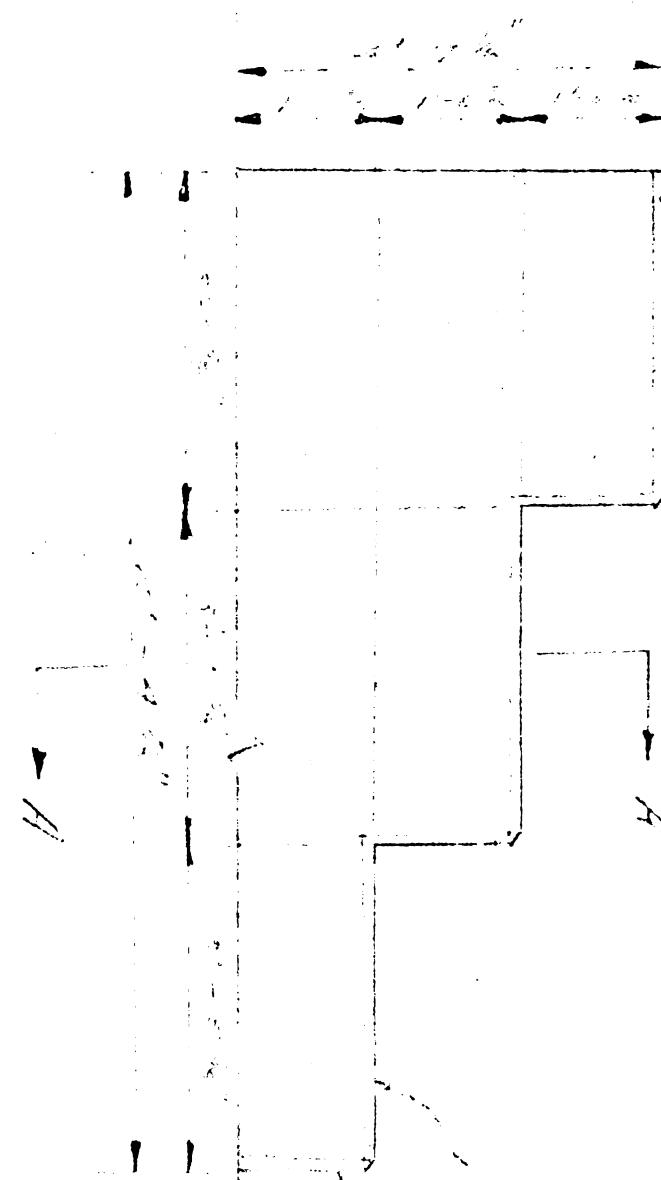
/

/

/

1.  $\phi_1$   $\rightarrow \phi_2$   
2.  $\phi_2$   $\rightarrow \phi_1$

1.  $\phi_1$   $\rightarrow \phi_2$   
2.  $\phi_2$   $\rightarrow \phi_1$



Engineering Dept.

Design:

Br. Engg. Dept. 1970

GWM

Superstructure Design

Sheet No. 1

## Superstructure Design

### a) System H-30 Superstructure Loading

Live Load + Impact Deflection =  $\frac{1}{3}$  Span

User:

8 Beams spaced @ 5'-3" = 23'

1st Bay to 8th Bay = 90'-0" = 90.0'

~~W.F.~~

36 WF 350\* Beams

$$I = 20290 \text{ in}^4$$

$$S = 11051 \text{ in}^3$$

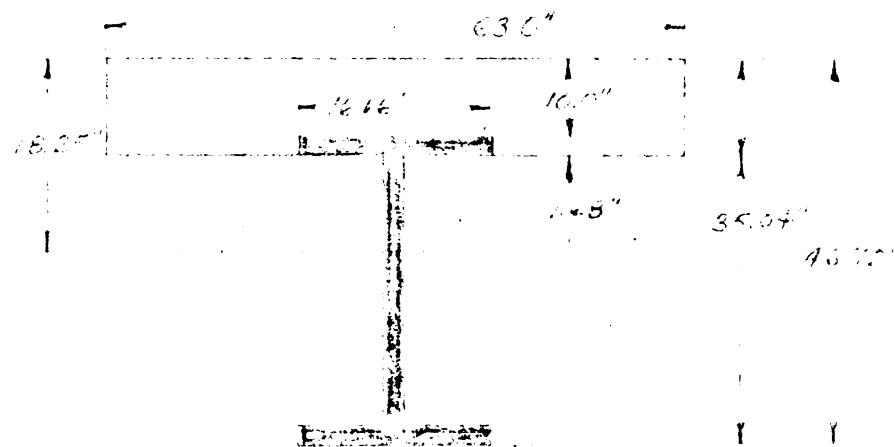
$$A = 4817 \text{ in}^2$$

$$d = 36.71 \text{ in}$$

$$t = 16.00 \text{ in}$$

$$b = 16.66 \text{ in}$$

$$t_b = 11.65 \text{ in}$$



Section Area

Depth

Bridge Deck

G.W.M.

Bottom Flange

Wing Wall

Bottom Flange

Bottom Flange

Crown Sections Beam Piecumbered

Composite Beam for L.L + Impact Allow

N.A.

$$\begin{aligned}
 120 \times 14.66 &= 166.6, \quad \times 5.0 \quad = 833.0 \\
 116 \times 46.34 &= 541.0, \quad \times 5.07 \quad = 3169.0 \\
 65.17 \times 10 &= 651.7, \quad \times 5.55 \quad = 3629.2 \\
 &\quad 1589.3 \quad \quad \quad 25283.0
 \end{aligned}$$

$$\therefore I = \frac{25283.0}{1589.3} = \underline{\underline{15.85''}}$$

I:

$$\frac{16.66 \times (60.0)^3 + 16.66 \times 120(13.25)^2}{12} = 1356.7 + 2436.0$$

$$\frac{46.34 \times (11.63)^3 + 46.34 \times 1126(12.4)^2}{12} = 5232.0 + 536.5$$

$$\frac{65.17 \times 10(11.1)^2}{20455.8} = \frac{21290.0}{20455.8} = \underline{\underline{20.267}}$$

$$\therefore I = \underline{\underline{546.535 \text{ in}^4}}$$

Composite Beam for D.L (- framework) & A.S.I.d  
D.L (+ factor 1.3) (n=25)

N.A.

concrete : 707.6 17.3

Steel

$$\begin{aligned}
 85.17 \times 20 &= 2645.4 \quad \times 28.56 \quad = 75.47 \\
 &\quad 3352.7 \quad \quad \quad \quad \quad 789.73
 \end{aligned}$$

$$\therefore I = \frac{789.73}{3352.7} = \underline{\underline{23.44}}$$

Concrete

Steel

Bridge Design

G.W.M

Bending Moment

Sum = 100%

### Composite Beam for Reduced D.L. (in-3 of moment)

I

$$\frac{16 \times 24 \times (0.0)^3}{12} + 16.66 \times 100 (12.56)^2 = 1396.0 + 30300$$

$$48.34 \times (0.08)^3 + 0.039 \times 100 (12.72)^2 = 5870.0 + 18652$$

$$202.92 \times 30 + 82.17 \times 30 (5.12)^2 = 60870.0 + 62400 \\ 67536.0 = 263800$$

$$\therefore I = \underline{\underline{279160 \text{ in}^4}}$$

### Bending Moments:

$$\text{Span length} = 900 (\text{ft} E_{\text{st}}) + 10 (\text{ft} A_{\text{st}}) \\ = 1.0' = L$$

Staggered spand at 525' = 5250'

$$\text{Impact} = \frac{1.00}{4.725} = .211 \approx 0.190$$

$$P = 5000 + 0.3250 \times 100 = 5025 \text{ lb per stronger}$$

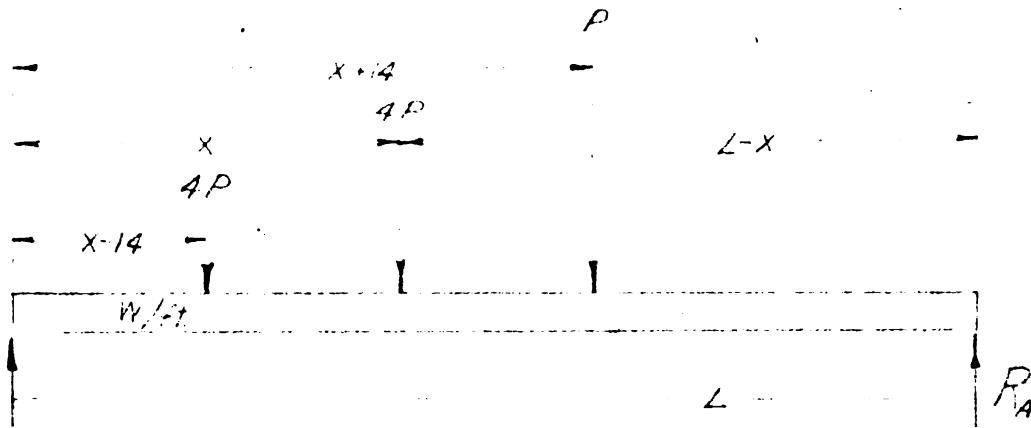
### Lading:

	W	M <sub>max</sub>	
concrete	= 100 \times 11.69 \times 63 = 744	785"	785"
steel	= 300 \times 100	330	330
future load	= 20 \times 5000	100	-
total	= 1000	1175	595
		1000"	1425"

G.N.M.

Absolute Maximum Moment

Sheet 1/2

Position of Absolute Maximum MomentProof:

$$\begin{aligned}R_A &= \frac{4P(x-14) + 4Px + P(x+14)}{L} + \frac{WL}{2} \\&= \frac{P}{L}(9x+72) + \frac{WL}{2}.\end{aligned}$$

$$M_x = \frac{P}{L}(9x-42)(L-x) + \frac{WL}{2}(L-x) - P/4 - W(L-x)\frac{(L-x)}{2}$$

$$= f_x = -\left(\frac{9P}{L} + \frac{W}{2}\right)x^2 + \left(\frac{9P}{L} + \frac{42P}{L} + \frac{WL}{2}\right)x - 56P^*$$

\*Note:

To find (x) for max. combined moment, take 2nd derivative of ( $f_x$ ).

If ( $f''_x$ ) is negative, the value for (x) giving max. comb. mom. is found by setting ( $f''_x$ ) = 0 and solving for (x).

Computer Job:

Detail

Bridge Design

GWM

Bending Moment

Shear Force

Position of absolute maximum moment (cont.)

$$\begin{aligned}
 M_x - f_x &= \left( \frac{P}{L} + \frac{W}{2} \right) x^2 + \left( \frac{P}{L} + \frac{4CP}{L} + \frac{WL}{2} \right) x - (50P) \\
 &= \left( \frac{75000}{91} + \frac{1200}{2} \right) x^2 + \left( \frac{75000}{91} + \frac{42 \cdot 5000}{91} + \frac{1200 \cdot 21}{2} \right) x - (50 \cdot 5000) \\
 &= -(170 + 600) x^2 + (25150 + 2320 + 54600) x - 250000 \\
 &= -1090 x^2 + 102100 x - 250000 \\
 f'_x &= -2180x + 102100 \\
 f''_x &= -2180 \\
 \therefore -2180x + 102100 = 0 &= f'_x \\
 \underline{x = 46.6}
 \end{aligned}$$

$$\begin{aligned}
 M_x (L + L - x) &= -(496)(46.6)^2 + (47520)(46.6) - 250000 \\
 &= -1090000 + 2200000 - 250000 \\
 &= \underline{\underline{820000\#}}
 \end{aligned}$$

$$\begin{aligned}
 M_x (\text{D.L}) &= \frac{Wx(L-u)}{2} \\
 &= \frac{1147.5(4+4)(46.6)}{2} \\
 &= \underline{\underline{1160000\#}}
 \end{aligned}$$

$$\begin{aligned}
 M_x (\text{E.W.S}) &= \frac{105}{2}(444)(46.6) \\
 &= \underline{\underline{108500\#}}
 \end{aligned}$$

Complex Part

Detail:

Ex. 20: 28.00

GWM

STRENGTH

Shear at

Stresses:

Case ① DL + Forms

$$M = 1,162,000 \text{ ft}^{\cdot} \quad S = 1105.1 \text{ in}^3$$

$$f_s = \frac{1,162,000 \times 12}{1105.1} = 12600 \text{ #/in}^2$$

$$f_c = 0 \text{ #/in}^2$$

Case ② LL + Impact

$$M = 528,000 \text{ ft}^{\cdot} \quad I = 412,358 \text{ in}^4$$

$$C_c = 18.45 \text{ "}$$

$$C_s = 25.47 \text{ "}$$

$$f_s = \frac{528,000 \times 12 \times 25.47 \times 10}{412,358} \\ = 6810 \text{ #/in}^2$$

$$f_c = \frac{528,000 \times 12 \times 18.45}{412,358} \\ = 452 \text{ #/in}^2$$

Case ③ Fat Wear Surf

$$M = 108,500 \text{ ft}^{\cdot} \quad I = 879,162 \text{ in}^4$$

$$C_c = 23.24 \text{ "}$$

$$C_s = 23.49 \text{ "}$$

$$f_s = \frac{108,500 \times 30 \times 18.43 \times 10}{879,162} \\ = 10,40 \text{ #/in}^2$$

$$f_c = \frac{108,500 \times 12 \times 23.24}{879,162} \\ = 35 \text{ #/in}^2$$

Case ④ Removal of forms (w/ h/w in case ①)

$$f_s = 520 \text{ #/in}^2$$

$$f_c = 10 \text{ #/in}^2$$

Concrete 100

Detail:

Base Design

G.W.M.

Stress Summary

100 ft. = 30.48 m.

## Summary of Stresses

Case	Loading	$f_s' \text{ psi}$	$f_c' \text{ psi}$
①	D.L. + Forms	156.00	0
	- Forms	153.0	15
	D.L.	15.080	18
②	Live Impact	661.0	252
	D.L. + Live + Impact	156.0	434
③	Fut. New Start	104.0	35
	<u>D.L. + L.I. + T.D. + F.W.S. = 1213.0 <math>\text{ft}^2/\text{in}^2</math></u>	<u>46.4 <math>\text{ft}^2/\text{in}^2</math></u>	

G.W.H.

Spiral Connectors

Structural

Spiral Shear ConnectorsUse  $\frac{5}{8}^{\text{th}}$  bars with  $4\frac{1}{2}$ " mean coil diameterMinimum cover reqd. on spiral =  $1\frac{1}{2}$ " \*

$$\text{Cover} = 2" - (4\frac{1}{2} + \frac{5}{8}) = 1\frac{7}{8}" > \text{allowable}$$

Spiral Pitch:

$$s = \frac{F_w I^*}{V Q}$$

where:

 $s$  = pitch of spiral, c. to c. of welds in inches $F_w$  = shearing force trans-  
mitted per pitch $I^*$  = moment of inertia of  
composite section about  
its neutral axis. $Q$  = static moment of  
effective concrete area  
about neutral axis of  
composite section $V$  = total vertical shear

\* Information obtained from Composite Construction  
 Engineering Handbook of Concrete Manufacturing  
 Company.

GWN

Shear of concrete

Shear stress

Spiral Shear Connectors (cont.)At end supports:

$$V_{D2} = 1.2^k \times 45 = 54.0^k$$

$$V_{L2} = 0.64^k \times 45 + 40 = 63.8^k$$

$$\frac{122.8^k}{122.8^k} = V$$

$$\therefore S = \frac{11.04 \times 546.555}{122.8 \times 707.6 \times 12.65}$$

$$= \underline{\underline{5.5''}}$$

At 15' from supports:

$$V_{D2} = 1.2^k \times 30 = 36.0^k$$

$$V_{L2} = 0.64^k \times \frac{25}{70} \times \frac{75}{2} + 40 \times \frac{75}{90} = \frac{53.3^k}{89.3^k} = V_2$$

$$\therefore S = \frac{11.04 \times 546.555}{89.3 \times 707.6 \times 12.65}$$

$$= \underline{\underline{7.5''}}$$

At 30' from supports:

$$V_{D2} = 1.2 \times 15 = 18.0^k$$

$$V_{L2} = 0.64^k \times \frac{62}{70} \times \frac{60}{2} + 40 \times \frac{62}{90} = \frac{39.3^k}{57.4^k} = V_3$$

$$\therefore S = \frac{11.04 \times 546.535}{57.4 \times 707.6 \times 12.65}$$

$$= \underline{\underline{11.8'' \text{ USE } 11.5''}}$$

Computer by:

Date:

Engr. D.

G.W.M

Design No.:

Sheet No. 10

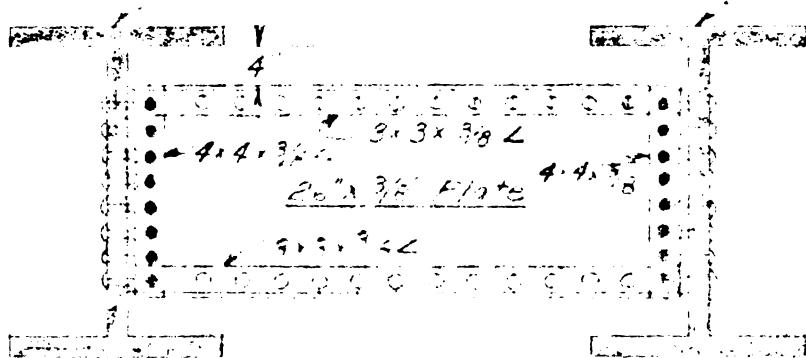
Spiral Shear Connectors (cont.)

Spiral	No. of loops	Pitch	Spiral length c to c, st. web	Reg. I web length*
1	33	5.5"	1512'	1.75
2	25	7.5"	15.61'	1.75
3	16	11.5"	15.42'	1.75"

Diaphragms:

36WF300#

36WF300#

→ → All stirrups  $\frac{3}{4}$ " @ max. space = 4"

Diaphragms spaced 3 11'-4" o. to o.

\* Pereto Composite Construction Specification

Concrete Slab

Design:

Engineering

G.W.M.

Slab Reinforcing Steel

Cross

## Slab Reinforcing Steel

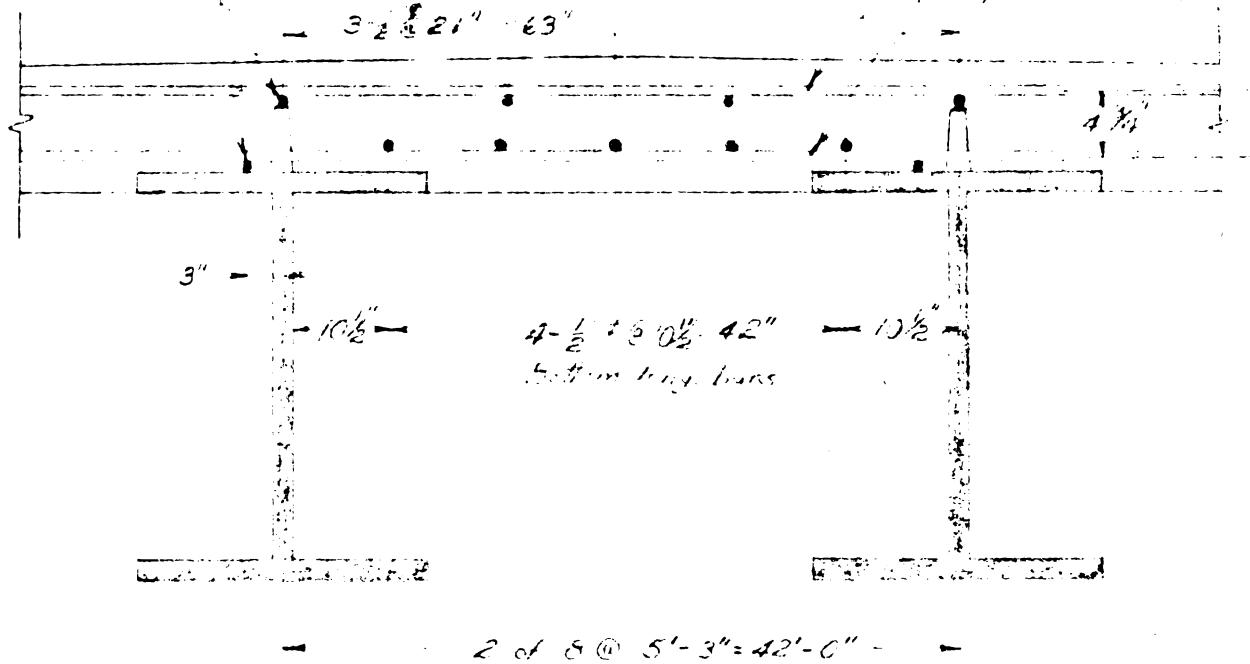
E of Bridge

12Φ bars

— 3-2 1/2" - 63"

Transverse Bars

1/2" @ 7' 6"



## Note:

- 1 Reinforcement typical for all transverse sections
- 2 Concrete shall be flush with bottom of top flange

19 '54

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