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# QUANTIFYING AND PREDICTING ERROR IN DEM-DERIVED FLOW-DIRECTION

By

Glenn Alexander O'Neil

## A THESIS

Submitted to Michigan State University in partial fulfillment of the requirements for the degree of

## MASTER OF SCIENCE

Geography

#### ABSTRACT

#### QUANTIFYING AND PREDICTING ERROR IN DEM-DERIVED FLOW-DIRECTION

By

#### Glenn Alexander O'Neil

In this thesis, I present a new method for quantifying errors in flow-direction rasters derived from USGS 10-meter digital elevation models (DEMs). The method utilizes flow-direction rasters derived from finer resolution 2.5-foot LiDAR DEMs as a reference dataset, and performs cell-by-cell comparisons between the two datasets to quantify error in the USGS product. I applied this method to a sample of 80 7.5-minute USGS quadrangles, stratified by land cover and topography, across Ohio. I employed quadrangle-level measures of agricultural concentration, total relief, and contour topology error as independent variables in a multiple linear regression model to predict mean flow-direction error.

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## DEDICATION

I dedicate this thesis to my wife Jamie and son Rowan. Though this work cannot measure my appreciation for their love and support, I would be remiss not to acknowledge my greatest sources for inspiration.

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#### **KEY TO SYMBOLS AND ABBREVIATIONS**

- ASCII American Standard Code for Information Interchange
- ATtILA Analytical Tools Interface for Landscape Assessments
- D8 single direction flow-direction algorithm
- DEM digital elevation model
- DLG digital line graph
- EPA Environmental Protection Agency
- ESRI Environmental Systems Research Institute
- FDE Flow-direction error
- GDAL Geospatial Data Abstraction Library
- GIS geographical information systems/science
- HRHA high relief high agricultural concentration
- HRLA high relief low agricultural concentration
- LiDAR Light Detection and Ranging
- LRHA low relief high agricultural concentration
- LRLA low relief low agricultural concentration
- NED National Elevation Dataset
- NHD National Hydrography Dataset
- NLCD National Land Cover Dataset
- OGRIP Ohio Geographically Referenced Information Program
- OSIP Ohio State-wide Imagery Program
- RMSE root mean square error

- SAR simultaneous auto-regression
- USGS United States Geological Survey
- UTM Universal Transverse Mercator

## Chapter 1 Introduction

#### 1.1 Statement of Problem

In the field of hydrology, digital elevation models (DEMs) are frequently used to predict surface water flow direction and derive digital stream networks. The accuracy of these predictions and networks relies on the fidelity of the source DEMs. In flatter areas inaccuracies in a DEM can be more pronounced, particularly if the interpolation of contours with whole number values (e.g. 315 versus 315.7 feet) was employed to build the DEM, which is the standard of most DEMs produced by the United States Geological Survey (USGS) (Carter 1988, Carter 1992, Wilson and Gallant 2000). Agricultural areas are also prone to DEM inaccuracy. The errors in both flat and agricultural areas are typically due to issues with the source contours that yield a DEM. In flat areas, sparse contours provide too little information to the interpolating algorithm that produces the DEM. In agricultural areas, the source contours can contain topological errors, such as intersections, around drainage ditches that confuse the interpolation algorithm. The results are digital surfaces that do not truly reflect the Earth's surface and therefore inaccurately predict surface water flow. These errors can pose a significant problem for researchers and conservationists who rely on models of surface water flow-direction, such as soil conservationists concerned with water-borne soil erosion and nutrient runoff from agricultural lands into streams and lakes. If they cannot reference accurate

predictions of how water flows over the surface, then efforts to identify and remediate sedimentation-prone areas will be misguided and waste valuable time and resources.

There is a rich literature documenting absolute elevation error in DEMs, but research assessing error in DEM-derived flow-direction is lacking. In this thesis I will help fill this gap by exploring the following questions:

- 1. How can finer-resolution DEMs be employed to evaluate flow-direction error in coarser DEMs?
- 2. What are the primary challenges in such an evaluation?
- 3. What landscape characteristics best predict flow-direction error?

To address these questions, I developed a method for calculating flow-direction error, and implemented it across a large sample of USGS 7.5-minute quadrangles in Ohio. I then conducted a multivariate analysis to predict flow-direction error in terms of landscape characteristics, accounting for residual spatial autocorrelation.

This research contributes to the understanding of uncertainty in digital elevation products, particularly how error propagates into flow-direction. The methods I developed also aid in the analysis of high-resolution DEMs, specifically in the extraction of hydrologic features from such data. At a more practical level, these results inform hydrological analyses in engineering, agriculture, and any other disciplines that rely on simulations of surface water flow. For example, with a better understanding of erosion model uncertainty, soil conservationists can more effectively target efforts to reduce sediment loading to streams and lakes.

The remainder of this introduction will preview the datasets and methods employed in this research and layout the organization of the thesis.

#### 1.2 Digital Elevation Models and Flow-direction

A DEM is a raster (grid) dataset of elevation values sampled at regularly spaced intervals (resolution). They can be produced in a number of ways, but most published products have been generated through interpolation from topographic sheet contours, remote sensing from airplanes or satellites, or stereoscopic interpretation of aerial photographs. For this thesis, I evaluated 10-meter resolution USGS DEMs, produced through contour interpolation, with 2.5-foot resolution LiDAR (Light Detection and Ranging) DEMs, produced through remote sensing. The USGS DEMs were interpolated from contours of USGS topographic maps at a scale of 1:24,000. The LiDAR DEMs were interpolated from points captured by an airplane-mounted sensor at an altitude of 7,300 feet above ground level.

The USGS is the leading source for DEMs in the U.S. The freely accessible National Elevation Dataset (NED) includes 30-meter resolution DEMs for the contiguous U.S., 10-meter DEMs for the majority of the nation, and finer resolutions in select locations. Not all of the DEMs in the NED were produced by the USGS. The NED is described as "the best available raster elevation data for the coterminous United States," (USGS 2006). If DEMs meeting National Map Accuracy Standards and of resolutions finer than those produced by the USGS exist, they may be included in the NED. This situation applied to the study site of this thesis. Ohio's 2.5-foot resolution LiDAR DEMs

are accessible through the NED, even though they were generated for the state by a private contractor.

The organization of DEMs as neighborhoods of elevation values allows for the calculation of numerous derivative datasets, including slope, aspect, line of sight, and surface water flow-direction. This last derivative is the horizontal direction of surface water flow out of a particular area. In the case of flow-direction derived from a DEM, it is calculated for each grid cell in the original DEM, and can be determined through multiple methods. Some approaches represent flow-direction as an angle and disperse it in multiple directions (Quinn et al. 1991, Freeman 1991, Tarboton 1997). Other approaches are more restrictive and represent it as a single value assigned to one of eight compass directions (O'Callaghan and Mark 1984, Greenlee 1987, Jenson and Domingue 1988). Nearly all the methods are driven by calculating slope angles between a particular cell and its surrounding neighbors. For this research, I employed a single-direction method limited by the eight compass directions. I will discuss this selection in greater detail in Chapter 5.

#### **1.3 Flow-direction Error**

I developed a novel method to calculate the difference in flow-direction between 10-meter USGS DEMs and 2.5-foot LiDAR DEMs. This method compared a flowdirection value of a USGS DEM cell to an aggregated value from LiDAR DEM cells contained within the coarser USGS cell. I coded the comparison into a weighted error score based on the extent of agreement (or disagreement) between the two values. I then determined an error score for the majority of USGS DEM cells in eighty 7.5-minute quadrangles in Ohio (roughly 1 million cells per quadrangle).

I then calculated the mean flow-direction error for each quadrangle, and used this statistic as the dependent variable in a multiple linear regression model. I sought to explain how flow-direction error varied in relation to changes in total relief, agricultural concentration, and contour topology error.

The next chapter will discuss previous efforts to evaluate DEMs and their derivatives, and establish this thesis as a new and unique contribution to that effort. Chapter 3 will describe how I gathered and processed the independent variables of the proposed multiple linear regression model. Chapter 4 will describe the pre-processing steps of the USGS 10-meter and LiDAR DEMs, including a new approach for stream extraction from high-resolution digital elevation data, and the calculation of flowdirection error. Chapter 5 will describe statistical measures of how flow-direction error varied across different landscapes, provide an evaluation of the proposed and alternative regression models, and present an analysis of the results. Chapter 6 will summarize the findings, discuss their significance, and describe additional research needed to extend this effort.

## Chapter 2 Background and Hypotheses

#### 2.1 Background

Due to the numerous applications that DEMs support, their ubiquity, and the fact that they are freely accessible, DEM error has been a well studied topic within geographic information science. Wilson and Gallant (2000) and Fisher and Tate (2006) provide thorough overviews of existing research on this topic. The USGS classifies error in its DEMs as either blunders (major elevation discrepancies), systematic (errors that follow a fixed pattern and are predictable), and random (beyond the control of the observer). It acknowledges that the errors cannot be completely resolved (USGS 1998). In addition to these errors, numerous studies have shown error in DEMs and their derivatives to be spatially autocorrelated (Goodchild et al. 1992, Fisher 1993, Heuvelink 1998, Oksanen and Sarjakoski 2005). To inform users of the uncertainty in the data, the USGS publishes each DEM with estimates of its root-mean-square error (RMSE), a measure of vertical accuracy. RMSE is calculated by comparing a minimum of 28 ground-truth elevations to those of the DEM. USGS standards for most DEMs hold RMSE to no more than one-half of a contour interval (USGS 1998). Most of the contour datasets used to produce USGS DEMs have intervals of 5 or 10 feet, implying maximum RMSE values of 2.5 or five feet. Fisher (1998) argued that in addition to RMSE, DEMs should be published with measures of spatial autocorrelation to allow users to appropriately visualize and simulate the error and its propagation into derivative products.

Knowing the RMSE for a DEM is useful to researchers concerned with absolute elevation accuracy, such as Carson et al. (1997) and Shortridge (2006), to name a few. However, absolute elevation accuracy is not necessarily informative to users studying DEM derivative products such as slope, curvature, catchment basins, aspect, and flowdirection. Even DEMs with low RMSEs can yield significantly variable derivatives (Garbrecht and Starks 1995, Wise 1998, Holmes et al. 2000, Endreny and Wood 2001, Barber and Shortridge 2005). Elevations for DEMs of particularly flat regions of Ohio can have value ranges less than 50 feet over areas as large as 64 square miles. These estimated elevations may be well within the RMSE standards; but derivative products dependent upon an elevation's relationship to neighboring values, such as slope, can be greatly affected by even subtle changes in elevation.

Martinoni and Bernhard (1998) argued that the accuracy of DEM derivatives warrant greater attention. Ziadat (2007) studied the impact of cell-size and contour interval on DEM-derived slope, in addition to absolute elevation values. Venteris and Slater (2005) evaluated multiple DEM derivatives in terms of their ability to predict soil carbon. Wu et al. (2005, 2007) evaluated the effects of DEM resolution on the estimation of soil erosion. Riggs and Dean (2007) explored errors in DEM-derived view-sheds. Desmet (1997) evaluated differences in slope and aspect across different interpolation methods, through mean and standard deviation comparisons, on small, arable fields in Belgium. Chang and Tsai (1991) studied slope and aspect differences between different DEM resolutions in a more spatially explicit manner, on a 1 square kilometer region of Taiwan's eastern coast.

Other studies have looked at DEM predictions of hydrology. Endreny and Wood (2001) studied differences between flow-direction methods in terms of predicted flowpaths on three 64 hectare study sites in western Oklahoma. They compared simulated flow-path networks to control networks and recorded the percent of overlap. Walker and Willgoose (1999) demonstrated the inaccuracies in derivatives of published DEMs through quantitative comparisons of up-stream flow-accumulation networks, slope-area relationship, and normalized width function within a 1.4 square kilometer surveyed reference dataset in southwest Australia. Wise (2000) similarly evaluated DEMs through catchment basins and up-stream flow accumulation, though he focused on a small catchment in southwest England. Kienzle (2004) explored actual directional changes in flow measured in degrees on four study sites (roughly 6 square miles each) in Canada. Wise (2007), Wilson et al. (2007), Barber and Shortridge (2005), and Thompson et al. (2001) studied DEM-derived surface flow through comparisons to derived catchment boundaries. Clarke and Lee (2007) evaluated DEM estimates of surface flow through a comparison to known stream features in the National Hydrography Dataset (NHD).

While these analyses have demonstrated the propagation of DEM error into hydrological derivatives, gaps remain in fully documenting this issue. The previous research has either focused on relatively small and, in some cases, homogenous study sites, or employed coarse metrics. To better describe error in these derivatives and identify landscape characteristics that potentially cause it, an analysis on a large and diverse study area is needed. Such an effort would generate findings that could be better generalized to other locations than the findings of previous research. Furthermore, while evaluating simulated catchment boundaries is an accepted method of measuring error in DEM, it does not capture field-level variation in DEM-derived surface water flowdirection. To understand how errors in DEM hydrological derivatives differ at the finest scales, evaluations must be made on a cell-by-cell basis. Though Clark and Lee (2007) approach this specificity in their comparison of DEM-derived flow to NHD features, their approach would not allow for a direct comparison where stream features do not exist, such as the middle of a farm field.

For this thesis, I sought to quantify and predict error in flow-direction rasters derived from USGS 10-meter DEMs (RMSE 12.45 feet - Ohio Office of Information Technology 2005) by comparing them to flow-direction rasters derived from finer, more vertically and horizontally accurate LiDAR rasters (RMSE 0.5 feet -Woolpert Inc. 2008). The approach of evaluating less precise spatial data with more precise data has been utilized before (Chang and Tsai, 1991; Fisher, 1998; Kyriakidis et al., 1999; Walker and Willgoose, 1999; Holmes et al., 2000; Kienzle, 2004) and is endorsed by the USGS (Digital Cartographic Data Standards Task Force, 1988). Numerous studies have explored performance differences between DEMs of different resolutions and found finer resolutions superior, depending on the application (Chang and Tsai, 1991; Wolock and McCabe, 2000; Wu et al., 2005; Mouton, 2005; Wu et al., 2007; Deng et al., 2007; Aziz and Steward, 2007; Riggs and Dean, 2007). My study site comprised 80 USGS 7.5minute quadrangles (over 5,000 square miles) of varying topography and land cover in Ohio. By focusing at such a fine scale over such a large and diverse study area, I sought to evaluate DEM error in a novel and insightful manner.

#### 2.2 Hypotheses

I expected areas with low relief, high concentrations of agriculture, and represented by DEMs produced from contours that contained large numbers of topological errors (intersections) to produce higher values of flow-direction error. More formally:

Equation:  $FDE = a + \beta_{PA}PA + \beta_{TR}TR + \beta_{CI}CI$ Where: FDE = flow-direction error PA = % agriculture TR = total relief CI = contour intersectionsHypotheses:  $Ho: \beta_{PA} = 0$  Ha:  $\beta_{PA} > 0$   $Ho: \beta_{TR} = 0$  Ha:  $\beta_{TR} < 0$  $Ho: \beta_{CI} = 0$  Ha:  $\beta_{CI} > 0$ 

Figure 2-1: Proposed multiple linear regression model of flow-direction error.

As established earlier, derivatives from relatively flat DEMs are highly sensitive to propagated error. Digital contour datasets are a common source for creating DEMs (Florinsky, 1998), including all of the Ohio 10-meter DEMs employed in this research (Ohio Office of Information Technology 2005). Flat areas tend to have fewer and sparser contours as input to the interpolation algorithms that produce DEMs. The wider the geographic space between contours, the greater the uncertainty in the characterization of surface water flow over that space. The interpolation process is known to introduce errors into the resulting DEMs, sometimes significantly (Faintich 1996, Carson and Reutebuch, 1997, Carrara et al. 1997, Meyer 2004).

The presence of agricultural drainage ditches can add to this error. These features tend to concentrate a flat area's relatively few contours around them and create topological errors (intersections, specifically) in the contours, confusing the DEM interpolation algorithm. These errors are propagated into the DEMs and their derivative products. Theoretically, contours should never cross; but when digital contours are derived from scanning paper or mylar maps, such as USGS 7.5-minute digital line graph (DLG) hypsography, artifacts in the source map or scanning resolution can cause dense contours to merge together and create a topological violation (Greenlee, 1987). Additionally, cartographers may force contours to merge to indicate steep features such as cliffs, identified as carrying contours in the DLG attributes. The USGS standards for DLGs require that intersecting contours be identified through node topology (described in greater detail in Chapter 3) (USGS, 1999). When these topologically errant contours are interpolated to yield a DEM, the elevation values around an area of intersection can be inaccurately estimated. For example, if a 700 and 710 foot contour intersect, the DEM interpolation algorithm would have difficulty accurately resolving the true surface at that location. The 700 foot contour would, in essence, be exposed to the area that cartographically represents the 710 to 720 foot elevation range, and would subsequently draw down surrounding values in the resulting DEM. In most cases, the resulting error in terms of absolute elevation values in this area would be small, as the error would be

mitigated by the neighboring cells that factored into the interpolation. Nevertheless, some DEM derivative products, such as surface water flow-direction, are more sensitive to this error, as discussed earlier.

Given the effect that low relief, agricultural ditches, and contour intersections can have on error in interpolated DEMs, I expected that their impacts would be more substantial on the particularly error-sensitive flow-direction derivative. This expectation drove the design my hypothesis.

The next chapter provides a detailed description of how the 80 quadrangles were sampled and processed to extract the dependent variables for the proposed regression model in Figure 2-1.

## Chapter 3 Methods – The Sample and Independent Variables

The general steps I took to analyze flow-direction error in this research were as

follows:

- 1. Select a sample of USGS 7.5-minute quadrangles, stratified by total relief and agricultural concentration.
- 2. Gather USGS 10-meter DEMs, 2.5-foot LiDAR DEMs, DLG hypsography, and DLG hydrography for each quadrangle.
- 3. Process the 10-meter and LiDAR DEMs by enforcing hydrography presence, filling spurious sinks, and calculating flow-direction rasters for each quadrangle.
- 4. Calculate the extent of contour intersection for DLG hypsography in each quadrangle.
- 5. Quantify mean flow-direction error for each quadrangle through cell-by-cell comparison of 10-meter and LiDAR flow-direction rasters.
- 6. Generate a multiple linear regression model predicting flow-direction error in terms of total relief, agricultural concentration, and contour intersection.

I calculated flow-direction error as a single mean value for each quadrangle in a sample of 80 USGS 7.5-minute (1:24,000) quadrangles. I will detail this calculation in the next chapter, but for now I establish it as a single numeric value that will serve as the dependent variable in a multiple linear regression model. This chapter focuses on the sampling and pre-processing of the proposed regression model's independent variables: percentage agriculture, relief, and contour intersections (steps 1, 2, and 4, of the process described above).

#### 3.1 The Sample – Stratified by Agricultural Concentration and Relief

This research focused exclusively on the state of Ohio. The state was an ideal study location because it contained the variability in land cover and topography through which I attempted to explain flow-direction error. Additionally, the Ohio Geographically Referenced Information Program (OGRIP - http://ogrip.oit.ohio.gov/Home.aspx) provided nearly all of the data needed to conduct the analysis for free. The OGRIP website offered USGS 10-meter DEMs, LiDAR point elevations, interpolated LiDAR DEMs, USGS 7.5-minute DLG hypsography (contours) and DLG hydrography (streams).

The USGS 7.5-minute quadrangle served as the study's sample unit, as this is the spatial scale and extent at which USGS DEMs are typically generated, including all of the Ohio 10-meter DEMs provided through the NED. Ohio is covered by 793 quadrangles. Due to the intensive pre-processing needed to calculate flow-direction error (detailed in Chapter 4), I selected a sub-sample of 80 quadrangles. To avoid oversampling the proposed regression model's independent variables, I stratified the samples by their respective total relief and percentages of row-crop agriculture. I calculated these attributes for each quadrangle with the Analytical Tools Interface for Landscape Assessment (ATtILA) tool from EPA (US EPA, 2007), an extension for ESRI's ArcView 3.3.

I provided ATtILA with the quadrangle boundaries for Ohio, a 10-meter DEM for the entire state (described in greater detail in Chapter 4), and a state-wide land cover raster. I downloaded the 2001 National Land Cover Database (NLCD) from the website of the Multi-Resolution Land Characteristics Consortium

(http://www.mrlc.gov/nlcd.php). The NLCD was derived from 30-meter resolution Landsat data and reported an overall accuracy of 84% (Homer et al., 2007). I obtained a copy of the dataset that covered the entire Midwest region and clipped it by Ohio's state boundary. With these state-wide inputs of elevation and land cover, ATtILA was able to output the elevation range and the percentage of various land cover classes in each quadrangle, including row-crop agriculture (2001 NLCD class 82) (Figures 3-1 and 3-2). I then utilized these quadrangle attributes as independent variables in the proposed regression model (Figure 2-1).

Next, in order to avoid potential issues in deriving accurate hydrology from sampled DEMs, I removed quadrangles that contained large amounts of open water (e.g., quadrangles on the Lake Erie border), quadrangles where more than 10% of the area was classified as urban (because it is difficult to predict surface water flow in downtown Cleveland), quadrangles that straddled the state border (because the LiDAR tiles would not cover the entire areas of these quadrangles), and quadrangles that straddled the boundary of the Ohio State Plane Northern and Southern coordinate systems. OGRIP distributes the LiDAR DEMs in appropriate State Plane projections. It proved to be programmatically difficult to analyze a quadrangle that contained LiDAR data in two different projections. Since LiDAR rasters served as the more accurate reference dataset, it was important to not introduce additional error into them; therefore, I avoided reprojecting between State Plane zones. This filtering process reduced the quadrangle

population from 793 to 538. I then divided the 538 quadrangles into the following four bins: high percentage agriculture and high relief (HAHR), high percentage agriculture and low relief (HALR), low percentage agriculture and high relief (LAHR), low percentage agriculture and low relief (LALR). The breakpoints for these bins corresponded to the median values for each class, classifying half of the quadrangles as high agricultural concentration and half as low; they were similarly classified by relief. I then randomly selected 20 quadrangles from each of these bins in order to yield the final sample of 80 quadrangles (Table 3-1 and Figure 3-3).



Figure 3-1: Ohio 7.5-minute quadrangles by agricultural concentration.



Figure 3-2: Ohio 7.5-minute quadrangles by total relief.

Quadrangle Sampling		Relief		
		High ( > 327 feet )	Low ( < 327 feet )	TOTAIS
% Agriculture	High ( > 67.8% )	20 out of 37	20 out of 232	40 out of 269
	Low ( < 67.8% )	20 out of 232	20 out of 37	40 out of 269
Totals		40 out of 269	40 out of 269	80 out of 538

Table 3-1: Breakdown of quadrangles sampled by relief and % agriculture.



Figure 3-3: Sample 7.5-minute quadrangles.

As shown in Figure 3-3, the sampled quadrangles tended to cluster along Ohio's SW-NE axis. This trend was a byproduct of the sample stratification. Northwest Ohio is dominated by agriculture and low relief, so the 20 quadrangles that constituted this subsample had a large geographic area from which they could have been selected. The situation was similar for the high relief and low percentage agriculture sub-sample of southeast Ohio. These two situations naturally clustered the remaining half of the sample along the southwest-northeast axis.
## 3.2 Contour Topology Error

As established in Chapter 2, contour intersections are suspected of contributing to flow-direction error. Figures 3-4 through 3-10 illustrate the impact that these errors of topology can have on flow-direction. Figure 3-4 identifies topological errors in a small section of a USGS hypsography DLG (Alma, MI). Those errors were corrected in Figure 3-5. Figure 3-6 shows a DEM interpolated from the errant contours of Figure 3-4; note the large depression created at location 4 of Figure 3-4 and its impact on flow concentration in Figure 3-8. Figure 3-7 shows a DEM interpolated from the corrected contours; note the difference in flow concentration in Figure 3-9. Figure 3-10 maps the difference in flow-directions between the two DEMs (see section 4.5 for details). The blue areas indicate agreement, while the red areas indicate dramatic disagreement (180 degrees) and are found in the areas where contour intersections were identified in Figure 3-4.



Figure 3-4: Sample contours from a 7.5-minute quadrangle. Note the topological errors - dangles at 1 and intersections at 2-5.



Figure 3-5: Corrected contours. Though it is difficult to tell, the intersecting contours have been manually separated through digitizing.



Figure 3-6: DEM derived from topologically incorrect contours.



Figure 3-7: DEM derived from corrected contours.



Figure 3-8: Surface flow concentrations (flow-accumulation) derived from topologically incorrect contours.



Figure 3-9: Surface flow concentrations derived from corrected contours.



Figure 3-10: Flow-direction error calculated for the topologically incorrect DEM, with the corrected DEM as the reference. Error was greatest around the intersection points. (See Figure 4-35 for legend reference)

I developed a Python script to determine the number of contour intersections in DLG hypsography (the source for the 10-meter DEMs) in each sample quadrangle. The script converted hypsography DLGs to ArcInfo coverages. This conversion allowed for the building of line and node topology for each new coverage. The topology included *FromNode* and *ToNode* attributes for each contour feature, which constituted a logic within the contours by which intersections could be identified. If multiple features shared the same *FromNode* or *ToNode*, this indicated the presence of an intersection (Figure 3-11). The Python script employed this logic, iterating through the contours within each sample quadrangle, identifying the intersections, and recording an intersection count for each quadrangle. A quadrangle with high relief, and therefore many contours, could potentially have more intersections than a flat quadrangle with comparatively fewer contours. However, the impact of the intersections on flow-directions would likely be more dramatic in the flatter quadrangle since there are fewer "correct" contours to mitigate the error (location 4 in Figure 3-4). In the high relief quadrangle, the intersections would likely occur in an area dense with "correct" contours that would confine any of the errors introduced into flow-direction to a small area. To properly associate contour intersections with potential flow-direction error, the script calculated the number of intersections per contour in each quadrangle.



Figure 3-11: Contours 50, 51, and 52 all have Node 100 as their ToNode, indicating an intersection at that node.

In the next chapter, I will describe the steps I took to process the USGS and LiDAR DEMs, and detail how I calculated flow-direction error.

# Chapter 4 Methods – Calculating the Dependent Variable: Flow-direction error

The previous chapter covered how I selected the study's 80 sample quadrangles, and calculated the dependent variables of the proposed regression model. In this chapter I discuss how I calculated flow-direction error. I first describe the software and hardware used in that calculation. I then describe the data sources of the calculation's inputs, the pre-processing of those inputs, and the specific steps for calculating flow-direction error.

The process I implemented for this thesis, outside of its design and programming, required a substantial quantity of person-hours and computer-hours. It took one month to complete the analysis for the selected sample (80 7.5-minute quadrangles), with six machines processing data the entire time. The basic steps were as follows: 1, pre-process the 10-meter DEMs; 2, pre-process the LiDAR DEMs; 3, calculate the flow-direction error in the 10-meter DEMs; 4, conduct the statistical analysis.

# 4.1 Software and Hardware

I performed the data processing almost entirely within ArcGIS 9.3 and the Python programming language. ArcGIS handled all of the data pre-processing including clipping, re-projecting, and map algebra functions. It also performed much of the hydrologic processing of DEMs, including the filling of spurious sinks and calculating surface water flow-directions. Python is a flexible and open-source scripting language that interfaces with ArcGIS's geo-processor. This integration allowed me to automate much of the ArcGIS pre-processing functions through Python scripts. I employed Python outside of ArcGIS to perform some of the pre-processing and all of the data postprocessing. Its list data structure is well-suited for analyzing raster datasets, such as LIDAR DEMs, as ASCII text files. It is also easy to create text files with Python in order to export analysis results and convert them back to rasters for further analysis in ArcGIS. Python's flexibility enables it to easily incorporate 3<sup>rd</sup> party tools, such as the Geospatial Data Abstraction Library (GDAL - http://www.gdal.org/), an open source project for raster analysis. Utilizing the list data structure and GDAL raster analysis tools, I developed custom Python scripts to identify stream locations, carve through artificial barriers in LiDAR DEMs, and calculate flow-direction error. I have included all of the Python scripts used in this research in Appendix B.

The automated data pre-processing and post-processing was conducted on multiple machines. Four desktop PCs of varying capabilities (from Pentium 4 with 1GB of RAM to Dual Core with 3GB) running Windows XP handled the pre-processing. On average, each of the 80 sample quadrangles took about 12 hours to pre-process. This entailed re-projecting inputs and clipping the state-wide 10-meter DEM by quadrangle boundaries. It also entailed burning stream locations into, filling, and calculating flow-direction for the 10-meter DEMs. The LiDAR pre-processing took up the significant majority of the processing time. The stream identification and carving of LiDAR DEMs took probably 95 – 99% of the total pre-processing time for each quadrangle. Three additional machines handled the post-processing (calculation of flow-direction error). Since I scripted the post-processing step entirely in Python (outside of ArcGIS) it could be performed on Linux machines. Two older PCs (a Pentium III and a Celeron, each

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with 512 MB of RAM) installed with Linux (Ubuntu Jaunty 9.03) calculated flowdirection error at an average rate of four hours per quadrangle. A Lenovo Thinkpad (Dual-core with 3GB of RAM) also aided in the post-processing, at a rate of 1 hour per quadrangle.

## 4.2 Data Acquisition

I generated 10-meter DEMs for each sample quadrangle by clipping a mosaicked state-wide DEM by the respective quadrangle boundaries. The state-wide DEM was obtained from OGRIP, and is the same data accessible through the NED. The statewide DEM was created by OGRIP in piecemeal by merging 20-30 1:24,000 7.5-minute DLG hypsography ESRI shapefiles into a larger contour GIS layer, using a finite difference interpolation technique through ESRI ArcInfo's TopoToRaster command to convert the contours to a DEM, and finally mosaicking the new DEMs into a state-wide dataset (Ohio Office of Information Technology 2005).

I downloaded LiDAR 2.5-foot DEMs from OGRIP's OSIP (Ohio Statewide Imagery Program) site in zipped county-wide files (over 400GB). Each zipped file contained multiple 5,000 x 5,000 foot DEM tiles covering the particular county's extent. The naming scheme for the tiles was based on a tile's lower-left X and Y coordinate in the Ohio State Plane coordinate system. For example, the DEM for tile *n2180445* had its lower left coordinate at 218000, 445000 (X,Y) of the Ohio State Plane North coordinate system. I utilized this naming scheme to identify the LiDAR tiles that intersected each sample quadrangle. These DEMs were derived from LiDAR point data (in LAS format – a standard format for LiDAR storage) gathered mainly during leaf-off conditions in spring 2006 by Woolpert Inc. for the State of Ohio (Woolpert, 2007).

I downloaded stream data, quadrangle boundaries, and hypsography from OGRIP in the form of 1:24,000 DLGs for each sample quadrangle. I then wrote custom Python scripts to convert these DLGs to ESRI shapefiles for use in the analysis.

#### 4.3 10-meter DEM Pre-processing

Pre-processing took place one sample quadrangle at a time. To generate a flowdirection raster from a 10-meter DEM for a selected quadrangle I followed steps typically taken in hydrological GIS analyses to ensure proper surface water drainage. Once the state-wide 10-meter DEM had been clipped by the boundary of a sampled quadrangle, I set the analysis mask for the subsequent 10-meter processing to the clipped DEM; this ensured that all 10-meter outputs aligned spatially. Next, I re-projected the DLG stream vector dataset from a UTM projection to the appropriate Ohio State Plane Projection (either Ohio North – International Feet, or Ohio South – International Feet, depending on the sampled quadrangle) and converted it to a binary raster (stream cell = 1, all others = 0). I then burned the resulting stream raster into the DEM by raising all non-stream cell elevations in the DEM by 10 feet (Figure 4-1). Stream-burning can improve a DEM's ability to characterize the flow-direction of surface water by emphasizing the locations of streams (Hutchinson, 1989; Saunders, 1999). Next, the ArcGIS Fill command removed potential spurious sinks in the DEM. Sinks can appear in DEM data as artifacts of the production method and confound algorithms designed to route surface-water flow over

the landscape (Hutchison, 1989; Tarboton et al., 1991). Finally, the ArcGIS Flowdirection command created a flow-direction raster for the 10-meter DEM. The Flowdirection tool determines the direction of surface-water flow for each cell by identifying the cell in a 3x3 neighborhood with the steepest descent from the center cell. The result is a numeric value for the center cell corresponding to the direction of this steepest neighbor (Figure 4-2). This method is a single-flow algorithm, it cannot partition flow among multiple directions. It is commonly referred to as D8 (8 possible directions) (O'Callaghan and Mark, 1984; Greenlee, 1987; Jenson and Domingue, 1988).



Figure 4-1: Burning streams into a DEM.

Elevations					-		Flow Directions					8
78	72	69	71	58	49							8
74	67	56	49	46	50	32 64 128						8
69	53	44	37	38	48						8	
64	58	55	22	31	24	8	128	128				8
68	61	47	21	16	19							
74	53	34	12	11	12							16

Figure 4-2: Deriving flow-direction with D8 (graphic source: ESRI ArcGIS 9.3 Help files)

While D8 has been shown to perform adequately in some studies (Skidmore 1989, Mouton 2007), it has been frequently maligned in literature as being too rigid and prone to introducing artifacts into the data, including long runs of parallel water flows (Wilson et al. 2007, Raaflaub and Collins 2006, Venteris and Slater 2005, Schmidt and Persson 2003, Burrough et al. 2000, Jones 1998, Mitasova et al. 1995). However, for this analysis it was the logical choice for several reasons. First, the calculation of upstream flow accumulations (i.e., the number of cells flowing into a particular cell) in the LiDAR DEMs was essential for the comparison to the 10-meter DEM, and required a singlevalue flow-direction raster as input. Second, and most importantly, the D8 algorithm is the only available flow-direction tool in the ArcGIS Toolbox. Since ESRI is the worldleader in GIS market share (Daratech Inc., 2009), D8 is, by default, the most common flow-direction algorithm implemented in desktop GIS installations today, including the one used for this research. This popularity of D8, though arguably undeserved, makes the results of this research more applicable and relevant to the majority of current GIS users.

#### 4.4 LiDAR DEM Processing

The pre-processing of LiDAR DEMs was the most time-consuming, in terms of person-hours and machine-hours, and complex piece of the research. The two primary challenges were developing a means to burn streams into the LiDAR DEMs and carving through artificial barriers that impede surface-water flow. Only after these issues were resolved could an adequate LiDAR flow-direction raster be generated and used to evaluate a 10-meter flow-direction raster.

The first step in pre-processing LiDAR DEMs for a sampled quadrangle was to identify which LiDAR tiles intersected the quadrangle. Within Python, I was able to use

the bounding Ohio State Plane coordinates of each 7.5-minute quadrangle and the coordinate-based nomenclature of the LiDAR tiles to determine which ones were contained within the quadrangle's extent. To avoid edge issues, I excluded tiles that overlapped the quadrangle boundaries. This choice sometimes led to a selection of 40 LiDAR tiles, but the majority of the time it selected 48 tiles (Figure 4-3).



Figure 4-3: LiDAR tiles selected within a 7.5 minute quadrangle for pre-processing.

Once the LiDAR tiles had been identified, Python scripts began the process of deriving flow-direction rasters for each tile. Generally, the procedure to accomplish this was the same as that for the 10-meter DEMs. The code burned streams into a DEM to enforce appropriate surface-water drainage, filled spurious sinks, and calculated flow-direction with the D8 algorithm. However, LiDAR's positional accuracy and means of acquisition made stream burning difficult. The LiDAR DEM's map scales ranged from 1:100 to 1:1,000, far superior to the 1:24,000 map scales for the DLG hydrography. Though both datasets were developed to adhere to National Map Accuracy Standards, the difference in dataset map scales meant that the positions of the LiDAR elevation values

were more accurate than the positions of the DLG stream features. The LiDAR positional accuracy varied little about the 7-foot postings of the source LAS points (Woolpert Inc., 2007), whereas the DLG hydrography's position could be in error by as much as 40 feet or more (USGS, 1999), making stream burning by incorporating vector features impractical. It would be possible, if not probable, that a burned stream feature could run through a farm field, and not in the drainage ditch represented in the DEM (Figure 4-4).



Figure 4-4: Left – aerial photograph. Right – LiDAR DEM and DLG stream feature in blue. DLG stream vector fails to align with LiDAR's drainage ditch due to differences in positional accuracy.

Figure 4-4 also illustrates how LiDAR DEMs can contain artificial barriers within streams. Notice how the drainage ditch is bisected in the middle of the figure. In this instance this feature indicates the presence of a culvert running under a driveway. This barrier is a byproduct of how LiDAR data is acquired. While the 10-meter DEMs were interpolated from contours, the LiDAR DEMs were interpolated from numerous tightly spaced points recorded by an airplane-mounted sensor. Each point represented a location where the sensor's beam struck the surface (or an object) and returned, allowing for a determination of elevation at that point. There is no way for the points and elevations under the driveway bridge to be evaluated, creating a virtual barrier within the stream. Any effort to define surface-water flow for Figure 4-4 would err and assume that flow halted at this barrier; or worse, the entire ditch might be identified as a sink and filled by the ArcGIS filling algorithm. To resolve these two issues, I developed a method for identifying stream cells using only the LiDAR elevation values. I also implemented a method for carving through artificial barriers, like the bridge over the ditch.

## 4.4.1 LiDAR Stream Identification

The extraction of surface features from DEMs has been studied extensively. In terms of using LiDAR to identify stream features, five previous efforts stand out. MacMillan et al. (2003) described the capabilities and problems that can arise when trying to identify stream networks from high-resolution digital elevation data in Alberta, Canada. The authors used an approach similar to the one I implemented here; however, their design was more complex, appeared to have failed to resolve the in-stream barriers posed by bridges and overpasses, and focused on a single location. Leckie et al. (2005) used spectral reflectance, not elevation, of water and substrate material to identify stream features in Vancouver, British Columbia. Though they were able to achieve high accuracy rates in certain environments, spectral reflectance LiDAR data is less accessible than elevation data, making their method harder to implement elsewhere. Mason et al. (2006) developed an identification method based on edge-detection, similar to my approach. However, they focused on delta regions in Italy and Germany, whereas I implemented stream identification on areas of varying topography and land cover. Vogt

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et al. (2003) attempted to identify ideal upslope accumulation thresholds for stream identification in different landscapes, but concluded that flat areas still required manual stream digitizing. The automated approach I developed performed best in flat areas. James et al. (2007) looked at contour crenulations as a means for locating streams and areas of concentrated surface flow. Despite their success, their method required that contour lines be adequately crenulated (i.e., the study-area was not flat), which would pose problems for flat agricultural areas dominated by ditch drainage, which characterizes most of northwest Ohio. Contours for this area are sparse and relatively uncrenulated. The stream identification method that I developed is tailored for such an environment.

A popular approach for deriving stream networks from DEMs is to identify a threshold for upland contributing cells, and code any cell that exceeds that threshold as a stream cell. Due to the presence of artificial barriers (discussed in 4.4.2) in LiDAR DEMs, this approach would not have worked well for much this study's area. Surface water flow would be halted as these barrier locations, limiting appropriate flowaccumulation tabulations.

I developed two methods for identifying stream features. One method relied on analyzing cell-neighborhoods around a center cell, and the other focused on transects of cells. In designing the two methods, I considered what distinguished stream locations in terms of topography. As discussed previously, I could not use vector features for streams; all I had were elevation values in the LiDAR DEMs. The basic assumption with both methods was that stream cells should be opposed by higher elevations in one direction (e.g., north to south), and similar elevations in the perpendicular direction (e.g.,

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east to west). The higher elevations should represent the stream banks, while the similar elevations should represent the stream itself. I developed each method as a Python script.

The first method, called the Neighborhood Method, performed a neighborhood analysis on each cell in the DEM. The script iterated through each cell and analyzed a square 121-cell neighborhood (11 by 11) around the selected cell (call it center). It identified the maximum elevation value (call the cell with that value max) within that neighborhood and calculated the difference between that value and the elevation value of the selected cell (call that difference max minus center). If max minus center was greater than a user-specified minimum difference in elevation from a stream bank to the stream (call this value min elev diff; I typically employed values of 1 and 3 feet) the script then checked the value of the opposing cell (call it opposite max) to see if the difference between its value and *center*'s also exceeded *min elev diff*. If both of these conditions were met, then the script deemed it possible that the center cell was a stream cell opposed by two stream banks. It then looked at opposing cells (call them perpendicular\_1 and perpendicular 2) in the direction perpendicular to the direction of max and opposite max to see if their elevations were below min elev diff. If they were, then the script deemed *center* and its entire neighborhood as stream cells. See Figure 4-5 for a conceptual visual. Essentially, if a cell had two relatively tall points opposing it, these may have been stream banks. If the same cell had relatively flat slopes in the direction perpendicular to the tall points, then these may have been stream cells. This approach captured the basic topographic relationship I considered in defining stream locations. More formally:

IF (max - center) > min\_elev\_diff
AND (opposite\_max - center) > min\_elev\_diff
AND (perpendicular\_l - center) < min\_elev\_diff
AND (perpendicular\_2 - center) < min\_elev\_diff
THEN neighborhood = stream cell</pre>



Figure 4-5: Cell positions evaluated by the Neighborhood Method. C = center, M = max, O = opposite max, R1 = perpendicular 1, R2 = perpendicular 2.

The second method for stream identification was called the Transect Method. Like the Neighborhood Method, it also performed a neighborhood analysis on each cell; but it was a much simpler technique, based on transects. The script began by moving through the DEM in a north-south direction looking for decreases in elevation. At each cell (call it *starter\_cell*) the script checked *starter\_cell*'s southern neighbor (call it *south\_cell*) to see if its elevation value (call it *south\_elev*) was less than that of *starter\_cell*'s (call it *start\_elev*). If it was, the script then evaluated a 10-cell transect south of *starter\_cell*. The script then identified the minimum elevation value (call it *min\_elev*) and its cell location (call it *min\_cell*) in the transect. If the difference between *start\_elev* and *min\_elev* was greater than a user-specified elevation difference (same as *min\_elev\_diff* in the Neighborhood Method, typically 1-3 feet) the script deemed the transect as potential stream cells. The script then continued to analyze the transect by looking for the maximum elevation value south of *min\_cell* (call the value *max\_elev\_south\_of\_min* and the cell *max\_cell\_south\_of\_min*). If the difference between *max\_elev\_south\_of\_min* and *min\_elev* was also greater than *min\_elev\_diff*, then the cells from *starter\_cell* to *max\_cell\_south\_of\_min* were classified as stream cells. Figure 4-6 provides a visual conceptualization of the Transect Method. Similar to the Neighborhood Method, if a cell was opposed by two higher cells, then it was possible that these cells were part of the stream network. More formally:

IF start\_elev > south\_elev THEN IF (start\_elev - min\_elev) > min\_elev\_diff AND (max\_elev\_south\_of\_min - min\_elev) > min\_elev\_diff THEN

start\_cell TO max\_cell\_south\_of\_min = stream cell



Figure 4-6: Transect analysis cells (in black); S = starter\_cell, O = south\_cell, M = min\_cell, X = max\_cell\_south\_of\_min.

The Transect Method repeated this approach in three other directions: east to

west (west\_cell instead of south\_cell), northwest to southeast, and southwest to northeast.

I evaluated the Neighborhood and Transect methods on ten LiDAR tiles of

varying relief, drainage, and land-cover (Table 4-1 and Figure 4-7).

Site #	USGS 7.5 Minute Quadrangle	Change in Elevation (ft.)	Drainage	Land Cover		
1	Warsaw	310	Natural	Forest		
2	Cleveland South	132	Natural, urban	Urban		
3	Columbus SE, NE	56	Natural, urban	Urban		
4	Arlington	30	Natural	Agriculture		
5	McClure	15	Ditch	Agriculture		
6	Knoxville	485	Natural	Forest, residential		
7	Huntsville	57	Ditch	Agriculture, forest		
8	Genoa	24	Ditch, natural	Agriculture		
9	Latty, Oakwood	30	Natural, ditch	Agriculture, forest		
10	Stonecreek	320	Natural	Forest, agriculture		

Table 4-1: Quadrangles where the LiDAR stream identification methods were tested.



Figure 4-7: Quadrangles where the LiDAR stream identification methods were tested. Numbers refer to Site # in Table 4-1.



Figure 4-8: Site 1. Left – aerial; Left Center – LiDAR DEM; Right Center – streams identified by the Neighborhood Method; Right – by the Transect Method.



Figure 4-9: Site 2, same descriptions as Figure 4-8.



Figure 4-10: Site 3, same descriptions as Figure 4-8.



Figure 4-11: Site 4, same descriptions as Figure 4-8.



Figure 4-12: Site 5, same descriptions as Figure 4-8.



Figure 4-13: Site 6, same descriptions as Figure 4-8.



Figure 4-14: Site 7, same descriptions as Figure 4-8.



Figure 4-15: Site 8, same descriptions as Figure 4-8.



Figure 4-16: Site 9, same descriptions as Figure 4-8.



Figure 4-17: Site 10, same descriptions as Figure 4-8.

The evaluation of the ten sites indicated that the Neighborhood and Transect stream identification methods' performance varied over different landscapes. The Neighborhood Method performed adequately in the flatter, ditch-dominated study sites like 4, 5, 8, and 9. The Transect Method's best performance was in sites 5, 8, and 10. Neither method performed very well at sites 2, 3, 6, or 7. The main problem for the methods at sites 2 and 3 was the topographic complexity of an urban landscape. Site 2 was in the heart of Cleveland, and its streets and buildings posed too complex a surface for the Neighborhood and Transect methods to resolve. Site 3 captured the campus of Ohio State University, which also was too complex a surface for the methods to adequately identify stream locations. This difficulty in urban environments is the reason that study's sample of 80 quadrangles were filtered to avoid quadrangles that had even marginal percentages of urban land cover (> 10%). Neither method could process the width of the main rivers, such as the Olentangy in site 3 and the Ohio in site 6. Both methods expected the stream network not to exceed 10 cells (25 feet), which grossly underestimated the widths of the Olentangy and Ohio rivers, 261 and 1,100 feet respectively. The problem for the methods at site 7 was that they picked up too many non-stream cells. These errors were due to the forested landscape, which has been shown to pose problems in the analysis of LiDAR and other remotely sensed elevation products (Barber and Shortridge, 2005; Shortridge, 2006). Despite the fact that the LiDAR data was pre-processed by OGRIP to generate a bare-earth condition, artifact tree canopies remained in many LiDAR tiles and distorted the stream-to-bank relationship or hid a stream altogether. The adjacency of an errant elevation value of a tree canopy next to a

bare earth value created the illusion of a steep feature and, in the eyes of the two methods, a potential stream bank.

In comparison to each other, the Neighborhood Method performed better in areas where the drainage network was more sinuous (Figures 4-11 and 4-16), while the Transect Method better handled straight agricultural drainage ditches (Figures 4-12 and 4-15). The Transect Method's poorer performance on sinuous streams was due to its focus on the basic cardinal (N-S-E-W) and intermediate (NW-SW-SE-NE) directions. The directions of transects along a sinuous stream would include much more than the eight considered by the Transect Method; therefore it missed many transects along such streams and failed to identify them as part of the stream network. This limitation could potentially be resolved by incorporating all possible transect directions into the method, but this might render it computationally inefficient. However, the Transect Method's focus on those eight basic directions made it well-suited for identifying straight agricultural ditches. While the Neighborhood Method also did well in identifying these locations, the Transect Method outputs were cleaner and generated more quickly. The Neighborhood Method output tended to yield diamond-shaped stream neighborhoods, which in some instances gave the stream network messy and irregular boundaries. The boundaries of ditches identified by the Transect Method tended to be smooth and consistent, since its East-West analysis of a North-South trending ditch would essentially yield horizontal transects stacked neatly on top of each other (Figure 4-18). The processing of the Transect Method was also faster (1 min. 29 sec.) than the Neighborhood Method for site 5 (5 min. 42 sec.).

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Figure 4-18: Left - rough edges of Neighborhood Method stream cells. Right - smoother edges of Transect Method.

#### 4.4.2 Carving Through Artificial Barriers

A useful method to resolve artificial barriers in DEMs is to carve through them (Soille et al. 2003, Soille 2004a, Soille, 2004b). In this process, the elevations of the barrier cells are essentially reclassified in order to route the flow through them. However, in order to ensure that this step is only applied within stream cells, the stream network must first be identified. Soille's method looked at all sinks in a DEM: I was only interested in removing barriers within streams. I developed a process, which I refer to as the Carving Method, that searched within the stream cells identified by one of the previous methods (Neighborhood or Transect), and looked for sinks (cells in which each of the 8 adjacent neighbors have higher elevations - as would be the case at the base of the artificial barrier in Figure 4-4). The method then searched an expanding square neighborhood, within a user-specified maximum neighborhood size (100 cells as a default) for an elevation value smaller than that of the sink cell in question. If it found such a cell (presumably on the other side of the barrier), a path was charted from the sink to the lower cell along which the elevation of each cell was incrementally lowered to create a slope for water to flow along, essentially removing the barrier (Figure 4-19).

k st di st dı fo ¢ŗ ba ١ Uŋ ano figh The method could be iterated over a user-specified number, as each carving could yield new sinks.



Figure 4-19: Left - the barrier in the DEM. Center – sinks in stream identified (in black), lower elevation found (in yellow), path charted (in blue). Right – carved DEM with elevation values incrementally lowered along path.

The implementation of the Carving Method yielded desired results in some locations, but introduced errors in others. The method was implemented in all ten of the stream identification study locations, but was most applicable in the agricultural drainage ditch-dominated sites (5, 7, and 8). The method required a prior identification of the stream network, rendering it essentially useless for the urban sites. The sites with natural drainage did not have many, if any, in-stream barriers. The method worked as designed for the site 5 location shown in Figure 4-19. Figure 4-20 illustrates how the method created clear and uninhibited paths within drainage ditches by removing even small barriers. The left side of Figure 4-21 shows how the Carving Method successfully routed water flow under a road (N-S direction); but it also shows how the method introduced undesired carvings. It is not likely that a NW-SE ditch flows under the road intersection, and aerial photography did not indicate the presence of a culvert running N-S along the right-edge of Figure 4-21 (in green).



Figure 4-20: Carving freed up flow within stream features. Left - drainage ditch in pre-carved DEM. Right - carved drainage ditch.



Figure 4-21: Carving resolved some barriers (created north-south connection) but also introduced potential errors (NW-SE connection, N-S connection at right).

The Carving Method was sensitive to even slight differences in elevation. When it encountered an artificial barrier in the stream, its primary goal was to find a neighbor with an elevation lower than that sink. As its search neighborhood expanded, it may have encountered cells with lower elevations that were not connected to the original sink, as illustrated by the right-side of Figure 4-21. A future, more "intelligent" Carving Method may be able to resolve this issue by considering the general direction of the stream in its neighborhood analysis. In the case of Figure 4-21, instead of searching in a neighborhood that incrementally expands in all directions, the expansion could occur in only the N-S direction, removing the possibility of the NW-SE carving that resulted in this analysis.

#### 4.4.3 Implementing Stream Identification and Carving in LiDAR Processing

For each of the 80 sample quadrangles, I had to determine which stream identification method (Neighborhood or Transect) should be employed and what values should be chosen for identification parameters (minimum elevation difference and neighborhood size). As the results of the previous analysis indicate, the choices regarding the stream identification method and its parameters should be based upon the land-cover, relief, and the shape of the drainage features of a particular quadrangle. Even though these attributes may substantially vary across the sample of LiDAR tiles within a quadrangle (40 or 48), since the quadrangle pre-processing scripts operated on one quadrangle at a time the choices made for the stream identification parameters applied to all of a quadrangle's tiles. For example, the choice of minimum elevation difference in the stream identification method applied to all tiles, even if the method would have performed better with a different value in some of the tiles.

For the majority of quadrangles, I chose to use the Neighborhood Method with a minimum elevation difference of 3 feet, and a neighborhood size of 10 cells (25 feet by 25 feet). These choices held up well during post-processing inspection, particularly in quadrangles with high relief and little to no agriculture (Figure 4-22). For quadrangles dominated by agriculture, I still utilized the Neighborhood Method with a neighborhood size of 10 cells, but chose a more aggressive minimum elevation difference of 1 foot. In some instances these choices worked well, but in the flattest areas it still failed to adequately identify the stream network. I re-processed these quadrangles with the Transect Method, but results were still unsatisfactory. I then adjusted the pre-processing

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> Figu Well

Figur areas scripts so that both stream identification methods were integrated and employed on these quadrangles, which yielded more appropriate results (Figure 4-23).



Figure 4-22: The Neighborhood Method with a minimum elevation difference of 3 feet performed well at identifying stream cells in the LiDAR DEM for areas of high relief and little to no agriculture.



Figure 4-23: A combination of the Neighborhood and Transect methods performed best in flatter areas dominated by agriculture.

The LiDAR pre-processing was not a simple batch script that ran on its own for weeks. Many quadrangles were evaluated through the trial-and-error method described in the preceding paragraph. With a few quadrangles, I ran the stream identification algorithm three times until an adequate stream network was identified. For example, the first run might have been with the Neighborhood Method and a minimum elevation difference of 3 feet, a second run with a Neighborhood-Transect combination and an elevation difference of 1 foot, and a final run with a Neighborhood-Transect combination and an elevation difference of 2 feet. In these and all other similar instances, I inspected the results visually to determine which run performed best and should be utilized in the analysis.

Once the stream locations had been identified, the Carving Method removed artificial barriers within those streams. For all 80 of the sample quadrangles, I used a maximum neighborhood size of 100 cells and 3 iterations of carving, since the method's performance did not significantly vary across the 10-site evaluation.

# 4.4.4 Stream-burning and Sink-filling LiDAR DEMs

The last steps of the LiDAR pre-processing were to burn the identified stream locations into the carved DEM in the same manner used with the 10-meter DEMs: fill all sinks and calculate flow-direction through D8. It should be noted that the LiDAR preprocessing steps described above introduced artifacts into the final LiDAR DEM. Specifically, the stream identification and carving methods typically did not yield a perfectly contiguous stream network. Some of the identified cells were fragmented, as seen in Figures 4-22 and 4-23. After the stream burning process these cells essentially became sinks that were subsequently filled in by the filling algorithm. The end results were flat table-like features in the final LiDAR DEM. In terms of the accuracy of elevation, this outcome was a clear error; however, it did not necessarily alter the general flow-direction of surface water over these cells, which was what I tried to measure in this research. The elevation values of the neighboring cells around those filled sinks usually remained unchanged after the fill process, meaning that a concentration of surface-water flow coming from the east still continued west along the flat cells towards the lower elevations west of those cells (Figure 4-24).



Figure 4-24: Left - the fill process created flat features in the LiDAR DEM. Right - Flow accumulation derived from the filled LIDAR DEM's flow-direction indicate that the flat features did not dramatically alter the flow-direction.

Once the LiDAR pre-processing steps described above had been completed for all of the LiDAR tiles for a sample quadrangle, the quadrangle was considered pre-processed and ready for the assessment of flow-direction error. See Appendix A for a model diagram of the quadrangle and LiDAR pre-processing.

## 4.5 Flow-direction Error

I calculated flow-direction error for each quadrangle by performing a cell-by-cell comparison of the 10-meter flow-direction raster to the LiDAR flow-direction rasters, assuming the LiDAR rasters as the reference condition. As with the pre-processing steps, I programmed the flow-direction error calculation as a Python script. The code iterated through each cell in the 10-meter flow-direction raster (around 1 million cells). The general approach was to compare the flow-direction value for each 10-meter cell to an aggregated flow-direction value for the neighborhood of LiDAR cells<sup>1</sup> that intersected the particular 10-meter cell (Figures 4-25 and 4-26). But how should the LiDAR flow be aggregated?

One method of aggregation would be to take an averaged direction from the LiDAR neighborhood cells, or calculate a single vector representing direction. But this would be misleading in instances where half of the cells drained in one direction and the other half drained in the opposite direction. If half of the cells drained north and the other half drained south, would an east or west vector of flow-direction be an accurate representation of surface-flow amongst the LiDAR cells?

Another method of aggregation would be to determine which flow-direction was most frequent amongst the intersecting LiDAR cells in Figure 4-26. However, this approach would not necessarily characterize where the majority of surface water flow

<sup>&</sup>lt;sup>1</sup> The size of the intersecting LiDAR neighborhood was typically a 10x10 grid, though sometimes it was 9x9. The LiDAR cells did not perfectly align with 10-meter cells. This was due to the fact that the 10-meter width and height of the NED cell was not evenly divisible by the LiDAR resolution of 2.5 feet. Figures 4-26 through 4-34 illustrate the overlaying of LiDAR cells on a 10-meter cell and show them to be in perfect alignment for conceptual purposes only.
traveled amongst those LiDAR cells. It would be possible, for example, for 80% of the intersecting LiDAR cells to drain towards the northern edge of the 10-meter cell, only to be routed due east along that northern edge. In this instance, the predominant flow-direction value for the LiDAR cells would be north, even though the majority of the flow left the 10-meter cell area along the eastern edge.



Figure 4-25: 3x3 neighborhood of 10-meter flow-direction cells. Cell to be analyzed for error at center.



Figure 4-26: LiDAR flow-direction cells intersecting the selected 10-meter cell.

Another option would be to examine the edges of the selected 10-meter cell, and determine what percentage of LiDAR cells drained through each edge. This approach would avoid the misrepresentation of a frequency value, as described above; however, it would weight the cardinal directions too strongly. The North, East, South, and West edges all would have ten cells that could potentially route flow through an edge; whereas the diagonal directions would each only have a single corner cell through which flow could be routed. Furthermore, similar to the problem with looking solely at the mode of flow-direction values, if all of the LiDAR neighborhood cells flowed through the northern edge of the 10-meter cell is that a fair comparison to the 10-meter flow-direction value? It would still be possible for all of the LiDAR cells to drain through the northern edge, and then quickly divert due east as soon as they crossed the edge to ultimately drain out somewhere in the Northeast 10-meter cell.

The 10-meter flow-direction value was determined by calculating slopes between the center point of a cell and center points of that cell's eight immediate neighbors, and noting the cell with maximum slope (Equation 4-1). *Distance* was equal to the cellresolution (10-meters) for cardinal neighbors, and cell-resolution multiplied by 1.414 for the diagonal neighbors. Therefore, the 10-meter calculation of flow-direction was a prediction from the center of the center cell to the centers of the neighboring cells. A comparative analysis with the LiDAR cells should attempt to cover the same geography.

For 
$$\{e_1, e_2, ..., e_8\}$$
  
Flow-direction = *i*, for  $MAX[(|e_{center \ cell \ -} e_i|) \div distance \times 100]$   
Where  $e_i$  = elevation of the *i*-th neighbor  
Equation 4-1: Formula for calculating flow-directions

The method I developed utilized an expanded neighborhood of LiDAR cells to determine the degree to which the 10-meter and LiDAR predictions for surface water flow agreed. This neighborhood extended to the center of each of the neighboring 10-meter cells, ensuring that the 10-meter flow direction value and aggregated LiDAR flow-direction value corresponded to the same geographic space. This expansion of the LiDAR neighborhood also gave each neighboring 10-meter cell an equal opportunity for flow to drain through its edges. As illustrated in Figure 4-27, each 10-meter neighboring cell had 10 LiDAR cells through which the LiDAR flow could have exited. For each of these neighboring cells, the method recorded the percentage of cells from the original 10 by 10 LiDAR neighborhood that drained through its edges (Figures 4-27 – 4-34). Since my goal was to evaluate the flow-direction value of the center 10-meter cell, I only

calculated the drainage percentage of LiDAR cells that intersected that center cell (Figure 4-26). The LiDAR cells in the expanded neighborhood (outside of the original LiDAR cells) were needed to trace the flow of the intersecting LiDAR cells out of the neighborhood, but these additional cells were not counted in the determination of aggregated LiDAR flow-direction value.



Figure 4-27: 0% of center LiDAR cells drain through the northwest edges of the neighborhood.



Figure 4-28: 0% of center LiDAR cells drain through the north edges of the neighborhood.



Figure 4-29: 89% of center LiDAR cells drain through the northeast edges of the neighborhood.



Figure 4-30: 0% of center LiDAR cells drain through the east edges of the neighborhood.



Figure 4-31: 0% of center LiDAR cells drain through the southeast edges of the neighborhood.



Figure 4-32: 0% of center LiDAR cells drain through the south edges of the neighborhood.



Figure 4-33: 0% of center LiDAR cells drain through the southwest edges of the neighborhood.



Figure 4-34: 11% percent of center LiDAR cells drain through the west edges of the neighborhood.

Next, the script used the flow percentages calculated for each 10-meter neighbor to weight an error score (Equation 4-2). Recall that in Figure 4-25 the 10-meter cell in question reported a flow-direction value of southwest. If all of the LiDAR cells that intersected this 10-meter cell drained out of the southwest edges of the expanded LiDAR neighborhood, then the script would consider the 10-meter cell and LiDAR cells to be in perfect agreement. This would result in an error value of 0. If the result was the opposite condition, with the LiDAR cells draining out of the northeast edges of the neighborhood, this would be perfect disagreement and result in an error score of 4. Other scores would range between 1 and 3 increasing from agreement to error (Figure 4-35). In the case of the example that began with Figure 4-25, 89% of the center LiDAR cells drained through the northeast edges of the expanded neighborhood (a severe error: 4), while the remaining 11% drained through the western edges (a small error: 1). These error values were weighted by their respective flow percentages ( $(4 \times 0.89) + (1 \times 0.11)$ ) to yield an aggregated flow error of 3.67, an indication of very high error in the 10-meter flow-direction estimation. Note that this error value does not indicate a specific direction of error. The number itself does not indicate whether the LiDAR flow would be closer to the North neighbor or the East neighbor in Figure 4-35, only that the error was high.

$$FDE = \sum_{i=1}^{8} p_i \times f_i$$

Where FDE = flow-direction error for the 10-meter cell  $p_i$  = percentage of center LiDAR cells exiting out of the *i*-th neighbor 10-meter cell  $f_i$  = error score (1-4) of the *i*-th neighbor as compared to the flow-direction of the 10-meter cell

#### Equation 4-2: Flow-direction error weighting.



Figure 4-35: Potential flow error scores for assessment of 10-meter cell that flows southwest.

The script carried out the process described above for every 10-meter cell contained within a quadrangle's sampled LiDAR tiles. The process yielded maps illustrating the spatial distribution of flow-direction error for a particular quadrangle (Figure 4-36 – 4-39). Initial tests of this method revealed a spatial trend of high error in and along stream features (Figure 4-36). This trend was the result of the filling operation removing sinks in sections of stream within the LiDAR cells and modifying elevations across large sections to single elevation values, and subsequently single flow-direction values. In the flatter, agricultural areas entire fields were filled and reported the same flow-direction value for all their corresponding cells. These were clear distortions of reality and diminished the LiDAR DEM's utility as a reference dataset at these locations, despite its superior vertical and horizontal positional accuracy as compared to the 10-meter DEMs. To avoid the potential error that these flat cells could have introduced into

the analysis, I re-structured the Python script so that any 10-meter cell that touched a flat LiDAR cell directly (as an intersection of cells) or contained one in its expanded LiDAR neighborhood was discarded from the analysis (Figure 4-40). Esrskine et al. (2007) similarly removed flat cells from an analysis of DEM derivatives. This decision resulted in, on average, the discarding of 33% of 10-meter cells per 7.5 minute quadrangle. In some of the quadrangles with the lowest overall relief and high concentrations of agriculture, discard rates were as high as 83%. However, despite the high discard rates in these quadrangles, the statistical analysis was still able to show significant results for flow-direction error prediction in these quadrangles (see Chapter 5).







Figure 4-37: For the selected 10-meter cell, estimated flow-direction is to the south.



Figure 4-38: For the selected 10-meter cell, estimated LiDAR flow-direction trends mainly east and northeast.



Figure 4-39: The flow-direction error is considered high, with a value of 2.98.







Figure 4-40: Flow-direction error map with flat cells discarded.

# Chapter 5 Results and Analysis

The previous two chapters detailed this study's methodology for identifying the mean flow-direction error and its standard deviation. Using these data recorded for each of the 80 sample quadrangles, I conducted independent t-tests to assess whether the mean flow-direction error varied significantly across the agricultural and relief characterizations listed in Table 3-1. I also explored correlations between the mean flow-direction error and various quadrangle attributes, and evaluated linear regression models adjusted for residual spatial autocorrelation.

Overall flow-direction error among the 80 quadrangles was M = 1.04 (SD = 0.85). Figure 5-1 shows the spatial distribution of flow-direction error amongst the sample. There is a clear trend of increasing flow-direction error in the SE-NW direction amongst the quadrangles, mimicking the gradients for agriculture concentration and relief illustrated in Figures 3-1 and 3-2. These maps and the quantitative analysis I present here indicate that relief and agricultural concentration can be used to predict flow-direction error.



Figure 5-1: Spatial distribution of flow-direction error amongst the sampled quadrangles.

#### 5.1 Independent T-tests

I expected that flow-direction error would be higher in areas of high agricultural

concentration and low relief. More formally:

Hypotheses: Ho: FDE High % Ag. < FDE Low % Ag. Ha: FDE High % Ag.  $\geq$  FDE Low % Ag. Ho: FDE High Relief < FDE Low Relief Ha: FDE High Relief  $\geq$  FDE Low Relief Where: FDE = flow-direction error

Table 5-1 shows the overall mean flow-direction error for the sampled quadrangles and for the bins generated during the sampling process (see Table 3-1). Table 5-2 shows the results of the independent t-tests calculated between these bins. As expected, mean flowdirection error differed significantly between quadrangles characterized as having a high percentage of agriculture (M = 1.16, SD = 0.91) and those with a relatively low percentage (M = 0.93, SD = 0.79), t(78) = 4.33, p = < 0.001. Similarly, quadrangles characterized as having high total relief (M = 0.89, SD = 0.78) versus those characterized as low in relief differed significantly (M = 1.19, SD = 0.93), t(78) = 6.06, p = < 0.001. On the basis of these results, both null hypotheses listed above were rejected.

<b>Mean Flow-direction Error</b>		Re	Overall	
		High ( > 327 feet ) Low ( < 327 feet )		
	High (> 67.89/)	M=1.04, SD=0.85,	<i>M</i> =1.28, <i>SD</i> =0.97,	<i>M</i> =1.16, <i>SD</i> =0.91,
% Agriculture	High ( > 07.8%)	N=20	N=20	N=40
	Low ( < 67.8% )	M=0.75, SD=0.70,	<i>M</i> =1.11, <i>SD</i> =0.88,	M=0.93, SD=0.79,
		N=20	N=20	N=40
Overall		M=0.89, SD=0.78,	<i>M</i> =1.19, <i>SD</i> =0.93,	<i>M</i> =1.04, <i>SD</i> =0.85,
		N=40	N=40	N=80

 Table 5-1: Flow-direction error results for the various sampling criteria combinations.

I also tested my expectations for the specific sampling bins, which I refer to as

follows:

High relief, high % agriculture: HRHA High relief, low % agriculture: HRLA Low relief, high % agriculture: LRHA Low relief, low % agriculture: LRLA

I expected that quadrangles with little relief and a high percentage of agriculture would

contain the highest flow-direction error values, and vice versa. More formally:

Ho: FDE LRHA < FDE HRLA Ha: FDE LRHA  $\geq$  FDE HRLA I also expected that when either relief or agricultural concentration was held constant the variation in the other would prove significant when compared to flow-direction error.

Ho: FDE LRHA < FDE LRLA Ha: FDE LRHA  $\geq$  FDE LRLA Ho: FDE HRHA  $\leq$  FDE HRLA Ha: FDE HRHA  $\geq$  FDE HRLA Ho: FDE LRHA  $\leq$  FDE HRHA Ha: FDE LRHA  $\geq$  FDE HRHA Ha: FDE LRLA  $\leq$  FDE HRLA Ha: FDE LRLA  $\geq$  FDE HRLA

LRHA quadrangles reported the highest mean flow-direction error, M = 1.28, whereas the HRLA quadrangles reported the lowest value, M = 0.75. As shown in Table 5-2 these two means differed significantly, t(38) = 7.16, p = < 0.001 (a higher t score than any other pairing of mean flow-direction errors). These results show that when either relief or agricultural concentration was held constant, the change in the other corresponded significantly with changes in flow-direction error. There were not significant differences between HRHA and LRLA.

It appears that relief had a stronger impact on flow-direction error than the concentration of agriculture. The difference in overall mean-error between low relief quadrangles and high relief quadrangles was greater (1.19 - 0.89 = 0.3) than the difference between quadrangles with high concentrations of agriculture and those with low concentrations (1.16 - 0.93 = 0.23).

T-test results	HRHA	HRLA	LRHA	LRLA
HRHA				
HRLA	t(38) = 6.29, p < 0.001			
LRHA	t(38) = 3.69, p < 0.001	t(38) = 7.16, p < 0.001		
LRLA	t(38) = 1.58, p = 0.12	t(38) = 5.64, p < 0.001	t(38) = 2.45, p = 0.02	

Table 5-2: Independent t-test results between sampling criteria.

### 5.2 Correlations

Flow-direction error was highly correlated with agricultural concentration, relief, contour topology error, and the extent to which filling sinks in the LiDAR DEMs produced flat areas (Table 5-3). This last correlation was the strongest (r = 0.85). An initial reaction to such a strong correlation may be that these flat LiDAR cells distorted the true ground condition so dramatically that they yielded high values for flow-direction error. However, I discarded any 10-meter cell whose analysis neighborhood (Figure 4-27) contained even a single flat LiDAR cell. Therefore the error means used in calculating the correlation did not reflect these cells. The more likely explanation for the strong positive relationship is that the areas that contained a high number of flat cells in a depression-less DEM embodied the surface characteristics that confound flow-direction estimates. Flat cells in a filled DEM were more likely to occur in areas of high agricultural concentration and low relief, r = 0.58 and r = -0.73 respectively. These areas were dominated by agricultural ditches because the low relief provided little natural

drainage to route water away from fields and allow for crop production. Consequently, due to the presence of artificial barriers along them, these ditches had a greater chance of being identified as sinks than as natural drainage features and filled flat by the filling algorithm. A high percentage of flat cells for a quadrangle indicated low relief and a high concentration of agricultural ditches in that area. These areas essentially captured the "worst" of both worlds when trying to predict flow-directions; the low relief raised the uncertainty in flow-direction estimates, while the concentration of agricultural ditches increased the likelihood that drainage pathways were filled flat.

It is worth noting that all of the variables in Table 5-3 were significantly correlated. This fact raised issues of multicollinearity in the attempt to develop a linear regression model for flow-direction error.

Correlations	Flow-direction error	% row-crop agriculture	Relief	Intersections per contour	% of flat 10- meter cells discarded
Flow-direction error					
% row-crop agriculture	<i>r</i> = 0.77				
Relief	<i>r</i> = -0.76	<i>r</i> = -0.68			
Intersections per contour	<i>r</i> = 0.70	<i>r</i> = 0.51	<i>r</i> = -0.60		
% of 10-meter cells discarded due to flat LiDAR	<i>r</i> = 0.85	<i>r</i> = 0.58	<i>r</i> = -0.73	<i>r</i> = 0.70	

Table 5-3: Correlations between flow-direction error and other variables. N=80, all correlations were significantly different from zero (p < 0.001).

### 5.3 Spatial Regression

I attempted to identify the variables that best explained variability in flowdirection error through linear regression modeling using the R statistical package (ver. 2.7.1). Since flow-direction error was a spatial phenomenon, I adjusted the models to account for spatial autocorrelation in the model residuals.

Restating my general hypothesis, I expected that areas that were relatively flat, had high concentrations of agriculture, and whose DEMs were produced from contours that contained large numbers of topological errors (intersections) would have produced higher values of flow-direction error. More formally:

Equation:  $FDE = a + \beta_{PA}PA + \beta_{TR}TR + \beta_{CI}CI$ Where: FDE = flow-direction error PA = % agriculture TR = total relief CI = contour intersectionsHypotheses:  $Ho: \beta_{PA} = 0$  Ha:  $\beta_{PA} > 0$ Ho:  $\beta_{TR} = 0$  Ha:  $\beta_{TR} < 0$ Ho:  $\beta_{CI} = 0$  Ha:  $\beta_{CI} > 0$ 

Figure 5-2: Model 1 - initial linear regression model of flow-direction error.

I tested Model 1 (Figure 5-2) first, attempting to explain flow-direction error through relief, agriculture concentration, and contour intersections. Histograms of the model's variables indicated that a transformation was warranted for the contour intersections variable; a logarithmic transformation produced the most normal distribution (Figure 5-3).

The results in Figure 5-4 confirmed the hypotheses of Model 1, with a solid overall model performance ( $R^2 = 0.73$ ). However, the Moran's I value (I = 0.3611, p = < 0.001) for the model residuals indicated that they contained significant spatial autocorrelation (mapped in Figure 5-5 – note the clustering of shades), which was potentially inflating the  $R^2$  and causing the horizontal cone shape (heteroscedasticity) of the residuals graphed in Figure 5-6.



Figure 5-3: Histograms of regression variables from Model 1.

## Significance of Terms:

Coefficients	Estimate	Std. Err.	t score	<i>p</i> -value
Intercept	1.1994774	0.0864874	13.869	< 2e-16
% row-crop agriculture	0.0043492	0.0008723	4.986	3.78e-06
Total relief (ft.)	-0.0005739	0.0001572	-3.652	0.000476
Log(int. per cntr.)	0.0621131	0.0194624	3.191	0.002059

Hypotheses:

β <sub>PA</sub> :	Reject Ho
β <sub>TR</sub> :	Reject Ho
βςι:	Reject Ho

#### **Residuals:**

Min.	25th pctl.	Median	75th pctl.	Max.
-0.309	-0.113	0.008	0.085	0.333

Residual standard error: 0.1426 on 76 degrees of freedom

Moran's\_I:\_\_\_\_\_

Observed	Expectation	Variance
0.3611	-0.0280	0.0080
$\mathbf{p}$ -value = 6.058e	-06 (sampling test)	

p-value = 6.058e-06 (sampling test)

### Model Performance:

 $R^2: 0.73$ 

*F-statistic*: 71.01 on 3 and 76 DF, p-value: < 2.2e-16

Fitted values vs. Actual values correlation: 0.86

Aikaike Information Criterion (AIC): -78.743

Figure 5-4: Model 1 diagnostics.



Figure 5-5: Mapped residuals of Model 1.



Figure 5-6: Residuals of Model 1, greater residual error of higher fitted values indicates potential heteroscedasticity.

I mitigated the spatial autocorrelation in Model 1 by implementing the SAR (simultaneous auto-regression) function of R's SPDEP (Spatial Dependence) module using each quadrangle's three nearest neighbors, inversely weighted by their distance. SAR corrected the estimates of the model coefficients, but was not designed to produce a new  $R^2$ . SAR corrected the residual heteroscedasticity illustrated in Figure 5-6 (Figure 5-7).

After correcting for residual spatial autocorrelation, the regression model's terms were still significant, confirming my hypotheses (Figure 5-9). The adjusted model's residual values were smaller in absolute terms and more concentrated than those for the original model; the range of residual values was smaller than in the original model (0.018 versus 0.024), as was the standard error (0.007 versus 0.143). Moran's I for the adjusted model's residuals was no longer statistically significant (p = 0.28). Additionally, the Lambda significance (p < 0.001), the slightly improved correlation of fitted values versus actual values (0.91 for SAR adjusted model versus 0.86 for original model), and the lower AIC value (-98.05 versus -78.4) all indicated that the coefficients of the new model successfully accounted for the presence of spatial autocorrelation in the residuals. Though not as clear as these numeric metrics of model improvement, the map of residuals from the adjusted model (Figure 5-8) shows a slight improvement as several of the darker clusters in the original residual map (Figure 5-5) were broken up.

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Figure 5-7: Residuals of Model 1, corrected for spatial autocorrelation, no apparent heteroscedasticity.



Figure 5-8: Mapped residuals, corrected for spatial autocorrelation.

Intercept         1.11910155         0.08 $%$ row-crop agriculture         0.00391785         0.00           Total relief (ft.)         -0.00051557         0.00           Log(int. per cntr.)         0.03246648         0.01           Hypotheses: $\beta$ PA:         Reject Ho $\beta$ TR:         Reject Ho $\beta$ CI:         Reject Ho           s:         Min.         25th pctl.         Median           -0.274         -0.078         0.003           Residual standard error:         0.0072944	32270       13.446         08740       4.482         01362       -3.783         51490       2.143         75th pctl.       0.069	< 2e-16 7.384e-00 0.000154 0.032102 Max. 0.256
$%$ row-crop       0.00391785       0.00         agriculture       0.00391785       0.00         Total relief (ft.)       -0.00051557       0.00         Log(int. per       0.03246648       0.01         Hypotheses: $\beta$ PA: Reject Ho $\beta$ TR: Reject Ho $\beta$ TR: Reject Ho $\beta$ CI: Reject Ho         s:       Min. <b>25th pctl.</b> Median         -0.274       -0.078       0.003         Residual standard error:       0.0072944         Moran's I:	08740     4.482       01362     -3.783       51490     2.143       75th pctl.     0.069	7.384e-00 0.000154 0.032102 Max. 0.256
Total relief (ft.)       -0.00051557       0.00         Log(int. per cntr.)       0.03246648       0.01         Hypotheses: $\beta$ PA: Reject Ho $\beta$ TR: Reject Ho $\beta$ TR:       Reject Ho $\beta$ CI:         Reject Ho $\beta$ CI:       Reject Ho         s: $Min.$ <b>25th pctl.</b> Median         -0.274       -0.078       0.003         Residual standard error:       0.0072944         Moran's I: $I$	01362 -3.783 51490 2.143 75th pctl. 0.069	0.000154 0.032102 Max. 0.256
Log(int. per cntr.) $0.03246648$ $0.01$ Hypotheses: $\beta p_A$ : $\beta_T R$ : Reject Ho $\beta_T R$ : Reject Ho $\beta_T R$ : Reject HoS:Min. <b>25th pctl.</b> $0.003$ Min. <b>25th pctl.</b> $0.003$ Residual standard error: $0.0072944$ Moran's I:	51490 2.143 75th pctl. 0.069	0.032102 <b>Max.</b> 0.256
Hypotheses: βpA: Reject Ho βTR: Reject Ho βCI: Reject Ho s: <u>Min. 25th pctl. Median</u> -0.274 -0.078 0.003 Residual standard error: 0.0072944 Moran's <u>I:</u>	<b>75th pctl.</b> 0.069	<b>Max.</b> 0.256
βPA:       Reject Ho         βTR:       Reject Ho         βCI:       Reject Ho         s:	<b>75th pctl.</b> 0.069	<u>Мах.</u> 0.256
β <sub>TR</sub> : Reject Ho β <sub>CI</sub> : Reject Ho s: <u>Min. 25th pctl. Median</u> -0.274 -0.078 0.003 Residual standard error: 0.0072944 Moran's <u>I</u> :	<b>75th pctl.</b> 0.069	<b>Max.</b> 0.256
β <sub>CI</sub> : Reject Ho s: <u>Min. 25th pctl. Median</u> -0.274 -0.078 0.003 Residual standard error: 0.0072944 Moran's <u>I</u> :	<b>75th pctl.</b> 0.069	Max. 0.256
s: <u>Min.</u> 25th pctl. Median -0.274 -0.078 0.003 Residual standard error: 0.0072944 Moran's <u>1</u> :	<b>75th pctl.</b> 0.069	<b>Max.</b> 0.256
-0.274 -0.078 0.003 Residual standard error: 0.0072944 Moran's <u>1</u> :	0.069	0.256
Residual standard error: 0.0072944 Moran's <u>I:</u>		
Observed Expectati	on Varian	ice
0.0411 $-0.0127p-value = 0.2755 (sampling te$	t)	
	,	
nprovement:		
Lambda: 0.59923 LR test valu	e: 21.305 p-	value: 3.9180e
0.0411 -0.0127 p-value = 0.2755 (sampling te nprovement:	0.008 t)	1

Figure 5-9: Model 1 diagnostics, corrected for residual spatial autocorrelation.

By most measures, Model 1 performed very well. However, multicollinearity in the independent variables may have inflated the model's performance. As indicated in

Table 5-3, there was a strong, negative correlation between agricultural concentration and relief (r = -0.68). Relief and the number of intersections per contour was also strongly negatively correlated (r = -0.60). Agricultural concentration and contour intersections were moderately positively correlated (r = 0.51). Therefore, I explored other regression models to see if flow-direction error could be described through other terms and combinations.

All of the independent variables in Table 5-3 were significantly correlated, so any regression model employing them would have had multicollinearity issues. To consider the power of each variable individually on flow-direction error, as well as to assess some additional variables, I developed six alternative regression models (Table 5-4). Models 2 through 4 each employed one of the terms in the original model (Model 1 - Figure 5-2): percentage row-cop agriculture, total relief, or intersections per contour. While all of these models explained significant variability in flow-direction error, the results confirmed that percentage row-crop agriculture and total relief explained more of the variance than intersections per contour. Model 5 employed the percentage of a quadrangle's 10-meter cells discarded from the analysis due to the presence of flat LiDAR cells (flat cell percentage). This model was the best single predictor of flowdirection error ( $R^2 = 0.72$ ). This independent variable was most closely associated with elements that confound DEM prediction of flow-direction: drainage ditches (potential sinks) that are likely to be filled in and flat terrain. Model 6 was a modification of the original regression model (Model 1) and replaced total relief with flat cell percentage, since total relief was the independent variable most highly correlated with flat cell

78

percentage. While multicollinearity was still an issue, Model 6 performed much better than the original model on all measures. Model 7 employed a relatively simple combination of terms and performed nearly as well as the original model.

That all of these regression models yielded significant results begs the question of which model should those interested in predicting flow-direction error elsewhere employ. Solely by the numbers, Model 6 should be the predictor of choice. However, the terms of that model are relatively expensive to acquire. Specifically, the percentage of discarded flat cells requires access to LiDAR data, which is limited around the globe, and requires a significant amount of pre-processing and hard drive space. The most economical choice is Model 7, since land cover and elevation datasets are freely available for the entire U.S. and most of the world. Any of the models presented here are statistically significant predictors of flow-direction error. However, the results show that any implementation of these models requires a correction for spatial autocorrelation.

Model #	Model terms	Residual Heteroscedasticity	R <sup>2</sup>	F Statistic	Corr. of SAR Fitted vs. Actual	SAR AIC	Sig. Terms
2	% ag.	no	0.59	114.0 (p < 0.001)	0.90	-83.0	all
3	total relief	yes	0.58	109.6 ( <i>p</i> < 0.001)	0.89	-77.9	all
4	log(int. p. cnt.)	no	0.47	70.9 ( <i>p</i> < 0.001)	0.88	-65.6	all
5	flat cell pct.	yes	0.72	208.4 (p < 0.001)	0.89	-88.9	all
6	% ag. flat cell pct. log(int. p. cnt.)	no	0.84	142.3 ( <i>p</i> < 0.001)	0.93	-124.1	all
7	%ag total relief	yes	0.69	109.6 ( <i>p</i> < 0.001)	0.91	-95.7	all

Table 5-4: Alternative linear regression models, and measures of performance.

# Chapter 6 Conclusion

### 6.1 Summary

For this research, I sought to quantify error in estimates of surface water flowdirection derived from USGS 10-meter DEMs and explain how that error varied across different geographic landscapes. I developed a method by which finer resolution DEMs (LiDAR - 2.5-foot) can be utilized to evaluate estimates of flow-direction derived from coarser DEMs (USGS - 10-meter) on a cell-by-cell basis. I implemented this approach on 80 7.5-minute USGS quadrangles in Ohio, stratified by relief and agricultural concentration. As I expected, statistical analyses revealed that flow-direction error was strongly, negatively correlated with total relief, and strongly, positively correlated with agricultural concentration. The number of intersections per feature in the source contours that produced the USGS DEMs, and the percentage of sinks filled flat by the ArcGIS filling algorithm were also strongly, positively correlated with flow-direction error. A regression model employing agricultural concentration, contour intersections, and sink filling as independent variables explained 84% of the variance in flow-direction error. A simpler model employing only agricultural concentration and total relief still explained 69% of flow-direction error variance. Both of these regression models had to be adjusted to correct for residual spatial auto-correlation, and both contained some degree of multicollinearity.

The pre-processing of the LiDAR data was costly and time-consuming, requiring nearly one terabyte of hard drive space and four microcomputers running constantly for over a month. The most challenging and time-consuming part of pre-processing was identifying stream locations within the LiDAR DEMs in order to "burn" a hydrological network into the surfaces and enforce a proper drainage network. This step required the development of custom Python scripts that read LiDAR elevation data into Python lists, utilized neighborhood analyses to locate stream cells, and carved through artificial barriers within the identified stream networks. Qualitative tests indicated that these custom methods performed best in flat agricultural areas, where the enforcement of proper drainage networks was most needed.

### 6.2 Significance

While the relationship between DEM error, relief, and agriculture has been studied before, the specific attention to flow-direction at field scales and over such a large geographic sample make this research unique. Previous efforts studied the effect of resolution or interpolation methods on DEM derivatives such as slope, aspect, and soil moisture. Other research has evaluated surface flow from DEMs by comparing catchment boundaries derived from upland flow accumulations in relatively small study sites. In this thesis, however, I have presented a new method for evaluating flowdirection, conducted this evaluation at the DEM cell level, and described its variation across the Ohio landscape, which exhibits a diversity of topography and land cover. This thesis makes several contributions to the field of geographic information science. The quantification of flow-direction error adds a new measure by which DEMs can be evaluated. The cell-by-cell evaluation of coarser data with finer data could be applied to any number of raster datasets. The new method for evaluating surface water flow-direction could be extended to other directional datasets, such as aspect, winddirection, or groundwater flow-direction. Furthermore, the methods I developed and tested to locate stream features in LiDAR data, and my implementation of a sink carving method could be utilized in other hydrological studies of DEMs. This contribution in particular may prove to be the most significant as LiDAR DEMs replace contourinterpolated DEMs as the standard in spatial analysis.

At a more practical level, the cell-level specificity of this thesis informs fieldlevel analyses that would be impractical through previously described methods. Additionally, its broad scope informs analysis across varying topographic and land cover environments, making it applicable to a large audience of users. One group of DEM users that will benefit from this research are soil conservationists. Predictions of surface water flow-direction are critical to identifying specific field-level locations experiencing soil erosion. Inaccurate estimates will focus conservation efforts on the wrong locations. A conservationist may look for an erosive gully on the eastern edge of a field, when in actuality it may be on the western edge. Having a quantified value of flow-direction uncertainty for a particular location will aid soil conservationists in efficiently marshaling their time and resources. They will be able to gauge how much field verification is needed prior to targeting soil conservation practices. For example, if staff for the Lucas County Soil and Water Conservation District utilized a USGS 10-meter DEM in an erosion model, as can be done with the Revised Universal Soil Loss Equation (Wu et al. 2005, Ouyang et al. 2005), to identify at-risk locations in a hilly area with little agricultural presence, they could be sufficiently confident in assuming that surface water flow was appropriately simulated by the model. If, on the other hand, district staff utilized the same approach to identify an at-risk location in a flat agricultural area (typical for that region of Ohio) they should exercise caution in assuming that the location was significantly eroding, and conduct a thorough field evaluation prior to the installation of remediation measures.

Soil conservationists are just one specific group that could benefit from this research. Environmental engineers deriving stream networks, stream biologists exploring non-point source pollution loading from small local catchments, civil engineers reevaluating floodplain maps, or any user employing DEMs for field-level hydrological analyses will benefit from knowing the uncertainty in simulated flow-direction at a particular location.

Martinoni and Bernhard (1998) argued that greater documentation of error in DEMs, including assessment of derivative error, is needed to ensure their proper use and analysis. The quantification of flow-direction error could be a new metadata standard for DEMs, and support Martinoni's and Bernhard's goal.

### 6.3 Future Research

While I was able to successfully quantify and explain flow-direction error in terms of topographic and land cover characteristics, the process generated additional topics that warrant further research. Stream locations could potentially be better identified and processed; smoothed LiDAR DEMs may prove to be better reference datasets; additional flow-direction algorithms should be utilized in the assessment of flow-direction error; and the scale at which flow-direction between 10-meter and LiDAR DEMs changes from error to agreement should be evaluated.

The methods I developed to identify and burn stream locations in the LiDAR DEMs has several limitations. First, they cannot identify wide cross-sections of rivers. The analysis neighborhood is restricted to a 10-cell (25-foot by 25-foot) neighborhood and cannot locate the necessary stream bank elevations for large rivers in such a small window (Figures 4-10 and 4-13). Second, they require the user to specify single thresholds for stream bank elevation and neighborhood size that in actuality should vary depending on the relief and land cover of a particular area. In this research, I had to process several quadrangles three times with different threshold inputs until an acceptable output was realized. Third, the carving process to remove artificial barriers in the streams sometimes carved in inappropriate directions. For example, instead of carving through an east-west running bridge to connect a north-south drainage ditch, it sometimes carved in a northwest-southeast direction to connect the north-south ditch to a section of an east-west ditch on the opposite side of the road (Figure 4-21). Revised methods could accommodate wider rivers, automate input selections by analyzing total relief and land

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cover percentages for given locations, and carve in a more intelligent manner by discerning the direction of the stream features that need to be connected. These revised methods would likely improve the precision of flow-direction error estimates.

LiDAR DEMs can contain significant noise that distorts the surface representation. These distortions can be limited by "smoothing" the DEM through any number of filtering methods. A common approach is to change each cell's elevation to an average of its nearest neighbors. This method reduces any large discrepancies in the data, but can also diminish valid features on the surface. I was particularly interested in evaluating flow-direction in flat areas; therefore, I was worried that smoothing LiDAR DEMs in these areas may distort the subtle surface features critical to calculating flowdirection. As mentioned in Chapter 3, subtle changes in elevation can have a significant impact on flow-direction if that area is flat. I chose to honor the original DEM and preserve these features, at the risk of noise affecting the model outputs. The LiDAR DEMs utilized in this thesis were unaltered from their downloaded format. Despite the presence of noise in some of the LiDAR DEMs, I was still able to confirm my hypotheses. However, since smoothing is a common procedure, it would be worth evaluating how the results of this study may change with smoothed LiDAR DEMs serving as the reference dataset.

While the D8 flow-direction algorithm allowed me to confirm my hypotheses, its well documented limitations warrant an evaluation of flow-direction error utilizing alternative and more accepted methods. Multi-direction methods such as MF by Quinn et

al. (1991) or multi/single direction hybrids like Tarboton's D-Infinity (1997) should be utilized in a cell-by-cell fashion as used here.

I calculated flow-direction error on a cell-by-cell basis, but at what extent, if ever, does that error change to agreement? The 10-meter cell and its corresponding LiDAR cells may be in disagreement at the immediate neighborhood level illustrated in 4-35, but perhaps the predicted flows converge at the next larger neighborhood. It is possible that flow-direction error is generally confined to a small local neighborhood of cells. It is also possible that simulated flows travel in different direction over large areas (Figures 3-8 through 3-10). This relationship should be explored to better describe the impact flow-direction error may have on hydrological analyses.

The availability of high-resolution LiDAR DEMs will continue to grow as GIS users demand finer data and as digital storage space becomes cheaper. LiDAR DEMs will likely replace the coarser, contour-interpolated and stereoscopic DEMs produced by the USGS as the standard digital elevation products for spatial analysis. As that transition takes place, research should document how existing DEM-based analyses may change with the incorporation of the finer resolution data. This research is a contribution to that effort.

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APPENDICES
**APPENDIX A: Processing Diagrams** 



**Diagram Legend** 



# **APPENDIX A: Processing Diagrams**

# **Post-processing Steps**



### APPENDIX B – Python Code

### raster\_analysis.py

1	all = ['raster2array', 'rastertext2list', 'extract_header']
2	#raster_analysis.py
3	#Author: Glenn O'Neil
4	#Date: September 2009
5	#This Python module provides tools for converting ArcGIS rasters
6	#between multiple formats, including NumPy arrays for analysis with GDAL
7	#and Python lists. It also includes a function for extracting a neighborhood
8	#from a larger list or array of values.
9	
10	def raster2array (raster):
11	"""Takes a raster path and converts it to a NumPy array using GDAL"""
12	
13	#check to see if gdal and gdalconst modules have been imported
14	if 'gdal' not in globals():
15	from osgeo import gdal
16	if 'gdalconst' not in globals():
17	from osgeo import gdalconst
18	
19	raster_ds = gdal.Open(raster, gdalconst.GA_ReadOnly)
20	raster_band = raster_ds.GetRasterBand(1)
21	raster_array = raster_band.ReadAsArray()
22	del raster_ds, raster_band
23	return raster_array
24	
25 26	<b>def array2raster (raster_array, raster_ds_template, raster_ds_out_path, raster_ds_out_format, scratch_folder)</b> :
27	
28	Takes a NumPy array and converts it to an ArcINFO raster using GDAL
29	raster array = the NumPy array to be converted
	raster_ds_template = the raster dataset that will serve as a template for the output raster
30	dataset
31	raster_ds_out_path = the full path of the output raster dataset
32	raster_ds_out_format = string of the the pixel type of the output raster dataset:
33	- 1_BIT: A 1-bit unsigned interger. Values can be 0 or 1.
34	- 2_BIT: A 2-bit unsigned integer. The values supported can be from 0 to 3.
35 36	- 4_BIT: A 4-bit nsigned integer. The values supported can be from 0 to 15.
50	from 0 to 255.
37	- 8_BIT_SIGNED: An signed 8-bit data type. The values supported can be from -
	128 to 127.

```
38
                 - 16 BIT UNSIGNED: An unsigned 16-bit data type. The values supported can
    be from 0 to 65.535.
39
                 - 16 BIT SIGNED: An signed 16-bit data type. The values supported can be
    from -32,768 to 32,767.
40
                 - 32 BIT UNSIGNED: An unsigned 32-bit data type. The values supported can
    be from 0 to 4,294,967,295.
                 - 32 BIT SIGNED: An signed 32-bit data type. The values supported can be
41
    from -2,147,483,648 to 2,147,483,647.
42
                 - 32 BIT FLOAT: A 32-bit data type supporting decimals.
43
                 - 64 BIT: A 64-bit data type supporting decimals.
44
            scratch folder = the folder where the temporary datasets will be stored
45
       ** ** **
46
47
48
       #check to see if the necessary modules have been imported
49
       if 'gdal' not in globals():
50
         from osgeo import gdal
51
       if 'gdalconst' not in globals():
52
         from osgeo import gdalconst
53
       if 'arcgisscripting' not in globals():
54
         import arcgisscripting
55
       if 'gp' not in globals():
56
         gp = arcgisscripting.create(9.3)
57
       elif str(type(gp)) != "<type 'geoprocessing object'>":
58
         del gp
59
         gp = arcgisscripting.create(9.3)
60
61
       #must first convert the template dataset to a GeoTIFF b/c GDAL can't writ to ESRI Grid
    format
62
       template copy = scratch folder + "\\temp.tif"
       gp.CopyRaster management(raster ds template, template copy, "#", "#", "#", "NONE",
63
     "NONE", raster ds out format)
64
65
       #read the copied TIFF file into a GDAL dataset and write the raster array contents into it
66
       raster ds = gdal.Open(template copy, gdalconst.GA Update)
67
       raster band = raster ds.GetRasterBand(1)
68
       raster_band.WriteArray(raster array)
69
       raster band.FlushCache()
70
       raster ds.FlushCache()
71
72
       del raster ds, raster band
73
74
       #copy the modified template copy back to an ESRI Grid
75
       gp.CopyRaster management(template copy, raster ds out path)
76
       gp.delete management(template copy)
77
       del template copy
```

```
78
 79
 80
 81
      def rastertext2list (raster ascii path, output datatype='int'):
 82
         """Takes a raster as a text file and converts it to a list
 83
           raster ascii path = full path of an ASCII text file converted from a raster
 84
           output datatype = the datatype of the values in the output list.
 85
                      Integer is the default, user can specify 'float' or 'string'
 86
         .....
 87
 88
         #read in the elevation ascii file
 89
         raster ascii = open(raster ascii path, 'r')
 90
         #initiate the list that will store all of the text values
 91
 92
         raster list = []
 93
         raster ascii.seek(0,0)
 94
         for eachLine in raster ascii:
 95
           raster list.append(eachLine.split(" "))
 96
         raster ascii.close()
 97
 98
         #get rid of the descriptive info (the first six rows)
 99
         for i in range(6):
100
           raster list.remove(raster list[0])
101
102
         #get rid of the newline character at the end of each row
103
         for row in raster list:
104
           row.remove(row[len(row) - 1])
105
106
         #convert the textfile values (string) to whatever numeric type (integer or floating type) was
      specified
107
         if output datatype == 'float' or output datatype == 'Float':
108
           for row in raster list:
109
              for i in range(len(row)):
110
                row[i] = float(row[i])
111
         elif output datatype == 'string' or output datatype == 'String':
112
           pass
        else: #the default will be integer
113
114
           for row in raster list:
115
              for i in range(len(row)):
116
                row[i] = int(row[i])
117
118
        raster ascii.close()
119
        del raster ascii
```

```
120
        return raster list
121
122
123
      def extract header (raster ascii path):
124
        """ Extracts the header information from a raster converted to a text file
125
           and returns it as a list """
126
        raster ascii = open(raster ascii path, 'r')
127
        header list = []
128
        for i in range(6):
129
           header list.append(raster ascii.readline())
130
131
        raster ascii.close()
132
        del raster ascii
133
        return header list
134
135
136
      def nhood(input list, row index, col index, nsize):
137
        ""Takes a list, row index, and column index and extracts a neighborhood
138
        of nsize around those indexes."""
139
        nhood list = []
140
141
        #get the boundary indexes
142
        upper left row = row index - nsize
143
        if upper_left_row < 0: upper_left_row = 0
144
        upper left col = col index - nsize
145
        if upper left col < 0: upper left col = 0
146
        lower right row = row index + nsize
147
        if lower_right_row > (len(input_list) - 1): lower_right_row = len(input_list) - 1
148
        lower right col = col index + nsize
149
        if lower right col > (len(input list[0]) - 1): lower right col = len(input list[0]) - 1
150
151
152
        #loop through the input list for the specified boundaries and record the values
153
        row counter = 0
154
        for i in range(upper left row, lower right row + 1, 1):
155
           nhood_list.append([])
156
           for j in range(upper left col, lower right col + 1, 1):
157
             nhood list[row counter].append(input list[i][j])
158
           row counter += 1
159
160
        return nhood_list
```

] =-----2 ± analy 3 ± Creat 4 # Auth 5 = 6 = Desci 7 = 8 = 9 ≑ 10 # 11 # 12 ÷ 13 = 14 = 15 = 16 = 17 \$ 18 = 19 = 20 = 21 = 22 = 23 = 24 = 25 = 26 ± 27 ± 28 ± Inp 29 ± 30 ± 31 ± 32 = 33 # 34 # file 35 ± file 36 = folder 37 = 38 =

## APPENDIX B – Python Code

# analysis\_prep.py

1	#	
2	# analysis	_prep.py
3	# Created	September 2009
4	# Author:	Glenn O'Neil
5	#	
6	# Descrip	tion: This script generates the datasets and folders necessary for an
7	#	analysis of NED (Naitonal Elevation Dataset) DEM flow-direction
8	#	error by comparison to tiles of finer resolution LiDAR DEMS.
9	#	The preparation includes a stream-burning process to force surface-
10	#	water flow to streams. The NED DEMs are burned with USGS Hydrography
11	#	1:24K DLG vector features. LiDAR tile datasets are identified based
12	#	on the coordinates of the selected USGS 7.5 minute quadrangle.
13	#	This results in a sub-folder of around 40-48 LiDAR DEMs, each to be
14	#	prepped separately. The LiDAR DEMs' horizontal positional
15	#	accuracy are too precise to burn with 1:24K stream features.
16	#	Therefore, this script calls one of two custom scripts (specified
17	#	by the user) that identify stream locations in LiDAR datasets by
18	#	analyzing only elevation values. Once stream identification has been
19	#	completed for the LiDAR DEMs, another custom script is called to
20	#	attempt to carve through artificial barriers in the LiDAR DEMs,
21	#	such as foot-bridges and tile culverts. This script identifies
22	#	sinks and carves to the closest low-point within a user-specified
23	#	maximum neighborhood size. It continues to identify sinks and carve
24	#	for a user-specified number of iterations. Once the final carve
25	#	is complete, the LiDAR DEM is stream-burned, sinks filled, and
26	#	flow-direction calculated with the D8 method.
27	#	
28	# Inputs:	1. quads - an ESRI shapefile of 7.5 Minute USGS Quadrangles
29	#	2. quad_id_field - unique quad ID field of the 'quads' shapefile
30	#	3. quad_id - the unique ID of the selected quad
31	#	4. state_plane_field - field in the 'quads' shapefile that denotes
32	#	whether the quad lies in the North or Southern
33	#	state planes.
34	# 51-	5. state_plane_n_sr_file - path to the Ohio State Plane North NAD 83 Harn projection
35	#	6. state plane s sr file - path to the Ohio State Plane South NAD 83 Harn projection
	file	••••••••••••••••••••••••••••••••••••••
36	# 5-1-1	7. workspace - the workspace where the quad folder containing all output files and
27	roiders	will be exceeded
۱ د ۲۰	<del>н</del> 4	will be created.
30	Ħ	o. streams_wspace - workspace containing a snapetile of stream features for each Ohio

	quad	
39	# from	9. ned_dem - a single DEM raster for all of Ohio, generated by contour interpolation
40 41	# #	DLG hypsography and submitted to NED. 10. lidar_master_wspace - workspace containing all of the LiDAR rasters used in this
42	study. #	11. stream_id_method - the method of stream identification for the LiDAR datsaets;
43	#	'neighborhood': see script stream_id_nhood.py
44	#	'neighborhood transect combo': a combination of the neighborhood and
45	#	trasect methods. See scripts stream_id_nhood.py
46	#	and stream_id_transect.py
47	# difference	12. elev_diff - parameter of the neighborhood stream ID method. The minimum e in
48 49	# # in cells	elevation from a stream bank to the stream center. 13. neigh_maxsize - parameter of neighborhood stream ID method. The maximum size
50 51	# # difference	to search around a given cell for cells that exceed elev_diff. 14. elev_diff_trans - parameter of the transect stream ID method. The minimum e in
52 53	# # which	elevation from a stream bank to the stream center. 15. trans_length - parameter of the transect stream ID method. The transect length over
54 55	# # to	the code will search for elevation changes that exceed elev_diff_trans 16. max_cavre_length - parameter of the carving script. The maximum distance in cells
56 57	# # and carve	search about a sink for a lower point. 17. iterations - parameter of the carving script. The number of times to identify sinks
58	#	18. stream id nhood script - the path to the neighborhood stream identification script.
59	#	19. stream_id_transect_script - the path to the transect stream identification script.
60 61	# #	20. carve_script - the path to the carving script. 21. lidar sample - boolean value whether to sample a lattice from the LiDAR tiles,
	reducing	the
62	#	total number of rasters that must be processed.
63	#	22. del_int_data - boolean value whether to delete intermediate datasets
64	#	
65	# Outputs	: .
66	#	1. Folder containing output datasets
67	#	2. ned - 10-meter DEM clipped by quadrangle boundary
68	#	<ol><li>ned_b = clipped 10-meter DEM stream-burned with stream_g</li></ol>
69	#	4. ned_bf - filled (depressionless) version of ned_b
70	#	5. ned_fd - flow-direction of 10-meter DEM, derived from ned_bf
71	#	6. ned_fid - raster of unique ID values for each 10-meter cell
72	#	7. quad_sel.shp - shapefile of selected quadrangle boundary
73	#	8. streams.shp - shapefile of quadrangle streams (from DLG hydrography)
74	#	9. streams_g - binary raster of stream locations, from streams.shp
75	#	10. lidar - directory containing all of the quad's LiDAR data, organized by tile

76 # 10-1. carved dem - LiDAR DEM with artificial barriers in streams carved through 77 # 10-2. flat areas - raster of locations with a slope of zero, later ignored in error calculation 78 # 10-3. lidar\_burn - LiDAR raster with lidar\_stream locations burned in. 79 # 10-5. lidar\_ned\_fid -LiDAR-resolution raster of ned\_fid, used in locating LiDAR cell neighborhoods for each NED cell. # 10-6. lidar\_stream - binary raster of LiDAR stream locations. 80 81 # 11. template raster - TIFF copy of the ned fd raster, used to write in flow error results. 82 83 84 85 #import the necessary modules 86 import sys, os, time, arcgisscripting, math, random 87 from subprocess import call 88 gp = arcgisscripting.create(9.3)89 gp.CheckOutExtension("Spatial") 90 ls = os.linesep91 92 #function to convert seconds to hours and minutes (borrowed from: #http://mail.python.org/pipermail/python-list/2003-January.181366.html 93 94 def sec to h min(s): 95 temp = float()96 temp = float(s) / (60\*60\*24)97 d = int(temp)98 temp = (temp - d) \* 2499 h = int(temp)100 temp = (temp - h) \* 60101 m = int(temp)102 temp = (temp - m) \* 60103 sec = int(temp) 104 return h,m,sec 105 106 107 #inputs 108 quads = sys.argv[1] 109 quad\_id\_field = sys.argv[2] 110 quad id = sys.argv[3]111 state plane field = sys.argv[4] 112 state\_plane\_n\_sr\_file = sys.argv[5] 113 state\_plane\_n\_sr = gp.CreateObject("SpatialReference") 114 state\_plane\_n sr.CreateFromFile(state plane n sr file) 115 state plane s sr file = sys.argv[6] 116 state plane s sr = gp.CreateObject("SpatialReference") 117 state plane s sr.CreateFromFile(state plane s sr file)

```
118 workspace = sys.argv[7]
```

119 streams\_wspace = sys.argv[8] + "\\"

```
120 ned_dem = sys.argv[9]
```

- 121 lidar\_master\_wspace = sys.argv[10]
- 122 stream\_id\_method = sys.argv[11]

```
123 elev_diff = sys.argv[12]
```

```
124 neigh_maxsize = sys.argv[13]
```

```
125 elev_diff_trans = sys.argv[14]
```

```
126 trans_length = sys.argv[15]
```

```
127 max_carve_length = sys.argv[16]
```

```
128 iterations = sys.argv[17]
```

```
129 stream_id_nhood_script = sys.argv[18]
```

130 stream\_id\_transect\_script = sys.argv[19]

```
131 carve_script = sys.argv[20]
```

```
132 lidar_sample = sys.argv[21]
```

```
133 del_int_data = sys.argv[22]
```

134

```
135
```

- 136 #get the path to the Python executable, for running certain parts of the script as more memoryefficient sub-processes.
- 137 pythonexe = os.environ.get("PYTHONEXE") #will be used to generate sub-processes to prevent memory leaks

```
138 pythonexe += "\\python.exe"
```

139

```
140 #check to see if a new workspace must be created
```

```
141 if not os.path.exists(workspace + "\\" + quad_id):
```

```
142 os.mkdir(workspace + "\\" + quad_id)
```

```
143
```

144 workspace += "\\" + quad\_id + "\\"

```
145
```

146 #create the log textfile

```
147 log file path = workspace + "\\log.txt"
```

```
148 if not os.path.exists(log_file_path):
```

```
149 log_file = open(log_file_path, 'w')
```

```
150 log_file.write("QUAD_ID: " + quad_id + ls + ls)
```

```
151 log_file.write("Parameters:" + ls)
```

```
152 log_file.write(" - quads: " + quads + ls)
```

```
153 log_file.write(" - quad_id_field: " + quad_id_field + ls)
```

- 154 log\_file.write(" quad\_id: " + quad\_id + ls)
- 155 log\_file.write(" state\_plane\_field: " + state\_plane\_field + ls)

```
156 log_file.write(" - state_plane_n_sr_file: " + state_plane_n_sr_file + ls)
```

```
157 log_file.write(" - state_plane_s_sr_file: " + state_plane_s_sr_file + ls)
```

```
158 log file.write(" - workspace: " + workspace + ls)
```

```
159 log_file.write(" - streams_wspace: " + streams_wspace + ls)
```

```
160
                         - ned dem: " + ned dem + ls)
        log_file.write("
161
        log file.write("
                         - lidar master wspace: " + lidar master wspace + ls)
162
        log file.write("
                         - stream id method: " + stream id method + ls)
163
                         - elev diff: " + elev diff + ls)
        log file.write("
164
        log file.write("
                         - neigh maxsize: " + neigh maxsize + ls)
165
                         - upslope stream threshold: " + upslope stream threshold + ls)
        log file.write("
166
        log file.write("
                         - max carve length: " + max carve length + ls)
167
        log file.write("
                         - iterations: " + iterations + ls)
168
                         - stream_id_nhood_script: " + stream_id_nhood_script + ls)
        log file.write("
169
        log file.write("
                         - stream id transect script: " + stream id transect script + ls)
170
        log_file.write("
                         - stream_id_flowacc_script: " + stream_id_flowacc_script + ls)
                         - carve_script: " + carve_script + ls)
171
        log file.write("
172
        log file.write("
                         - lidar sample: " + lidar sample + ls)
173
        log file.write("
                         - delete intermediate data: " + del_int_data + ls + ls)
174
     else:
175
        log file = open(log file path, 'w')
176
177
178
     179
     #determine whether to skip the NED section because it had already been processed
180
     ned fid = workspace + "ned fid"
     ned fd = workspace + "ned fd"
181
182
     quad sel = workspace + "quad sel.shp"
183
184
     #Determine the state plane of the selected quad.
     cursor = gp.searchcursor(quads, ' "'+ quad_id_field +'" = \" + quad_id + '\' ')
185
186
     row = cursor.next()
187
     state_plane = row.getvalue(state_plane_field)
188
189
190
     if not gp.exists(ned_fid):
191
        log file.write(time.ctime() + " Prepping the NED DEM:" + ls)
192
193
        #Get the quad
194
        gp.AddMessage(" - Selecting Quad " + quad id)
195
        log_file.write(time.ctime() + "
                                          - Selecting Quad " + quad id + ls)
196
        gp.select analysis(quads, quad sel, ' "+ quad id field +" = \" + quad id + "\' ')
197
198
        #reproject the quad boundary if necessary
199
        quad sel desc = gp.describe(quad sel)
200
        if quad_sel_desc.SpatialReference.Name == "Unknown":
201
          gp.AddError('The selected quad does not have a defined projection.')
202
                                            - ERROR: Selecting Quad The selected quad does not
          log file.write(time.ctime() + "
```

```
99
```

have a defined projection.")

203	log file close()
203	del log file
204	sve evit()
205	5 <b>5</b> 5.0.m()
200	and not = and cal dece Spatial Paferance PCSCode
207	if state plane == "N":
200	if guad neg l= state plane n at PCSC ada; #Must re project to State Plane North
209	gp.AddMessage(" - Projecting quad boundary from " + quad_sel_desc.Name + " to " + state_plane_n_sr Name)
211	log_file.write(time.ctime() + " - Projecting quad boundary from " + quad_sel_desc.Name + " to " + state_plane_n_sr.Name + ls)
212	quad_proj = workspace + "quad_proj.shp"
213	gp.project_management(quad_sel, quad_proj, state_plane_n_sr)
214	gp.delete_management(quad_sel)
215	gp.rename_management(quad_proj, quad_sel)
216	elif state_plane == "S":
217	if quad_pcs != state_plane_s_sr.PCSCode: #Must re-project to State Plane South
218	gp.AddMessage(" - Projecting quad boundary from " + quad_sel_desc.Name + " to " +
219	log_file.write(time.ctime() + " - Projecting quad boundary from " + quad_sel_desc.Name + " to " + state_plane_s_sr.Name + ls)
220	quad_proj = workspace + "quad_proj.shp"
221	gp.project_management(quad_sel, quad_proj, state_plane_s_sr)
222	gp.delete_management(quad_sel)
223	gp.rename_management(quad_proj, quad_sel)
224	
225	#Clip the NED DEM by the quad boundary
226	ned_fd = workspace + "ned_fd"
227	if not gp.exists(ned_fd):
228	gp.AddMessage(" - Clipping the NED DEM by the quad boundary")
229	log_file.write(time.ctime() + " - Clipping the NED DEM by the quad boundary" + ls)
230	ned = workspace + "ned"
231	gp.ExtractByMask_sa(ned_dem, quad_sel, ned)
232	
233	
234	#Get the streams
235	<pre>streams_input = streams_wspace + quad_id + "ohy.shp"</pre>
236	<pre>streams = workspace + "streams.shp"</pre>
237	#Check to see if the stream dataset must be re-projected
238	<pre>streams_desc = gp.describe(streams_input)</pre>
239	if streams_desc.SpatialReference.Name == "Unknown":
24 <b>0</b> 24 1	<pre>gp.AddError('The selected stream dataset does not have a defined projection.') log_file.write(time.ctime() + " - ERROR: The selected stream dataset does not have a defined projection." + ls)</pre>

242	log_file.close()
243	del log_file
244	sys.exit()
245	
246	<pre>streams_pcs = streams_desc.SpatialReference.PCSCode</pre>
247	if state_plane == "N":
248	if streams_pcs != state_plane_n_sr.PCSCode: #Must re-project to State Plane North
249	gp.AddMessage(" - Projecting streams from " + streams_desc.SpatialReference.Name + " to
250	log_file.write(time.ctime() + " - Projecting streams from " + streams_desc.SpatialReference.Name + " to " + state_plane_n_sr.Name + ls)
251	#select the appropriate transformation
252	if '16N' in streams_desc.SpatialReference.Name:
253	transformation = "Thesis NAD1927 UTM16N to NAD1983 HARN Ohio State Plane North fe"
254	elif'17N' in streams_desc.SpatialReference.Name:
255	transformation =
	"Thesis_NAD1927_UTM17N_to_NAD1983_HARN_Ohio_State_Plane_North_fe"
256	gp.project_management(streams_input, streams, state_plane_n_sr, transformation)
257	else: # I he streams projection is already in the appropriate projection
258 259	gp.AddMessage(" - Stream re-projection not needed. Copying streams over to workspace.") log file.write(time.ctime() + " - Stream re-projection not needed. Copying streams
	over to workspace." + ls)
260	gp.copy_management(streams_input, streams)
261	elif state_plane == "S":
262 263	<pre>if streams_pcs != state_plane_s_sr.PCSCode: #Must re-project to State Plane South     gp.AddMessage(" - Projecting streams from " + streams_desc.SpatialReference.Name + " to     " + state_plane_s_sr_Name)</pre>
264	log_file.write(time.ctime() + " - Projecting streams from " + streams_desc.SpatialReference.Name + " to " + state_plane_s_sr.Name + ls)
265	#select the appropriate transformation
266	if '16N' in streams_desc.SpatialReference.Name:
267	transformation = "Thesis NAD1927 JITMI6N to NAD1983 HARN Obio State Plane South fe"
268	elif'17N' in streams, desc SnatialReference Name
269	transformation =
_	"Thesis_NAD1927_UTM17N_to_NAD1983_HARN_Ohio_State_Plane_South_fe"
270	gp.project_management(streams_input, streams, state_plane_s_sr, transformation)
271	else: #The streams projection is already in the appropriate projection
272 273	<pre>gp.AddMessage(" - Stream re-projection not needed. Copying streams over to workspace.") log_file.write(time.ctime() + " - Stream re-projection not needed. Copying streams over to workspace." + ls)</pre>
274	gp.copy_management(streams_input, streams)
275	
276	
277	#Convert the streams to a raster for DEM burning
278	gp.AddMessage(" - Converting streams to raster")

```
279
        log file.write(time.ctime() + "
                                        - Converting streams to raster." + ls)
280
        gp.ResetEnvironments()
281
        gp.Extent = ned
282
        gp.SnapRaster = ned
283
        gp.Mask = ned
284
        gp.CellSize = ned
285
        streams g temp = workspace + "streams g tmp"
286
        gp.PolylineToRaster conversion(streams, "Stream", streams g temp)
        streams g = workspace + "streams g"
287
288
        gp.SingleOutputMapAlgebra sa("con(IsNull(" + streams g temp +"), 0, 1)", streams g)
289
        gp.delete management(streams g temp)
290
291
        #Burn the streams into the NED DEM
292
        gp.AddMessage(" - Burning streams into NED DEM")
293
        log file.write(time.ctime() + "
                                         - Burning streams into NED DEM." + ls)
        ned b = workspace + "ned b"
294
        gp.SingleOutputMapAlgebra_sa("con(" + streams_g + " == 1, " + ned + ", " + ned + " + 10)",
295
     ned b)
296
297
        #Fill the NED DEMs
298
        gp.AddMessage(" - Filling NED DEM")
299
        log file.write(time.ctime() + "
                                         - Filling NED DEM." + ls)
        ned bf = workspace + "ned bf"
300
301
        gp.fill sa(ned b, ned bf)
302
303
        #Calculate NED Flowdirection
304
        print "Calculating NED flowdirection"
305
        gp.AddMessage(" - Calculating NED flow-direction")
306
        log file.write(time.ctime() + "
                                         - Calculating NED flow-direction." + ls)
307
        ned fd = workspace + "ned fd"
308
        gp.flowdirection sa(ned bf, ned fd)
309
310
        #determine if ned fd needs to be re-projected
311
        gp.ResetEnvironments()
312
        ned fd desc = gp.describe(ned fd)
313
        ned fd_pcs = ned_fd_desc.SpatialReference.PCSCode
314
        if state plane == "N":
315
          if ned fd pcs != state plane n sr.PCSCode: #Must re-project to State Plane North
316
            gp.AddMessage(" - Projecting ned fd boundary from " +
     317
                                           - Projecting ned fd boundary from "+
     ned fd desc.SpatialReference.Name + " to " + state_plane_n_sr.Name + ls)
318
            ned_fd_proj = workspace + "ned fd proj"
            gp.ProjectRaster management(ned fd, ned fd proj, state plane n sr, "NEAREST", "#",
319
      "NAD 1983 To HARN Ohio")
```

320	gp.delete_management(ned_fd)
321	gp.rename_management(ned_fd_proj, ned_fd)
322	elif state_plane == "S":
323 324	<pre>if ned_fd_pcs != state_plane_s_sr.PCSCode: #Must re-project to State Plane South     gp.AddMessage(" - Projecting ned_fd boundary from " + ned_fd_desc.Name + " to " +     state_plane_s_sr_Name)</pre>
325	log_file.write(time.ctime() + " - Projecting ned_fd boundary from " + ned_fd_desc.SpatialReference.Name + " to " + state_plane_s_sr.Name + ls)
32 <b>6</b> 327	<pre>ned_fd_proj = workspace + "ned_fd_proj" gp.ProjectRaster_management(ned_fd, ned_fd_proj, state_plane_s_sr, "NEAREST", "#", "NAD_1983_To_HARN_Ohio")</pre>
32 <b>8</b>	gp.delete_management(ned_fd)
329	gp.rename_management(ned_fd_proj, ned_fd)
330	
331 332	#Copy the NED flowdirection raster to a TIFF format for use as a template dataset for writing error output raster with GDAL later
333	gp.AddMessage(" - Creating template raster for flow error output")
334	log_file.write(time.ctime() + " - Creating template raster for flow error output." + ls)
335	<pre>ned_fd_float = workspace + "\\ned_fd_float"</pre>
336	gp.Float_sa(ned_fd, ned_fd_float)
337 338	<pre>template_raster = workspace + "\\template_raster.tif" gp.CopyRaster_management(ned_fd_float, template_raster, "#", "#", "#", "NONE", "NONE", "32_BIT_FLOAT")</pre>
339	gp.delete_management(ned_fd_float)
340	
341	#convert the ned_fd raster to a point feature dataset
342 343	<pre>gp.AddMessage(" - Converting NED flow-direction to a point feature dataset") log_file.write(time.ctime() + " - Converting NED flow-direction to a point feature dataset." + ls)</pre>
344	<pre>ned_fd_pt = workspace + "ned_fd_pt.shp"</pre>
345	gp.RasterToPoint_conversion(ned_fd, ned_fd_pt, "VALUE")
346	
347	#convert back to a raster, but with the FID values as the raster values
348 340	gp.AddMessage(" - Converting NED flow-direction point feature dataset back to a raster with the FID Values as raster values")
547	to a raster with the FID Values as raster values." + ls)
350	gp.ResetEnvironments()
351	gp.Extent = ned_fd
352	$gp.Cellsize = ned_fd$
353	gp.Mask = ned_fd
354	gp.SnapRaster = ned_fd
355	gp.PointToRaster_conversion(ned_fd_pt, "FID", ned_fid, "MOST_FREQUENT", "NONE")
356 357	gp.delete_management(ned_fd_pt) #re-generate the raster using Map Algebra, this prevents the addition of NoDATA cells around the permiter

```
358
       #of ned fid, which PointToRaster can do.
359
       gp.ResetEnvironments()
360
       gp.Extent = ned fd
361
       gp.Cellsize = ned fd
362
       gp.Mask = ned fd
363
       gp.SnapRaster = ned fd
364
       ned fid2 = ned fid + "2"
365
       gp.SingleOutputMapAlgebra sa(ned fid, ned fid2)
366
       gp.delete management(ned fid)
367
       gp.rename management(ned fid2, ned fid)
368
369
       #clean up
370
       if del int data == "True":
371
         gp.delete management(streams)
372
         gp.delete management(streams g)
373
         gp.delete management(ned b)
374
         gp.delete management(ned bf)
375
376
377
     #get the width of the NED flowdirection raster, for storing in the parameters text file
378
     gp.AddMessage(" - Reading in NED raster cell size")
379
     log file.write(time.ctime() + "
                                   - Reading in NED raster cell size." + ls)
380 ned_descr = gp.describe(ned fd)
381
     ned_height = ned_descr.meancellheight
382
     ned width = ned descr.meancellheight
383
384
     385
386
387
     388
389
     if not os.path.isdir(workspace + "lidar"):
390
       os.mkdir(workspace + "lidar")
391
392
       #determine the LiDAR datasets that intersect the selected quad
393
       log_file.write(ls + "LiDAR DEM prep:" + ls)
394
       gp.AddMessage(" - Identifying LiDAR Rasters that intersect Quad " + quad id)
395
       log file.write(time.ctime() + "
                                     - Identifying LiDAR Rasters that intersect Quad " + quad id
     + ls)
396
397
    quad_sel_desc = gp.describe(quad_sel)
398
    quad sel ll x = quad sel desc.extent.xmin
```

```
399 quad_sel_ll_y = quad_sel_desc.extent.ymin
```

```
400 quad_sel_height = quad_sel_desc.extent.Height
```

```
401 quad sel width = quad sel desc.extent.Width
```

402

```
403 #determine the name of the LiDAR dataset that contains the lower_left corner of the quad
```

```
404 #first get the rasters
```

- 405 lidar\_rasters = []
- 406 lidar\_master\_wspace\_contents = os.listdir(lidar\_master\_wspace)
- 407 for i in lidar\_master\_wspace\_contents:
- 408 if os.path.isdir(lidar\_master\_wspace + "\\" + i):
- 409 lidar\_rasters.append(i)
- 410 del lidar\_master\_wspace\_contents
- 411
- 412 #determine the size of a LiDAR raster

```
413 lidar_descr = gp.describe(lidar_master_wspace + "\\" + lidar_rasters[0] + "\\" + lidar_rasters[0])
```

- 414 lidar\_height = lidar\_descr.extent.ymax lidar\_descr.extent.ymin
- 415 lidar\_width = lidar\_descr.extent.xmax lidar\_descr.extent.xmin
- 416 lidar\_rasters\_per\_quad\_height = int(math.ceil(quad\_sel\_height / lidar\_height))
- 417 lidar\_rasters\_per\_quad\_width = int(math.ceil(quad\_sel\_width / lidar\_width))

418

- 419 for i in range(len(lidar rasters)):
- 420 #get the lidar lower left coordinates from the LiDAR name (first is state plane system, 2-5 are x and last 3 are y)
- 421 lidar\_ll\_x = int(lidar\_rasters[i][1:5] + "000")
- 422  $lidar_ll_y = int(lidar_rasters[i][5:] + "000")$
- 423
- 424 ll\_x\_diff = quad\_sel\_ll\_x lidar\_ll\_x
- 425 ll\_y\_diff = quad\_sel\_ll\_y lidar\_ll\_y
- 426
- 427 if ll\_x\_diff < lidar\_width and ll\_x\_diff >=0 and ll\_y\_diff < lidar\_height and ll\_y\_diff >=0: #we've found the lower left LiDAR Dataset
- 428 ll\_lidar\_raster = lidar\_rasters[i]

429

430 #get the other defining rasters

```
431 ul_lidar_raster = lidar_rasters[i][:5] + str(lidar_ll_y + ((lidar_rasters_per_quad_height - 1) * lidar_height))[:3]
```

```
432 ur_lidar_raster = lidar_rasters[i][:1] + str(lidar_ll_x + ((lidar_rasters_per_quad_width - 1) *
lidar_width))[:4] + str(lidar ll y + ((lidar rasters_per_quad_height - 1) * lidar_height))[:3]
```

```
433 lr_lidar_raster = lidar_rasters[i][:1] + str(lidar_ll_x + ((lidar_rasters_per_quad_width - 1) * lidar_width))[:4] + lidar_rasters[i][5:]
```

434

```
435 break
```

- 437 #use the corner rasters to define a list of rasters for the entire quad
- 438 lidar\_raster\_list = [[]] \* lidar\_rasters\_per\_quad\_height
- 439 for i in range(lidar\_rasters\_per\_quad\_height):

```
440
         lidar_raster_list[i] = [[]] * lidar_rasters_per_quad_width
441
442
      x location = int(ll lidar raster[1:5] + "000")
      y location = int(ll lidar raster[5:] + "000")
443
444
       prefix = state plane.lower()
445
446
       for i in range(lidar rasters per quad height):
447
         for j in range(lidar rasters per quad width):
448
            lidar raster list[i][j] = prefix + str(x location)[:4] + str(y location)[:3]
449
            x location += lidar width
450
         y location += lidar height
451
         #reset the x location
452
         x_\text{location} = \text{int}(u_\text{lidar} \text{ raster}[1:5] + "000")
453
454
      #Trim the boundaries off of lidar raster list to avoid edge issues during the analysis.
455
      #There will be some areas where the NED dem does not cover the entire LiDAR dem.
456
      lidar_raster_list2 = []
457
       for i in range(1, len(lidar raster list) - 1):
458
         lidar raster list2.append(lidar raster list[i][1:len(lidar raster list[i]) - 1])
459
       del lidar raster list
460
461
462
      if lidar sample == "True":
463
         #remove half of the rasters in the form of staggered lattice
464
         lidar raster list3 = []
465
         for i in range(len(lidar_raster_list2)):
466
            lidar_raster_list3.append([])
467
            #determine whether i is odd or even
468
            if i \% 2 == 0: # it's even, start at the first index of the row
469
               for j in range(0, len(lidar raster list2[i]), 2):
470
                 lidar raster list3[i].append(lidar raster list2[i][j])
471
            else: # its odd, start at the second index of the row
472
              for j in range(1, len(lidar raster list2[i]), 2):
473
                 lidar_raster_list3[i].append(lidar_raster_list2[i][j])
474
      else:
475
         lidar raster list3 = lidar raster list2
476
477
478
      #move the list into a simpler to handle single dimension
479
      lidar raster list = []
480
      for i in range(len(lidar raster list3)):
481
         for j in range(len(lidar raster list3[i])):
482
            lidar raster list.append(lidar raster list3[i][j])
```

```
483
484
      del lidar raster list2, lidar raster list3
485
486
487
      #call code to prep the LiDAR tiles
488
      for i in range(len(lidar raster list)):
489
         if not os.path.exists(workspace + "lidar\\" + lidar raster list[i]):
490
           os.mkdir(workspace + "lidar\\" + lidar raster list[i])
491
492
         gp.AddMessage("
                             - Prepping LiDAR tile " + str(lidar raster list[i]) + " (" + str(i) + " of " +
      str(len(lidar raster list)) + ")")
493
         log_file.write(time.ctime() + "
                                              - Prepping LiDAR tile " + str(lidar raster list[i]) + " (" +
      str(i) + "of " + str(len(lidar raster list)) + ")" + ls)
494
         lidar_prep_time start = time.clock()
495
496
         #get the lidar raster
497
         lidar_dem = lidar master wspace + "\\" + lidar raster list[i] + "\\" + lidar raster list[i]
498
         lidar wspace = workspace + "lidar\\" + lidar raster list[i]
499
500
         #identify the stream network
501
         lidar fd = lidar wspace + "\\lidar fd"
502
         if not os.path.exists(lidar fd): #then the code did not complete for this raster
503
504
           lidar stream = lidar wspace + "\\lidar stream"
505
           if not os.path.exists(lidar_stream):
506
              stream id time start = time.clock()
507
              gp.AddMessage("
                                      - Identifying stream cells with the " + stream id method + "
      method")
508
              log file.write(time.ctime() + "
                                                     - Identifying stream cells with the " +
      stream_id_method + " method" + ls)
509
510
             if stream_id_method == "neighborhood":
511
                call([pythonexe, stream id nhood script, lidar dem, elev diff, neigh maxsize,
      lidar_stream, lidar_wspace])
512
513
             elif stream id method == "transect":
514
                call([pythonexe, stream id transect script, lidar dem, neigh maxsize, elev diff,
      trans stream, lidar wspace])
515
516
             elif stream_id_method == "neighborhood transect combo":
517
                #run the neighborhood method
518
                gp.AddMessage("
                                           - First identifying stream cells with the neighborhood
      method")
519
                log_file.write(time.ctime() + "
                                                          - First identifying stream cells with the
      neighborhood method" + ls)
520
               nhood_stream = lidar_wspace + "\\nhood_stream"
```

521	call([pythonexe, stream_id_nhood_script, lidar_dem, elev_diff, neigh_maxsize, nhood_stream, lidar_wspace])
522	
523	#run the transect method
524 525	gp.AddMessage("       - Next identifying stream cells with the transect method")         log_file.write(time.ctime() + "       - Next identifying stream cells with the
507	transect method + is)
526 527	trans_stream = lidar_wspace + "\\trans_stream" call([pythonexe, stream_id_transect_script, lidar_dem, neigh_maxsize, elev_diff, trans_stream, lidar_wspace])
52 <b>8</b>	
529	#combine the two results
530 531	gp.AddMessage(" - Combining the neighborhood and transect outputs") log file.write(time.ctime() + " - Combining the neighborhood and transect
	outputs" + ls)
532	gp.ResetEnvironments()
<b>5</b> 33	gp.Extent = lidar_dem
<b>5</b> 34	gp.Mask = lidar_dem
535	gp.SnapRaster = lidar_dem
536	<pre>gp.SingleOutputMapAlgebra_sa("con(" + nhood_stream + " == 1   " + trans_stream + " == 1, 1, 0)", lidar_stream)</pre>
537	
<b>538</b>	
539	else:
540 541	gp.AddError("UNRECOGNIZED STREAM IDENTIFICATION METHOD") log_file.write(time.ctime() + " - ERROR: UNRECOGNIZED STREAM IDENTIFICATION METHOD")
542	log_file.close()
543	del log file
544	sys.exit()
545	
546	stream id time stop = time.clock()
547	h,m,s = sec to h min(stream id time stop - stream id time start)
548 549	gp.AddMessage(" - ID took " + str(m) + " minutes " + str(s) + " seconds") log_file.write(time.ctime() + " - ID took " + str(m) + " minutes " + str(s) + " seconds" + ls)
550	
551	#use the identified stream cells to burn through artificial barriers in the LiDAR DFM
552	carved dem = lidar wspace + "\\carved dem"
553	if not as noth exists (carved dem):
554	stream carve time start = time clock()
555	on AddMessage(" Carving stream cells through artificial harriers")
556	log_file.write(time.ctime() + " - Carving stream cells through artificial barriers" + ls)
557	call([pythonexe, carve_script, lidar_dem, lidar_stream, max_carve_length, iterations, carve_iteration_script, "true", carve_dem, lidar_wspace])
558	<pre>stream_carve_time_stop = time.clock()</pre>

559	h,m,s = sec_to h min(stream carve_time stop - stream_carve_time_start)
560	gp.AddMessage(" - Carve took " + str(m) + " minutes " + str(s) + " seconds")
561	log_file.write(time.ctime() + " - Carve took " + str(m) + " minutes " + str(s) + "
560	seconds" + Is)
562	
564	#Dum in the identified streams into the LIDAR DEM
565	gp.KesetEnvironments()
505	lidar_burn = lidar_wspace + "\\lidar_burn"
567	IT NOT OS.patn.exists(Ildar_burn):
560	gp.AddMessage(" - Burning streams into LIDAR DEM )
568 569	on SingleOutputMapAlgebra sa("con(" + lidar stream + " == 1, " + carved dem + ", " +
C	arved_dem + " + 10)", lidar_burn)
570	
571	#fill the carved and stream_burned LiDAR DEM
572	lidar_fill = lidar_wspace + "\\lidar_fill"
573	if not os.path.exists(lidar_fill):
574	gp.AddMessage(" - Filling the LiDAR DEM")
575	log_file.write(time.ctime() + " - Filling the LiDAR DEM" + ls)
576	gp.fill_sa(lidar_burn, lidar_fill)
57 <b>7</b>	
57 <b>8</b>	#calculate flow-direction on the filled LiDAR DEM
57 <b>9</b>	gp.AddMessage(" - Calculating LiDAR DEM flow-direction")
580	log_file.write(time.ctime() + " - Calculating LiDAR DEM flow-direction" + ls)
581	gp.flowdirection_sa(lidar_fill, lidar_fd)
582	
583	#create a version of the LiDAR dataset with the NED FID values
584	lidar_ned_fid = lidar_wspace + "\\lidar_ned_fid"
585	if not os.path.exists(lidar_ned_fid):
586	gp.AddMessage(" - Creating LiDAR scale raster of NED FID values")
- 100	log_file.write(time.ctime() + " - Creating LiDAR scale raster of NED FID values"
588	an RecetEnvironments()
589	$g_{\text{p.ResetEnvironments}}(f)$
590	$g_{\text{P},\text{DMent}} = nda_{\text{H}}$
591	$g_{p,censize} = ndar_{id}$
592	$gp.mask = mai_n$
593	gn Single Output Man Algebra sa(ned fid lidar ned fid)
594	gp.smgleoutputmapAigeora_sa(ileu_ilu, iluai_ileu_ilu)
595	
596	#Getting the LiDAR cell size for the parameters text file that will inform the
597	#selection of LiDAR tiles based on the NED DEM coordinate
598	on AddMessage(" - Recording LiDAR cellsize info for parameters text file")
599	log_file.write(time.ctime() + " - Recording LiDAR cellsize info for parameters text
	file" + ls)

600	lidar descr = gp.describe(lidar fd)
601	lidar height = lidar descr.meancellheight
602	lidar width = lidar descr.meancellheight
603	lidar cells per ned cell = ((ned height / lidar height) + (ned width / lidar width)) * 0.5
604	buffer size = int(lidar cells per ned cell * 0.5)
605	
606	#write cell size information to a parameters textfile for processing
607	parameters_file_path = lidar_wspace + "\\flow_analysis_parameters.txt"
608	parameters_file = open(parameters_file_path, 'w')
609	parameters_file.write("ned_height;" + str(ned_height) + ls)
610	parameters_file.write("ned_width;" + str(ned_width) + ls)
611	parameters_file.write("lidar_height;" + str(lidar_height) + ls)
612	parameters_file.write("lidar_width;" + str(lidar_width) + ls)
613	parameters_file.write("lidar_cells_per_ned_cell;" + str(lidar_cells_per_ned_cell) + ls)
614	<pre>parameters_file.write("buffer_size;" + str(buffer_size) + ls)</pre>
615	parameters_file.close()
616	del parameters_file
617	
618	
619	#create a binary raster of flat areas, so these areas may be discarded
620	#in the calculation of flow-direction error
621	gp.AddMessage(" - Creating a mask of flat areas")
622	log_file.write(time.ctime() + " - Creating a mask of flat areas" + ls)
623	gp.ResetEnvironments()
624	gp.Extent = lidar_fill
625	gp.SnapRaster = lidar_fill
626	gp.Mask = lidar_fill
627	gp.CellSize = lidar_fill
628	#calculate slope
629	<pre>slope_temp = lidar_wspace + "\\slope_temp"</pre>
630	if not gp.Exists(slope_temp):
631	gp.Slope_sa(lidar_fill, slope_temp, "PERCENT_RISE")
032 632	#convert slope = 0% to binary grid
033 624	flat_areas = lidar_wspace + "\\flat_areas"
034 635	if not gp.Exists(flat_areas):
636	<pre>gp.SingleOutputMapAlgebra_sa("con(" + slope_temp + " == 0, 1, 0)", flat_areas)</pre>
637	gp.delete_management(slope_temp)
638	
630	#clean up
640	if del_int_data == "True":
641	gp.AddMessage(" - Deleting intermediate data")
642	log_file.write(time.ctime() + " - Deleting intermediate data" + ls)
~ 74	if os.path.exists(carved dem):

643	gp.delete_management(carved_dem)
644	if os.path.exists(lidar_stream):
645	gp.delete_management(lidar_stream)
646	if os.path.exists(lidar_burn):
647	gp.delete_management(lidar_burn)
648	if os.path.exists(lidar fill):
649	gp.delete management(lidar fill)
650	
65 1	
652	gp.ResetEnvironments()
653	or the second
654	seconds = time.clock() - lidar prep time start
655	h,m,s = sec to $h min(seconds)$
656	
057	gp.AddMessage(" - Tile " + str(lidar_raster_list[i]) + " took " + str(m) + " minutes " +
650	str(s) + "seconds")
	$log_file.write(time.ctime() + " - 1 lie" + str(lidar_raster_list[1]) + "took" + str(m) + "$ minutes " + str(s) + "seconds" + ls)
659	
660	log file.close()
661	del log_file

### APPENDIX B - Python Code

### stream\_dlg\_conversion.py

```
1 #-----
 2 # stream_dlg_conversion.py
 3 # Created September 2009
 4 # Author: Glenn O'Neil
 5 #
     # Description: Takes a directory of DLG hydrography files and converts each
 6
 7
               files relevant features to ESRI shapefiles. Crashes due to an
     #
 8
     #
               ESRI bug if it tries to process more than 70 files.
 9
    #
10 # Inputs:
                 1. dlg wspace - directory containing DLG hypsography files.
11 #
              2. scratch wspace - directory for temporary files.
12 #
               3. out wspace - directory where the output shapefiles are written.
13 #
14 # Outputs: 1. <quad_name>_ohy.shp - shapefile of quadrangle contours.
15 # -----
16 import os, arcgisscripting, sys
17 gp = arcgisscripting.create(9.3)
18
19 dlg wspace = sys.argv[1]
20 scratch wspace = sys.argv[2] + "\\"
21 out_wspace = sys.argv[3] + "\\"
22
23 #get the dlg files
24 dlg wspace list = os.listdir(dlg wspace)
25 dlg list = []
26 #filter the list so it only contains .dlg files
27 for i in range(len(dlg wspace list)):
28
       if '.dlg' in (dlg_wspace_list[i]):
29
         dlg_list.append(dlg_wspace_list[i])
30
     del dlg_wspace_list
31
32
     dlg_list_length = len(dlg_list)
     for i in range(dlg list length):
33
       gp.AddMessage("Processing " + str(i + 1) + " of " + str(dlg_list_length) + ":")
34
35
36
       #convert the dlg to a coverage
37
       gp.AddMessage(" - converting DLG to coverage")
38
       dlg cov = scratch wspace + "dlg cov"
39
       gp.dlgarc(dlg_wspace + "\\" + dlg_list[i], dlg_cov)
```

```
40
41
         #convert the coverage to a shapefile
42
         gp.AddMessage(" - converting coverage to shapefile")
43
         dlg shp = dlg cov + " arc.shp"
44
         gp.FeatureClassToShapefile(dlg cov + "\\arc", scratch wspace)
45
 46
         #join the .acode file to the shapefile table on the ID field
 47
         gp.AddMessage(" - joining acode table to shapefile")
  48
         acode = dlg cov + ".acode"
  49
         gp.joinfield (dlg shp, "ID", acode, "DLG COV-ID")
  50
  51
         #extract the appropriate stream features
  52
         gp.AddMessage(" - extracting stream features")
  53
         #get the appropriate fields from dlg shp
  54
         code fields = gp.listfields(dlg shp, 'MINOR*')
 55
 56
         select query = "MAJOR1" = 50 AND ('
 57
         for j in range(len(code fields)):
 58
           if j != (len(code fields) - 1):
 59
              select query += "" + code fields[j].Name + " IN (400,401,412,413,414,605,606) OR
      .
 60
           else: #treat the last record differently
 61
              select query += "" + code fields[j].Name + " IN (400,401,412,413,414,605,606))'
 62
 63
         dlg out = out wspace + dlg list[i][:8] + '.shp'
 64
         gp.select analysis(dlg shp, dlg out, select query)
 65
 66
         gp.AddMessage(" - deleting intermediate data")
 67
         gp.delete management(dlg cov)
 68
         gp.delete_management(dlg_shp)
 69
 70 del dlg list, select query
```

## APPENDIX B – Python Code

## stream\_id\_nhood.py

1	#
2	# stream id nhood.py
3	# Created September 2009
4	# Author: Glenn O'Neil
5	#
6	# Description: Takes an elevation raster and identifies potential stream cells
7	# based on their relationship to cell neighborhood of user-specified
8	# size. The basic premise is that stream cells will be opposed
9	# by higher elevation in one direction (stream banks) and similar
10	# elevations in the direction perpendicular to the bank cells.
11	#
12	# Inputs: 1, elev raster - the elevation raster
13	# 2. elev. diff - the difference in elevation between a cell and a
14	# neighbor that, when exceeded, could notentially represent
15	# a stream bank.
16	# 3. neigh maxsize - the maximum neighborhood size (in cells) to
17	# search for the stream cell relationship defined above.
18	# 4. stream raster - the output binary stream raster.
19	# 5. workspace - the directory where temporary files will be written.
20	#
21	# Outputs: 1. stream raster - the output binary stream raster.
22	#
23	from decimal import *
24	from math import floor
25	import os, sys, time, arcgisscripting
50	import raster analysis as raster
27	1s = os.linesep
<b>8</b> S	gp = arcgisscripting.create(9.3)
29	
30	arcgis home = os.environ.get("ARCGISHOME")
31	gp.AddToolbox(arcgis home + "ArcToolbox\\Toolboxes\\Conversion Tools.tbx")
35	
33	#function to convert seconds to hours and minutes (borrowed from:
34	#http://mail.python.org/pipermail/python-list/2003-January.181366.html
32	def sec to h min(s):
36	temp = float()
37	temp = float(s) / (60*60*24)
3 <b>8</b>	d = int(temp)
39	temp = (temp - d) * 24

40	$\mathbf{h} = int(temp)$
41	$\mathbf{temp} = (\mathbf{temp} - \mathbf{h}) * 60$
42	m = int(temp)
43	temp = (temp - m) * 60
44	sec = int(temp)
45	return h,m,sec
46	
47	
48	#get the necessary files from the user
49	elev raster = sys.argv[1]
50	#get the elevation difference that will identify streambed cells
51	elev diff = svs arov[2]
52	elev diff = float(elev diff)
53	#get the may neighborhood size
54	neigh maysize = sys argy[3]
55	Hat the file name and nath for the output stream raster
56	$\frac{1}{2} \operatorname{get} \operatorname{une} \operatorname{ine} \operatorname{une} \operatorname{and} \operatorname{get} \operatorname{une} \operatorname{output} \operatorname{stream} \operatorname{raster}$
57	Sucan _iastci = sys.aigv[4]
SR	#get the schalen workspace
50	workspace - sys.argv[5] + W
50	Hotart the times
61	#start the time = time electr()
67	start_time = time.clock()
62	
64	#convert the raster to a text file
64	elev_ascii_path = workspace + "elev_ascii.txt"
55	gp.AddMessage("- Converting raster to ASCII")
60	gp.Raster I oASCII_conversion(elev_raster, elev_ascii_path)
5,	
60	#record the header information for writing in the output stream file
20	header_list = raster.extract_header(elev_ascii_path)
7.	
7-	#read the elevation text raster into a list
~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~	elev_list = raster.rastertext2list(elev_ascii_path, 'float')
· 3 7 -	os.remove(elev_ascii_path)
7 -	
7-	#intiate a list to represent the resulting stream ascii, set initial values to 0.
7-	stream_list = [[]] * len(elev_list)
7	for i in range(len(stream_list)):
8	stream_list[i] = [0] * len(elev_list[0])
-9	
00	#Move through elev_list and look at the surrounding neighbors for
<b>G</b> 1	#values that exceed the user-specified elevation difference. If one is found,
<b>Z</b> 2	#check the opposite cell. For example, if a southeast cell is above the

. .

83	#threshold, check the corresponding northwest cell. If both are above the
84	<b>#threshold</b> , then the center cell may be the stream. To check, check the opposite
85	#set of cells (in the example above this would be the southwest and northwest
86	#cells. If they are below the threshold, then that direction may be the stream.
87	#Code those cells to 1 in the stream list.
88	
89	
90	#counters for output
91	streambed cells = $0$
92	
93	#a function for analyzing neighborhoods
94	def nhood (thelist, row index, col index, nsize):
95	#thelist is the list to operate on
96	#row index is the row index number of the center cell
97	#col index is the column index number of the center cell
98	#nsize is the size of the neighborhood buffer (nsize of $1 = 3x3$ neighborhood)
99	
100	ubound index = row index - nsize #the upper index
101	bbound index = row index + nsize #the bottom index
102	- $        -$
103	rbound index = col index + nsize #the right index
104	0
105	global streambed cells
	<b>o</b> -
106	
106	#check to see if we're near the boundary of the dataset, and adjust accordingly
106 107 108	#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound index $< 0$ : ubound index $= 0$
106 $107$ $108$ $109$	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound index &gt; (len(thelist) - 1): bbound index = (len(thelist) - 1)</pre>
106 107 108 109 110	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0</pre>
106 107 108 109 110 111	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1)</pre>
106 107 108 109 110 111 112	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1)</pre>
106 107 108 109 110 111 112 112	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness</pre>
106 107 108 109 110 111 112 113 114	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness center_value = thelist[row_index][col_index]</pre>
106 107 108 109 110 111 112 113 114 115	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness center_value = thelist[row_index][col_index] max_value = center_value</pre>
106 107 108 109 110 111 112 113 114 115 116	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness center_value = thelist[row_index][col_index] max_value = center_value max_location = [row_index,col_index]</pre>
106 107 108 109 110 111 112 113 114 115 117	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness center_value = thelist[row_index][col_index] max_value = center_value max_location = [row_index,col_index] for k in range(ubound_index, bbound_index):</pre>
1067 1089 1101 1123 1123 1134 1175 1178	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness center_value = thelist[row_index][col_index] max_value = center_value max_location = [row_index,col_index] for k in range(ubound_index, rbound_index):     for l in range(lbound_index, rbound_index):</pre>
1067 1078 1109 1112 1123 1134 1112 1113 1113 1113 1113	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness center_value = thelist[row_index][col_index] max_value = center_value max_location = [row_index,col_index] for k in range(ubound_index, rbound_index):     for l in range(lbound_index, rbound_index):         if thelist[k][l] &gt; max_value:</pre>
1067 1089 1109 1112 1123 1134 11567 890 1112 1157 11890	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness center_value = thelist[row_index][col_index] max_value = center_value max_location = [row_index,col_index] for k in range(ubound_index, bbound_index):     for l in range(lbound_index, rbound_index):         if thelist[k][l] &gt; max_value:             max_value = thelist[k][l]</pre>
1067 1078 1109 1112 1123 1112 1112 1112 1112 1112 111	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness center_value = thelist[row_index][col_index] max_value = center_value max_location = [row_index,col_index] for k in range(ubound_index, bbound_index): for l in range(lbound_index, rbound_index): if thelist[k][l] &gt; max_value: max_value = thelist[k][l] max_row_index = k</pre>
1067 1089 1112 1112 1112 1112 1123 1112 1123 1112 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1123 1	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness center_value = thelist[row_index][col_index] max_value = center_value max_location = [row_index,col_index] for k in range(ubound_index, rbound_index):     if thelist[k][l] &gt; max_value:         max_value = thelist[k][l]         max_row_index = k         max_col_index = 1</pre>
106789011234567890123	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness center_value = thelist[row_index][col_index] max_value = center_value max_location = [row_index,col_index] for k in range(ubound_index, rbound_index):     if thelist[k][l] &gt; max_value:         max_value = thelist[k][l]         max_row_index = k         max_col_index = l</pre>
1067890112345678901234	<pre>#check to see if we're near the boundary of the dataset, and adjust accordingly if ubound_index &lt; 0: ubound_index = 0 if bbound_index &gt; (len(thelist) - 1): bbound_index = (len(thelist) - 1) if lbound_index &lt; 0: lbound_index = 0 if rbound_index &gt; (len(thelist[0]) - 1): rbound_index = (len(thelist[0]) - 1) #find the cell in the neighborhood with the maximum steepness center_value = thelist[row_index][col_index] max_value = center_value max_location = [row_index,col_index] for k in range(lbound_index, rbound_index):     if thelist[k][l] &gt; max_value:         max_value = thelist[k][l]         max_row_index = k         max_col_index = 1 if (max_value - center_value) &gt; elev_diff: #There was a cell in the neighborhod</pre>

126	#Now look for another steep cell on the opposite side of the center cell
127	#first, find the distance between the max location and center cell
128	row_distance = row_index - max_row_index
129	col_distance = col_index - max_col_index
130	abs_row_distance = abs(row_distance) if abs(row_distance) > 0 else 1
131	abs_col_distance = abs(col_distance) if abs(col_distance) > 0 else 1
132	
133	<pre>opposite_row_index = row_index + row_distance</pre>
134	<pre>opposite_col_index = col_index + col_distance</pre>
135	
136	#check for the boundaries
137	if opposite_row_index < 0: opposite_row_index = 0
138	elif opposite_row_index > bbound_index: opposite_row_index = bbound_index
139	
140	if opposite_col_index < 0: opposite_col_index = 0
141	elif opposite_col_index > rbound_index: opposite_col_index = rbound_index
142	
143	
144	if (thelist[opposite_row_index][opposite_col_index] - center_value) > elev_diff:
145	#Then the opposite side is also above the threshold. The center of
146	#the neighborhood may be a the stream.
147	
148	#Get the indexes of the recipricol diagonal (e.g. the peaks were northeast and southwest of
149	#the center cell. Now check northwest and southwest to see if it's less than the threshold.
150	recip_row_index1 = row_index - col_distance
151	<pre>recip_col_index1 = col_index + row_distance</pre>
152	<pre>recip_row_index2 = row_index + col_distance</pre>
153	recip_col_index2 = col_index - row_distance
154	
155	if recip_row_index1 < 0: recip_row_index1 = 0
156	elif recip_row_index1 > bbound_index: recip_row_index1 = bbound_index
157	
15 <b>8</b>	if recip_row_index2 < 0: recip_row_index2 = 0
159	elif recip_row_index2 > bbound_index: recip_row_index2 = bbound_index
160	
161	if recip_col_index1 < 0: recip_col_index1 = 0
162	<pre>elif recip_col_index1 &gt; rbound_index: recip_col_index1 = rbound_index</pre>
163	
164	if recip_col_index2 < 0: recip_col_index2 = 0
165	<pre>elif recip_col_index2 &gt; rbound_index: recip_col_index2 = rbound_index</pre>
166	
167	if (thelist[recip_row_index1][recip_col_index1] - center_value) < elev_diff and

168	
169	streambed_cells += 1
170	#it might be the stream.
171	
172	#We now begin to define the stream basin.
173	#In this instance, we will define a rectangular region, with the max value location,
174	#it's opposite index, and the two reciprocal indidecs as the corners.
175	#The area of the rectangle will be coded 1, defining it as part of the streambed.
176	#To do this we must determine the slope of the rectangles edges. This will
177	#enable us to define the area within the edges. Though, we must determine the
178	#path from one corner to the other. Here is an example.
179	#If the slope was 15/7, it would make a big L shaped edge.
180	#We need to find the relatively straight path from each corner to the next.
181	#We do this by reducing the smaller number of the
182	#slope to 1. For example, a slope of 15/7 would reduce to a horizontal (H)
183	#movment of 1 for every 2.5 vertical movements (V). Of course we can't move
184	#2.5 cells. So we will construct a list of vertical movements for the path from
185	# the max cell to the first reciprocal cell (one edge of the rectangle). In our
186	#example above, half of the vertical movements in that list will be a value of 3,
187	#and half will be 2. Because, along the path, for every horizontal movement of 1,
188	#50% of the time the subsequent vertical movement will be 2, and 50% of the time 3.
189	
190	#We had previously determined the absolute row and col distance from the max cell
191	#to the center cell. The slope of the edge from the max cell to the first reciprocal
192	#cell (one edge of the rectangle) is as follows:
193	
194	#Calculate new row and col distances. This time from the max index to the first
105	reciprocal
195	With the state of the state of the second strength through the second substitutes
190	# watch out for the edges. They could throw off these calculations
19/	#using absolute values can help avoid the problem. Just swap the values
198	orig_max_row_index = max_row_index
199	orig_max_col_index = max_col_index
200	orig_recip_row_index1 = recip_row_index1
201	orig_recip_col_index i = recip_col_index i
202	if (abs(row index - max row index) < abs(row index - opposite row index)) or
	(abs(col_index - max_col_index) < abs(col_index - opposite_col_index)):
204	#you need to switch the max and opposite indexes
205	max_row_index = opposite_row_index
206	max_col_index = opposite_col_index
207	opposite_row_index = orig_max_row_index
208	opposite_col_index = orig_max_col_index
209	

b

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210	if (abs(row_index - recip_row_index1) < abs(row_index - recip_row_index2)) or (abs(col_index - recip_col_index1) < abs(col_index - recip_col_index2)):
211	#you need to switch the reciprocal indexes
212	recip_row_index1 = recip_row_index2
213	<pre>recip_col_index1 = recip_col_index2</pre>
214	recip_col_index2 = orig_recip_col_index1
215	recip_row_index2 = orig_recip_row_index1
216	
217	
218	row_distance2 = max_row_index - recip_row_index1
219	col_distance2 = max_col_index - recip_col_index 1
220	
221	abs_row_distance2 = float(abs(row_distance2))
222	abs_col_distance2 = float(abs(col_distance2))
223	
224	#Initiate lists that will store the h_move and v_move lists.
225	#The first list will contain the h_move and v_move values for the path
226	#from the max index to the first reciprocal index.
227	#The second list will contain the h_move and v_move values for the path
228	#from the max index to the second reciprocal index.
229	#The stream basin will be defined by looping throught the first list
230	#within the second list.
231	#The list sizes will be the same as the minimum value between abs_row_distance2
232	#and abs_col_distance2.
233	<pre>list_size = min(abs_row_distance2, abs_col_distance2)</pre>
234	if list_size == 0: list_size = 1
235	
236	abs_difference = abs(abs_row_distance2 - abs_col_distance2)
237	
238	
239	$move_quotient = 0$
240	#Determine the h_move and v_move
241	if abs_row_distance2 < abs_col_distance2 and abs_row_distance2 != 0: #we're stepping
242	nonzontally
242	freed the maximum H distance for a V distance of 1
245	$\frac{1}{1000}$ if col. distance $2 > 0$ ; $\frac{1}{1000}$ is storping lot
244	if abs, row distance $2 > 0$ .
245	move quotient = (abs col distance 2/abs row distance 2) * 1
240	min h move = $int(floor(move, quotient)) + 1$
247	$\lim_{n \to \infty} \lim_{n \to \infty} \lim_{n$
270 240	$max_{h} move = min_{h} move_{h} 1$
277 250	else.
250	max  h  may a = min  h  may a
231	max_n_move - min_n_move
252	else: #it's a straight line down to the destination index
-----	-----------------------------------------------------------------------------------------------------------------------------------------
253	min_h_move = col_distance2
254	max_h_move = min_h_move
255	elif col_distance2 < 0: #we're stepping right
256	if abs_row_distance2 > 0:
257	move_quotient = abs_col_distance2/abs_row_distance2
258	min_h_move = int(floor(move_quotient))
259	if abs(abs_col_distance2 % abs_row_distance2) > 0:
260	$max_h_move = min_h_move + 1$
261	else:
262	max_h_move = min_h_move
263	else: #it's a straight line down to the destination index
264	min_h_move = col_distance2 * -1
265	max_h_move = min_h_move
266	
267	if row_distance2 < 0: v_move = 1
268	elif row_distance2 > 0: v_move = -1
269	else: $v_move = 0$
270	
271	if min_h_move == max_h_move:
272	h_move_list1 = [min_h_move] * int(list_size)
273	else:
2/4	n_move_list1 = move_list(list_size, limi_ii_nove, liax_ii_nove, move_quotient, row index, col index)
275	
276	v move list1 = [v move] * int(list size)
277	
278	
279	elif abs_col_distance2 < abs_row_distance2 and abs_col_distance2 != 0: #we're
	stepping vertically
280	primary_move = "vertical"
281	#recod the maximum V distance for an H distance of 1 if row, distance 2 > 0; #we're stepping up (visually, not in terms of row index
202	numbers)
283	if abs col distance $2 > 0$ :
284	move_quotient = (abs_row_distance2/abs_col_distance2) * -1
285	$min_v_move = int(floor(move_quotient)) + 1$
286	if abs(abs_row_distance2 % abs_col_distance2) > 0:
287	$max_v_move = min_v_move - 1$
288	else:
289	max_v_move = min_v_move
290	else: #it's a straight line down to the destination index
291	min_v_move = row_distance2
292	max_v_move = min_v_move

293	elif row_distance2 < 0: #we're stepping down (visually, not in terms of row index numbers)
294	if $abs_col_distance 2 > 0$ :
295	move_quotient = abs_row_distance2/abs_col_distance2
296	min_v_move = int(floor(move_quotient))
297	if abs(abs_row_distance2 % abs_col_distance2) > 0:
298	$\max_v move = \min_v move + 1$
299	else:
300	max_v_move = min_v_move
301	else:
302	min_v_move = row_distance2 * -1
303	$max_v_move = min_v_move$
304	
305	if col_distance2 < 0: h_move = 1
306	elif col_distance2 > 0: h_move = -1
307	else: $h_{move} = 0$
308	
309	if min_v_move == max_v_move:
310	v_move_list1 = [min_v_move] * int(list_size)
311	else:
312	v_move_list1 = move_list(list_size, min_v_move, max_v_move, move_quotient,
	row_index, col_index)
313	
314	$h_{move_listi} = [n_{move_l} + m(nst_size)]$
315	
316	else: #there equal, it's a square
317	primary_move = "either"
318	If row_distance2 < 0: $\sqrt{move - 1}$
319	elif row_distance $2 > 0$ : v_move $-1$
320	else: $v_{move} = 0$
321	If $col_distance 2 < 0$ : $n_move = 1$
322	elif col_distance2 > 0. n_move = -1
323	else: n_move = 0
324	
325	n move list1 - (n movel * int(list size)
320	$v_{move_list1} = [v_{move_l} * int(list_size)]$
327	n_move_listi = [in_move] * in(inst_size)
328	the back to see if it's a perfect square
329	$\frac{1}{2} = 0$
221	h move list 1 = [h move] * int(abs col distance2)
227	$n_{\text{move_list1}} = [n] * int(abs_col_distance2)$
222	$v_{\text{introve}} = 0$
224	h move list $1 = [0] * int(abs row distance2)$
554	

335	<pre>v_move_list1 = [v_move] * int(abs_row_distance2)</pre>
336	
337	
338	
339	#figure out the distances from the max index to recipricol index2.
340	row_distance3 = max_row_index - recip_row_index2
341	col_distance3 = max_col_index - recip_col_index2
342	$h_{move_{list2}} = []$
343	$v_move_list2 = []$
344	
345	if col_distance3 < 0: #we're stepping to the right
346	for k in range(len(v move_list1)):
347	h move list2.append(abs(v_move_list1[k]))
348	elif col distance $3 > 0$ : #we're stepping to the left
349	for k in range(len(v_move_list1)):
350	h move list2.append(abs(v move_list1[k])* -1)
351	else:
352	h move list $2 = [0] * len(v move list1)$
353	
354	if row_distance3 < 0: #we're stepping down (visually, not in terms of row index
	numbers)
355	for k in range(len(h_move_list1)):
356	v_move_list2.append(abs(h_move_list1[k]))
357	elif row_distance3 > 0: #we're stepping up
358	for k in range(len(h_move_list1)):
359	v_move_list2.append(abs(h_move_list1[k])* -1)
360	else:
361	$v_move_list2 = [0] * len(h_move_list1)$
362	
363	10.11. Construction to the four compare of the stream basin (the max, its opposite
364	#Call a function that takes the four corners of the stream basin (the max, its opposite cell.
365	#and the two recipracols) and constructs a square using those points as the corners.
366	#Then set all of the values in that area to 1 for the stream list.
367	river_bed(max_row_index, max_col_index, v_move_list1, h_move_list1, v_move_list2,
	h_move_list2, primary_move, ubound_index, bbound_index, lbound_index, rbound_index)
368	
369	
370	
371	def move_list(list_length, min_move, max_move, quotient, row, col):
372	#This function constructs the move lists from one cell to another.
373	
374	the_list = [min_move] * int(list_length)
375	max_index_list = []

```
move difference = quotient - min move #gives us the percentage of the time that max_move
376
     will be used.
        max index places = abs(list length * move difference)
377
378
        max index step = list_length / max_index_places
379
380
        if int(abs(move difference) * 10) >= 5: # then the max move will dominate the list or split it
     evenly, and should be first
381
382
           max_index_holder = 0
383
        else: #it should start later in the list
           max index holder = int(round(max index_step)) - 1 #minus 1 to put it in proper zero-based
384
      index mode
385
386
        max index_step_counter = 0
387
        while max index holder < len(the_list):
388
           max index list.append(max_index_holder)
389
           max index_step_counter += max_index_step
390
           max index holder = int(round(max_index_step_counter))
391
392
393
        for i in range(len(the_list)):
394
           if i in max_index_list:
395
             the_list[i] = max_move
396
397
        return the list
398
399
      def river_bed(max_row_index, max_col_index, v_move_list1, h_move_list1, v_move_list2,
400
      h_move_list2, primary_move, ubound_index, bbound_index, lbound_index, rbound_index):
        #this function will loop through the v_move_list1 and h_move_list1, while looping though a
401
        #reciprocal version of each list, v_move_list2 and h_move_list2.
402
403
        current_row_index1, current_row_index2 = max_row_index, max_row_index
404
        current_col_index1, current_col_index2 = max_col_index, max_col_index
405
406
        stream_list[current_row_index1][current_col_index1] = 1
407
408
         #need to make an initial run through v_move_list1 and h_move_list1
409
410
         if primary_move == "vertical":
411
           for p in range(len(v move list1)):
412
             for q in range(abs(v_move_list1[p])):
                if v_move_list1[p] > 0 : current_row_index1 += 1
413
                elif v_move_list1[p] < 0: current_row_index1 -= 1
414
415
                if current_row_index1 > bbound_index: current_row_index1 = bbound_index
416
```

```
417
                 elif current row index 1 < 0: current row index 1 = 0
 418
 419
                 stream list[current row index1][current col index1] = 1
 420
 421
              if h move list1[p] > 0: current col index1 += 1
 422
              elif h move list1[p] < 0: current col index1 -= 1
 423
 424
              if current_col_index1 > rbound_index: current_col_index1 = rbound_index
 425
              elif current col index1 < 0: current col index1 = 0
 426
 427
              stream list[current row index1][current col index1] = 1
 428
 429
          elif primary move == "horizontal":
 430
            for p in range(len(v move list1)):
 431
              for q in range(abs(h move list1[p])):
 432
                 if h move list1[p] > 0: current col index1 += 1
 433
                 elif h_move_list1[p] < 0: current_col_index1 -= 1
 434
 435
                 if current col index1 > rbound index: current col index1 = rbound index
 436
                 elif current_col_index1 < 0: current_col_index1 = 0
 437
 438
                 stream_list[current_row_index1][current_col_index1] = 1
 439
 440
              if v move list1[p] > 0: current row index1 += 1
 441
              elif v_move_list1[p] < 0: current_row_index1 -= 1
 442
 443
              if current row index1 > bbound index: current row index1 = bbound index
 444
              elif current row index 1 < 0: current row index 1 = 0
 445
 446
              stream list[current row index1][current col index1] = 1
 447
 448
         else:
 449
            for p in range(len(v move list1)):
 450
              if h move list1[0] > 0: current col index1 += 1
 451
              elif h move list1[0] < 0: current col index1 -= 1
 452
              if current col index1 > rbound index: current col index1 = rbound index
 453
              elif current col index 1 < 0: current col index 1 = 0
 454
 455
              if v move list1[0] > 0: current row index1 += 1
456
              elif v move list1[0] < 0: current row index1 -= 1
457
              if current_row_index1 > bbound_index: current_row_index1 = bbound_index
458
              elif current row index 1 < 0: current row index 1 = 0
459
```

```
124
```

```
460
               stream list[current row index1][current col index1] = 1
  461
  462
  463
          if h move list_{2}[0] > 0: current col index2 += 1
          elif h move list2[0] < 0: current col index2 -= 1
  464
          if current col index2 > rbound index: current col index2 = rbound index
  465
          elif current col index2 < 0: current col index2 = 0
  466
  467
  468
          if v move list2[0] > 0: current row index2 += 1
  469
          elif v move list2[0] < 0: current row index2 -= 1
  470
          if current row index2 > bbound index: current row index2 = bbound index
          elif current_row_index2 < 0: current row index2 = 0
  471
  472
  473
          current row index1, current col index1 = current row index2, current col index2
  474
  475
          #now loop through both sets of lists
  476
          for m in range(len(v move list2)):
  477
            #need to caputre loop of v move list2
            if primary_move == "vertical":
  478
  479
               for n in range(abs(h move list2[m])):
  480
  481
                 stream list[current row index2][current col index2] = 1
  482
  483
                 for p in range(len(v move list1)):
  484
                    for q in range(abs(v move list1[p])):
  485
                      if v_move list1[p] > 0 : current row index1 += 1
                      elif v move list1[p] < 0: current row index1 -= 1
  486
  487
  488
                      if current_row_index1 > bbound_index: current_row_index1 = bbound_index
  489
                      elif current row index 1 < 0: current row index 1 = 0
  490
  491
                      stream list[current row index1][current col index1] = 1
  492
  493
                    if h_move_list1[p] > 0 : current_col_index1 += 1
  494
                   elif h_move_list1[p] < 0: current_col_index1 -= 1</pre>
 495
 496
                   if current col index1 > rbound index: current col index1 = rbound index
 497
                   elif current col index 1 < 0: current col index 1 = 0
498
499
                   stream_list[current_row_index1][current_col_index1] = 1
500
501
                 if h_move_list2[0] > 0: current col_index2 += 1
502
                 elif h move list2[0] < 0: current col index2 -= 1
```

```
503
504
               if current col_index2 > rbound index: current col_index2 = rbound index
505
               elif current col index2 < 0: current col index2 = 0
506
507
               stream list[current row index2][current col index2] = 1
508
509
               current col index1 = current col index2
510
               current row index1 = current row index2
511
512
             if v move list_{2}[0] > 0: current row index 2 + 1
513
             elif v_move_list2[0] < 0: current_row_index2 -= 1
514
515
             if current_row_index2 > bbound_index: current_row_index2 = bbound_index
516
             elif current row index2 < 0: current row index2 = 0
517
518
             current row index1 = current row index2
519
520
           elif primary move == "horizontal":
521
             for n in range(abs(v_move_list2[m])):
522
523
               stream list[current row index2][current col index2] = 1
524
525
               for p in range(len(v move list1)):
526
                  for q in range(abs(h_move_list1[p])):
527
                    if h_move_list1[p] > 0: current col index1 += 1
528
                    elif h move_list1[p] < 0: current col index1 -= 1
529
530
                    if current col index1 > rbound index: current col index1 = rbound index
531
                    elif current col index 1 < 0: current col index 1 = 0
532
533
                    stream_list[current_row_index1][current_col_index1] = 1
534
535
                  if v move list1[p] > 0 : current row index1 += 1
536
                  elif v_move_list1[p] < 0: current row_index1 -= 1
537
538
                  if current row index1 > bbound index: current row index1 = bbound_index
539
                  elif current row index 1 < 0: current row index 1 = 0
540
541
                  stream list[current row index1][current col index1] = 1
542
543
               if v move list2[0] > 0: current row index2 += 1
544
                elif v_move_list2[0] < 0: current_row_index2 -= 1
545
```

```
126
```

```
if current row index2 > bbound index: current_row_index2 = bbound index
546
               elif current row index2 < 0: current row index2 = 0
547
548
549
               stream_list[current_row_index2][current_col_index2] = 1
550
               current row index1 = current row index2
551
               current col index1 = current col index2
552
553
             if h move list2[0] > 0: current col index2 += 1
554
555
             elifh move list2[0] < 0: current col index2 -= 1
556
             if current col index2 > rbound index: current col index2 = rbound index
557
558
             elif current col index2 < 0: current col index2 = 0
559
560
561
             current col index1 = current col index2
562
563
          else:
564
565
             stream list[current row index2][current col index2] = 1
566
567
             for p in range(len(v move list1)):
               if h_move_list1[0] > 0 : current_col_index1 += 1
568
               elif h_move list1[0] < 0: current col index1 -= 1
569
570
               if current col index1 > rbound index: current col index1 = rbound index
571
               elif current col index1 < 0: current col index1 = 0
572
573
               stream list[current row index1][current col index1] = 1
574
575
               if v move list1[0] > 0: current row index 1 += 1
576
               elif v move list1[0] < 0: current row index1 -= 1
577
               if current_row_index1 > bbound_index: current_row_index1 = bbound_index
578
               elif current row index 1 < 0: current row index 1 = 0
579
580
               stream list[current row index1][current col index1] = 1
581
582
583
             if h move list_{2}[0] > 0: current col index 2 + 1
584
             elif h move list2[0] < 0: current col index2 -= 1
585
             if current_col_index2 > rbound_index: current_col_index2 = rbound_index
586
             elif current col index2 < 0: current_col_index2 = 0
587
588
```

```
127
```

```
589
              if v move list2[0] > 0: current row index2 += 1
590
              elif v move list2[0] < 0: current_row_index2 -= 1
591
              if current_row_index2 > bbound_index: current_row_index2 = bbound_index
              elif current_row_index2 < 0: current_row_index2 = 0
592
593
594
              current row index1, current col index1 = current row index2, current col index2
595
596
      percent done = 0
597
      for i in range(len(elev_list)):
598
         for j in range(len(elev list[i])):
599
           nhood(elev_list, i, j, int(neigh_maxsize))
         percent = int((float(i) / (len(stream list) - 1) * 100))
600
601
         if percent > percent done:
602
           gp.AddMessage(' - Analyzing: '+ str(percent) + '% completed')
603
           percent done = percent
604
605
606
      #write the output stream file
607
      stream file text name = stream raster + ".txt"
608
      stream_file = open(stream_file_text_name, 'w')
609
      for i in range(len(header list)):
610
         stream file.write(header list[i])
611
      percent done = 0
612
613
      for i in range(len(elev_list)):
614
         for j in range(len(elev list[i])):
615
           stream_file.write('%s ' % (stream_list[i][j]))
616
         stream file.write(ls)
617
         percent = int((float(i) / (len(stream_list) - 1) * 100))
618
         if percent > percent done:
619
           percent done = percent
620
      stream file.close()
621
622
      gp.ASCIIToRaster_conversion(stream_file_text_name, stream raster, "INTEGER")
623
      os.remove(stream_file_text_name)
624
625
      gp.AddMessage(" - There were " + str(streambed_cells) + " recip_small_slopes")
626
627
      stop time = time.clock() - start time
628
     seconds = stop_time - start_time
629
630 h,m,s = sec to h min(seconds)
      gp.AddMessage(' - Took ' + str(h) + ' hours ' + str(m) + ' minutes ' + str(s) + ' seconds')
631
```

# APPENDIX B – Python Code

## stream\_id\_transect.py

1	#	
2	# stream_	id_transect.py
3	# Created	September 2009
4	# Author:	Glenn O'Neil
5	#	
6	# Descrip	tion: Takes an elevation raster and identifies potential stream cells
7	#	based on their relationship within directional transects.
8	#	The basic premise is that stream cells in the middle of a
9	#	transect will be opposed by higher elevations towards the ends
10	#	of the transect.
11	#	
12	# Inputs:	1. elev_raster_path - the elevation raster.
13	#	2. stream_width - the maximum width of the stream, and therefore
14	#	the maximum width of the transect.
15	#	3. bank_depth - the theshold elevation difference defining a
16	#	stream cell from a stream bank cell.
17	#	4. stream_output_raster - the output binary stream raster.
18	#	
19	# Outputs	1. stream_output_raster - the output binary stream raster.
20	#	
21		
22	from deci	mal import *
23	from math	n import floor
24	import tin	ne, os, sys, arcgisscripting
25	import ras	ster_analysis as raster
26	ls = os.lin	esep
27	gp = arcgi	sscripting.create(9.3)
28		
29		
30	#function	to convert seconds to hours and minutes (borrowed from:
31	#http://ma	il.python.org/pipermail/python-list/2003-January.181366.html
32	def sec_to	<b>_h_min(s)</b> :
33	temp =	float()
34	temp =	float(s) / (60*60*24)
35	d = int(	temp)
36	temp =	(temp - d) * 24
37	h = int(	temp)
38	temp =	(temp - h) * 60
39	m = int	(temp)

```
40
       temp = (temp - m) * 60
41
       sec = int(temp)
42
       return h.m.sec
43
44
45
     #Get the necessary files from the user
     elev_raster_path = sys.argv[1]
46
47
48 #Get the maximum width of the stream
49 stream width = sys.argv[2]
     stream width = float(stream_width)
50
51
52 #Get the minimum depth of the stream bed to the stream bank
    bank depth = sys.argv[3]
53
54
     bank_depth = float(bank_depth)
55
56
     #Output raster
57
     stream_output_raster = sys.argv[4]
58
    workspace = stream_output_raster[:stream_output_raster.rfind("\\')] + "\\'
59
60
61 #Get the file name and path for the output stream file
     stream file name = workspace + 'strtrant' + str(int(stream width)) + 'e' + str(int(bank depth))
62
    + '.txt'
63
     #Start the timer
64
     start time = time.clock()
65
66
    #Convert the raster to a text file
67
68
     elev ascii path = workspace + "elev ascii.txt"
69
     gp.AddMessage("- Converting raster to ASCII")
70
     gp.RasterToASCII_conversion(elev_raster_path, elev_ascii_path)
71
72
    #record the header information for writing in the output stream file
73
    header_list = raster.extract header(elev ascii path)
74
75 #read the elevation text raster into a list
    elev_list = raster.rastertext2list(elev_ascii_path, 'float')
76
77
    os.remove(elev ascii path)
78
79 #Intiate a list to represent the resulting stream ascii, set initial values to 0.
   stream_list = [[]] * len(elev_list)
80
81 for i in range(len(stream_list)):
```

82 stream\_list[i] = [0] \* len(elev\_list[0]) 83 84 #Move through the list along transects to identify stream cells. Start by moving 85 86 #vertically from the top cells to the bottom cells, beginning with the upper-left 87 #cell. Move south, and note any locations where elevation decreases, and then increases 88 #within the user-specified maximum stream width. You may have to set a minimum 89 #stream width threshold if this approach picks up too many non-stream features. 90 91 #Counters for output streambed cells = 092 93 94 95 #A function to analyze a transect of cells. The number of cells is equal to the 96 #user specified maximum stream width 97 def transect(thelist): 98 #thelist is the list to operate on 99 100 global bank similarity, bank depth 101 102 #Identify the minimum elevation along the transect 103 min elev = min(thelist) 104 #Note its index in the list 105 for m in range(len(thelist)): if the list[m] == min elev: 106 107 min index = m108 break 109 110 #Check the cells after the minimum index to see if elevation increases significantly 111 max\_elev = max(thelist[min index:len(thelist)]) 112 if (thelist[0] - min elev) > bank depth and (max elev - min elev) > bank depth: 113 transect is stream = True 114 else: 115 transect is stream = False 116 117 return transect\_is\_stream 118 119 120 #initiate a transect list to send to the transect function 121 transect list = [0] \* int(stream width) 122 123 transect called = 0124

#Move through the list vertically, from northernmost cells to sourthernmost, 125 126 #looking for decreases in elevation 127 percent done = 0128 for i in range(len(elev list[0])): for j in range(len(elev list)): 129 130 elev = elev list[j][i] 131 #Check the next elevation, watch out for the boundary 132 if (j + 1) < len(elev list): 133 elev\_next = elev\_list[j + 1][i] 134 else: 135 break 136 if elev > elev next: #We might have the beginning of a stream, send the next K cells to the transect function 137 for k in range(int(stream width)): 138 #Make sure you're not at the dataset boundary 139 if (j + k) < len(elev list) and i < len(elev list[j]): 140 transect list[k] = elev list[j + k][i] 141 142 is stream = transect(transect list) 143 transect called += 1144 145 if is stream: 146 for k in range(int(stream width)): 147 if (i + k) < len(elev list) and i < len(elev list[j]): 148 stream list[j + k][i] = 1149 150  $percent = int((float(i) / (len(elev_list[0]) - 1) * 100))$ 151 if percent > percent done: 152 gp.AddMessage(' - Analyzing vertical transects: ' + str(percent) + '% completed') 153 percent done = percent 154 155 156 #Move through the list horizontally, from westernmost cells to easternmost, #looking for decreases in elevation 157 percent done = 0158 for i in range(len(elev\_list)): 159 for j in range(len(elev\_list[i])): 160 161 elev = elev\_list[i][j] #Check the next elevation, watch out for the boundary 162 163 if  $(j + 1) < len(elev_list[0])$ : elev next = elev list[i][j + 1] 164 165 else: 166 break

167	if elev > elev_next: #We might have the beginning of a stream, send the next K cells to the transect function
168	for k in range(int(stream_width)):
169	#Make sure you're not at the dataset boundary
170	if (j + k) < len(elev_list[j]) and i < len(elev_list):
171	<pre>transect_list[k] = elev_list[i][j + k]</pre>
172	
173	is_stream = transect(transect_list)
174	transect_called += 1
175	
176	if is_stream:
177	for k in range(int(stream_width)):
178	if $(j + k) < len(elev_list[j])$ and $i < len(elev_list)$ :
1 <b>79</b>	stream_list[i][ $j + k$ ] = 1
180	
181	$percent = int((float(i) / (len(elev_list[0]) - 1) * 100))$
182	if percent > percent_done:
183	gp.AddMessage(' - Analyzing horizontal transects: ' + str(percent) + '% completed')
184	percent_done = percent
185	
186	
187	#Move through the list diagnollay, from northwest cells to southeast, looking for decreases in elevation
188	percent_done = 0
189	for i in range(len(elev_list)):
190	for j in range(len(elev_list[i])):
191	elev = elev_list[i][j]
192	#Check the next elevation, watch out for the boundary
193	if $(j + 1) < len(elev_list[0])$ and $(i + 1) < len(elev_list)$ :
194	$elev_next = elev_list[i + 1][j + 1]$
195	else:
196	break
197	if elev > elev_next: #We might have the beginning of a stream, send the next K cells to the transect function
198	for k in range(int(stream width)).
199	#Make sure you're not at the dataset boundary
200	if $(i + k) \le len(elev_list[i])$ and $(i + k) \le len(elev_list)$ .
201	transect list[k] = elev list[i + k][i + k]
202	
203	is stream = transect(transect list)
204	transect called $+= 1$
205	-
206	if is stream:
207	for k in range(int(stream width)):

k. |

```
208
                   if (j + k) < len(elev list[j]) and (i + k) < len(elev list):
209
                      stream list[i + k][j + k] = 1
210
211
         percent = int((float(i) / (len(elev list[0]) - 1) * 100))
         if percent > percent done:
212
            gp.AddMessage(' - Analyzing diagonal (NW-SE) transects: ' + str(percent) + '%
213
      completed')
214
           percent_done = percent
215
216
217
      #Move through the list diagnollay, from southwest cells to northeast,
      #looking for decreases in elevation
218
219
      percent done = 0
220
      for i in range(len(elev_list) - 1, -1, -1):
221
         for j in range(len(elev list[i])):
222
           elev = elev list[i][j]
223
           #Check the next elevation, watch out for the boundary
224
           if (i + 1) < len(elev list[0]) and (i - 1) >= 0:
225
              elev next = elev list[i - 1][j + 1]
226
           else:
227
              break
           if elev > elev next: #We might have the beginning of a stream, send the next K cells to
228
      the transect function
229
              for k in range(int(stream width)):
230
                 #Make sure you're not at the dataset boundary
231
                 if (i + k) < len(elev list[i]) and (i - k) >= 0:
232
                   transect_list[k] = elev_list[i - k][j + k]
233
234
              is stream = transect(transect list)
235
              transect called += 1
236
237
              if is stream:
238
                 for k in range(int(stream width)):
239
                   if (j + k) < len(elev_list[j]) and i \ge 0:
240
                      stream list[i - k][j + k] = 1
241
242
         percent = int(float((len(elev_list[0]) - i + 1) / float(len(elev_list[0]) - 1)) * 100)
243
         if percent > percent done:
           gp.AddMessage(' - Analyzing diagonal (SW-NE) transects: ' + str(percent) + '%
244
      completed')
           percent_done = percent
245
246
247
      #Write the output stream file
248
      stream_file = open(stream_file_name, 'w')
```

- 249 for i in range(len(header\_list)): 250 stream\_file.write(header\_list[i]) 251 252 percent done = 0253 for i in range(len(elev list)): 254 for j in range(len(elev\_list[i])): 255 stream\_file.write('%s ' % (stream\_list[i][j])) 256 stream\_file.write(ls) 257 stream\_file.close() 258 259 gp.AddMessage(' - Converting stream output to raster.') 260 gp.ASCIIToRaster conversion(stream file name, stream output raster, "INTEGER") 261 262 os.remove(stream\_file\_name) 263 os.remove(elev\_ascii\_path) 264 265 print "%i transects were analyzed " % (transect\_called) 266 267 seconds = time.clock() - start time 268 269 h,m,s = sec to h min(seconds)
- 270 print 'Took ' + str(h) + ' hours ' + str(m) + ' minutes ' + str(s) + ' seconds'

## APPENDIX B – Python Code

-----9, 1

#### carve.py

1	#	
2	# carve.py	
3	# Created September 2009	
4	# Author: Glenn O'Neil	
5	#	
6	# Description: Takes a DEM and binary raster of stream locations, identifies	
7	# sinks in the DEM, and carves paths through artificial barriers	
8	# within the stream locations of the DEM. Based on work by	
9	# Soille.	
10	#	
11	# Inputs: 1. elev_raster - full path to the DEM.	
12	# 2. stream_raster - binary raster of stream locations, must be	
13	# the same row and column size as the DEM.	
14	# 3. max_carve_length - the maximum distance (in cells)	
15	# that a carving can cover.	
16	# 4. iterations - the number of times the script should iterate	
17	# through the DEM to carve through barriers. Each loop may	
18	# yield new sinks that need to be carved.	
19	# 5. delete_intermediate - boolean value indicating whether to	
20	# to delete the temporary folders for each iteration.	
21	# 6. output_raster - the final carved DEM.	
22	# 7. workspace - folder where intermediate data is stored.	
23	#	
24	# Outputs: 1. output_raster - the final carved DEM.	
25	#	
26	#	
27		
28		
29	from decimal import *	
30	from math import floor	
31	import os, sys, copy, arcgisscripting, shutil	
32	ls = os.linesep	
33	import raster_analysis as raster	
34	gp = arcgisscripting.create(9.3)	
35		
36		
37	# Load required toolboxes	
38	arcgis_home = os.environ.get("ARCGISHOME")	
39	gp.AddToolbox(arcgis_home + "ArcToolbox\\Toolboxes\\Data Management Tools.tbx")	

```
gp.AddToolbox(arcgis home + "ArcToolbox\\Toolboxes\\Conversion Tools.tbx")
40
41
42
    gp.CheckOutExtension("Spatial")
43
44
45
    #get the necessary files from the user
    elev raster = sys.argv[1]
46
47 stream raster = sys.argv[2]
48 max carve length = sys.argv[3]
49 max carve length = int(max carve length)
50 #number of times to iterate
51 iterations = sys.argv[4]
    iterations = int(iterations)
52
53
    delete intermediate = sys.argv[5]
54 output raster = sys.argv[6]
    workspace = sys.argv[7] + "\\"
55
56
57
58
    #Move through elev list and look for cells that are sinks AND stream cells.
59
    #If that condition is met, begin a radial search looking for an elevation lower
    #than the selected cell. If/once that lower cell is found, carve a path to the
60
    #cell by manually lowering elevation values along the path incrementally,
61
    #yielding a slope through the potential barrier that created the sink.
62
63
64
65
66
    def move list(list length, min move, max move, quotient):
67
       #This function constructs the move lists from one cell to another.
68
69
       the_list = [min_move] * int(list_length)
70
       max index list = []
71
       move difference = quotient - min move #gives us the percentage of the time that max move
    will be used.
72
       max_index_places = abs(list_length * move_difference)
73
       max index step = list length / max index places
74
       if int(abs(move_difference) * 10) >= 5: # then the max move will dominate the list or split it
75
    evenly, and should be first
          max index holder = 0
76
77
       else: #it should start later in the list
78
          max index holder = int(round(max index step)) - 1 #minus 1 to put it in proper zero-
    based index mode
79
80
       max index_step_counter = 0
```

81	while max_index_holder < len(the_list):
82	max_index_list.append(max_index_holder)
83	<pre>max_index_step_counter += max_index_step</pre>
84	max_index_holder = int(round(max_index_step_counter))
85	
86	for i in range(len(the_list)):
87	if i in max_index_list:
88	the_list[i] = max_move
89	
90	return the_list
91	
92	
93 94	<pre>def carve(row_index, col_index):     global elev_list, elev_out_list, max_carve_length, rbound_index, bbound_index, lbound_index, ubound_index</pre>
95	
96	<pre>sink_elev = elev_list[row_index][col_index]</pre>
97	carve_to_elev = sink_elev
<b>98</b>	
99	#initiate the initial neighborhood size to search. You don't start with 1
100	#because the adjacent neighbors were searched in the sink identification.
101	$nhood_size = 2$
102	while not carve_to_elev < sink_elev and nhood_size <= max_carve_length:
103	
104	#get the cell's neighbors
105	<pre>nhood_list = raster.nhood(elev_list, row_index, col_index, nhood_size)</pre>
106	
107	#get the minimum elevation value from the returned nhood_list
108	#only check the outer edges since the others had already been checked
109	row_length = len(nhood_list)
110	col_length = len(nhood_list[0])
111	#check the first row
112	min_elev_top = min(nhood_list[0])
113	min_elev_top_index = nhood_list[0].index(min_elev_top)
114	
115	#check the bottom row
116	<pre>min_elev_bottom = min(nhood_list[row_length - 1])</pre>
117	<pre>min_elev_bottom_index = nhood_list[row_length - 1].index(min_elev_bottom)</pre>
118	
119	#check the left column
120	$min_elev_left = nhood_list[0][0]$
121	min_elev_left_index = 0
122	for i in range(row_length):

123	if nhood_list[i][0] < min_elev_left:
124	$min_elev_left = nhood_list[i][0]$
125	min_elev_left_index = i
126	
127	#check the right column
128	min_elev_right = nhood_list[0][col_length - 1]
129	min_elev_right_index = 0
130	for i in range(row_length):
131	if nhood_list[i][col_length - 1] < min_elev_right:
132	<pre>min_elev_right = nhood_list[i][col_length - 1]</pre>
133	min_elev_right_index = i
134	
135	#determine which elevation and index has the lowest elevation
136	min_elev = min(min_elev_top, min_elev_bottom, min_elev_left, min_elev_right)
137	
138	#check to see if we've found an elevation less than the sink's
139	if min_elev < sink_elev:
140	#note the indexes of the lower sink
141	if min_elev == min_elev_top:
142	<pre>lower_sink_row = row_index - (int(row_length / 2)) #easy since its the top row</pre>
143	<pre>lower_sink_col = (col_index - (int(col_length / 2))) + min_elev_top_index</pre>
144	
145	elif min_elev == min_elev_bottom:
146	lower_sink_row = row_index + (int(row_length / 2)) #easy since its the bottom row
147	lower_sink_col = (col_index - (int(col_length / 2))) + min_elev_bottom_index
148	
149	elif min_elev == min_elev_left:
150	lower_sink_row = (row_index - (int(row_length / 2))) + min_elev_left_index
151	lower_sink_col = col_index - (int(row_length / 2)) #easy since its the left column
152	
153	elif min_elev == min_elev_right:
154	lower_sink_row = (row_index - (int(row_length / 2))) + min_elev_right_index
155	lower_sink_col = col_index + (int(row_length / 2)) #easy since its the left column
156	
157	$nhood_size += 1$
158	carve_to_elev = min_elev
159	
160	#check to see if the search was successful
161	if nhood_size > max_carve_length:
162	#couldn't find a lower elevation within the max neighborhood size
163	no_lower_sink_found.append('row: ' + str(row_index) + ' col: ' + str(col_index))
164	return
165	

166	<pre>#carve from row_index and col_index to lower_sink_row and lower_sink_col</pre>
167	row_dist = row_index - lower_sink_row
168	col_dist = col_index - lower_sink_col
169	
170	abs_row_dist = float(abs(row_dist))
171	abs_col_dist = float(abs(col_dist))
172	
173	#Initiate lists that will store the h_move and v_move lists.
174	#The first list will contain the h_move and v_move values for the path
175	#from the row_index and col_index to the lower_sink_row and lower_sink_col.
176	#The list sizes will be the same as the minimum value between abs_row_dist
177	#and abs_col_dist.
178	list_size = min(abs_row_dist, abs_col_dist)
179	if list_size == 0: list_size = 1
180	
181	move quotient = 0
182	#Determine the h_move and v_move
183	if abs_row_dist < abs_col_dist and abs_row_dist != 0: #we're stepping horizontally
184	primary_move = "horizontal"
185	#recod the maximum H distance for a V distance of 1
186	if col_dist > 0: #we're stepping left
187	if abs row dist > 0:
188	move_quotient = (abs_col_dist/abs_row_dist) * -1
189	min h move = int(floor(move quotient)) + 1
190	if abs(abs_col_dist % abs_row_dist) > 0:
191	$max_h move = min_h move - 1$
192	else:
193	max_h_move = min_h_move
194	else: #it's a straight line down to the destination index
195	min_h_move = col_dist
196	max_h_move = min_h_move
197	elif col_dist < 0: #we're stepping right
198	if abs_row_dist > 0:
199	move_quotient = abs_col_dist/abs_row_dist
200	min_h_move = int(floor(move_quotient))
201	if abs(abs_col_dist % abs_row_dist) > 0:
202	$max_h_move = min_h_move + 1$
203	else:
204	max_h_move = min_h_move
205	else: #it's a straight line down to the destination index
206	min_h_move = col_dist * -1
207	max_h_move = min_h_move
208	

209	if row_dist < 0: $v_move = 1$
210	elif row_dist > 0: v_move = -1
211	else: $v_{move} = 0$
212	
213	if min_h_move == max_h_move:
214	h_move_list = [min_h_move] * int(list_size)
215	else:
216	h_move_list = move_list(list_size, min_h_move, max_h_move, move_quotient)
217	
218	$v_move_list = [v_move] + int(list_size)$
219	
220	alifete cal dist cate many distant data and distant for the Orthogona structure section.
221	elit abs_col_dist < abs_row_dist and abs_col_dist != 0: #we're stepping vertically
222	primary_move = "vertical"
223	#recod the maximum v distance for an H distance of 1 if now, dist > 0, thus he stars in a set (size the next is taken a factor is down when $\gamma$ )
224	If row_dist > 0: #we re stepping up (visually, not in terms of row index numbers)
225	If $abs_col_dist > 0$ :
220	move_quotient = (abs_row_dist/abs_col_dist) + -1
227	$\min_{v} \text{move} = \inf(\text{floor}(\text{move}_{quotient})) + 1$
228	IT abs(abs_row_dist % abs_col_dist) > 0:
229	max_v_move = min_v_move - 1
230	else:
231	max_v_move = min_v_move
232	else: #it's a straight line down to the destination index
233	min_v_move = row_dist
234	$max_v_move = min_v_move$
235	if the coldist > 0: #we re stepping down (visually, not in terms of row index numbers)
230	If $aos_{col}dist > 0$ :
237	move_quotient = abs_row_dist/abs_col_dist
238	$\min_v move = \min(noor(move_quotient))$
239	IT ads(ads_row_dist % ads_col_dist) > 0:
240	max_v_move = min_v_move + i
241	
242	max_v_move = min_v_move
243	else:
244	min_v_move = row_dist + -1
245	max_v_move = min_v_move
240	
247	If $col_aist < 0$ : $n_move = 1$
248	elli col_dist > 0: n_move = -1
249	else: $n_{move} = 0$
250	
201	if min_v_move == max_v_move:

```
252
             v move list = [min v move] * int(list size)
253
           else:
254
             v_move_list = move_list(list_size, min_v_move, max_v_move, move_quotient)
255
256
           h_move_list = [h_move] * int(list_size)
257
258
        else: #the're equal, it's a square
259
           primary move = "either"
260
           if row dist < 0: v move = 1
261
           elif row dist > 0: v move = -1
262
           else: v move = 0
263
           if col dist < 0: h move = 1
264
           elif col dist > 0: h move = -1
265
           else: h move = 0
266
267
268
           v_move_list = [v_move] * int(list_size)
           h move list = [h move] * int(list size)
269
270
271
           #check to see if it's a perfect square
272
           if v move == 0:
273
             h move list = [h move] * int(abs col dist)
274
             v_move_list = [0] * int(abs_col_dist)
275
           if h move == 0:
276
             h move list = [0] * int(abs row dist)
277
             v_move_list = [v_move] * int(abs_row_dist)
278
279
280
        #we now need to determine the length of the path, and how much the incremental elevation
      decline will be
281
282
        if primary_move == 'either':
283
          path_length = len(h_move_list)
284
        else:
285
          path_length = abs(sum(h_move_list)) + abs(sum(v_move_list))
286
        elev diff = sink elev - min elev
287
        elev decline increment = elev diff / float(path length)
288
289
        current elev = sink elev
290
291
        #variables to keep track of the indexes the path moves through
292
        current_row = row_index
293
        current_col = col_index
```

294	
295	if primary_move == 'horizontal':
296	#iterate through the h_move_list
297	for m in range(len(h_move_list)):
298	h_move = h_move_list[m]
299	for n in range(abs(h_move)):
300	if h_move_list[m] > 0: current_col += 1
301	<pre>elif h_move_list[m] &lt; 0: current_col -= 1</pre>
302	
303	current_elev -= elev_decline_increment
304	elev_out_list[current_row][current_col] = current_elev
305	
306	if v_move_list[m] > 0: current_row += 1
307	elif v_move_list[m] < 0: current_row -= 1
308	
309	#watch for the dataset boundaries
310	if current_row < 0 or current_row > bbound_index or current_col > rbound_index or
211	$current_corverte elev = sink elev$
212	break
312	Ultak
314	
315	current elev.= elev decline increment
316	elev out list[current row][current col] = current elev
317	
318	
319	elif primary move == 'vertical':
320	#iterate through the v move list
321	for m in range(len(v move list)):
322	v move = v move list[m]
323	for n in range(abs(v move)):
324	if v move list $[m] > 0$ : current row += 1
325	elif v move list $[m] < 0$ : current row -= 1
326	
327	current elev -= elev decline increment
328	elev out list[current row][current col] = current elev
329	
330	if h_move_list[m] > 0: current_col += 1
331	elif h_move_list[m] < 0: current_col -= 1
332	
333	#watch for the dataset boundaries
334	<pre>if current_row &lt; 0 or current_row &gt; bbound_index or current_col &gt; rbound_index or current_col &lt; lbound_index:</pre>
335	carve_to_elev = sink_elev

336	break
337	
338	current_elev -= elev_decline_increment
339	elev_out_list[current_row][current_col] = current_elev
340	
341	
342	else: #its a straight diagonal path
343	for p in range(len(v_move_list)):
344	if h_move_list[0] > 0 : current_col += 1
345	elif h_move_list[0] < 0: current_col -= 1
346	
347	if $v_move_list[0] > 0$ : current_row += 1
348	elif v_move_list[0] < 0: current_row -= 1
349	
350	#watch for the dataset boundaries
351	if current_row < 0 or current_row > bbound_index or current_col > rbound_index or current_col < lbound_index:
352	carve_to_elev = sink_elev
353	break
354	
355	current_elev -= elev_decline_increment
356	elev_out_list[current_row][current_col] = current_elev
357	
358	
359	
360	for h in range(iterations):
361	gp.AddMessage("Beginning Iteration " + str(h + 1) + ":")
362	#create a workspace for the current iteration
363	<pre>sub_workspace = workspace + 'iteration' + str(h + 1)</pre>
364	os.mkdir(sub_workspace)
365	
366	#Calculating flow direction
367	gp.AddMessage(" - Calculating flow direction of elevation raster")
368	flowdir_raster = sub_workspace + "\\fd_temp"
369	if h > 0:
370	#get the previous iteration's output
371	elev_raster = workspace + 'iteration' + str(h) + "\\elev_out" + str(h)
372	gp.FlowDirection_sa(elev_raster, flowdir_raster)
373	
374	#Calculate sinks
375	gp.AddMessage(" - Calculating sinks")
376	<pre>sinks_raster = sub_workspace + "\\sinks" + str(h + 1)</pre>
377	gp.Sink sa(flowdir raster, sinks raster)

-

378 379 #convert the rasters to text files if h == 0: 380 381 gp.AddMessage(" - Converting elevation raster to a text file") 382 elev\_ascii\_path = sub\_workspace + "\\elev\_temp.txt" 383 gp.RasterToASCII conversion(elev raster, elev ascii path) 384 else: #get the previous iteration's elevation text file elev\_ascii\_path = workspace + 'iteration' + str(h) + '\\elev\_out' + str(h) + '.txt' 385 386 387 stream ascii path = workspace + "stream temp.txt" 388 if h == 0:389 gp.AddMessage(" - Converting stream raster to a text file") 390 gp.RasterToASCII conversion(stream raster, stream ascii path) 391 392 gp.AddMessage(" - Converting sinks raster to a text file") sink ascii path = sub workspace + "\\sinks" + str(h + 1) + ".txt" 393 394 gp.RasterToASCII conversion(sinks raster, sink ascii path) 395 396 #convert the raster text files to arrays 397 gp.AddMessage(" - Reading elevation text file into a list") 398 elev list = raster.rastertext2list(elev ascii path, 'float') 399 if h == 0: 400 gp.AddMessage(" - Reading stream text file into an array") 401 stream ary = raster.raster2array(stream raster) 402 gp.AddMessage(" - Reading sinks text file into an array") 403 sink ary = raster.raster2array(sinks raster) 404 405 #record the header information for writing in the output stream file 406 raster header = raster.extract header(elev ascii path) 407 408 #note the indexes of the dataset boundaries 409  $rbound_index = len(elev_list[0]) - 1$ 410 lbound index = 0411 bbound index = len(elev list) - 1412 ubound index = 0413 414 #intiate a list to represent the resulting elevation ascii, set initial values to elev list's. 415 elev out list = copy.deepcopy(elev list) 416 417 #initiate a list to keep track of carving attempts that could not find a lower cell (i.e., the maximum 418 #carve length was exceeded before a lower elevation was found 419 no lower sink found = []

```
420
421
        #counters for output
422
        sinks carved = 0
423
        percent done = 0
424
        stream ary_length = len(stream_ary)
425
426
        gp.AddMessage(' - Analyzing')
427
        for i in range(len(elev_list)):
428
           for j in range(len(elev list[i])):
429
             if stream ary[i,j] == 1 and sink ary[i,j] > 0: #we may have a barrier to carve through
430
                carve(i, j)
431
                sinks carved += 1
432
           percent = int((float(i) / (stream ary length - 1) * 100))
433
           if percent > percent_done:
434
             gp.AddMessage(' - Analyzing: '+ str(percent) + '% completed')
435
             percent done = percent
436
437
        del elev list, sink ary
438
439
        #write the output stream file
440
        elev out file name = sub workspace + "\\elev out" + str(h + 1) + ".txt"
441
        elev out file = open(elev_out_file_name, 'w')
442
        for i in range(len(raster_header)):
443
           elev out file.write(raster header[i])
444
        percent_done = 0
445
446
        gp.AddMessage(' - Writing outputs')
447
        for i in range(len(elev out list)):
448
           for j in range(len(elev_out_list[i])):
449
              elev_out_file.write('%s ' % (elev_out_list[i][j]))
450
           elev out file.write(ls)
451
           percent = int((float(i) / (len(elev out_list) - 1) * 100))
452
           if percent > percent_done:
453
             gp.AddMessage(' - Writing: '+ str(percent) + '% completed')
454
             percent done = percent
455
        elev out file.close()
456
        del elev out file
457
458
459
        gp.AddMessage(' - There were ' + str(sinks carved) + ' sinks carved.')
        gp.AddMessage(' - There were '+ str(len(no lower sink found)) + ' sinks left unresolved')
460
461
        del no lower sink found
462
```

463	#convert the elev_out_file to a raster
464	gp.AddMessage(' - Converting the output elevation file to a raster')
465	elev_out_raster = sub_workspace + "\\elev_out" + str(h + 1)
466	gp.ASCIIToRaster_conversion(elev_out_file_name, elev_out_raster, "FLOAT")
467	
468	
469	
470	#clean up
471	del elev_out_list
472	gp.AddMessage(' - Cleaning up')
473	gp.Delete_management(flowdir_raster)
474	os.remove(sink_ascii_path)
475	
476	if h == 0: os.remove(elev_ascii_path)
477	
478	
479	if delete_intermediate == 'True':
480	#clean up some more
481	gp.AddMessage('Deleting intermediate data')
482	
483	for i in range(iterations):
484	<pre>sub_workspace = workspace + 'iteration' + str(i + 1)</pre>
485	if $i < (iterations - 1)$ :
486	shutil.rmtree(sub_workspace)
487	else:
488	<pre>gp.CopyRaster_management(sub_workspace + "\\elev_out" + str(i + 1), output_raster)</pre>
489	shutil.rmtree(sub_workspace)
490	os.remove(stream_ascii_path)
491	#del stream_list
492	del stream_ary
493	else:
494	os.remove(stream_ascii_path)

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# APPENDIX B – Python Code

# flow\_error.py

1	#
2	# flow_error.py
3	# Created September 2009
4	# Author: Glenn O'Neil
5	#
6	# Description: Uses the 10-meter flow-direction raster (ned_fd) and the LiDAR
7	# tile flow-direction rasters (lidar_fd) in the lidar directory
8	# to calculate flow-direction error for each 10-meter cell.
9	#
10	# Inputs: 1. quad_id - quadrangle ID (e.g. CW210).
11	# 2. workspace - directory for quadrangle containing all of the
12	# datasets (ned_fd and lidar_fd).
13	#
14	# Outputs: 1. flow_error.tif - TIFF raster of flow-direction raster at the
15	# extent and cell-size of the ned_fd (10-meter) with a value
16	# of 0-4 calculated for each cell.
17	#
18	from osgeo import gdal, gdalconst
19	import time, os, sys, numpy, copy
20	import raster_analysis as raster
21	ls = os.linesep
22	
23	#get the quad name
24	$quad_id = sys.argv[1]$
25	workspace = sys.argv[2]
26	
27	#function to convert seconds to hours and minutes (borrowed from:
28	#http://mail.python.org/pipermail/python-list/2003-January.181366.html
29	def sec_to_h_min(s):
30	temp = float()
31	temp = float(s) / (60*60*24)
32	d = int(temp)
33	temp = (temp - d) * 24
34	h = int(temp)
35	temp = (temp - h) * 60
36	m = int(temp)
37	temp = (temp - m) * 60
38	sec = int(temp)
39	return h,m,sec

.

40 41 42 #start the timer 43 script start time = time.clock() 44 45 #create the log textfile 46 flow results file path = workspace + "\\log.txt" 47 flow results file = open(flow results file path, 'w') 48 flow results file.write("QUAD ID;" + quad\_id + ls) 49 flow results file.close() 50 del flow results file 51 52 #read the lidar fd into a list, by way of a less efficient array 53 ned fd = workspace + "\\ned fd" 54 ned fd ary = raster.raster2array(ned fd) ned\_fd\_list = ned\_fd\_ary.tolist() 55 56 del ned fd ary 57 58 #read the ned fid raster into an array 59 ned\_fid = workspace + "\\ned\_fid" 60 ned fid ary = raster.raster2array(ned fid) ned fid list = ned fid ary.tolist() 61 62 del ned fid ary 63 64 #initiate an array to represent the resulting flow direction evaluation, with initial values of 0. 65 #make it the same size as the fd list 66 fd eval ary = numpy.zeros([len(ned fd list),len(ned fd list[0])]) 67 #initiate an array to keep track of cells that have been processed (to facilitate assignment of 68 NoData values later) 69 cells\_processed\_ary = numpy.zeros([len(ned fd list),len(ned fd list[0])]) 70 71 #iterate through the folders of the workspace, and conduct the flow analysis 72 lidar wspace contents = os.listdir(workspace + "\\lidar") 73 raster list = [] for i in lidar\_wspace\_contents: 74 75 if os.path.isdir(workspace + "\\lidar\\" + i) and i != 'info': 76 raster\_list.append(i) 77 78 79 raster\_list\_length = len(raster list) 80 for z in range(len(raster\_list)):

81 raster\_folder\_start\_time = time.clock()

```
82
          check timer start = time.clock()
  83
  84
          raster folder = workspace + "\\lidar\\" + raster list[z]
  85
          print' - Processing raster '+ raster folder + '(' + str(z + 1) + ' of ' + str(raster list length) + ')'
  86
          #get the LiDAR dataset
  87
          lidar fd = raster folder + "\\lidar fd"
  88
  89
  90
          #get the cell size parameters from the flow analysis parameters.txt file and store them in a
       dictionary
  91
          parameters list = []
  92
          parameters dict = {}
  93
          parameters file path = raster folder + "\\flow analysis parameters.txt"
  94
          parameters file = open(parameters file path, 'r')
  95
          for eachLine in parameters file:
  96
            parameters list.append(eachLine.split(";"))
  97
          parameters file.close()
  98
  99
         #get rid of the newline character at the end of each row, and add it to the dictionary
100
         for i in range(len(parameters list)):
101
            parameters list[i][1] = parameters list[i][1][:len(parameters_list[i][1]) - 2]
102
            parameters dict[parameters_list[i][0]] = parameters_list[i][1]
103
104
         #indices for performing neighborhood analyses
105
         buffer_size = int(parameters_dict['buffer_size'])
106
         start center row = buffer size
107
         start center col = buffer size
108
         end center row = 0
109
         end_center_col = 0
110
111
         #read the lidar fd into a list by way of an array
112
         lidar fd ary = raster.raster2array(lidar fd)
113
         lidar_fd_list = lidar_fd_ary.tolist()
114
         del lidar fd ary
115
116
         #read the LiDAR dataset with the NED FID values into a list by way of an array
117
         lidar ned fid = raster folder + "\\lidar ned fid"
118
         lidar_ned_fid_ary = raster.raster2array(lidar_ned_fid)
119
         lidar ned fid list = lidar ned fid ary.tolist()
120
         del lidar ned fid ary
121
122
         #read the binary mask for flat areas (derived from LiDAR-scale dataset 'carved dem')
123
         flat_areas = raster folder + "\\flat areas"
```

124 flat areas ary = raster.raster2array(flat areas)

- 125 flat\_areas\_list = flat\_areas\_ary.tolist()
- 126 del flat\_areas\_ary
- 127
- 128 #Index counters for keeping track of lidar\_ned\_id indices as the code loops through the ned\_fid
- 129 #e.g. We will extract the lidar cells that correspond to the selected NED ID. To do that
- 130 #we must loop through the array to find the appropriate cells, and we don't want to start the search
- 131 #at the beginning each time. Since we're skipping the edge cells of the NED, we'll set the starting
- 132 #values to two less than the number of lidar cells per NED cell.
- 133 lidar\_cells\_per\_ned\_cell = int(float(parameters\_dict["lidar\_cells\_per\_ned\_cell"]))
- 134 lidar\_ned\_fid\_row\_start = int(lidar\_cells\_per\_ned\_cell) 2
- 135 lidar\_ned\_fid\_row\_end = lidar\_ned\_fid\_row\_start + 1
- 136 lidar\_ned\_fid\_col\_start = int(lidar\_cells\_per\_ned\_cell) 2
- 137 lidar\_ned\_fid\_col\_end = lidar\_ned\_fid\_row\_end
- 138

```
139 script_start_time = time.clock()
```

- 140
- 141 #identify the NED FID of the first and last LiDAR cells
- 142 lidar ned fid start = lidar ned fid list[0][0]
- 143 lidar\_ned\_fid\_end = lidar\_ned\_fid\_list[len(lidar\_ned\_fid\_list) 1][len(lidar\_ned\_fid\_list[0]) 1]
- 144 #In a few tiles, NoData values crept into the dataset at the corners, so we must check for those

```
145 #and grab the first positive ned_fid value, by moving diagonally from the corners
```

```
146 row = 0
```

```
147 	col = 0
```

148 while lidar\_ned\_fid\_start < 0:

- 149 lidar\_ned\_fid\_start = lidar\_ned\_fid\_list[row][col]
- 150 row += 1
- 151 col += 1
- 152

153 row = len(lidar\_ned\_fid\_list) - 1

154 col = len(lidar\_ned\_fid\_list[row]) - 1

```
155 while lidar_ned_fid_end < 0:
```

156 lidar\_ned\_fid\_end = lidar\_ned\_fid\_list[row][col]

```
157 row -= 1
```

```
158 col -= 1
```

- 160 #determine the index in ned\_fid\_list where the lidar\_ned\_fid\_start and lidar\_ned\_fid\_end values are located
- 161 ned\_fid\_list\_start\_row = 0
- 162 ned fid list start col = 0
- 163 ned fid list end row = 0

164	ned_fid_list_end_col = 0
165	for i in range(len(ned_fid_list)):
166	try:
167	<pre>ned_fid_list_start_col = ned_fid_list[i].index(lidar_ned_fid_start)</pre>
168	ned_fid_list_start_row = i
169	break
170	except ValueError:
171	pass
172	
173	for i in range(ned_fid_list_start_row, len(ned_fid_list)):
174	try:
175	<pre>ned_fid_list_end_col = ned_fid_list[i].index(lidar_ned_fid_end)</pre>
176	ned_fid_list_end_row = i
177	break
178	except ValueError:
179	pass
180	
181	#move through ned_fid_list performing a neighborhood assessment of flow-direction
182	percent_done = 0
183	
184	#variable for determining if a flat_cell was encountered, breaking the loop
185	flat_area_found = False
186	
187	
188 189	for i in range(ned_fid_list_start_row + 2, ned_fid_list_end_row - 2): #+2 and -2 to avoid the top and bottom edges
190	Humant the lider and fid cal start -
191	#reset the hoar_hed_hod_col_start -
192	
195	for j in range(ned_fid_list_start_col + 2, ned_fid_list_end_col - 2): #+2 and -2 to avoid the left and right edges
195	
196	ned_fid_value = ned_fid_list[i][j]
197	
198	#extract the LiDAR cells of the selected NED cell and the neighborhood around the selected NED cell
199	#first, identify where the LiDAR cells are
200	end_search = False
201	takin no data calla o a nod fid antica da far a 22 hitanai and interan and ill da
202	#skip no data cells, e.g. ned_fid_value < 0 for a 32-bit unsigned integer, and cells that have already been processed
203	it ned_fid_value < 0 or cells_processed_ary[i,j] == 1:
204	break

-----

205	
206	for k in range(lidar_ned_fid_row_start, len(lidar_ned_fid_list)):
207	for m in range(lidar_ned_fid_col_start, len(lidar_ned_fid_list[k])):
208	if lidar_ned_fid_list[k][m] == ned_fid_value: #we've found the start of the NED area within the LiDAR cells
209	lidar ned fid row start = k
210	lidar ned fid col start = m
210	#find the col end
212	for n in range(lidar ned fid col start len(lidar ned fid list[k]));
213	if lidar_ned_fid_list[k][n] != ned_fid_value: #we've found the end of the NED area (the previous column)
214	lidar ned fid col end = $n - 1$
215	break
216	#find the row end
217	for n in range(lidar ned fid row start, len(lidar ned fid list)):
218	if lidar_ned_fid_list[n][lidar_ned_fid_col_start] != ned_fid_value: #we've found the end of the NED area (the previous row)
219	$lidar_ned_fid_row_end = n - 1$
220	end_search = True
221	break
222	break
223	if end_search:
224	break
225	
226	#determine the boundaries for extracting the LiDAR flow-direction values for the defined area and a buffer-area equal to half a NED cell.
227	lidar_nhood_row_start = lidar_ned_fid_row_start - buffer_size
228	lidar_nhood_row_end = lidar_ned_fid_row_end + buffer_size
229	lidar_nhood_col_start = lidar_ned_fid_col_start - buffer_size
230	lidar_nhood_col_end = lidar_ned_fid_col_end + buffer_size
231	
232	#create lists to store the values of neighborhood cells
233	lidar_nhood_fd_list = []
234	flat_areas_nhood_list = []
235	for k in range(lidar_nhood_row_start, lidar_nhood_row_end + 1):
236 237	lidar_nhood_fd_list.append(lidar_fd_list[k][lidar_nhood_col_start:lidar_nhood_col_end + 1]) flat_areas_nhood_list.append(flat_areas_list[k][lidar_nhood_col_start:lidar_nhood_col_end + 1])
23 <b>8</b>	
239	nhood_rows = len(lidar_nhood_fd_list)
240	nhood_cols = len(lidar_nhood_fd_list[0])
241	
242	end_center_row = nhood_rows - buffer_size
243	end_center_col = nhood_cols - buffer_size
244	
245	#create a list that will mark the selected NED area LiDAR cells (center cells) as 1 and the buffer cells as 0
-------------	---------------------------------------------------------------------------------------------------------------
246	lidar_nhood_ary = numpy.zeros_like(lidar_nhood_fd_list)
247	lidar_nhood_list = lidar_nhood_ary.tolist()
248	del lidar_nhood_ary
249	
250	<pre>#lidar_nhood_list[start_center_row:end_center_row][start_center_col:end_center_col] = 1</pre>
251	for k in range(start_center_row, end_center_row + 1):
252	for n in range(start_center_col, end_center_col + 1):
253	$lidar_nhood_list[k][n] = 1$
254	
255	#create a list that will store flow-accumulation of center cells within the neighborhood
256	lidar_nhood_fa_ary = numpy.zeros_like(lidar_nhood_fd_list)
257	lidar_nhood_fa_list = lidar_nhood_fa_ary.tolist()
258	del lidar_nhood_fa_ary
259	
260	#Calculate flow_accumulation in the LiDAR neighborhood.
261	#Visit each center cell (i.e. lidar_nhood_list == 1), trace its flow path using
	lidar_nhood_fd_list until it exits the neighborhood
262	counter = 0
263	for k in range(start_center_row, end_center_row):
264	for m in range(start_center_col, end_center_col):
265	current_row = k
266	current_col = m #while current_row < nhood_rows = 1 and current_row >= 0 and current_col <
207	nhood cols - 1 and current col >= 0:
268	while current_row < nhood_rows and current_row >= 0 and current_col <
	nhood_cols and current_col >= 0:
269	
270	#check for flat_area
271	if flat_areas_nhood_list[current_row][current_col] == 1:
272	flat_area_found = True
273	break
274	
275	#determine what direction flow exits the current cell
276	lidar_fd_value = lidar_nhood_fd_list[current_row][current_col]
277	if lidar_fd_value == 1: #flow east
27 <b>8</b>	current_col += 1
279	elif lidar_fd_value == 2: #flow southeast
280	current_col += 1
281	current_row += 1
282	elif lidar_fd_value == 4: #flow south
283	current_row += 1
284	elif lidar_fd_value == 8: #flow southwest

285	current_col -= 1
286	current_row += 1
287	elif lidar_fd_value == 16: #flow west
288	current_col -= 1
289	elif lidar_fd_value == 32: #flow northwest
290	current_col -= 1
291	current_row -= 1
292	elif lidar_fd_value == 64: #flow north
293	current_row -= 1
294	elif lidar_fd_value == 128: #flow northeast
295	current_col += 1
296	current_row -= 1
297	
29 <b>8</b>	#update the flowaccumulation list
299	if current_row < nhood_rows and current_row >= 0 and current_col <
	nhood_cols and current_col >= 0:
300	lidar_nhood_fa_list[current_row][current_col] += 1
301	
302	if flat_area_found:
303	break
304	
305	if flat_area_found:
306	break
307	
308	IT Hat_area_found:
309	$Id_eval_ary[i,j] = -9999$
310	Tiat_area_round = Faise
311	
312	eise:
313	#re-adjust and center row and and center col to zero based indexes they currently
514	just
315	#hold the difference in size between the neighborhood size and buffer size
316	end_center_row -= 1
317	end_center_col -= 1
318	
319	#create a dictionary that will store the proportion of edge cells in each neighborhood
	quad
320	nhood_proportions_dict = {}
321	nhood_proportions_dict["NW"] = start_center_row + start_center_col
322	nhood_proportions_dict["N"] = end_center_col - start_center_col + 1
323	nhood_proportions_dict["NE"] = nhood_proportions_dict["NW"]
324	nhood_proportions_dict["E"] = nhood_proportions_dict["N"]
325	nhood_proportions_dict["SE"] = nhood_proportions_dict["NW"]

326	nhood_proportions_dict["S"] = nhood_proportions_dict["N"]
327	nhood_proportions_dict["SW"] = nhood_proportions_dict["NW"]
328	nhood_proportions_dict["W"] = nhood_proportions_dict["N"]
329	<pre>num_edge_cells = float(sum(nhood_proportions_dict.values()))</pre>
330	for key in nhood_proportions_dict:
331	nhood_proportions_dict[key] = nhood_proportions_dict[key] / num_edge_cells
332	
333	
334	#create a dictionary that will store the total exiting flow for each neighborhood quad
335	flow_dict = {}
336	flow_dict["NW"] = 0
337	$flow_dict["N"] = 0$
<b>338</b>	flow_dict["NE"] = 0
339	flow_dict["E"] = 0
340	flow_dict["SE"] = 0
341	flow_dict["S"] = 0
342	$flow_dict["SW"] = 0$
343	$flow_dict["W"] = 0$
344	
345	
34 <b>6</b>	#trace the outer edge of the boundary cells, and count the flowaccumulation cells that exit the study area
347	#aggregate the results by direction (E.SE.S.SW W.NW N.NE)
348	
349	#trace the northern edge
350	for k in range(nhood cols):
351	if $k < \text{start center col}$ : #we're in the northewest guad
352	if lidar_nhood_fd_list[0][k] in [32,64,128]: #then the flow exits the quad NW, N,
	or NE
353	flow_dict["NW"] += lidar_nhood_fa_list[0][k]
354	elif $k \ge $ start_center_col and $k \le $ end_center_col: #we're in the northern quad
322	or NE
356	flow dict["N"] += lidar nhood fa list[0][k]
357	else: #we're in the northeast guad
358	if lidar_nhood_fd_list[0][k] in [32,64,128]: #then the flow exits the quad NW, N,
	or NE
359	flow_dict["NE"] += lidar_nhood_fa_list[0][k]
360	
361	#trace the southern edge
362	last_row_index = nhood_rows - 1
363	for k in range(len(lidar_nhood_fd_list[last_row_index])):
364	if $k < \text{start}$ center_col: #we're in the southwest quad
365	IT lidar_nnood_rd_list[last_row_index][K] in [2,4,8]: #then the flow exits the quad SE. S. or SW

~ .

366	flow_dict["SW"] += lidar_nhood_fa_list[last_row_index][k]
367	elif k >= start_center_col and k <= end_center_col: #we're in the south quad
36 <b>8</b>	if lidar_nhood_fd_list[last_row_index][k] in [2,4,8]: #then the flow exits the quad
	SE, S, or SW
369	flow_dict["S"] += lidar_nhood_fa_list[last_row_index][k]
370	else: #we're in the southeast quad
371	If lidar_nhood_td_list[last_row_index][k] in [2,4,8]: #then the flow exits the quad
272	flow dist["SE"] = lider should fe list[last row index][k]
272	
272	Here as the succession of the
374	#trace the western edge
3/3	for k in range(nnood_rows):
376	If k < start_center_row: #we're in the northewest quad if lidar, abood, fd, list[k][0] in [8, 16, 32]; #then the flow exits the guad SW, W, or
577	NW
37 <b>8</b>	#don't double count the northwesternmost cell, it may have been counted in the
	trace of the northern edge
379	if $k == 0$ and lidar_nhood_fd_list[0][0] == 32:
380	pass
381	else:
382	flow_dict["NW"] += lidar_nhood_fa_list[k][0]
383	elif k >= start_center_row and k <= end_center_row: #we're in the west quad
384	if lidar_nhood_fd_list[k][0] in [8,16,32]: #then the flow exits the quad SW, W, or
205	
383	$\operatorname{How}_\operatorname{dict}["w"] += \operatorname{Hoar}_\operatorname{nood}[\operatorname{Ta}_\operatorname{Hst}[k][0]]$
380 387	else: #we're in the southwest quad if lidar, nhood, fd, list[k][0] in [8, 16, 32]; #then the flow exits the quad SW, W, or
507	NW
388	flow dict["SW"] += lidar nhood fa list[k][0]
389	
390	#trace the eastern edge
391	last col index = nhood cols - 1
392	for k in range(nhood rows):
393	if k < start center row: #we're in the northeast guad
394	if lidar_nhood_fd_list[k][last_col_index] in [128,1,2]: #then the flow exits the
205	quad NE, E, or SE
395	#don't double count the northeasternmost cell, it may have been counted in the
306	if $k == 0$ and lider should find list[0][last coll index] == 128.
207	
200	
200	CISC. flow dist["NIE"] == lider shard fo lint[s][[start]]
100	$\frac{1}{10} = \frac{1}{10} $
400 401	enr K >= start_center_row and K <= end_center_row: #we're in the east quad if lidar nhood fd list[k][last col_index] in [128.1.2]; #then the flow exits the
	quad NE, E, or SE
402	flow_dict["E"] += lidar nhood fa list[k][last col index]
403	else: #we're in the southeast quad
	•

404	if lidar_nhood_fd_list[k][last_col_index] in [128,1,2]: #then the flow exits the
405	quad NE, E, or SE #don't double count the southeasternmost cell, it may have been counted in the
403	trace of the southern edge
406	if k == last_row_index and
	lidar_nhood_fd_list[last_row_index][last_col_index] == 2:
407	pass
408	else:
409	flow_dict["SE"] += lidar_nhood_fa_list[k][last_col_index]
410	
411	
412	Here we have the second s
413	#create a dictionary that will store the percentage of total exiting flow for each
414	sum flow exit cells = float(sum(flow dict values()))
415	if sum flow exit cells == $0$ :
416	n sum_now_ext (cons $\circ$ ).
417	flow not dict = $\{\}$
418	flow net dict["NW"] = flow dict["NW"] / sum flow exit cells
410	flow pet_dict["N"] = flow dict["N"] / sum_flow exit cells
420	flow pet_dict["NF"] = flow dict["NF"] / sum_flow exit cells
421	flow pet_dict["F"] = flow dict["F"] / sum flow exit cells
422	flow pct_dict["SE"] = flow dict["SE"] / sum_flow exit cells
423	flow pct_dict["S"] = flow dict["S"] / sum flow exit cells
424	flow pct_dict["SW"] = flow dict["SW"] / sum flow exit cells
425	flow pct_dict["W"] = flow dict["W"] / sum flow exit cells
426	
427	
428	#evaluate the difference in flow-direction from the center cells to the NED flow-
	direction
429	ned_fd_value = ned_fd_list[i][j]
430	flow_error_dict = {}
431	if ned_fd_value == 1: #east
432	flow_error_dict["NW"] = 3
433	$flow\_error\_dict["N"] = 2$
434	flow_error_dict["NE"] = 1
435	$flow\_error\_dict["E"] = 0$
436	flow_error_dict["SE"] = 1
437	flow_error_dict["S"] = 2
438	flow_error_dict["SW"] = 3
439	flow_error_dict["W"] = 4
440	elif ned_fd_value == 2: #southeast
441	flow_error_dict["NW"] = 4
442	$flow\_error\_dict["N"] = 3$
443	flow_error_dict["NE"] = 2

444	flow_error_dict["E"] = 1
445	flow_error_dict["SE"] = 0
446	flow_error_dict["S"] = 1
447	flow_error_dict["SW"] = 2
448	flow_error_dict["W"] = 3
449	elif ned_fd_value == 4: #south
450	flow_error_dict["NW"] = 3
451	flow_error_dict["N"] = 4
452	flow_error_dict["NE"] = 3
453	flow_error_dict["E"] = 2
454	flow_error_dict["SE"] = 1
455	flow_error_dict["S"] = 0
456	flow_error_dict["SW"] = 1
457	flow_error_dict["W"] = 2
458	elif ned_fd_value == 8: #southwest
459	flow_error_dict["NW"] = 2
460	flow_error_dict["N"] = 3
461	flow_error_dict["NE"] = 4
462	flow_error_dict["E"] = 3
463	flow_error_dict["SE"] = 2
464	flow_error_dict["S"] = 1
465	flow_error_dict["SW"] = 0
466	$flow\_error\_dict["W"] = 1$
467	elif ned_fd_value == 16: #west
468	flow_error_dict["NW"] = 1
469	flow_error_dict["N"] = 2
470	flow_error_dict["NE"] = 3
471	flow_error_dict["E"] = 4
472	flow_error_dict["SE"] = 3
473	flow_error_dict["S"] = 2
474	flow_error_dict["SW"] = 1
475	flow_error_dict["W"] = 0
476	<pre>elif ned_fd_value == 32: #northwest</pre>
477	flow_error_dict["NW"] = 0
478	flow_error_dict["N"] = 1
479	flow_error_dict["NE"] = 2
480	flow_error_dict["E"] = 3
481	flow_error_dict["SE"] = 4
482	flow_error_dict["S"] = 3
483	flow_error_dict["SW"] = 2
484	$flow\_error\_dict["W"] = 1$
485	elif ned_fd_value == 64: #north
486	flow_error_dict["NW"] = 1

487	flow_error dict["N"] = $0$
488	flow_error_dict["NE"] = 1
489	flow_error_dict["E"] = 2
490	flow_error_dict["SE"] = 3
491	flow_error_dict["S"] = 4
492	flow_error_dict["SW"] = 3
493	flow_error_dict["W"] = 2
494	elif ned_fd_value == 128: #northeast
495	flow_error_dict["NW"] = 2
496	$flow_error_dict["N"] = 1$
497	flow_error_dict["NE"] = 0
<b>498</b>	$flow\_error\_dict["E"] = 1$
<b>499</b>	flow_error_dict["SE"] = 2
500	flow_error_dict["S"] = 3
501	flow_error_dict["SW"] = 4
502	flow_error_dict["W"] = 3
503	
504	weighted_flow_error = 0
505	for direction in flow_pct_dict:
506	weighted_flow_error += flow_pct_dict[direction] * flow_error_dict[direction]
507	
508	#record the weighted flow error in the NED sized raster list
509	fd_eval_ary[i,j] = weighted_flow_error
510	
511	
512	del nhood_proportions_dict, flow_dict, flow_pct_dict, flow_error_dict
513	
514	
515	cells_processed_ary[i,j] = 1
516	
517	#delete used lists and dictionaries
518	del lidar_nhood_list, lidar_nhood_fd_list, flat_areas_nhood_list, lidar_nhood_fa_list
519	
520	
521	<pre>percent = int(float(i - ned_fid_list_start_row) / (ned_fid_list_end_row - ned_fid_list_start_row) * 100)</pre>
522	if percent > percent_done:
523	<pre>print ' - ' + str(percent) + "% done (ned_fid : " + str(ned_fid_value) + ")"</pre>
524	percent_done = percent
525	
526	del lidar_fd_list, lidar_ned_fid_list
527	
528	

í.

529 raster\_folder\_seconds = time.clock() - raster\_folder\_start\_time 530 h,m,s = sec to h min(raster folder seconds) - raster '+ raster folder + ' took '+ str(h) + ' hours '+ str(m) + ' minutes '+ str(s) + ' 531 print ' seconds' 532 533 534 #loop through the cells\_processed\_ary and set any cells with a value of 0 to NoData (-9999) 535 for i in range(len(cells processed ary)): 536 for j in range(len(cells processed ary[i])): 537 if cells processed ary[i,j] == 0: 538 fd\_eval\_ary[i,j] = -9999 539 540 541 #write the cumulative error array to a raster 542 #use the TIFF file as a template, since GDAL cannot write ArcINFO binary rasters 543 template raster = workspace + "\\template raster.tif" 544 template\_raster\_ds = gdal.Open(template\_raster, gdalconst.GA\_Update) 545 template raster band = template raster ds.GetRasterBand(1) 546 template raster band.WriteArray(fd eval ary) 547 template\_raster\_band.FlushCache() 548 template\_raster\_ds.FlushCache() 549 550 del template raster ds, template raster band, fd eval ary, ned fd list, ned fid list, lidar\_wspace\_contents, raster\_list, cells\_processed\_ary 551 os.rename(template raster, template raster.replace('template raster', 'flow error')) 552 553 seconds = time.clock() - script\_start\_time 554 h,m,s = sec to h min(seconds) 555 print 'Whole thing Took ' + str(h) + ' hours ' + str(m) + ' minutes ' + str(s) + ' seconds'

#### APPENDIX B - Python Code

#### contour\_dlg\_conversion.py

```
1
     # -----
    # contour dlg conversion.py
 2
    # Created September 2009
 3
     # Author: Glenn O'Neil
 4
    #
 5
     # Description: Takes a directory of DLG hypsography files and converts each
 6
 7
     #
               files relevant features to ESRI shapefiles. Crashes due to an
     #
               ESRI bug if it tries to process more than 70 files.
 8
 9
     #
                  1. dlg wspace - directory containing DLG hypsography files.
10
    # Inputs:
                 2. scratch wspace - directory for temporary files.
11
     #
                  3. out_wspace - directory where the output shapefiles are written.
12
    #
13
    #
14
    # Outputs:
                 1. <quad_name>_ ohp.shp - shapefile of quadrangle contours.
15
     # -
16
17
    import os, arcgisscripting, sys
18
    gp = arcgisscripting.create(9.3)
19
20
    dlg_wspace = sys.argv[1]
21
    scratch wspace = sys.argv[2] + "\\"
22
    out_wspace = sys.argv[3] + "\\"
23
24 #get the dlg files
25 dlg_wspace_list = os.listdir(dlg_wspace)
26 dlg_list = []
27
    #filter the list so it only contains .dlg files
28
    for i in range(len(dlg wspace list)):
29
       if '.dlg' in (dlg_wspace_list[i]):
30
         dlg_list.append(dlg_wspace_list[i])
31
    del dlg wspace list
32
33
    dlg list length = len(dlg list)
34
    for i in range(dlg_list_length):
       gp.AddMessage("Processing " + str(i + 1) + " of " + str(dlg list length) + ":")
35
36
37
       #convert the dlg to a coverage
38
       gp.AddMessage(" - converting DLG to coverage")
39
       dlg_cov = scratch_wspace + "dlg_cov"
```

```
40
       gp.dlgarc(dlg_wspace + "\\" + dlg_list[i], dlg_cov)
41
       #convert the coverage to a shapefile
42
       gp.AddMessage("
                           - converting coverage to shapefile")
43
       dlg shp = dlg cov + " arc.shp"
44
       gp.FeatureClassToShapefile(dlg cov + "\\arc", scratch wspace)
       #join the .acode file to the shapefile table on the ID field
45
46
       gp.AddMessage("
                           - joining acode table to shapefile")
47
       acode = dlg cov + ".acode"
48
       gp.joinfield (dlg_shp, "ID", acode, "DLG_COV-ID")
49
       #extract the appropriate stream features
50
       gp.AddMessage("
                           - extracting features")
51
       #get the appropriate fields from dlg shp
52
       code_fields = gp.listfields(dlg_shp, 'MINOR*')
53
       select query = "MAJOR1" = 20 AND ('
54
       for j in range(len(code_fields)):
55
         if j != (len(code fields) - 1):
            select query += "" + code fields[j].Name + " NOT IN
56
    (202,205,206,207,208,209,210,299) OR '
57
         else: #treat the last record differently
            select_query += "" + code_fields[j].Name + " NOT IN
    (202,205,206,207,208,209,210,299))'
58
59
60
       dlg_out = out_wspace + dlg_list[i][:8] + '.shp'
61
       gp.select_analysis(dlg_shp, dlg_out, select_query)
62
63
       gp.AddMessage(" - deleting intermediate data")
64
       gp.delete_management(dlg_cov)
65
       gp.delete_management(dlg_shp)
66
67 del dlg_list, select_query
```

# APPENDIX B – Python Code

## contour\_toppology\_analysis.py

1	#	
2	# contour	_topology_analysis.py
3	# Created	September 2009
4	# Author:	Glenn O'Neil
5	#	
6	# Descript	tion: This script identifies topological error in contour datasets.
7	#	It analyzes node ID information to determine how many contour
8	#	intersections exists in a dataset. It uses quad boundary and
9	#	featre vertices to determine how many contour dangles exist.
10	#	
11	# Inputs:	1. quad_ds - an ESRI shapefile of 7.5 Minute USGS Quadrangles
12	#	2. quad_id_field - unique ID field of the 'quads' shapefile
13	#	3. contour_wspace - workspace where the contour datasets are stored
14	#	4. workspace - a folder where temporary datasets will be written
15	#	
16	# Outputs:	1. Inter - a field in quad_ds that represents the number of
17	#	intersections in that quad.
18	#	2. Dangle - a field in quad_ds that represents contour dangle
19	#	3. Contours - a field in quad_ds that represents the number of contours
20	#	4. Int_p_cnt - a field in quad_ds that represents the number of
21	#	intersections per contour.
22	#	5. Dan_p_cnt - a field in quad_ds that represents the number of
23	#	dangles per contour.
24	#	
25		
26	#import th	e necessary modules
27	import sys	s, os, time, arcgisscripting
28	gp = arcgi	sscripting.create(9.3)
29		
30	#inputs	
31	quad_ds =	sys.argv[1]
32	quad_id_f	ield = sys.argv[2]
33	contour_w	vspace = sys.argv[3]
34	workspace	e = sys.argv[4]
35		
36	gp.OverW	riteOutput = 1
37		
38	#insert a f	ield into the quad dataset that will store the number of intersections
39	quad_ds_f	fields = gp.listfields(quad_ds)

```
field present = False
40
41
    for i in range(len(quad ds fields)):
42
       if quad_ds_fields[i].name == "Inter":
43
         field_present = True
44
    if not field present:
45
       gp.addfield(quad_ds, "Inter", "short", "8")
46
       gp.addfield(quad ds, "Dangle", "short", "8")
47
       gp.addfield(quad ds, "Contours", "short", "8")
48
       gp.addfield(quad_ds, "Int_p_cnt", "FLOAT")
49
       gp.addfield(quad ds, "Dan p cnt", "FLOAT")
50
51
52
     #determine the number of quads to process
53
    rows = gp.searchcursor(quad_ds)
54
    quad count = 0
55
    row = rows.next()
56
    while row:
57
       quad count += 1
58
       row = rows.next()
59
    del row, rows
60
61
62
    #loop through the quad_ids
63
    quad_rows = gp.updatecursor(quad_ds)
64
    quad row = quad rows.next()
65
    counter = 0
    while quad row:
66
67
68
       quad_id = quad_row.getvalue(quad_id_field)
69
       quad_contour_ds = contour_wspace + "\\" + quad_id + "ohp.shp"
70
71
       gp.AddMessage("- Processing quad " + quad id + "(" + str(counter + 1) + " of " +
     str(quad count) + ")")
72
       counter += 1
73
74
       if not gp.exists(quad contour ds):
75
         gp.AddMessage(" - could not find contours for quad " + quad_id)
76
         quad_row = quad_rows.next()
77
78
       else:
79
         #check to see if intersections have already been identified
         if quad row.getvalue("Inter") > 0: #the quad has PROBABLY already been processed,
80
     possible that there were 0 intersections anyway
81
            quad row = quad rows.next()
```

```
82
             continue
 83
 84
          #create a table of unique node IDs in the contours
 85
          #read the fnode field and store unique results in an array, repeat for tnode fields, then create a
      table
 86
          cursor = gp.searchcursor(quad contour ds)
 87
          node ids = []
 88
          row = cursor.next()
 89
           while row:
 90
             fnode id = row.getvalue("FROMNODE")
 91
             tnode id = row.getvalue("TONODE")
 92
             if not fnode id in node ids:
 93
               node ids.append(fnode id)
 94
             if not tnode id in node ids:
 95
               node_ids.append(tnode_id)
 96
 97
             row = cursor.next()
 98
 99
          node ids.sort()
100
101
          node id table = workspace + "\\node id.dbf"
102
          gp.CreateTable(workspace, "node id.dbf")
103
          gp.AddField(node id table, "ID", "SHORT")
104
          rows = gp.InsertCursor(node_id_table)
105
          for i in range(len(node ids)):
106
             row = rows.NewRow()
107
             row.ID = node ids[i]
108
             rows.InsertRow(row)
109
110
          del row, rows
111
112
          #select only non-border contours (i.e. MAJOR1 > 0)
113
          #make a feature layer first
114
          quad contour fl = quad id + " contour ds fl"
115
          gp.MakeFeatureLayer(quad_contour_ds, quad_contour_fl)
116
          gp.SelectLayerByAttribute(quad_contour_fl, "NEW_SELECTION", "\"MAJOR1\" > 0")
117
118
          #Calculate FNode and TNOde Frequency Tables
          fnode freq = workspace + "\\" + quad _id + "_fnode_freq.dbf"
119
120
          tnode_freq = workspace + "\\" + quad id + " tnode freq.dbf"
121
          gp.Frequency(quad_contour fl, fnode freq, "FROMNODE")
122
          gp.Frequency(quad contour fl, tnode freq, "TONODE")
123
```

124	#Convert FNode and TNode Freq. to Table Views
125	fnode_freq_tv = quad_id + "_fnode_freq_tv"
126	tnode_freq_tv = quad_id + "_tnode_freq_tv"
127	gp.maketableview(fnode_freq, fnode_freq_tv)
128	gp.maketableview(tnode_freq, tnode_freq_tv)
129	
130	#select intersections in the frequency tables
131	gp.SelectLayerByAttribute(fnode_freq_tv, "NEW_SELECTION", "\"FREQUENCY\" > 1")
132	gp.SelectLayerByAttribute(tnode_freq_tv, "NEW_SELECTION", "\"FREQUENCY\" > 1")
133	tion the calested frequency tables
134	gp.AddJoin_management(quad_contour_fl, "FROMNODE", fnode_freq_tv, "FROMNODE", "KEEP_ALL")
136	gp.AddJoin_management(quad_contour_fl, quad_id + "ohp.TONODE", tnode_freq_tv, "TONODE", "KEEP_ALL")
137	
138 139	<pre>#select the contours that have intersections (fromnode and thode frequencies &gt; 1) gp.SelectLayerByAttribute(quad_contour_fl, "NEW_SELECTION", "\"" + quad_id + " fnode freq EREQUENCY\" &gt; 1 OR \"" + quad_id + " thode freq EREQUENCY\" &gt; 1")</pre>
140	<pre>#gp.SelectLayerByAttribute("quad_contour_ds_fl", "NEW_SELECTION", ""fnode_freq_tv:FREQUENCY" &gt; 1')</pre>
141	
142 143	<pre>#Subratct mid-contour nodes gp.SelectLayerByAttribute(quad_contour_fl, "REMOVE_FROM_SELECTION", "(\"" + quad_id + "_fnode_freq.FREQUENCY\" = 2 AND \"" + quad_id + "_tnode_freq.FREQUENCY\" IS NULL) OR (\"" + quad_id + "_tnode_freq.FREQUENCY\" = 2 AND \"" + quad_id + "_fnode_freq.FREQUENCY\" IS NULL)")</pre>
144	
145	intersection_count = gp.GetCount_management(quad_contour_fl)
146	
147	<pre>quad_row.Inter = intersection_count.getOutput(0)</pre>
148	
149	
150	#the dangle process:
151	<pre>#use feature vertices to points with the "BOTH_ENDS"</pre>
152	contour_vertices = workspace + "\\" + quad_id + "_vertices.shp"
153	gp.FeatureVerticesToPoints(quad_contour_ds, contour_vertices, "BOTH_ENDS")
154	
155	#use addXY on the new points layer
156	gp.AddXY_management(contour_vertices)
157	
158	#create a new string field 30 characters long for X Y concatenation
159	gp.AddField(contour_vertices, "XY", "TEXT")
160	
161	#concatenate the X field and the Y field with a ";"
162	gp.CalculateField(contour_vertices, "XY", "[POINT_X] & \";\" & [POINT_Y]")

163	
164	#calculate a frequency table on the concatenated XY values
165	contour_vertices_fl = quad_id + "_contour_vertices_fl"
166	gp.MakeFeatureLayer(contour_vertices, contour_vertices_fl)
167	xy_freq = workspace + "\\" + quad_id + "_xy_freq.dbf"
168	gp.Frequency(contour_vertices_fl, xy_freq, "XY")
169	xy_freq_tv = quad_id + "_xy_freq_tv"
170	gp.maketableview(xy_freq, xy_freq_tv)
171	
172	#join the frequency table to the contour_vertices
173	gp.AddJoin_management(contour_vertices_fl, "XY", xy_freq_tv, "XY", "KEEP_ALL")
174	
175	#select the selected quad from the quad shapefile and create a 500 foot inside buffer
176	#This allows us to avoid selecting the dangling nodes on the quad boundary
177	<pre>quad_select = workspace + "\\" + quad_id + "_sel.shp"</pre>
178	gp.select_analysis(quad_ds, quad_select, "\"" + quad_id_field + "\" = "" + quad_id + """)
179 180	<pre>quad_inside_buff = workspace + "\\" + quad_id + "_inside_buff.shp" gp.buffer_analysis(quad_select, quad_inside_buff, "-200") #probably in meters, depends on quad_select units</pre>
181	quad inside buff fl = quad id + " inside buff fl"
182	gp.MakeFeatureLayer(quad_inside_buff, quad_inside_buff_fl)
183	
184	#select the vertices that intersect the new inside buffer
185	gp.SelectLayerByLocation(contour_vertices_fl, "intersect", quad_inside_buff)
186	
187	#create a sub-selection the vertices that have a frequency = $1$
188	<pre>gp.SelectLayerByAttribute(contour_vertices_fl, "SUBSET_SELECTION", "\"" + quad_id + "_xy_freq.FREQUENCY\" = 1")</pre>
189	
190	#get the recourd count on the vertices
191	dangle_count = gp.GetCount_management(contour_vertices_fl)
192	
193	quad_row.Dangle = dangle_count.getOutput(0)
194	
195	
190	#calculate the number of contours, to determine intersection and dangle ratios
197	#Calculate a contour fraguency table
190	"Calculate a contour figure table on Remove loin (august contour figure did $\pm$ " finde freq" and id $\pm$ " those freq")
200	$g_{\mu}$ an Select aver $R_{\mu} \Delta t$ tribute (and contour fl) to be selection
200	$contour freq = workspace + "\\" + quad id + " contour freq dhf"$
201	an Erequency(quad contour fl contour freq "ID")
202	ontour count = on GetCount management(guad contour fl)
201 201	auad row Contours = contour, count getOutout(0)
204	quad_tom.comouts = comout_count.getOutput(0)

. '\_\_

205	
206	<pre>intersections_per_contour = float(intersection_count.getOutput(0)) / float(contour_count.getOutput(0))</pre>
207	dangles_per_contour = float(dangle_count.getOutput(0)) / float(contour_count.getOutput(0))
208	
209	<pre>quad_row.Int_p_cnt = str(intersections_per_contour)</pre>
210	quad_row.Dan_p_cnt = str(dangles_per_contour)
211	
212	quad_rows.updaterow(quad_row)
213	
214	gp.delete_management(quad_contour_fl)
215	gp.delete_management(fnode_freq)
216	gp.delete_management(tnode_freq)
217	gp.delete_management(node_id_table)
218	gp.delete_management(contour_vertices)
219	gp.delete_management(contour_vertices_fl)
220	gp.delete_management(xy_freq)
221	gp.delete_management(quad_select)
222	gp.delete_management(quad_inside_buff)
223	gp.delete_management(quad_inside_buff_fl)
224	gp.delete_management(contour_freq)
225	
226	<pre>quad_row = quad_rows.Next()</pre>
227	
228	del quad_row, quad_rows

## APPENDIX B – Python Code

## analysis\_results.py

1	#
2	# analysis_results.py
3	# Created September 2009
4	# Author: Glenn O'Neil
5	#
6	# Description: Takes a directory of flow error rasters, reads it into a NumPy
7	# Array through GDAL and records each raster's mean, standard
8	# deviation and median flow error value into a text file.
9	#
10	# Inputs: 1. workspace - directory
11	# 2. output_text_file - text file containing the mean, median,
12	# and standard deviation flow error values for each raster.
13	#
14	# Outputs: 1. output text file -
15	#
16	#
17	
18	
19	import sys, os, raster_analysis, numpy
20	from osgeo import gdal, gdalconst
21	
22	
23	#get the inputs
24	workspace = sys.argv[1]
25	output_text_file_path = sys.argv[2]
26	ls = os.linesep
27	
28	
29	output_text_file = open(output_text_file_path, 'w')
30	
31	#get the folders of the workspace
32	quads_list = []
33	quads_wspace_contents = os.listdir(workspace)
34	for i in quads_wspace_contents:
35	if os.path.isdir(workspace + "\\" + i):
36	quads_list.append(i)
37	del quads_wspace_contents
38	
39	quads_list.sort()

40	
40 A 1	avade list length = $len(avade list)$
42	for i in range (quade list length):
42 13	#for i in range(1):
45	
44	the flow error racter
46	flow error raster = workspace + "\\" + quads list[i] + "\\" + quads list[i] +
	"_flow_error.tif"
47	
48	if os.path.exists(flow_error_raster):
49	
50	#read the raster into an array
51	flow_error_ary = raster_analysis.raster2array(flow_error_raster)
52	
53	#append non NoData (i.e9999) results to a list
54	error_values_list = []
55	for j in range(len(flow_error_ary)):
56	for k in range(len(flow_error_ary[j])):
57	if flow_error_ary[j,k] != -9999.0:
58	error_values_list.append(flow_error_ary[j,k])
59	
60	del flow_error_ary
61	
62	#convert the list back to an array for stat analysis
63	error_values_ary = numpy.array(error_values_list)
64	error values list.sort()
65	median = error values list[int(numpy.round(len(error values list) / 2)) - 1]
66	
67	#capture the mean and standard deviation of the ary
68	mean = error values ary.mean()
69	stdev = error values ary.std()
70	del error values ary, error values list
71	
72	#record the stats to the text file
73	output_text_file.write(quads_list[i] + " " + str(mean) + " " + str(stdev) + " " +
	str(median) + ls)
74	
75	print 'Processed ' + quads_list[i] + "(" + str(i + 1) + " of " + str(quads_list_length) + ")"
76	
77	
78	output_text_file.close()
79	del output_text_file, quads_list

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