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THE DYNAMICS AND SCIENTIFIC VISUALIZATION FOR THE ELECTROPHORETIC DEPOSITION PROCESSING OF SUSPENDED COLLOIDAL PARTICLES ONTO A REINFORCEMENT FIBER

By

Peter Timothy Robinson

A THESIS

Submitted to Michigan State University in partial fulfillment of the requirements for the degree of

MASTER OF SCIENCE

Department of Material Science and Mechanics

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ABSTRACT

THE DYNAMICS AND SCIENTIFIC VISUALIZATION FOR THE ELECTROPHORETIC DEPOSITION PROCESSING OF SUSPENDED COLLOIDAL PARTICLES ONTO A REINFORCEMENT FIBER

By

Peter Timothy Robinson

To meet the demands for new, innovative and more efficient manufacturing techniques of matrix composite materials, ^a method based on the ideas of colloid science has been introduced. The method relys on maximizing the electrophoretic deposition of suspended colloidal matrix particles onto ^a reinforcement fiber. A numerical algorithm has been developed to simulate the many body problem for the colloidal system. The algorithm uses numerical integration to solve the dynamical equations of motion. Motion of the particles are due to London - van der Waal forces, Coulombic forces, gravitational forces and Stoke's drag.

Visualization of the algorithm in two dimensions has been attempted on a personal computer. A menu user interface allows flexibility and efficiency for modifying the initial condition parameters such that the optimal initial condition parameters that maximize the matrix - collector deposition may be determined.

The colloidal suspension simulator algorithm was intended to be tested with parameters for Fe-40Al matrix particles using an Al_2O_3 reinforcement fiber. This thesis presents the foundation work necessary for the construction of a functioning colloidal suspension simulator. ector deposition may be dolloidal suspension simuled alloidal suspension simuled allows that the more work necessary for the more than the more contained all the more more than the more contained all the more contained all

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 F_{Br} is the force due to Brownian motion,

Vel.is the velocity vector of the particle,

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7.1 Depiction of accumulated mass. 62 This figure shows an example of data that could be calculated using the colloidal suspension simulator.

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- Electric p \mathfrak{t}^+
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- F_{BEL} Coulomb
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- $\frac{X_n}{Y_n}$ y position
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LIST OF SYMBOLS

- Hamakcr constant \mathbf{A}
- Electric point charge q
- $\begin{array}{cc} \mathbf{A} & \mathbf{q} \\ \mathbf{e} & \mathbf{\varepsilon} \\ \mathbf{f} & \mathbf{f} \\ \mathbf{f} & \mathbf{f} \\ \mathbf{f} & \mathbf{f} \\ \mathbf{f} & \mathbf{f} \\ \mathbf{f} & \mathbf{g} \end{array}$ Electronic charge = 1.60217733E-19 Coulomb \mathbf{e}
- ϵ Dielectric constant
- BL Coulombic, double layer force
- Force due to gravity
- $F_{\text{HYD}}^{\text{P}}$ Hydrodynamic force
- F_{TTL} Total force acting on a colloid
- London van der Waals force $F_{\rm van}$
- Electric potential
- **Ψ**
φροσαρ
φροσ Boltzmann constant = 1.380658E-23 J/K
- **Temperature**
- Repulsive potential energy
- Charge density
- Bulk concentration of positive and negative ions
- Electric potential at the surface of a colloid
- Electric potential at the Stem layer
- ζ ψ_s
Κ Electric potential at the surface of shear, the zeta potential
- Debye-Hiickel reciprocal length parameter
- n_i Concentration of ions
- Bulk concentration of an ionic species n_{0}
- **Viscosity** η
- Electrophoretic mobility or mean μ
- London van der Waals constant Λ
- x position x_{xi}
- y position x_{yi}
- x component of velocity $v_{\rm xi}$
- y component of velocity v_{yi}
- Valence number of an ion \mathbf{z}

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INTRODUCTION

The manufacturing of an intermetallic matrix composite using a process based on the ideas of colloid science has been proposed [1]. The proposed process involves electrophoretic deposition of Fe-40Al matrix particles onto a bundled Al_2O_3 fiber. The bundled fiber is pulled through a concentrated suspension of the particles, Figure 1.1, and the particles adhere to the fiber due to adhesive, London - van der Waal and Coulombic forces. A major advantage of this technique over other production methods is the uniformity of matrix particles covering the fiber. The uniformity produced by this process results in a composite material that theoretically has improved mechanical properties and has greater resistance to fatigue.

To understand the electrophoretic deposition process, investigation into the field of colloid chemistry is required. Physically, the colloidal domain is the size range of particles that lie between one nanometer and one micron. The domain of colloid chemistry lies between the microscopic size range, in which the strong and weak nuclear forces dominate and the macroscopic size range, in which gravitational forces dominate.

A complete description of the dynamics of the colloidal electrophoretic deposition process involves two steps. The first step is the transport step in which the colloid particles are transported through the suspension medium and come into contact with each other or with the collector. The second step is the surface interaction step in which the particles are close enough to each other or to the collector such that surface interactions occur. Inquiry into the nature of the colloidal interactions between the surfaces of the colloids leads to the classical theoretical description developed independently by Derjaguin and Landau, and by

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The schematic diagram shows the FeA1 fiber being pulled through the suspension basin. The colloidal particles adhere to the fiber by maximizing the attractive forces between particle and fiber and by minimizing the homocoagulation between Fe-40A1 - Fe-40A1 and The schematic diagram shows the FeAl fiber being pulled through the suspension basin. The colloidal particles adhere to the fiber by maximizing the attractive forces between particle and fiber and by minimizing the homocoagulation between Fe-40Al - Fe-40Al and $A1_2O_3 - A1_2O_3$. This schematic shows only the idea of the production method. $A12O_3$ - $A12O_3$. This schematic shows only the idea of the production method.

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Verwey and Overbeek [2,3] referred to in literature as the DLVO theory. The DLVO theory suggests that the stability of a colloidal suspension is determined by the total surface interaction energy acting between the colloids. The total surface interaction energy possessed by a colloid is the sum of the electrodynamic attractive energy plus the electrodynamic repulsive energy. The electrodynamic attractive energy is the direct consequence of the London-van der Waal attractive force. The electrodynamic repulsive energy arises from the Coulombic electrostatic force. Other possible forces that may also be present in a colloidal system will be described in greater detail later in this thesis.

Several variables dictate the quality and efficiency of the electrophoretic deposition process. Changes in the processing pH level, the initial electrolyte concentration, the particle size or the dielectric and Hamakcr constants for different types of materials can lead to a composite that is more or less uniformly distributed than a composite that has been processed with different starting conditions. This situation and the question of how accurately the DLVO theory models the physical world has lead to the construction of ^a computer model.

The computer model is the focus of this thesis. The model is an algorithm implemented as a computer program and designed to provide scientific visualization of the dispersion behavior of the composite components while they are in suspension. The program may be initialized with information for both matrix particles and collector and allowed to run. For the initial conditions provided, a measurement of developed mass onto the collector over a time period may be recorded. The recorded developed mass on the collector for a specified time period indicates a measure of the success of the electrophoretic deposition process for a set of initial conditions. The program is flexible to allow the user to change any initial conditions that are required. A goal for the program is that it will be able to predict optimal initial conditions that maximize the electrophoretic deposition for an arbitrary set of composite components.

The program uses a numerical algorithm to simulate the many body problem for

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suspended colloidal particles. The dynamical equations of motion describe the motion of the suspended particles as time evolves. The numerical algorithm is based on a "predictor - corrector" method for numerically integrating the equations of motion. For the "predictor" part of the algorithm, the Euler modified method is used. For the "corrector" part of the algorithm, the fourth order Adams — Bashforth method is used. The dynamical equations of motion are derived by incorporating the total forces that act on the system of particles.

In order to obtain the total surface energy described by the DLVO theory, the electric surface potential of the matrix particles and the electric surface potential of the collector must be characterized. Electrokinetic sonic amplitude (ESA) measurements were made for iron aluminide powder and for alumina fiber. The ESA measurements provide the experi mental approximation to the electric surface potential in the form of the measured zeta potential. Using the zeta potential data as an input into the computer model, analysis of the dynamics of the electrophoretic deposition process may be conducted. Questions as to how well the algorithm describes the physical world will be addressed in order to gain better insight into the workings of the electrophoretic deposition phenomenon.

This thesis provides the algorithm necessary to generate a computer tool for analyzing ^a colloidal suspension. A semi functioning computer program is included both in binary form on a 3 1/2 inch floppy disk and in printed form in the appendices.

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LITERATURE REVIEW

A colloid is ^a particle that has at least one of its three dimensions in the size range from 1.0 x 10⁻⁹ meters to 1.0 x 10⁻⁶ meters. The branch of science that studies these macroscopic objects is called colloid chemistry. D.H. Everett [4] discusses several familiar examples of colloidal systems including the following: fogs, mists, tobacco smoke, milk, butter, jellies, stained glass, photographic "emulsions", blood, paints, muds and slurries. In general, a colloidal system is composed of a disperse phase; a gas, solid or liquid, and a dispersion medium; ^a gas, solid or liquid. A colloidal system that has ^a liquid disperse phase in ^a liquid dispersion medium, for example, is termed an emulsion. A colloidal system that has a liquid disperse phase in a gas dispersion medium is called a liquid aerosol. Table 2.1 outlines several types of colloidal systems.

The class of colloidal system in which a solid is dispersed in a liquid is referred to as a colloidal suspension or a sol. For the electrophoretic deposition process under investigation, the disperse phase will be iron aluminide particles and the dispersion medium will be deionized, distilled water. Therefore, an investigation into the dynamics of a colloidal suspension is essential in order to formulate a physical model of the electrophoretic deposition process.

To attempt a complete description of the overall dynamics of a colloidal suspension, many contributing factors need to be considered. The particle size as well as how the particle size is distributed are two such factors. Wiese and Healy [5] found experimental evidence correlating the particle size with colloid stability. The particle shape is another important factor. Intuitively, the motion of a spherical particle will behave unlike some Other geometrically shaped object, such as a cube or needle, while in suspension. Other factors to be considered are the particles surface properties, such as the surface composition and the amount of electrical charge on the particles surface Finally, the primary factor con-

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Table 2.1 Colloidal Systems.

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2.1 Colloidal Systems.
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tributing to the dynamics of a colloidal suspension is the total force acting on an individual colloid particle. The total force can be derived from knowledge of the particles size, shape and surface properties as well as from the dispersion medium properties.

Several forces collectively define the total force acting on an individual colloid particle. Electrodynamic forces include the attractive London-van der Waals force and the repulsive electrostatic double layer force. Hydrodynamic forces, that obey Stoke's law, arise from viscosity and are proportional to the velocity of the particle moving in the dispersion medium. Steric forces are repulsive forces that may be present from the overlap of adsorbed polymer layers. Brownian motion is erratic particle motion driven from fluctuations in the density of the liquid. Structural forces are strong repulsive forces that act over a very short range and result from changes in the dispersion medium structure in the vicinity of the surface or interface [6,7]. The gravitational force is an attractive force obeying Sir Isaac Newton's law of gravitation. Lastly, the presence of an external electric or magnetic field can affect the motion of a charged colloid particle. Table 2.2 outlines the possible forces that may be present in a colloidal system. Figure 2.1 shows a free body diagram for a suspended colloidal particle.

Electrodynamic forces, comprised of the repulsive double layer overlap force and the attractive London-van der Waal force, are present only if the colloid particles have electrically charged surfaces. Although some special types of colloidal suspensions exist in which the colloid particles possess no surface charge, the majority of colloidal suspensions do, in fact, contain electrically charged particles.

A colloid in suspension can obtain ^a surface charge through several mechanisms. Many of these mechanisms are described by Ross and Morrison and by Hirtzel and Rajagopalan [2,6] and include preferential adsorption of ions, accumulation of electrons at the interface and adsorption of polyelectrolytes.

Realizing that suspended colloids possess a surface charge led to the idea of the electrostatic double layer. The double layer concept, originated by Helmholtz (1879) and

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External Field
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Table 2.2 Forces in a colloidal system.

The table shows the possible forces that may be present in a colloidal suspension system and lists the variables on which the forces depend. 8
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Figure 2.1 Free body diagram for a colloidal particle in suspension.

This figure shows possible force vectors acting on the colloid particle, where,

- F_{Dbl} is the double layer force,
- F_{Ster} is the steric repulsive force,
- F_{Br} is the force due to Brownian motion,
Vel. is the velocity vector of the particle,
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- F_{Struc} is the structural force,
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investigated in greater detail by Louis George Gouy (1910) and David Leonard Chapmann (1913), suggests that a cloud of ions gather around a suspended colloid in an organized fashion. The fixed charge on the colloids surface attracts free ions of opposite sign, referred to as counterions. The attracted counterions, in turn, attract ions of the same sign as the ions on the surface of the colloid, called coions. This cycle repeats outward from the surface of the particle creating integrated layer upon layer of attracted coions and counterions. Figure 2.2 shows an exploded view of the Gouy-Chapman layer surrounding a particle.

The cloud of diffuse ions that surround the colloid exactly neutralizes the fixed charge on the surface of the colloid. Collectively, the diffuse ion region and the colloids fixed surface charge region make up what is called the electrical double layer. In the absence of thermal agitation, counterions would migrate to the surface of a charged particle and would completely cover it, exactly neutralizing its charge [8]. The double layer in this situation would be extremely compact. In reality, thermal motion has a tendency to uniformly distributc the free ions in the dispersion medium. As counterions are attracted to the colloids surface, the counterions produce a screening effect that blocks further attraction of other counterions. The combined effects of thermal agitation and screening of ions causes the charged ions in the diffuse region of the double layer to have a distinct distribution.

Before a description of how the charged ions in the diffuse region are distributed, other important characteristic parameters of the double layer need to be defined, namely, the electrical potential energy and the electric potential. Potential energy, in general, is defined as the energy that a system possesses as a result of its configuration. In the case of the electrical double layer, ions and counterions that surround the colloid may be assumed to be electric point charges. These electric charges are separated by varying distances and exert Coulombic forces upon each other of the form:

$$
F = \frac{q_i q_j}{\epsilon r^2},\tag{1}
$$

Figure 2

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Figure 2.2 Gouy - Chapman Double Layer.

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This figure shows an expanded view of the surface of the colloidal particle. The ions and coions migrate to the surface as shown.

shere, q_i and q_j . nt : is the dista prenal scalar i pential, w. is a firge at that po mured to move iches the electri where, z is the val Equation (2) desc tiertic potential. As outline the part of the policid particle rel tiernical potential where n_i are the co Mential energy of of each ionic specie Now that th potential is ψ , anoth f. at a point where t the point per unit v where, q_i and q_i are two electric point charges, ε is the dielectric constant of the medium, and r is the distance between the charges. As a consequence of these forces, an electric potential scalar field exists between the charges. It is important to note that an electric potential, w, is associated with each point in space, whether or not there is any electric charge at that point. A change in the electric potential is equal to the amount of work required to move an electric charge from one point to another point. This latter statement defines the electrical potential energy and is defined as:

$$
V_R = zq\psi, \tag{2}
$$

where, z is the valence of the ion, q is the electronic charge and ψ is the electric potential. Equation (2) describes the general relation between the electrical potential energy and the electric potential.

As outlined by Shaw [9], the Gouy-Chapman description suggests that ions in the diffuse part of the double layer obey Boltzmann's distribution law. Boltzmann's law for a colloid particle relates the probability of ions being at a given point at which they have an electrical potential energy relative to the surface of the colloid, i.e.:

$$
n_i = n_{i0} \exp\left(\frac{-z_i q \psi}{kT}\right) \tag{3}
$$

where n_i are the concentrations of positive and negative ions at points where the electric potential energy of these ions are zq ψ and -zq ψ , respectively, n_{i0} is the bulk concentration of each ionic species, 2 is the valence number of the ions and q is the electronic charge.

Now that the concentration of ions can be calculated at points where the electric Potential is ψ , another definition, namely, the charge density, follows. The charge density, ρ , at a point where the electric potential is ψ , is defined as the sum of the charged ions, at that point, per unit volume. Mathematically, the charge density is:

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\rho = z q n_i \tag{4}
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Substituting equation (3) into equation (4), then,

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p = zq \left[n_{i0} \left(\exp\left[\frac{-zq \Psi}{kT}\right] - \exp\left[\frac{zq \Psi}{kT}\right] \right] \right]
$$
 (5)

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\rho = zq \left[n_{i0} \left(\exp\left[\frac{zq \psi}{kT} \right] - \exp\left[\frac{zq \psi}{kT} \right] \right] \right]
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\rho = -2zqn_{i0} \left[\frac{1}{2} \left(\exp\left[\frac{zq \psi}{kT} \right] - \exp\left[\frac{-zq \psi}{kT} \right] \right] \right]
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\n
$$
\rho = -2zeqn_{i0} \sinh\left(\frac{zq \psi}{kT} \right) . \tag{7}
$$

$$
\rho = -2zeqn_{i0}\sinh\left(\frac{zq\psi}{kT}\right) \quad . \tag{7}
$$

The next step is to find another equation that relates the charge density with the electric potential in order to obtain an equation explicitly containing w. The Poisson equation relates the charge density to the Laplacian of the electric potential as:

$$
\nabla^2 \psi = -\frac{\rho}{\epsilon},\tag{8}
$$

where ε is the dielectric constant of the medium, ρ is the charge density, ψ is the electric potential and the inverted triangle is the gradient operator. Substituting equation (7) into equation (8), the well known Poisson-Boltzmann equation is obtained:

$$
\nabla^2 \Psi = \frac{2zqn_{i0}}{\epsilon} \sinh\left(\frac{zq\Psi}{kT}\right) \quad . \tag{9}
$$

The Poisson-Boltzmann equation is a second order, non-linear differential equation for the electric potential. A solution to this equation will provide a quantitative scalar field description for which the magnitude of the electric potential at any location in the diffuse part of the electrical double layer can be calculated. Unfortunately, no exact analytical solution to this equation is known to exist and numerical methods must be used.

If, however, the assumption is made that the value of

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Equation (11) for

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where,

$$
\left(\frac{zq\psi}{kT}\right) \ll 1\tag{10}
$$

in equation (9), then the following approximation holds:

$$
\sinh\left(\frac{zq\psi}{kT}\right) \approx \left(\frac{zq\psi}{kT}\right) \quad . \tag{11}
$$

Equation (11) follows from the Taylor expansion of sinh and setting the higher order terms to zero. The assumption in equation (10) implies that at room temperature, i.e. $T = 25^{\circ}$ C, the electric potential has the value of,

$$
z\psi \propto \frac{kT}{e} = 25.69mV \ . \tag{12}
$$

Substituting the right hand side of equation (11) into equation (9), the Poisson-Boltzmann equation simplifies to,

$$
\nabla^2 \psi = \kappa^2 \psi \,, \tag{13}
$$

where,

$$
\kappa^2 = \frac{2z^2 q^2 n_{i0} N_A}{\epsilon kT} \,, \tag{14}
$$

- Ψ = the electric potential,
- κ = the Debye Hückel length,
- $z =$ valence number of ions,
- $q =$ the electronic charge,
- $q = 1.60217733 \text{ E} 19 \text{ Coulomb},$
- n_{i0} = the bulk concentration of ions,
- $n_{i0} = n_{i0}(1000)$ (mole/meter³),
- $\overline{N_A}$ = Avagadros number,
- N_A = 6.0221367 E+23 (1/mole),
- ϵ = dielectric constant of the medium,
- $\varepsilon = \varepsilon_0 \varepsilon_{\text{r}}$
- ε_0 = permittivity of free space,
- $\varepsilon_0 = 8.8541878 \text{ E} 12 \text{ (Farad/meter)},$
- ε_r = the relative permittivity,
- $k = Boltzmann constant$,

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Equation (15) is

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$$
k = 1.380658 E-23 (Joules/Kelvin),
$$

T = Temperature in Kelvin.

The assumption used to derive equation (13) is known as the Debye-Hiickel approximation. The Debye-Hiickcl approximation is valid only for small electric potentials, i.e. from equation (12) ψ < 25.69 mV. The constant term κ in equation (13) is defined as the Debye-Hiickel reciprocal length parameter and is an indicator of the thickness of the electrical double layer. The thickness of the double layer, $1/\kappa$, is the distance in the diffuse double layer in which the electric potential decays by a factor of 1/q for low potentials.

To understand the geometry of the double layer, consider a spherical colloid particle of radius, a, and the ratio of this particle radius to the double layer thickness, arc, see Figure 2.3 [8]. When ak is large, the double layer is nearly flat. When ak is small, the double layer is spread out.

For variations in the potential in the x-direction, equation (13) takes the form,

$$
\frac{\partial^2 \psi}{\partial x^2} = \kappa^2 \psi \tag{15}
$$

Equation (15) is a second order linear differential equation. Letting the boundary conditions be $\psi = \psi_0$ at x = 0 and $\psi = 0$ at x = infinity, and assuming low potentials at room temperature, the solution to equation (15) is,

$$
\psi = \psi_c \exp(-\kappa x) \tag{16}
$$

where, ψ_0 is the electric potential at the surface of the particle. Equation (16) shows that the electric potential decays exponentially from the surface of the colloid.

A further attribute of the electrical double layer was introduced by Otto Stern. As mentioned above, thermal agitation prevents counterions in the suspension medium from forming a very compact layer surrounding the charged colloid. If, however, the electrostatic

Figure 2.3 Ratio of the particle radius to the double layer thickness.

The magnitudes of ax vary in this figure. Most ceramic colloids have magnitudes of ax in the proximity of 50 to 100.

Mysels, Karol J., Introduction to Colloid Chemistry, Robert E. Krieger Publishing Company, Huntington, New York, 1978.

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Where, 5 is the the dielectric co chown as the H The $_{\rm{ac_{O1}}}$ sures the zeta p. $x_{spension.} A_{ga}$ forces are too strong near the colloids surface, then thermal agitation will not be able to overcome them. The result is a semi-compact layer of counterions surrounding the colloid called the Stern layer.

The new picture of the electrical double layer in terms of the electrical potential is shown in Figure 2.4 [8].

The electric potential at the plane of shear near the Stern potential is defined as the zeta potential. Exactly how close the zeta potential lies in relation to the electric potential at the Stern layer is a topic of current research. The zeta potential can be experimentally determined using various techniques such as micro-electrophoresis or acoustophoresis as measured by electrokinetic sonic amplitude (ESA). Micro-electrophoresis applies an oscillating electric field to a colloid suspension. The presence of the external electric field induces a force that acts on each colloid causing the colloid particles to move with a certain velocity. A laser beam and ^a detector are used to optically measure the colloid particles velocities.

The electrophoretic mobility is determined by dividing the observed velocity by the magnitude of the electric field. The electrophoretic mobility is directly related to the zeta potential by the following equations [2]: uation
6πημ

$$
\zeta = \frac{6\pi\eta\mu}{\epsilon} \quad \text{when } \alpha \kappa < 0.1 \tag{17}
$$
\n
$$
\zeta = \frac{4\pi\eta\mu}{\epsilon} \quad \text{when } \alpha \kappa > 100. \tag{18}
$$

$$
\zeta = \frac{4\pi\eta\mu}{\epsilon} \text{ when } a\kappa > 100. \tag{18}
$$

Where, ζ is the zeta potential, η is the viscosity, μ is the electrophoretic mobility and ε is the dielectric constant. Equation (17) is known as the Hückel equation and equation (18) is knOWn as the Helmholtz - Smoluchowski equation.

The acoustophoresis technique using an electrokinetic sonic amplitude (ESA) measures the zeta potential by applying a one megahertz oscillating electric field to a colloid suspension. Again, the particles move with a certain velocity due to the effects of the elec-

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Figure 2.4 The Stern electrical double layer.

This figure shows the small scale surface of a colloid particle, represented as a vertical line. The ions and coions are depicted as $+$ and $-$ symbols. The lower graph shows the shape of decay of the electric potential moving away from the surface of the particle. Mysels, Karol J., Introduction to Colloid Chemistry, Robert E. Krieger Publishing Company, Huntington, New York, 1978.

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tric field. As the colloid particles vibrate back and forth in the suspension medium, a sonic pressure wave is produced. The frequency of the sound wave is measured by a sensitive sonic detector. Once the frequency of the sound wave is known, the velocity of the particle may be determined as well as the electrophoretic mobility. Using equations (17) or (18), the zeta potential is then obtained.

When the diffuse regions of two double layers surrounding two colloids overlap, the result is an electrical potential energy of interaction. Derjaguin [10] derived the potential energy between two parallel plates of unequal charge. Using the calculations of Derjaguin, the potential energy between two unequal spheres was determined using a summation idea of concentric, parallel plates. This method was employed by Hogg, Healy and Fuerstenau (HHF) [12]. Starting with the electric potential and relating the electric potential to the electrical potential energy, Hogg, Healy and Fuerstenau [12] obtained the electrostatic interaction energy between two dissimilar spherical particles, etector. Once the frequency of the determined as well as the electro
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particles,
 $\frac{1 + \exp(-\kappa H_0)}{}$

$$
V_R = \frac{\epsilon a_1 a_2 (\psi_{01}^2 + \psi_{02}^2)}{4 (a_1 + a_2)} \left[\left(\frac{2 \psi_{01} \psi_{02}}{\psi_{01}^2 + \psi_{02}^2} \right) \ln \left(\frac{1 + \exp(-\kappa H_0)}{1 - \exp(-\kappa H_0)} \right) + \ln \left(1 - \exp(-2\kappa H_0) \right) \right]
$$

(19)

where, ε is the dielectric constant of the medium, a_1 , a_2 are the respective radii of particle one and particle two, ψ_{01} , ψ_{02} are the electric potentials at the surface of each particle, κ is the Debye-Hückel reciprocal length parameter and H_0 is distance between the two particle's surfaces. When the initial conditions for two spherical colloids in suspension are specified, equation (19) has the displacement between the two particles surfaces as its only independent variable. HHF [11] also show that equation (19) is ^a valid approximation for surface potentials less than approximately 50 t060 mV. Other methods for obtaining the potential energy relation between two dissimilar spherical particles are given by Bell, Levine and McCartney [12] and by Bell and Peterson [13].

The next topic to consider is the London - van der Waals attraction force between

- celloid particles.
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colloid particles. A brief summary of the evolution of the nature of this force is described by Mahanty and Ninham [14] and is outlined below.

The concept of a force field existing between any pair of molecules whose range is larger than molecular dimensions was first investigated by van der Waals in 1873. van der Waals developed an equation of state for a gas in which a constant term appeared that was directly related to the strength of the intermolecular forces. By averaging the interaction between two dipoles over all orientations, van der Waal and others found that the interaction energy of a dipolar molecule was proportional to $1/r^6$, where r is the distance between two molecules. The explanation of the force between a pair of non-polar molecules was developed by London in 1930. The attractive interaction energy between two molecules due to the London - van der Waal force was determined to be:

$$
E(r) = -\frac{\Lambda}{r^6} \tag{20}
$$

where, Λ is the London - van der Waals constant and r is the distance between the molecules. The calculation of the electrodynamic attraction force between two macroscopic particles has been approached by two different methods. The Lifshitz model is based on a molar model of condensed media and uses quantum electrodynamics. The Hamaker model is based on pairwise summation of the attractive energies between the molecules of each colloid particle, ignoring multibody perturbations. Due to the complexity of the Lifshitz formulas and the necessity for numerical methods for determining material functions, the Hamakcr model will be considered.

Integration of equation (20) over the total volumes of two colloid particles provides the potential energy of interaction between two particles containing q atoms per cm^3 and is given by Hamakcr [15] as:

$$
V_A = -\int_{V_1} dv_1 \int_{V_2} \frac{q^2 \Lambda}{r^6} dv_2 \tag{21}
$$

where, dv_1 , dv_2 , V meetively, r is th gestant Hamaker spherical particles. Consider a sphere Figure 2.5). $\overline{ }$ The sphere $\mathop{\mathrm{sumd}}$ point P wit where, θ_0 is given Integrating equation The volume eleme The potential ener \overline{t}

where, dv_1 , dv_2 , V_1 and V_2 are volume elements and total volumes of the two particles respectively, r is the distance between dv_1 and dv_2 and Λ is the London - van der Waals constant. Hamaker derived an equation for the attractive interaction energy between two spherical particles. His derivation begins by investigating a molecule near a sphere. Consider a sphere of radius a_1 with center at point O and a point P at a distance $\overline{OP} = R > a_1$. (Figure 2.5).

The sphere around O cuts out a surface, $S(ABC)$ out of a second sphere centered around point P with radius r. The surface S(ABC) is:

$$
S(ABC) = 2\pi \int_{0}^{\theta_{o}} r^{2} \sin \theta d\theta
$$
 (22)

where, θ_0 is given by the law of cosines:

$$
a_1 = R^2 + r^2 + 2rR\cos\theta_o \,. \tag{23}
$$

Integrating equation (22), the surface ABC is:

$$
S(ABC) = \pi \frac{r}{R} (a_1^2 - (R - r)^2) \quad . \tag{24}
$$

The volume element dv_1 is given by:

$$
dv_1 = S(ABC) dr \t\t(25)
$$

The potential energy of a molecule at P may then be written as:

$$
E_P = -\int_{(R-a_1)}^{(R+a_1)} \frac{\Lambda q}{r^6} \left(\frac{\pi r}{R}\right) \left(a_1^2 - (R-r)^2\right) dr.
$$
 (26)

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Figure 2.5 μ

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Hamaker, H. C
tion Between

Figure 2.5 Molecule near a sphere.

This figure depicts ^a molecule at point P at ^a distant OP from ^a sphere centered at point O.

Hamakcr, H. C., Physica 4, 1058 - 1072, 1937, "The London - van der Waals Attraction Between Spherical Particles".

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The potential energy of interaction between two spheres, the second sphere having radius a₂, with centers being a distance C apart is obtained from the following:

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\n
$$
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$$
\nergy of interaction between two spheres, the second sphere having radius

\n
$$
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$$
\nbeing a distance C apart is obtained from the following:

\n
$$
(C+a_2)
$$
\n
$$
V_A = \int_{(C-a_2)}^{(C+a_2)} E_P q \pi \frac{R}{C} (a_2^2 - (C-R)^2) dR.
$$
\n
$$
E_P(q) = \int_{(C-a_2)}^{(C+a_2)} E_P(q) \pi \frac{R}{C} (a_2^2 - (C-R)^2) dR.
$$
\nSubstituting the values:

\n
$$
2a_1 a_2
$$
\n
$$
\frac{2a_1 a_2}{C^2 - (a_1 + a_2)^2} + \frac{2a_1 a_2}{C^2 - (a_1 - a_2)^2} + \ln \left(\frac{C^2 - (a_1 + a_2)^2}{C^2 - (a_1 - a_2)^2} \right).
$$
\n(28)

The result of this integration for the potential energy of interaction between two spheres yields,

$$
V_A = -\frac{A}{6} \left(\frac{2a_1a_2}{C^2 - (a_1 + a_2)^2} + \frac{2a_1a_2}{C^2 - (a_1 - a_2)^2} + ln \left(\frac{C^2 - (a_1 + a_2)^2}{C^2 - (a_1 - a_2)^2} \right) \right),
$$
 (28)

where A is the Hamaker constant and C is the distance between the centers of the two spheres.

The potential energy of interaction for a sphere and a plane can be calculated by letting one of the sphere's radius go to infinity and has the form [14]:

$$
V_A = -\frac{A}{6} \left(\frac{1}{x} + \frac{1}{2+x} + \ln\left(\frac{x}{2+x}\right) \right) \tag{29}
$$

where,

$$
x = \frac{(C - a_1)}{a_1} \tag{30}
$$

A is the Hamakcr constant, C is the distance between the center of the sphere and the sur face of the plane, and a_1 is the radius of the sphere.

The development of the potential energy equations due to both the double layer and the London - van der Waals force will be used to determine the dynamics of the surface interaction step of the electrophoretic deposition process. The transport step dynamics involve the forces listed in table 2.2 that may be present in the system, excluding electrodynamic forces. The dynamical equations of motion and the numerical algrithm that may

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be implemented on a computer will be derived in the following chapter.

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FORMULATION OF EQUATIONS

To examine the dynamics of a colloidal suspension, initial conditions need to be specified in order to isolate what forces will be present in the system. The following discussion will clarify what forces will be used for the derivation of the equations of motion that will be used to describe the dynamics of the colloidal system.

Because the suspended particles will be moving in a viscous medium, hydrodynanric forces that obey Stoke's law will be included in the system. Gravitational forces will be included. Although the magnitude of the gravitational force on an individual colloid is negligible, for an unstable system in which the colloids flocculate to form agglomerates, the combined mass of several particles can lead to sedimentation. The London - van der Waal attractive force will be included. The electrostatic repulsive force arising from the overlap of two electrical double layers will be included as well.

For the FED process, no polymer chains will be added to the system and therefore the repulsive steric force will not be included. Brownian motion will not be included. Finally, external magnetic or electric fields will not be present and so the resulting forces obtained from these fields will not be included.

Other initial conditions that will be imposed on the colloidal system include the following:

- l. The colloidal particles will be assumed to be spherical in shape and insoluble.
- 2. The surface of each particle will be assumed to have a constant charge den sity.
- 3. Each spherical particle will be assumed to be infinitely hard and smooth.
- 4. The zeta potential will be used as the numerical equivalent of the surface potential in calculations.
- 5. The frame of reference used to specify the particles coordinates will be assumed to be an inertial frame of reference.

The equation medium is given

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The equation of motion for an individual spherical, colloidal particle suspended in a medium is given by Newton's second law of motion,

$$
m\frac{d\vec{v}}{dt} = \vec{F}_{DBL} + \vec{F}_{Van} + \vec{F}_{HYD} + \vec{F}_g = \vec{F}_{TTL} \tag{31}
$$

where, m is the mass of the colloid particle, F_{DBL} is the Coulombic, double layer force, F_{Van} is the London - van der Waals force, F_{HYD} is the hydrodynamic force due to Stoke's drag and F_g is the force due to gravity.

The force due to gravity for a sphere in a medium is given as:

$$
\vec{F}_g = -\frac{4}{3}\pi r^3 (\rho_2 - \rho_1) \hat{g} \quad , \tag{32}
$$

where, r is the particle radius, ρ_2 , ρ_1 are the respective particle and suspension medium densities and g is the acceleration due to gravity. The Stoke's drag force for a sphere is:

$$
\vec{F}_{HYD} = 6\pi \eta r \hat{v} \tag{33}
$$

where, η is the suspension medium viscosity, r is the particle radius and v is the particle's velocity.

The electrodynamic forces can be obtained from the following relation that is valid for a conserved system:

$$
\vec{F} = -\nabla \vec{U},\qquad(34)
$$

where F is the total force, U is the potential energy equation and the del symbol is the gradient operator. Applying equation (34) to the potential equations, (19) and (28) the following electrodynamic force equations are:

The repulsive fo \hat{f}_{DKL} (PP) $size,$ The attractive $% \mathcal{N}$ $% here,$ The system $\rm c$ where N is a: The_n ticle as time k_{low} n. A ge The repulsive force between two non-identical, spherical particles is:

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\nrepulsive force between two non-identical, spherical particles is:
\n
$$
\vec{F}_{DBL} [PP] = -S_1 \left(\frac{2c_1c_2 \left(-\frac{\kappa exp(-\kappa H)}{1 - exp(-\kappa H)} - \frac{(1 + exp(-\kappa H)) \kappa exp(-\kappa H)}{(1 - exp(-\kappa H))^2} \right) (1 - exp(-\kappa H))}{(c_1^2 + c_2^2) (1 + exp(-\kappa H))} + S_2 \right) (35)
$$
\n
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where,

$$
S_1 = \frac{\epsilon r_1 r_2 (\zeta_1^2 + \zeta_2^2)}{4r_1 + 4r_2}
$$
 (36)

$$
S_2 = \frac{2\kappa exp\left(-2\kappa H\right)}{1 - exp\left(-2\kappa H\right)}\,. \tag{37}
$$

The attractive force between two non-identical, spherical particles is:

$$
\tilde{F}_{Van}[PP] = \frac{A}{12} \left(-\frac{r_2 T_2}{r_1 T_3} - \frac{r_2 T_2}{r_1 T_1^2} + \frac{2T_1}{T_3} \left(\frac{T_2}{T_1} - \frac{T_3 T_2}{T_1^2} \right) \right)
$$
(38)

where,

$$
T_1 = \frac{H^2}{4r_1^2} + \frac{Hr_2}{2r_1^2} + \frac{H}{2r_1} + \frac{r_2}{r_1}
$$
 (39)

$$
T_2 = \frac{H}{2r_1^2} + \frac{r_2}{2r_1^2} + \frac{1}{2r_1}
$$
 (40)

$$
T_3 = \frac{H^2}{4r_1^2} + \frac{Hr_2}{r_1^2} + \frac{H}{2r_1}
$$
 (41)

and H is the distance between the two particles surfaces.

The system of ⁿ colloidal particles produces N equations of motion, one for each particle, where N is an integer.

The many body problem involves determining the position and velocity of each particle as time progresses, provided that the initial position and velocity of each particle are known. A general solution to the many body problem for N greater than three is unknown

and numerical methods must be employed. The flow chart presented in Figure 3.1 shows the basic process used to solve the many body problem. The following algorithm will provide the necessary steps that outline a solution to the many body problem applied to a colloidal system.

Many body problem Algorithm:

1. Define the initial values of the colloidal system.

Figure 3.1 Flow chart for solving the many body problem.

This figure begins in the upper left comer and progresses through the necessary steps required to solve multiple colloidal bodies interacting with each other.

29

G. Dynamic Model

- ¹ DLVO
- 2 Acid / Base
- 3 Random

H. Simulation Type

- ¹ Particle A Collector
- ² Particle A Particle B

All of the initial values will be referenced throughout this algorithm by the step number proceeded by a letter proceeded by an index number. For example, the particle density will be referenced by l.A.4.

l.H describes a simulation type. Simulation l.H.l involves colloidal particles in suspension interacting with a plane-shaped collector. Equation (34) may be applied to equation (29) to obtain a force equation for the van der Waals attraction between ^a sphere and ^a plate. A similar formula may be obtained for the double layer force between a sphere and a plane. Simulation l.H.2 involves the interaction of colloidal particles of type A collecting onto particles of type B.

1.0 are the possible dynamic models available. 1.6.] is the Derjaguin, Landau, Verwey and Overbeek model. 1.6.2 is an acid/base model that claims that when colloidal particles come into close proximity to one another the particles coagulate regardless of what forces may be present. 1.6.3 is a random model that allows the individual colloids to sample from a time dependent force distribution. Each of the three models affects the magnitude of the electrodynamic forces.

 $2.$ Define the necessary arrays to hold the pertinent information for each colloidal particle.

Let N be the number of particles obtained from (1.A.7).

 $3.$ Define the display dimensions and the possible coordinates where the initial particles will be placed.

The display size may be sized as desired but for this thesis the following values will be used:

Maximum Particle Diameter: 2 units

Define an 8 row by 15 column grid centered in the middle of the display. Let each row and each column be separated by 3 units. The 8 row by 15 column grid defines 120 boxes, each box having dimension 3 units by 3 units.

Figure 3.2 shows the graphic display that will be used to visualize the suspended colloidal particles.

To prevent the particles from overlapping one another, each particle is initially positioned at the center of an unoccupied box in the grid.

 $4.$ Calculate the Debye-Hiickel length using equation (14):

$$
\kappa^2 = \frac{2z^2 q^2 n_0 N_A}{\epsilon k T} \tag{42}
$$

 $5₁$ Define the initial position and velocity of each particle at time $t = t_0$.

$$
x_{xi}(t_0) = x_{xi}^o,
$$

\n
$$
x_{yi}(t_0) = x_{yi}^o,
$$

\n
$$
v_{xi}(t_0) = v_{xi}^o,
$$

\n
$$
v_{yi}(t_0) = v_{yi}^o.
$$

6. Assign a radius to each particle assuming that the particle diameters obey a Gaussian distribution.

To calculate a gaussian random number from two uniform random numbers do the following:

Obtain the Diameter mean, μ , from 1.A.5 and obtain the Diameter standard devia-

150 Units

150 Units

This figure shows the display screen for the simulation and the x and y dimensions. The grid shown is not actually displayed. This figure shows the display screen for the simulation and the x and y dimensions.The grid shown is not actually displayed. Each particle is centered in one of the boxes to prevent initial overlap of particles. Each particle is centered in one of the boxes to prevent initial overlap of particles. tion, σ , from 1.A.6. Let u_1 and u_2 be two uniform random numbers whose values range from 0 to 1. Define the parameter G as:

$$
G = \sqrt{-2 \times \log u_1} \times \cos(2\pi u_2) \tag{43}
$$

Assign the radius to be:

$$
r_i = \mu + \sigma G. \tag{44}
$$

7. Calculate the Volume and Mass of each particle.

$$
V_i = \frac{4}{3}\pi r_i^3 \tag{45}
$$

$$
m_i = \rho_i V_i \tag{46}
$$

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where, V_i is the volume of the i-th particle using the radius from equation (44), m_i is the mass of the i-th particle, ρ_i is the density of the i-th particle obtained from 1.A.4 and i is an integer, i.e. $i=1, 2, ..., N$.

8. Assign the initial value conditions for each particle.

 $(dx/dt)_{0,i} = v_{xi}$, $(dv_x/dt)_{0,i} = 0$,

 $(dy/dt)_{0,i} = v_{vi}$, $(dv_v/dt)_{0,i} = 0$

- 9. Output the initial x, y positions and the corresponding radii.
- 10. Calculate the state of the colloidal system at each time increment The state of the system is determined by calculating the position and velocity of each particle at a specified time. The time between states is incremented by Δt obtained from 1.F. ions and the corresponding

colloidal system at each tin

alculating the position and

etween states is incremente

of states have been generate

will generate a state of the

ond of animation.

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lculate the total distan

Loop until the number of states have been generated. (Each loop through the following sub-algorithm will generate a state of the system.) Generally, 30 states are needed for one second of animation.

Let $j = 1$

Loop from $i = 1$ to N

If $j \circ i$ then calculate the total distance between particles i and j.

$$
(D)_i = \sqrt{(x_{xj} - x_{xi})^2 + (x_{yj} - x_{yi})^2}
$$
 (47)

If the distance between particle i and particle i is less than δ units then

Calculate the relative Hamaker constant

$$
A_{123} = (A_{11}^{0.5} - A_{22}^{0.5}) (A_{33}^{0.5} - A_{22}^{0.5})
$$
 (48)

 A_{123} is the relative Hamaker constant of substance 1 and 3 that are separated by substance 2. A_{11} is the Hamaker constant for particle A, A_{33} is the Hamaker constant for particle B and A_{22} is the Hamakcr constant for the medium.

Calculate the London van der Waals force between particle ⁱ and particle ^j using equations (38), (39), (40) and (41).

If the distance between particle i and the collector is less than δ units then

Calculate the London van der Waals force between particle ⁱ and the collector.

Calculate the dielectric constant of the medium using 1.B.5, the medium permittivity and the following equation:

Dielectric Constant = $(1.B.5)$ x $(8.854187799 \times 10^{-12})$.

Use the zeta potential data from (1.E.2) and (1.E.3).

Calculate the double layer repulsive force between particle ⁱ and particle ^j using equations (35), (36) and (37).

If the distance between particle i and the collector is less than δ units then

. "M- _.

Calculate the double layer repulsive force between particle ⁱ and the collector.

Calculate the total force acting on particle ⁱ due to particle j.

$$
\vec{F}_{TTL} = \vec{F}_{Van} + \vec{F}_{DBL}
$$
\n(49)

Calculate the x and y force components on particle i:

$$
F_{xi} = F_{TTL_i} \times \frac{(x_{xj} - x_{xi})}{(D)_{ij}},
$$
\n(50)

where D is the distance between the particles.

36
the distance between the particles.

$$
F_{yi} = F_{TTL_i} \times \frac{(x_{yj} - x_{yi})}{(D)_{ij}}.
$$
 (51)

Else if the distance between particle i and particle j is equal to $r_i + r_j$ then

Use the following elastic collision algorithm:

For a perfectly elastic collision, the coefficient of restitution, $e = 1$. The magnitudes of the velocity are known from v_{xi} and v_{yi} . The direction of the velocity may be obtained from x_{xi} , x_{xi-1} , x_{yi} and x_{yi} . 1 . Define a vector, n, that is normal to the centers of the two particles. Define a tangent vector, t, that is perpendicular to n. Resolve the velocity into components along the ^t and n vectors.The impulse forces are directed along the vector n. The t components of velocity are unchanged after the collision. Use the following two equations to determine the new direction and magnitudes of the velocity after the collision $[16]$:

$$
m_i(v_i)_{n} + m_j(v_j)_{n} = m_i(v_i^p)_{n} + m_j(v_j^p)_{n}
$$
 (52)

$$
\left(v_{j}^{p}\right)_{n} - \left(v_{i}^{p}\right)_{n} = e\left(\left(v_{j}\right)_{n} - \left(v_{i}\right)_{n}\right) \tag{53}
$$

Add the force due to gravity using equation (32). (Note that the force of gravity acts only on the y component)

$$
\vec{F}_{yi} = \vec{F}_{yi-1} - (-\frac{4}{3}\pi r^3 (\rho_2 - \rho_1) \vec{g})
$$
 (54)

where ρ_2 is the particle density from (1.A.4) and ρ_1 is the medium density from (1.8.3).

Add the Hydrodynamic force obeying Stoke's law using equation (33).

$$
\vec{F}_{xi} = \vec{F}_{xi-1} - (6\pi \eta r_i \vec{v}_{xi-1})
$$
\n(55)

$$
\vec{F}_{yi} = \vec{F}_{yi-1} - (6\pi \eta r_i \vec{v}_{yi-1})
$$
\n(56)

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Use the Euler modified method to find the first three values of position and velocity.

$$
x_{xi} = x_{xi-1} + \Delta t \left(v_{xi-1} + \frac{\Delta t \times F_{xi}}{2m_i} \right)
$$
 (57)

$$
x_{yi} = x_{yi-1} + \Delta t \left(v_{yi-1} + \frac{\Delta t \times F_{yi}}{2m_i} \right)
$$
 (58)

$$
v_{xi} = v_{xi-1} + \Delta t \left(\frac{F_{xi}}{m_i}\right) \tag{59}
$$

$$
v_{yi} = v_{yi-1} + \Delta t \left(\frac{F_{yi}}{m_i}\right) \tag{60}
$$

$$
\left(\frac{dx}{dt}\right)_{k,i} = v_{xi} \tag{61}
$$

$$
\left(\frac{dy}{dt}\right)_{k,i} = v_{yi} \tag{62}
$$

$$
\left(\frac{dv_x}{dt}\right)_{k,i} = \left(\frac{F_{xi}}{m_i}\right) \tag{63}
$$

$$
\left(\frac{dv_y}{dt}\right)_{k,i} = \left(\frac{F_{yi}}{m_i}\right) \tag{64}
$$

where $k = 1, 2, 3$.

Use the fourth order Adams - Bashforth method to find the new values of position and velocity for the remaining particles.

$$
x_{xi} = x_{xi-1} + \frac{\Delta t}{2.4} (5.5 \left(\frac{dx}{dt} \right)_{3,i} - 5.9 \left(\frac{dx}{dt} \right)_{2,i} + 3.7 \left(\frac{dx}{dt} \right)_{1,i} - 0.9 \left(\frac{dx}{dt} \right)_{0,i}) \tag{65}
$$

$$
x_{yi} = x_{yi-1} + \frac{\Delta t}{2.4} (5.5 \left(\frac{dy}{dt}\right)_{3,i} - 5.9 \left(\frac{dy}{dt}\right)_{2,i} + 3.7 \left(\frac{dy}{dt}\right)_{1,i} - 0.9 \left(\frac{dy}{dt}\right)_{0,i}) \tag{66}
$$

$$
v_{xi} = v_{xi-1} + \frac{\Delta t}{2.4} (5.5 \left(\frac{dv_x}{dt} \right)_{3,i} - 5.9 \left(\frac{dv_x}{dt} \right)_{2,i} + 3.7 \left(\frac{dv_x}{dt} \right)_{1,i} - 0.9 \left(\frac{dv_x}{dt} \right)_{0,i}) \tag{67}
$$

$$
v_{yi} = v_{yi-1} + \frac{\Delta t}{2.4} (5.5 \left(\frac{dv_y}{dt}\right)_{3,i} - 5.9 \left(\frac{dv_y}{dt}\right)_{2,i} + 3.7 \left(\frac{dv_y}{dt}\right)_{1,i} - 0.9 \left(\frac{dv_y}{dt}\right)_{0,i}) \tag{68}
$$

Preserve the past three values of v_{xi} and v_{yi} .

Loop from $k = 0$ to 2

$$
(\mathrm{d}x/\mathrm{d}t)_{k,i} = (\mathrm{d}x/\mathrm{d}t)_{k+1,i} \tag{69}
$$

$$
(dy/dt)_{k,i} = (dy/dt)_{k+1,i}
$$
 (70)

$$
(\mathrm{d}v_x/\mathrm{d}t)_{k,i} = (\mathrm{d}v_x/\mathrm{d}t)_{k+1,i} \tag{71}
$$

$$
(\text{dv}_y/\text{dt})_{k,i} = (\text{dv}_y/\text{dt})_{k+1,i} \tag{72}
$$

End the loop

Set the new values

$$
(\mathrm{dx}/\mathrm{dt})_{3,i} = \mathrm{v}_{\mathrm{xi}} \tag{73}
$$

$$
(\text{dy/dt})_{3,i} = \mathbf{v}_{\mathbf{y}i} \tag{74}
$$

$$
(\text{dv}_x/\text{dt})_{3,i} = (F_{xi}/m_i)
$$
 (75)

$$
(\text{dv}_y/\text{dt})_{3,i} = (F_{yi}/m_i)
$$
 (76)

End the Loop from $i = 1$ to N

Output the new position and radius for the new state of the colloidal system.

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 $\mathop{\mathrm{sym}}\nolimits\mathfrak{d}$ $x : \mathbb{R}^n$

 $\label{eq:2} \frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^{2} \left(\frac{1}{\sqrt{2}}\right)^{2} \left(\frac{$

Count the number of particles that have accumulated onto the collector.

End the Loop for the number of states.

Display the calculated states and display vital data to the display.

The above algorithm provides the necessary instructions to visualize the colloidal system on a computer. The following chapter describes the implementation of the algorithm on a personal computer.

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IMPLEMENTATION

The algorithm outlined in chapter three was implemented on an PC - clone type computer utilizing the Intel X86 series microprocessor chip. The program was written in Microsoft Quick Basic version 4.5 [17] and was linked with an additional graphics library [18]. Requirements for the program are only a color video graphics adapter (VGA) monitor and approximately 200 kilobytes of memory.

The computer program is actually composed of three sub-programs. The first subprogram is the human-machine interface consisting of several pop up menus. The pop up menus allow ^a user flexibility to change the initial values defined in step one of the algorithm outlined in chapter three. The second sub-program consists of the algorithm defined in step ten in chapter three. This program does all of the calculations to generate the new states of the colloidal system. The third sub-program provides the graphic display allowing scientific visualization to take place.

The names of the three sub-programs are respectively, CSS, CSSRUN and CSS-DISP. The acronym CSS stands for colloidal suspension simulator. Figure 4.1 shows the communication links between the three sub-programs.

The following discussion will provide instruction for using the colloidal suspension Simulator software. The floppy disk included with this thesis contains the following information:

- 1. BIN: This directory contains the executable files that run the software. The names of the files residing in this directory are: A. CSS.EXE B. CSSDISP.EXE C. CSSRUN.EXE
	- 2. INCLUDE: This directory contains the include files that hold common

Figure 4.1 Communication links between the three sub - programs.

This figure shows the direction of flow between the CSS, CSSRUN and CSSDISP sub - programs.

information and initialization parameters that are needed to run the software. The names of the files residing in this directory are:

A. CSSCOM.INC

- **B. CSSINIT.INC**
- C. MENUPAR.INC
- 3. SOURCE: This directory contains all of the binary computer source code for use with a Quick Basic compiler. The names of the files residing in this directory are:

A. CSS.BAS

B. CSSDISP.BAS

C. CSSRUN.EAS

4. TXT: This directory contains all of the human-readable, ASCII computer source code listings of the software. The names of the files residing in this directory are:

A. CSS.TXT

B. CSSDISP.TXT

C. CSSRUN.TXT

The files necessary to run the software reside in the BIN directory. To install the software on a computer, the three executable files need to be copied from the BIN directory to a directory on the computer's hard drive.

To run the software, enter the command CSS. A menu will appear entitled, "Colloidal Suspension Simulator" with a second menu entitled, "Main Menu". To select any of the options listed in the main menu, the high-lighted letter or number need only be pressed. By

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pressing the letter "H", for example, the help menu for the main menu will appear.

The main menu allows for the choice of a simulation type, to save or load a configuration and to display a previously calculated simulation. The first simulation involves the interactions between two types of particles, i. e., between particles of type A and particles of type B. The second simulation type involves the interaction between one type of particle and a fiber.

A configuration is the set of current values that describe information about the particles, the suspension medium, the fiber, the electrolyte, the surface parameters and the choice of a dynamic model. When the program is run for the first time, a default configuration is loaded. The default configuration is shown in table 4.1.

Once a simulation type is specified by pressing "l" or "2" at the main menu, a menu entitled either, "Particle A - Particle B" or "Particle A - Fiber" will be displayed. This menu will be referred to as the simulation menu here after. In either case, the selections for the simulation menu allow for the modification of material parameters, the modification of surface parameters, the choice of ^a dynamic model and ^a gateway for running the CSSRUN sub-program.

By pressing "2" at the simulation menu, the "Surface Parameter" menu will appear. This menu allows the pH of the medium to be changed and allows for the input of the zeta potential data for each particle or fiber.

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By pressing "3" at the simulation menu, the "Dynamic Model" menu will appear. The three possible model types to run are named, DLVO Theory Model, The Acid/Base Model and the Random Model. Only the DLVO model is implemented at this time. The DLVO Theory Model uses the theory stating that the stability of ^a colloidal suspension is based on the sum of the electrostatic repulsions due to the overlap of electrical double layers plus the attractive potential due to the London - van der Waals forces.

By pressing "4" at the "Dynamic Model" menu, the time increment can be modified. The time increment specifies the time interval between the calculations of each state Table 4.1

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of the system.

Returning to the simulation menu and pressing "1" results in the "Material Parameters" menu to be displayed. The "Material Parameters" menu allows for the modification of information for particle A, for particle B, for the fiber, for the suspension medium and for the electrolyte.

By pressing "1" at the "Material Parameters" menu, the "Particle Information" menu appears. The following particle information may be modified:

- 1. Common Name
- 2. Chemical Name
- 3. Shape
- 4. Maximum Diameter
- 5. Mean Diameter
- 6. Diameter Standard Deviation
- 7. Density
- 8. Number of Particles
- 9. Hamaker Constant

If the "Particle A - Fiber" simulation was chosen, then pressing "2" at the "Material"

Parameters" menu causes the "Fiber Information" menu to appear. The following fiber data

may be modified:

- 1. Common Name
- 2. Chemical Name
- 3. Shape
- 4. Diameter
- 5. Density
- 6. Hamaker Constant

By pressing "3" at the "Material Parameters" menu, the "Medium Information"

menu appears. The following medium data may be modified:

- 1. Common Name
- 2. Chemical Name
- 3. Density
- 4. Viscosity
- 5. Hamaker Constant
- 6. Permeability
- 6. Temperature

By pressing "4" at the "Material Parameters" menu, the "Electrolyte Information"

menu appears. The following electrolyte data may be modified:

- 1. Common Name
- 2. Chemical Name
- 3. Concentration

Returning to the simulation menu and pressing "R", the "Run Model" menu will appear. An information box will appear at the bottom of the screen and will state: "Enter the Output File Name (with no extension): The requested file name will be used to write out the x and y positions of the colloidal particles at each time frame. The user may press enter without typing a file name and will be prompted with "Do You Wish to Quit $[N]$ ". Upon entering a valid output file name at the initial prompt, a second prompt will appear stating: "Enter the Number of Frames to be Calculated:". The number of frames to be calculated correspond to the number of states of the system that will be animated with the CSSDISP sub program.

Once ^a valid number of frames to be calculated has been entered, the CSSRUN sub program will perform the calculations to generate each frame. Status messages will be displayed to the screen to allow the user to keep track of how the calculations are progressing. Upon successful completion of the sub program, the user will be asked to press "C" to continue. The file containing the newly calculated data MUST be written down and remembered at this point. The name of the data file will be used later in the display sub program

The main menu will reappear. By pressing "D" at the main menu, the "Display Model" menu will appear. A prompt at the bottom of the screen will appear stating, "Enter the Input File Name (with no extension):". The user may quit from this menu by pressing enter without entering a file name. The input file name that the software is looking for is the name of ^a file that was created by the CSSRUN sub program. If ^a valid file name is entered, the "Colloidal Suspension Simulator" display menu will appear. The right column of the screen displays the choice of dynamic model, the pH level of the medium, the zeta potentials of each material, the Debye length, the concentration, the time increment between each frame and the current frame number.

By pressing any key, the simulation will begin. The simulation can be paused by

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pressing the "enter" key or stopped entirely by pressing any other key. The up and down "arrow" keys adjust the replay speed of the simulation, level 20 being the fastest speed and level 0 being the slowest speed. The simulation may be replayed again and again by pressing the space bar.

Simulations that have been run previously may be viewed again by choosing the desired file at the "Display Model" menu.

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RESULTS / DISCUSSION

The algorithm derived in chapter three requires some empirical data, namely, the zeta potential data. The colloidal suspension software requires the user to input the pH of the medium and the corresponding zeta potentials of each particle or fiber. Zeta potential ' data was obtained for the intermetallic, Fe-40Al, particles and for two types of Alumina, $A1_2O_3$ - FP and $A1_2O_3$ PRD-166. The data was obtained at E. I. DuPont in Wilmington, Delaware under the supervision of Dr. Rulon Johnson and Mr. Jerry Hughes. The zeta potentials were measured using the acoustophoresis technique on an electrokinetic sonic amplitude (BSA) device engineered by Matec Inc. The data obtained from the Matec 8000 is displayed in Figure 5.1, in Figure 5.2 and in Figure 5.3. The zeta data for the Al_2O_3 fiber obtained at Dupont, however, does not agree with the known zeta potential data for Alumina. The inconsistency with the Al_2O_3 fiber was most likely attributed to the large, discontinuous fiber sizes that were not entirely eliminated by the grinding process that was ⁱ used. The zeta potential data shown in Figure 5.4 and in Figure 5.5 were performed with greater accuracy using a Matec 8000 by Brett \Vrlson [19].

The primary equations that determine the stability of the colloidal suspension according to the DLVO theory were found in the literature and were presented in chapter two by equations (19) and (28). The corresponding equations for the repulsive force, equations (35) through (37) , and the attractive force, equations (38) through (41) , were derived from the equations given in the literature.

The algorithm described in chapter three was based on the general method for solving a many body system. The algorithm was tailored and customized for the explicit intent of solving the many body problem for ^a colloidal suspension system.

The implementation of the algorithm in the form of the colloidal suspension simulator (CSS) software was the intended result of this thesis. The software in its delivered form provides a flexible tool for understanding colloidal suspensions. The CSS software

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presents all of the necessary parameters and a priori data that are required to define the system. Any of the parameters that describe the system may be modified easily and efficiently to maximize the ability to control the system in any desired way. Upon finding acceptable parameters that suit a users needs, the entire configuration of the system as well as the actual simulation data may be recorded. The flexibility and control of the colloidal system is a major advantage for using the CSS software versus conducting tedious and perhaps costly experimental procedures for understanding the suspension mechanics.

Five tests were run with the CSS software to determine the influence of certain parameters on the outcome of a simulation. Each of the tests resulted in several data files that are included in this thesis on two floppy disks labeled, "Test Data". The test data may be viewed by copying the contents of each "test" directory on the floppy disk to the location on the computer's hard drive where the CSS software resides. An example of the format of ^a data file that was generated by the CSSRUN sub - program is displayed in Figure 5.6. The data file shown in Figure 5.6 contains the state information for three particles for four time frames. The following discussion will outline the conducted tests.

The first test was an attempt to determine how the time increment between calculations affects the dynamics of the simulation. The default parameters defined in table 4.1 were used. The names of the output files are, respectively, A, B and C and each simulation ran for 500 frames. The data in A used ^a time increment of 0.001 seconds. The data in B used ^a time increment of 0.01 seconds. The data in C used ^a time increment of 0.1 seconds. Upon viewing each simulation with the CSSDISP software, it was evident that the time increment is quite crucial for accurate position calculations to be determined. The error for determining the new position at each time frame starts out very small, since the initial positions are given, but the error appears to propagate as time progresses. The smaller time increment minimizes the accumulation of errors during the calculation of each time frame.

The second test was an attempt to determine the affect of a variable concentration level while maintaining the other parameters. The default parameters defined in table 4.1

CSS DATA FILE 3 0.500706. 15 0.500760, 15 0.450549. 10 Ω 93.000000, 57.500000 78.000000. 45.500000 78.000000, 39.500000 1 92.966286, 57.473743 77.973236, 45.557690 77.989143, 39.527519 2 92.932709, 57.447628 77.946426, 45.615337 77.977898, 39.554565 3 92.899361, 57.421753 77.919540, 45.672920 77.966003, 39.580826

Figure 5.6 Data file created with the CSSRUN software.

This figure displays an example data file that is generated by the CSSRUN sub - program and is read by the CSSDISP sub - program. The first number is the number of particles, followed by the radius and color number of each of the three particles. The rest of the data format is repeated showing the frame number followed by the x and y positions of each particle at that time frame.

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were used. The data files for this test are called, respectively, D, E, F and G.The time increment was held at 0.001 seconds and each simulation ran for 500 time frames. The data in D used ^a concentration of 0.001 N. The data in E used ^a concentration of 0.01 N. The data in F used ^a concentration of 0.1 N. The data in G used ^a concentration of 1.0 Normality. No noticeable difl'erences were apparent between each of the simulations. This is an unexpected result, and provides the first indication that the dynamics of the software is not behaving as in nature. Colloidal theory predicts that as the electrolyte concentration increases, the double layer length, $1/\kappa$, will decrease. The decrease in the double layer length reduces the magnitude of the repulsive force between the colloids. In this case, the colloids are able to flocculate and form agglomerates. This phenomenon was not observed in simulations D, E, F or G.

Test number three was an experiment to determine how a variable particle size would affect the colloidal system. The default parameters defined in table 4.1 were used except that it was discovered experimentally that the a time increment of 0.00001 seconds was required. The data files for test three are called, respectively, H, I, J, K and L. The data in H used ^a mean diameter of 0.1 microns and ran for ²⁰ time frames. The data in ^I used ^a mean diameter of 0.5 microns and ran for 50 frames. The data in I used a mean diameter of 0.3 microns and ran for ⁵⁰ frames. The data in K used ^a mean diameter of 0.15 microns and ran for 200 frames. The data in L used ^a mean diameter of 0.50 microns and ran for 10 frames. In experiments H and L, the particles move very rapidly off the screen. In experiments ^I and J, the particles are relatively motionless. In experiment K, the particles are slightly mobile. These experiments suggest that as the particle size becomes smaller, a smaller time increment is required to control the dynamics of the suspension.

Test number four was an experiment to determine how a change in the viscosity of the medium would affect the colloidal system. The default parameters defined in table 4.1 were used except that the particles average initial velocities were given a value of 50.0 microns/second. The data file for this test is called M. The viscosity of the medium, the

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deionized water, was intentionally set to 999 gm/(cm sec). The particles moved very slowly as the hydrodynamic forces would suggest.

Test number five was used to observe the affects of the suspension due to a variable pH level and consequently, variable zeta potential data. The default parameters defined in table 4.1 were used. The data files for this test are called, respectively, N, O and P. Each simulation ran for ³⁰⁰ time frames. The data in N used ^a pH level of 5.0 with zeta potentials of 5.0 mV and 18.0 mV for Fe-40A1 and Al_2O_3 , respectively. The data in O used a pH level of 7.8 with zeta potentials of 5.0 mV and 12.0 mV for Fe-40Al and Al_2O_3 , respectively. The data in P used a pH level of 10.0 with zeta potentials of 5.0 mV and -19.0 mV for Fe- $40A1$ and Al_2O_3 , respectively. None of the data files exhibited expected results. This provides the second indication that the dynamics of the software is not behaving as nature. For the suspension under investigation, colloidal theory predicts that as the pH level varies causing the zeta potential data to fluctuate, the stability of the suspension should change.

The test data files show some of the experimental capabilities that are possible using the CSS software for probing many unanswered questions concerning colloidal suspensions. It would appear that many combinations of changing one, two or more initial parameters to conduct an experiment are possible with the CSS software. The actual number of possible experiments is calculated by summing the combinations of all of the variables taken one at a time, two at a time,..., n at a time, where n is the number of variables. The important changeable variables with their degrees of freedom are listed below in table 5.1. The total number of experiments possible using 19 variables is 524,287. This large number of combinations shows how the colloidal suspension simulator can be used as an important experimental tool.

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Table 5.1 Number of changeable variables using the CSS software

Total: 19 Variables

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CONCLUSIONS

The zeta potential data obtained at Dupont as described in chapter five provided the first clues of the surface characterization of the Iron Aluminum particles and the $A1_2O_3$ fiber. The zeta potential data shown in Figures 5.4 and 5.5 are the most accurate zeta potential data obtained at the present time.

The repulsive and attractive force equations, equations (35) through (37) and equations (38) through (41), provide an alternative method for viewing a colloidal system.

The fundamental forces arising in ^a colloidal suspension were defined. A detailed . description for the solution to a many body dynamical system was tailored to describe the dynamics of a colloidal suspension system. The algorithm for describing the colloidal suspension was irnplemented on a personal computer.

The colloidal suspension simulator (CSS) software was tested by modifying certain initial parameters and observing the animated suspended particles. The choice of a small time increment was found to be an important factor for ensuring accuracy during calculations. Experimentation with the CSS showed that as particle diameters become smaller than 0.1 microns, a time increment on the order of 10^{-4} or smaller is required. The CSS software is a working prototype, but with some discrepancies. No noticeable differences were observed between the experimental data for different electrolyte concentrations. Changes in the surface parameters produced no noticeable change to the system for different experiments. These two points suggest that the equations describing the electrodynamic forces need some attention. The movement of the colloidal particles were severely damped when the viscosity of the medium was increased which agrees with the hydrodynamic expectations.

The CSS software is flexible and provides thousands of possible ways to analyze and to understand the dynamics of colloidal suspensions.

RECOMMENDATIONS

The computer program does not function as well as desired. Problems encountered with the implementation and recommendations include the following:

- Particle collisions were not included in the computer program. By not properly accounting for collisions, the particles are able to penetrate each other and the integrity of the net forces is corrupted.
- Units consistency needs to be further verified to ensure that the order of magnitude difference between forces, velocities and positions are within reason.
- The time increment between calculations could be chosen with greater sophistication. A variable time step might eliminate the problem that arises with particle impacts of three or more. Also, a consistently small enough time step will eliminate a particle "jumping" over another particle that possibly prevents some instances of collisions from occurring at all.
- The coagulation of particles needs to be thought out and handled appropriately. One method could be such that if two particles of radius r_1 and r_2 coagulate, then the two particles coalesce into a new larger particle of radius $r_1 + r_2$. Another possible method is to use rigid body mechanics for an agglomerate.

Once proper implementation of the colloidal suspension simulator has been achieved, useful experiments may be conducted. For specified parameters, the stability ratio of the suspension may be used to determine the critical coagulation concentration. The stability ratio is the total number of collisions divided by the total number of collisions resulting in adhesion. The pH level regions at which the particles flocculate, becoming unstable may be determined. An accumulative mass function could be added to the program to keep track of the mass per unit area per unit time that collects onto the fiber. An interesting three dimensional graph would be to plot time versus pH versus the amount of accumulated mass on the collector. The accumulated mass functionality would provide an indication of the rate at which the particles collect onto the fiber for a specified pH level.

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Figure 7.1 depicts such a possible image.

Figure 7.1 Depiction of accumulated mass.

This figure shows an example of data that could be calculated using the colloidal suspension simulator.

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APPENDIX A

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CSS PROGRAM LISTINGS

DEFINT A-Z

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DECLARE SUB GETFILENAM (FILENAMS) DECLARE SUB GETFILENAM (FILENAMS) DECLARE SUB GETDYNMODEL (OPT%) DECLARE SUB GETDYNMODEL (OPT%) DECLARE SUB GETMATERIALI (OPT%) DECLARE SUB GETMATERIALI (OPT%) DECLARE SUB GETELECTROI (OPT%) DECLARE SUB GETELECTROI (OPT%) DECLARE SUB GETSURFACE1 (OPT%) DECLARE SUB GETMEDIUM1 (OPT%) DECLARE SUB GETSURFACE1 (OPT%) DECLARE SUB GETMEDIUMI (OPT%) DECLARE SUB DISPMATERIALIH () DECLARE SUB DISPMATERIALIH () DECLARE SUB GETMAIN (MODEL) DECLARE SUB GETMAIN (MODEL) DECLARE SUB DISPMATERIALI () DECLARE SUB GETPARTA (OPT%) DECLARE SUB GETPARTB (OPT%) DECLARE SUB GETFIBER (OPT%) DECLARE SUB DISPMATERIALI O DECLARE SUB GETPARTA (OPT%) DECLARE SUB GETPARTB (OPT%) DECLARE SUB GETFIBER (OPT%) DECLARE SUB DISPSURFACE1 () DECLARE SUB GETSIMI (OPT%) DECLARE SUB HELPELECTRO () DECLARE SUB DISPMEDIUMI () DECLARE SUB DISPSURFACEI () DECLARE SUB HELPSURFACE () DECLARE SUB GETSIMI (OPT%) DECLARE SUB HELPELECTRO () DECLARE SUB HELPMEDIUM () DECLARE SUB HELPSURFACE () DECLARE SUB DISPMEDIUMI () DECLARE SUB HELPMEDIUM () DECLARE SUB RUNDISPLAY () DECLARE SUB RUNDISPLAY () DECLARE SUB DYNMODEL () DECLARE SUB HELPMATRL () DECLARE SUB HELPMATRL () DECLARE SUB HELPPARTA () DECLARE SUB HELPPARTB () DECLARE SUB MATERIALI () DECLARE SUB DISPSIMIH () DECLARE SUB DYNMODEL () DECLARE SUB HELPMAIN () DECLARE SUB HELPFIBER () DECLARE SUB SIMIMENU () DECLARE SUB HELPPARTA () DECLARE SUB HELPPARTB () DECLARE SUB MATERIALl () DECLARE SUB READSTAT () DECLARE SUB ELECTRO1 () DECLARE SUB HELPFIBER () DECLARE SUB SIMIMENU () DECLARE SUB DISPSIMIH () DECLARE SUB HELPMAIN () DECLARE SUB READSTAT () DECLARE SUB ELECTROI () DECLARE SUB HELPDYN () DECLARE SUB LOADATA () DECLARE SUB MEDIUM1 () DECLARE SUB HELPSIM () DECLARE SUB DISPSIM1 () DECLARE SUB HELPDYN () DECLARE SUB LOADATA () DECLARE SUB MEDIUMl () DECLARE SUB DISPSIMI () DECLARE SUB HELPSIM () DECLARE SUB PARTA () DECLARE SUB PARTB () DECLARE SUB FIBER () DECLARE SUB PARTA () DECLARE SUB PARTB () DECLARE SUB FIBER () DECLARE SUB SIMI () DECLARE SUB SIM] ()

CSS PROGRAM LISTINGS

 \mathbf{I} \parallel ' Display the Main menu ∥
"

END

' Check for what error has occtn'red

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Check for what error has occurred

CALL DISPMAIN

 Accept and verify the input to the main menu. ' Accept and verify the input to the main menu. |
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CALL MAKEWINDOW(LCOL%, TROW%, RCOL%, BROW%, LABELS,
FRAME%, TYP%, FORE%, BACK%, PAGE%) CALL MAKEWINDOW(LCOL%. TROW%, RCOL%, BROW%, LABELS. FRAME%, TYP%. FORE%. BACK%, PAGE%) = CYAN = CYAN $\frac{5}{4}$ $= 21$ $\frac{1}{\pi}$ " $\overline{\mathbf{u}}$ $= 76$ $LOOL% = 4$ $\overline{}$ Γ FRAME% TROW% BROW% IABELS RCOL% BACK% FORE% PAGE% TYP%

 Program Name: DISPDYNMODEL ' Program Name: DISPDYNMODEL 'Author: Peter T. Robinson 2 Author: Peter T. Robinson SUB DISPDYNMODEL SUB DISPDYNMODEL Date: August 1992 ' Date: August 1992 'Revision History: ' Revision History: ' Description: END SUB ' None ľ \overline{a}

'SINCLUDE: 'MENUPAR.INC' 'SINCLUDE: 'MENUPARJNC'

<u> 1980 - Andreas Andre</u>

HIGHLT = YELLOW

COLOR WHITE. CYAN

COLOR WHITE, CYAN

Program Name: DISPELECTROI ' Program Name: DISPELECTRO]

Description:

Author: Peter T. Robinson ' Author: Peter T. Robinson

' Date: August 1992

Revision History:

' None

The Second Property 0

'SINCLUDE: 'MENUPAR.INC' 'SINCLUDE: 'MENUPAR.INC'

HIGHLT = YELLOW LCOL% $\frac{5}{4}$ $TROW\% = 4$ BROW% $\frac{11}{11}$ RCOL% $= 70$ LABELS = "Electrolyte Information Menu" = "Electrolyte Information Menu" FORE% = WHITE BACK% = BLUE PAGE% Ω_{\parallel} FRAME% $\overline{1}$

IFMENULVL=3THEN \tt{F} MENULVL = 3 THEN
TYP% = 3 ELSE $TP\% = 2$ ENDIF

CALL MAKEWINDOW(LCOL%, TROW%, RCOL%, BROW%, LABELS, CALL MAKEWINDOW(LCOL%, TROW%. RCOL%, BROW%, LABELS. FRAME%, TYP%, FORE%, BACK%, PAGE%) FRAME%, TYP%, FORE%. BACK%, PAGE%)

 $ROW = 5$ COLM $= 25$

COLOR YELLOW, BLUE COLOR YELLOW. BLUE

PRINT "Press the Number of the Option to be Modified" PRINT "Press the Number of the Option to be Modified" LOCATE ROW, COLM LOCATE ROW. COLM

COLOR WHTE, BLUE COLOR WHITE. BLUE LOCATE ROW + 2. COLM PRINT "1. Common Name: " LOCATE ROW + 3, COLM PRINT "2. Chemical Name: " LOCATE ROW + 4, COLM PRINT "3. Concentration: " LOCATE ROW + 4. COLM $+30$ PRINT "Normality" LOCATE Row + 6. COLM $\ddot{ }$ PRINT "Help "
PRINT "Help " LOCATE ROW + 6, COLM $\frac{17}{11}$ PRINT "<ESC> To Return"

COLOR HIGHLT

LOCATE ROW + 2, COLM PRINT "1." LOCATE ROW + 3. COLM PRINT "2." LOCATE ROW + 4, COLM LOCATE ROW + 4, COLM
PRINT "3." LOCATE ROW + 6. COLM $\ddot{ }$ PRINT "H"

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac$

SINCLUDE: 'MENUPAR.INC' 'SINCLUDE: 'MENUPARJNC'

HIGHLT = YELLOW HIGHLT = YELLOW

RCOL% = 70
LABEL\$ = "Fiber Information Menu" LABELS = "Fiber Information Menu" **PORE% = WHITE** FORE% = WHITE BACK% = BLUE BROW% = 15 FRAME% = l LCOL% = 24 $TROW\% = 4$ $PAGE% = 0$

IF MENULVL = 3 THEN IFMENULVL=3THEN $TYP\% = 3$ $TP\% = 2$ ENDIF ELSE

CALL MAKEWINDOW(LCOL%, TROW%, RCOL%, BROW%, LABELS, CALL MAKEWINDOW(LCOL%, TROW%. RCOL%. BROW%. LABELS. FRAME%, TYP%, FORE%, BACK%, PAGE%) FRAME%, TYP%, FORE%, BACK%. PAGE%)

 $ROW = 5$ $COLM = 25$

COLOR YELLOW, BLUE COLOR YELLOW. BLUE

PRINT "Press the Number of the Option to be Modified" PRINT "Press the Number of the Option to be Modified" LOCATE ROW, COLM LOCATE ROW. COLM

COLOR WHITE, BLUE COLOR WHITE. BLUE

PRINT "1. Common Name: " PRINT "1. Common Name: " LOCATE ROW + 2, COLM LOCATE ROW + 2. COLM

LOCATE ROW + 3, COLM LOCATE ROW + 3. COLM

PRINT "2. Chemical Name: " PRINT "2. Chemical Name: "

LOCATE ROW + 4, COLM LOCATE ROW + 4. COLM PRINT "3. Shape: " PRINT "3. Shape: "

 $\begin{array}{lcl} \text{LOCATE~ROW} + 5, \text{COLM} + 20 \\ \text{PRINT ``um''} \end{array}$ LOCATE ROW + 5, COLM + 20 LOCATE ROW + 5, COLM LOCATE ROW + 5, COLM PRINT "4. Diameter: " PRINT "4. Diameter: "

LOCATE ROW + 6, COLM + 21 LOCATE ROW + 6, COLM + 21 LOCATE ROW + 6, COLM LOCATE ROW + 6, COLM PRINT "5. Density: " PRINT "5. Density: " PRINT "gm/cm^3" PRINT "gm/cm^3"

LOCATE ROW + 7, COLM + 34 PRINT "6. Hamaker Constant: " LOCATE ROW + 7, COLM + 34 PRINT "6. Hamakcr Constant: " LOCATE ROW + 7, COLM LOCATE ROW + 7. COLM PRINT "Joules"

LOCATE Row + 9. COLM + s PRINT "Help"

LOCATE ROW + 9, COLM + 18 LOCATE ROW + 9, COLM + 18 PRINT "<ESC> to Return" PRINT "<ESC> to Return"

COLOR HIGHLT

LOCATE ROW + 2. COLM LOCATE ROW + 2, COLM
PRINT "1." LOCATE ROW + 3. COLM LOCATE ROW + 3, COLM
PRINT "2." LOCATE ROW + 4, COLM LOCATE ROW + 4. COLM PRINT "3." LOCATE ROW + 5, COLM LOCATE ROW + 5. COLM

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========== a sa mata sa kata sa k
Kata sa kata s ,我们的一个人,我们也不会在这里,我们的一个人,我们也不会在这里,我们也不会在这里,我们也不会在这里,我们也不会在这里,我们也不会在这里,我们也不会在这里,我们 LOCATE ROW + 9, COLM + 18
PRINT "<ESC>" DEFINT A-Z
SUB DISPHELP (HELPMESS()) UB DISPHELP (HELPMESSO) LOCATE ROW + 9. COLM + 18 LOCATE ROW + 9, COLM + 8
PRINT "H" $LOCATE$ ROW + 9, COLM + 8 Program Name: DISPHELP ' Program Name: DISPHELP LOCATE ROW + 6. COLM
PRINT "5." LOCATE ROW + 7, COLM
PRINT "6." LOCATE ROW + 7, COLM Author: Peter T. Robinson Author: Peter T. Robinson Date: August 1992 ' Date: August 1992 ' Revision History:
'None ' Revision History: Description: PRINT "4." ND SUB $\begin{array}{c} \n\cdot & \cdot \\
\cdot & \cdot\n\end{array}$

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SINCLUDE: 'MENUPAR.INC' 'SINCLUDE: 'MENUPAR.INC'

SCREEN 0, .2

COLOR WHITE, CYAN COLOR WHITE, CYAN
CLS

RCOL% = 78
LABEL\$ = "Help Menu" LABELS = "Help Menu" **FORE% = WHITE** FORE% = WHITE BACK% = BLUE $BROW% = 23$ FRAME% = l $TROW\% = 2$ $PAGE% = 2$ $LCOL% = 5$ $TYP\% = 3$ CALL MAKEWINDOW(LCOL%, TROW%, RCOL%, BROW%, LABEL\$,
FRAME%, TYP%, FORE%, BACK%, PAGE%) CALL MAKEWINDOW(LCOL%, TROW%. RCOL%, BROW%. LABELS. FRAME%. TYP%. FORE%. BACK%. PAGE%)

COLOR YELLOW, BLUE COLOR YELLOW. BLUE

FOR M = 1 TO 19 LOCATE M + 2, 8
PRINT HELPMESS(M) PRINT HELPMESS(M) NEXT M LOCATE 23, 27
COLOR WHITE, BLUE COLOR WHITE. BLUE PRINT "Hit Any Key to Continue PRINT "Hit Any Key to Continue ..."
DO
LOOP WHILE INKEYS = "" LOOP WHILE INKEYS = ""

END SUB

SUB DISPINFOBOX SUB DISPINFOBOX

,我们的人们也不是一个人的事情,我们的人们也不是不是,我们的人们的人们的事情,我们的人们也不是不是。 \cdot the first construction of the construction Program Name: DISPINFOBOX ' Program Name: DISPINFOBOX

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TYP% = 3
ELSE $TP\% = 2$ NDIF

CLS

CALL MAKEWINDOW(LCOL%, TROW%, RCOL%, BROW%, LABELS, ALL MAKEWINDOW(LCOL%, TROW%. RCOL%, BROW%, LABELS. FRAME%, TYP%, FORE%, BACK%, PAGE%) FRAME%, TYP%, FORE%. BACK%. PAGE%)

LCOL% $\frac{6}{1}$ $TROW% = 4$ ROW% $\frac{13}{1}$ COL% \mathbf{z} LABELS = "Main Menu" RE%= 15 ACK% \mathbb{C} PAGE% = 0 FRAME% = 1
F MENULVL = 0 THEN MENULVL=OTHEN TYP% = 3
ELSE $TP\% = 2$ END IF CALL MAKEWINDOW(LCOL%, TROW%, RCOL%, BROW%, LABELS, ALL MAKEWINDOW(LCOL%. TROW%. RCOL%, BROW%, LABELS. FRAME%, TYP%, FORE%, BACK%, PAGE%) FRAME%, TYP%, FORE%, BACK%. PAGE%)

 $ROW = 5$ $COLM = 7$ COLOR YELLOW, CYAN LOR YELLOW. CYAN LOCATE ROW. COLM LOCATE ROW, COLM + 3
PRINT "Enter Selection" INT "Enter Selection"

COLOR WHITE, CYAN LOR WHITE. CYAN LOCATE ROW + 2. COLM

PRINT "1. Particle PRINT "1. Particle A - Particle B"

PRINT "2. Particle A - Fiber" LOCATE ROW + 3, COLM LOCATE ROW 4» 3, COLM PRINT "2. Particle LOCATE ROW + 4. COLM PRINT "3. Save Configuration" LOCATE ROW + 5, COLM PRINT "4. Load Configuration"

LOCATE ROW + 6, COLM PRINT "D. Display the Model" LOCATE ROW + 8, COLM 7° PRINT "Help Exit"

COLOR HIGHLT

LOCATE ROW + 2. COLM PRINT "1." LOCATE ROW + 3. COLM PRINT "2."

LOCATE ROW + 4. COLM LOCATE ROW + 4, COLM
PRINT "3."

LOCATE ROW + 5. COLM LOCATE ROW + 5, COLM
PRINT "4."

LOCATE ROW + 6. COLM LOCATE ROW + 6, COLM
PRINT "D." LOCATE ROW + 8, COLM $\ddot{ }$ PRINT "H" LOCATE ROW + 8, COLM $+15$ PRINT "x"

' Revision History: ' None 'SINCLUDE: 'MENUPAR.INC' 'SINCLUDE: 'MENUPAR.INC'

SCREEN 0

HIGHLT = YELLOW HIGHLT = YELLOW

RCOL% = 57
LABEL\$ = "Material Parameters Menu" LABELS = "Material Parameters Menu" FORE% = WHITE BACK% = CYAN FORE% = WHITE $BROW\% = 11$ FRAME% = 1 LCOL% = 18 $TROW\% = 3$ PAGE% = 0

IF MENULVL = 2 THEN IFMENULVL=2THEN

TYP%=3 ELSE TYP%=2 ENDIF CALL MAKEWINDOW(LCOL%, TROW%, RCOL%, BROW%, LABEL\$,
FRAME%, TYP%, FORE%, BACK%, PAGE%) CALL MAKEWINDOW(LCOL%, TROW%. RCOL%, BROW%, LABELS. FRAME%, TYP%, FORE%, BACK%, PAGE%)

 $ROW = 4$ COLM = 19 COLOR YELLOW, CYAN COLOR YELLOW. CYAN LOCATE ROW, COLM + 3 LOCATE ROW. COLM + 3 PRINT "Enter Selection" PRINT "Enter Selection"

COLOR WHITE, CYAN COLOR WHITE. CYAN

PRINT "1. Modify Particle A Information." PRINT "1. Modify Particle A Information." LOCATE ROW + 2, COLM LOCATE ROW + 2. COLM

I

PRINT "2. Modify Particle B Information."
ELSEIF Simulation = 2 THEN PRINT "2. Modify Particle B Information." LOCATE ROW + 3, COLM
PRINT "2. Modify Fiber Information."
END IF PRINT "2. Modify Fiber Information." ELSEIF Simulation = 2 THEN LOCATE ROW + 3, COLM LOCATE ROW + 3, COLM LOCATE ROW + 3, COLM **IF Simulation = 1 THEN** IF Simulation = 1 THEN

PRINT "3. Modify the Suspension Medium Info." PRINT "3. Modify the Suspension Medium Info." LOCATE ROW + 4, COLM LOCATE ROW + 4, COLM

PRINT "4. Modify the Electrolyte Info." PRINT "4. Modify the Electrolyte Info." LOCATE ROW + 5, COLM LOCATE ROW + 5, COLM

LOCATE ROW + 7. COLM + 5 LOCATE ROW + 7, COLM + 5
PRINT "Help " LOCATE ROW + 7, COLM + 15 LOCATE ROW + 7, COLM + 15

 ,我们的是一个人的事情,我们的理解,我们的学习,我们的学习,我们的学习,我们的学习,我们的学习,我们的学习,我们的学习,我们的学习,我们的学习,我们的学习,我们 $\begin{array}{l} \text{LOCATE~ROW} + 10, \text{COLM} + 18 \\ \text{PRINT ``-ESCS''} \end{array}$ LOCATE ROW + 10. COLM + 18 LOCATE ROW + 10, COLM + 8
PRINT "H" LOCATE ROW + 10, COLM + 8 LOCATE ROW + 6, COLM
PRINT "5." LOCATE ROW + 7, COLM
PRINT "6." LOCATE ROW + 5, COLM
PRINT "4." + 3, COLM + 4. COLM LOCATE ROW + 5, COLM LOCATE ROW + 6. COLM LOCATE ROW + 7. COLM + 8. COLM SUB DISPPARTA LOCATE ROW LOCATE ROW LOCATE ROW DEFSNG A-Z $\begin{array}{ccc}\n\vdots & \vdots & \vdots \\
\hline\n\vdots &$ PRINT "2." PRINT "3." PRINT "7." END SUB $+ 18$ LOCATE ROW + 8, COLM + 24
PRINT " Degres Celesius " $+ 23$ + 33 $+$ $+ 21$ PRINT "5. Hamakcr Constant: " PRINT "1. Common Name: " PRINT "1. Common Name: " PRINT "2. Chemical Name: " + 10, COLM + 10, COLM + 3, COLM LOCATE ROW + 4, COLM + 5. COLM + 6. COLM + 6, COLM + 7. COLM + 8. COLM LOCATE ROW + 8. COLM PRINT " Degrees Celesius " LOCATE ROW + 4, COLM + 4, COLM + 5. COLM PRINT "<ESC> To Return" PRINT "6. Permeability: " PRINT "7. Temperature: " PRINT "4. Viscosity: " PRINT "3. Density: " PRINT "gm/(cm sec)" PRINT "3. Density: " PRINT "gm/cm^3" PRINT "Joules" LOCATE ROW PRINT "Help "

COLOR HIGHLT

LOCATE ROW + 2, COLM LOCATE ROW + 2, COLM
PRINT "1."

Program Name: DISPPARTA ' Program Name: DISPPARTA Description: This subroutine displays the menu for the ' Description: This subroutine displays the menu for the particle information menu. ' particle information menu.

Author: Peter T. Robinson ' Author: Peter T. Robinson
' Date: August 1992

'Revision History: ' None

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SINCLUDE: 'MENUPAR.INC' 'SINCLUDE: 'MENUPARJNC'

SCREEN O

HIGHLT = YELLOW LCOL% $\frac{5}{4}$ $TROW% = 4$ BROW% $=$ 17 RCOL% $= 70$ LABELS = "Particle A Information Menu" FORE% = WHITE BACK% = BLUE PAGE% = 0 FRAME% $\overline{1}$

IF MENULVL = 3 THEN IFMENULVL=3THEN $TYP\% = 3$ $TP\% = 2$ ENDIF ELSE

CALL MAKEWINDOW(LCOL%, TROW%, RCOL%, BROW%, LABELS, CALL MAKEWINDOW(LCOL%, TROW%. RCOL%, BROW%, LABELS. FRAME%, TYP%, FORE%, BACK%, PAGE%) FRAME%. TYP%. FORE%, BACK%, PAGE%)

ROW $\frac{6}{1}$ COLM $= 25$ COLOR YELLOW, BLUE COLOR YELLOW. BLUE

LOCATE ROW, COLM
PRINT "Press the Number of the Option to be Modified" PRINT "Press the Number of the Option to be Modified"

COLOR WHITE, BLUE COLOR WHITE. BLUE LOCATE ROW + 2. COLM PRINT "1. Common Name: "

PRINT "2. Chemical Name: " PRINT "2. Chemical Name: " LOCATE ROW + 3, COLM LOCATE ROW 4» 3. COLM

LOCATE ROW + 4. COLM PRINT "3. Shape: " LOCATE ROW + 5, COLM PRINT "4. Average Initial Velocity: " LOCATE ROW $+ 5, COLM + 36$ PRINT "um/sec"

LOCATE ROW + 6, COLM + 25 LOCATE ROW 4» 6, COLM + 25 PRINT "5. Mean Diameter: " + 6, COLM LOCATE ROW PRINT "um" LOCATE ROW + 7. COLM PRINT "6. Diameter Standard Dev.: "

LOCATE ROW + 8, COLM PRINT "7. Density: " LOCATE ROW + 8, COLM + 21 PRINT "gm/cm^3"

LOCATE ROW + 9. COLM PRINT "8. Number of Particles: "

+ 10, COLM + 34 PRINT "9. Hamaker Constant: " PRINT "9. Hamakcr Constant: " LOCATE ROW + 10, COLM LOCATE ROW 4» 10, COLM LOCATE ROW PRINT "Joules"

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LOCATE ROW + 12, COLM + 7 PRINT "Help " $\frac{LOCATE ROW + 12, COLM + 17}{PRINT \cdot **ESC** To Retum.}$ $\frac{LOCATE ROW + 12. COLM + 17}{4}$ PRINT "<ESC> To Return"

COLOR HIGHLT

LOCATE ROW + 2. COLM PRINT "1."

LOCATE ROW + 3, COLM PRINT "2." LOCATE ROW + 4. COLM PRINT "3." LOCATE ROW + 5. COLM PRINT "4." LOCATE ROW + 6. COLM PRINT "5." LOCATE ROW + 7, COLM PRINT "6."

LOCATE ROW + 8. COLM $\begin{array}{lcl} \text{LOCAL} & \text{ROW} + 8, \text{COLM} \\ \text{PRINT}\ ^\text{''7."} & \end{array}$

LOCATE ROW + 9. COLM PRINT "8."

LOCATE ROW 4» 10, COLM LOCATE ROW + 10, COLM
PRINT "9." LOCATE ROW + 12. COLM $\ddot{ }$ PRINT "H"

PAGE% = 0 FRAME%

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 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2.$

 IF MENULVL = 3 THEN
TYP% = 3 ELSE $TP\% = 2$ ENDIF CALL MAKEWINDOW(LCOL%, TROW%, RCOL%, BROW%, LABELS, CALL MAKEWINDOW(LCOL%. TROW%. RCOL%. BROW%. LABELS. FRAME%, TYP%, FORE%, BACK%, PAGE%) FRAME%. TYP%. FORE%. BACK%. PAGE%)

ROW $\frac{5}{1}$ COLM = 25 COLOR YELLOW, BLUE COLOR YELLOW. BLUE

PRINT "Press the Number of the Option to be Modified" PRINT "Press the Number of the Option to be Modified" LOCATE ROW, COLM LOCATE ROW. COLM

COLOR WHITE, BLUE COLOR WHITE. BLUE LOCATE ROW + 2. COLM PRINT "1. Common Name: " LOCATE ROW + 3. COLM PRINT "2. Chemical Name: "

LOCATE ROW + 4. COLM PRINT "3. Shape: " LOCATE ROW + 5. COLM PRINT "4. Average Initial Velocity: " LOCATE ROW + 5. COLM + 36 PRINT "4. Average Initial Velocity:"
LOCATE ROW + 5, COLM + 36
PRINT "um/sec"

LOCATE ROW + 6. COLM PRINT "5. Mean Diameter: " LOCATE ROW + 6. COLM + 25 PRINT "um"

LOCATE ROW + 7, COLM PRINT "6. Diameter Standard Dev.: "

LOCATE ROW + 8. COLM PRINT "7. Density: " LOCATE ROW + 8. COLM $+ 21$ PRINT "gm/cm^3" LOCATE ROW + 9. COLM PRINT "8. Number of Particles: " LOCATE ROW + 10. COLM PRINT "9. Hamakcr Constant: " LOCATE ROW + 10. COLM $\frac{54}{1}$ PRINT "Joules"

LOCATE ROW + 12. COLM $+8$ PRINT "Help " LOCATE ROW + 12, COLM + 18 LOCATE ROW +12. COLM +18 PRINT "<ESC> to Return" PRINT "<ESC> to Return"

COLOR HIGHLT

LOCATE ROW + 2. COLM LOCATE ROW + 2, COLM
PRINT "1."

LOCATE ROW + 3. COLM LOCATE ROW + 3, COLM
PRINT "2."

LOCATE ROW + 4. COLM LOCATE ROW + 4, COLM
PRINT "3." LOCATE ROW + 5, COLM LOCATE ROW + 5. COLM PRINT "4."

LOCATE ROW + 6. COLM PRINT "5."

 ,我们也不是有一个人的事情,我们也不是不是,我们也不是不是,我们也不是不是,我们的事情,我们也不是不是。" $+18$ $+ 8$ $\begin{array}{lcl} \text{LOCATE} \, \text{ROW} + 7, \text{COLM} \\ \text{PRINT ``6."} \end{array}$ + 10. COLM + 12. COLM + 12. COLM + 7' COLM + 8, COLM Program Name: DISPSIM1 ' Program Name: DISPSIMl Author: Peter T. Robinson + 9. COLM ' Author: Peter T. Robinson ▆▆▆▆▆▆▅▅▅▅▅▅ ' Date: August 1992 Revision History: ' Revision History: PRINT "<ESC>" SUB DISPSIMI LOCATE ROW LOCATE ROW LOCATE ROW LOCATE ROW LOCATE ROW DEFSNG A-Z ' Description: PRINT "8." PRINT "9." PRINT "7." PRINT "H" PRINT "6." END SUB ' None \cdot

CALL MAKEWINDOW(LCOL%, TROW%, RCOL%, BROW%, LABELS, FRAME%. TYP%. FORE%. BACK%, PAGE%) B Menu" A - Fiber Menu" A - Particle SINCLUDE: 'MENUPAR.INC' 'SINCLUDE: 'MENUPARJNC' $= 2$ THEN = 1 THEN = 1 THEN = YELLOW = "Particle = "Particle ELSEIF Simulation = WHITE = BLUE IF MENULVL $\frac{15}{1}$ $\sqrt{1}$ $=$ 12 $= 47$ IF Simulation = 6 $\overline{}$ SCREEN 0 \mathbb{R} $\frac{1}{2}$ FRAME% LABELS LABELS $\sqrt{2}$ TROW% BROW% END IF HIGHLT END IF BACK% RCOL% LCOL% FORE% PAGE% ELSE TYP% TYP%

CALL MAKEWINDOW(LCOL%. TROW%. RCOL%. BROW%. LABELS. FRAME%, TYP%, FORE%, BACK%, PAGE%)

ROW COLM $\frac{13}{1}$ COLOR YELLOW, BLUE COLOR YELLOW. BLUE LOCATE ROW. COLM LOCATE ROW, COLM + 3
PRINT "Enter Selection" PRINT "Enter Selection"

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2.$

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COLOR WHITE, BLUE
LOCATE ROW + 2, COLM

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END SUB

PRINT "I. Modify the Material Parameters."

PRINT "I. Modify the Material Parameters."
PRINT "I. Modify the Material Parameters."

LOCATE ROW

LOCATE ROW

PRINT "3. Choose

LOCATE ROW

PRINT "R. Run the Model"

LOCATE ROW

PRINT "Help"

LOCATE ROW + 7, COLM LOCATE ROW + 7, COLM + 15
PRINT "<ESC> To Return" PRINT "<ESC> To Return"

COLOR HIGHLT

LOCATE ROW

PRINT "1."

LOCATE ROW

PRINT "2."

LOCATE ROW + 4, COLM LOCATE ROW + 4, COLM
PRINT "3."

LOCATE ROW

PRINT "R."

LOCATE ROW

PRINT "H"

LOCATE ROW

PRINT "<ESC>"

+ 7. COLM

 $+15$

+ 7. COLM

 $\frac{5}{4}$

+ 5. COLM

+ 3. COLM

+ 2. COLM

+ 7. COLM

 $\frac{5}{4}$

+ 5. COLM

A Dynamic Model."

+ 4. COLM

+ 3. COLM PRINT "2. Modify the Surface Parameters."

ELSE
TYP% = 2
END IF

CALL MAKEWINDOW(LCOL%, TROW%, RCOL%, BROW%, LABELS, CALL MAKEWINDOW(LCOL%. TROW%. RCOL%. BROW%. LABELS. FRAME%, TYP%, FORE%, BACK%, PAGE%) FRAME%. TYP%. FORE%. BACK%. PAGE%)

 $ROW = 4$ COLM: l9 COLOR YELLOW, CYAN COLOR YELLOW. CYAN

PRINT "Press the Number of the Option to be Modified" PRINT "Press the Number of the Option to be Modified" LOCATE ROW, COLM LOCATE ROW. COLM

COLOR WHITE, CYAN COLOR WHITE. CYAN

PRINT "1. pH of the Medium: " PRINT "1. pH of the Medium: " LOCATE ROW + 2, COLM LOCATE ROW + 2. COLM

PRINT "2. Zeta Potential of Particle A: " PRINT "2. Zeta Potential of Particle A: " LOCATE ROW + 3, COLM + 42
PRINT "meV" LOCATE ROW + 3. COLM + 42 LOCATE ROW + 3, COLM LOCATE ROW 4» 3. COLM

PRINT "3. Zeta Potential of Particle B:" PRINT "3. Zeta Potential of Particle B: " LOCATE ROW + 4, COLM + 42 LOCATE ROW + 4. COLM + 42 LOCATE ROW + 4, COLM LOCATE ROW + 4. COLM **IF Simulation = 1 THEN** IF Simulation = 1 THEN PRINT "meV"

PRINT "3. Zeta Potential of the Fiber: " PRINT "3. Zeta Potential of the Fiber: " LOCATE ROW + 4, COLM + 42
PRINT "meV" LOCATE ROW + 4. COLM + 42 ELSEIF Simulation = 2 THEN ELSEIF Simulation = 2 THEN LOCATE ROW + 4, COLM LOCATE ROW + 4. COLM

ENDIF

LOCATE ROW + 6, COLM + 7 LOCATE ROW + 6. COLM + 7 PRINT "Help " LOCATE ROW + 6, COLM + 17 LOCATE ROW + 6. COLM + 17 PRINT "<ESC> To Return" PRINT "<ESC> To Retum"

COLOR HIGHLT

LOCATE ROW + 2. COLM LOCATE ROW + 2, COLM
PRINT "1." LOCATE ROW + 3. COLM LOCATE ROW + 3, COLM
PRINT "2." LOCATE ROW + 4. COLM LOCATE ROW + 4, COLM
PRINT "3." LOCATE ROW + 6, COLM + 7 LOCATE ROW + 6. COLM + 7 PRINT "H"

LOCATE ROW + 6. COLM + 17 LOCATE ROW + 6, COLM + 17
PRINT "~ESC>"

END SUB

SUB DYNMODEL **SUB DYNMODEL**

Program Name: DYNMODEL ' Program Name: DYNMODEL

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<u> 1999 - Andrew Amerikaanse Staatsburg van die Staa</u>

' Description:

Author: Peter T. Robinson ' Author: Peter T. Robinson

Date: August 1992 ' Date: August 1992

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 $\label{eq:2.1} \frac{1}{2} \sum_{i=1}^n \frac{1}{2} \sum_{j=1}^n \frac{$

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 $\label{eq:2.1} \frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2\pi}}\int_{\mathbb{$

'SINCLUDE: 'MENUPAR.INC' "INCLUDE 'MENUPARJNC'

 $0 = x$ TTC DONE = 0

 Q UIT $=0$

 $ROW = 6$ COLM $= 19$

PRINT USING "#####"; TimeIncr PRINT USING "##.###WW"; TimeIncr 'PRINT USING "########"; TimeIncr + 32 + 3. COLM LOCATE ROW

FORGNDl = CYAN FORGND2 = CYAN FORGND3 = CYAN IF DYNMDL = 1 THEN FORGNDl = YELLOW ELSEIF DYNMDL = 2 THEN FORGND2 = YELLOW ELSEIF DYNMDL ELSEIF DYNMDL = 3 THEN FORGND3 = YELLOW END IF

COLOR FORGND1, CYAN COLOR FORGNDI. CYAN LOCATE ROW, COLM LOCATE ROW. COLM PRINT "Selected -->" PRINT "Selected -->"

COLOR FORGND2, CYAN COLOR FORGNDZ. CYAN + 1. COLM PRINT "Selected -> " LOCATE ROW

COLOR FORGND3, CYAN COLOR FORGND3. CYAN + 2. COLM PRINT "Selected -->" LOCATE ROW

DO

CHOICES = INKEYS

IF CHOICES = "1" OR CHOICES = "2" OR CHOICES = "3" THEN = "1" OR CHOICES $= "2"$ OR CHOICES $= "3"$ THEN $VALID = 0$

FORGNDI = CYAN FORGND2 = CYAN FORGND3 = CYAN

IF CHOICES = "1" THEN FORGNDI = YELLOW DYNMDL \sqrt{n} ELSEIF CHOICES = "2" THEN FORGND2 = YELLOW DYNMDL $\sqrt{2}$ ELSEIF CHOICES = "3" THEN FORGND3 = YELLOW DYNMDL $\sqrt{2}$ END IF

COLOR FORGND1, CYAN COLOR FORGNDl. CYAN LOCATE ROW, COLM LOCATE ROW. COLM PRINT "Selected -->" PRINT "Selected -->"

COLOR FORGND2, CYAN COLOR FORGND2. CYAN + 1, COLM PRINT "Selected -> " LOCATE ROW

COLOR FORGND3, CYAN COLOR FORGND3. CYAN + 2. COLM PRINT "Selected -> " LOCATE ROW

ELSEIF CHOICES ELSEIF CHOICES = "4" THEN

VALID = 0 CALL DISPINFOBOX TEMPBUFS $\frac{1}{\pi}$ $\overline{8}$ BUFFERS $\frac{1}{\pi}$

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 $\label{eq:2.1} \frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac$

ROW=7 $COLM = 40$

COLOR YELLOW, BLUE

LOCATE ROW. COLM $\ddot{ }$ PRINT ElectroInfol.ComName LOCATE ROW + 1. COLM + 4 PRINT Electrolnfol.ChemName LOCATE ROW + 2, COLM 7° PRINT USING "W######"; ElectroInfol.Concen

DO CHOICES = INKEYS

IF BUFFERS \sim "THEN ElectroInfol.ComName = BUFFERS PRINT "Common Name: "; ElectroInfo1.ComName
LOCATE 22, 20
COLOR WHTE, CYAN PRINT "Common Name: "; Electrolnfol.ComName IF BUFFERS <> "" THEN Electrolnfol.ComName PRINT ElectroInfo1.ComName PRINT Electrolnfol.ComName LOCATE ROW, COLM + 2
COLOR YELLOW, BLUE LOCATE 21. 18 PRINT "Change to: "
LOCATE 22, 31
COLOR YELLOW, CYAN COLOR YELLOW. CYAN COLOR YELLOW. CYAN COLOR YELLOW, BLUE = "1" THEN CALL CLEARINFOBOX CALL CLEARINFOBOX COLOR WHITE. CYAN INPUT ; "", BUFFERS LOCATE ROW. COLM CALL DISPINFOBOX INPUT ; "". BUFFERS PRINT "Change to: " $\frac{1}{\pi}$ IF CHOICES BUFFERS

ELSEIF CHOICES = "2" THEN

CALL DISPINFOBOX CALL DISPINFOBOX $\frac{1}{\pi}$ BUFFERS

 E BUFFERS \Leftrightarrow "THEN ElectroInfol ChemName = BUFFERS COLOR YELLOW, CYAN
LOCATE 21, 18
PRINT "Chemical Name: "; ElectroInfo1.ChemName PRINT "Chemical Name: "; Electrolnfol .ChemName IF BUFFERS <> "" THEN Electrolnfol.ChemName PRINT ElectroInfo1.ChemName PRINT Electrolnfol.ChemName \mathbf{r} + l. COLM COLOR YELLOW, CYAN COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX COLOR WHITE, CYAN COLOR WHITE. CYAN LOCATE 22, 33
INPUT ; "", BUFFERS INPUT : "". BUFFERS LOCATE 22, 22
PRINT "Change to: " PRINT "Change to: " LOCATE ROW

PRINT USING "************"; ElectroInfo1.Concen PRINT USING "#########"; ElectroInfol .Concen ELSEIF CHOICES = "3" THEN COLOR YELLOW. CYAN IF BUFFERS <> "" THEN LOCATE 21, 20
PRINT "Concentation:"; = BUFFERS PRINT "Concentration:"; COLOR WHITE, CYAN COLOR WHITE, CYAN
LOCATE 22, 36
INPUT ; ''', BUFFER\$ COLOR WHITE. CYAN COLOR WHITE. CYAN LOCATE 22. 36 COLOR CYAN. CYAN CALL DISPINFOBOX INPUT ;"". BUFFERS LOCATE 22, 24
PRINT "Change to: " PRINT "Change to: " PRINT TEMPBUFS PRINT TEMPBUFS ELSEIF CHOICES $\frac{1}{\pi}$ $\frac{1}{\pi}$ TEMPBUFS TEMPBUFS VALID = 0 BUFFERS $\overline{8}$

BUFFER! = VAL(BUFFER\$) = VAMBUFFERS) IF BUFFER! λ 0 AND BUFFER! <= 1! THEN Electrolnfol.Concen ElectroInfo1.Concen = BUFFER!

LOCATE ROW + 5, COLM + 6
PRINT USING "#####WW"; FiberInfo.Hamaker PRINT USING "###.###^^^"; FiberInfo.Hamaker

BLANKS $\frac{1}{3}$ DO CHOICES = INKEYS

IF BUFFERS \sim "" THEN Fiber Info. Com Name = BUFFERS PRINT "Common Name: "; FiberInfo.ComName
LOCATE 22, 20
COLOR WHITE, CYAN PRINT "Common Name: "; Fiberlnfo.ComName IF BUFFERS <> "" THEN Fiberlnfo.ComName LOCATE ROW, COLM + 2
COLOR YELLOW, BLUE PRINT FiberInfo.ComName PRINT Fiberlnfo.ComName LOCATE 21. 18 PRINT "Change to: "
LOCATE 22, 31
COLOR YELLOW, CYAN COLOR YELLOW. CYAN COLOR YELLOW. CYAN CALL CLEARINFOBOX COLOR YELLOW. BLUE = "1" THEN CALL CLEARINFOBOX COLOR WHITE. CYAN INPUT ; "", BUFFERS LOCATE ROW. COLM CALL DISPINFOBOX INPUT ; "". BUFFERS PRINT "Change to: " $\frac{3}{1}$ IF CHOICES BUFFERS

ELSEIF CHOICES ELSEIF CHOICES = "2" THEN

IF BUFFERS <> ""THEN FiberInfo.ChemName = BUFFERS LOCATE 21, 18
PRINT "Chemical Name: "; FiberInfo.ChemName PRINT "Chemical Name: "; Fiberlnfo.ChemName IF BUFFERS <> "" THEN Fiberlnfo.ChemName $\frac{4}{1}$ LOCATE ROW + l. COLM COLOR YELLOW. CYAN COLOR WHITE, CYAN
LOCATE 22, 22
PRINT "Change to: " COLOR WHITE. CYAN CALL DISPINFOBOX LOCATE 22, 33
INPUT ; "", BUFFER\$ CALL DISPINFOBOX INPUT ; "". BUFFERS PRINT "Change to: " $\frac{1}{\pi}$ BUFFERS

COLOR YELLOW, BLUE
PRINT Fibrinio.ChemName
CALL CLEARINFOBOX

ELSEIF CHOICES ELSEIF CHOICES = "3" THEN

IF BUFFERS <> "" THEN FiberInfo.Shape = BUFFERS IF BUFFERS <> "" THEN Fiberlnfo.Shape LOCATE 21, 24
PRINT "Shape: "; FiberInfo.Shape PRINT "Shape: "; Fiberlnfo.Shape + 2. COLM - 4 COLOR YELLOW. CYAN COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX COLOR WHITE, CYAN
LOCATE 22, 20
PRINT "Change to: " COLOR WHITE. CYAN PRINT FiberInfo.Shape LOCATE 22, 31
INPUT ; "", BUFFERS CALL DISPINFOBOX PRINT Fiberlnfo.Shape CALL DISPINFOBOX INPUT ; "". BUFFERS PRINT "Change to: " LOCATE ROW $\frac{1}{\pi}$ " **BUFFERS**

PRINT USING "##.###"; FiberInfo.Diameter PRINT USING "####"; FiberInfo.Diameter ELSEIF CHOICES = "4" THEN
CALL DISPINFOBOX DO
COLOR YELLOW, CYAN COLOR YELLOW. CYAN COLOR WHITE, CYAN
LOCATE 22, 21
PRINT "Change to: " COLOR WHITE, CYAN COLOR WHITE. CYAN COLOR WHITE. CYAN LOCATE 22, 32
COLOR CYAN, CYAN COLOR CYAN. CYAN CALL DISPINFOBOX LOCATE 21, 22
PRINT "Diameter: "; PRINT "Change to: " PRINT TEMPBUFS PRINT "Diameter: "; PRINT TEMPBUFS ELSEIF CHOICES $\frac{3}{1}$ TEMPBUFS VALID = 0

LOCATE 22. 32 INPUT; "", BUFFER! TEMPBUFS = BUFFERS

IF BUFFERS <> ""THEN IF BUFFERS <> THEN BUFFER! = VAL(BUFFER\$) = VAL(BUFFERS) IF BUFFER! λ 0 AND BUFFER! <= 99.999 THEN Fiberlnfo.Diameter FiberInfo.Diameter = BUFFER! VALID $\overline{1}$ ELSE LOCATE 23. 15 COLOR YELLOW. CYAN PRINT "Valid input is a real number between PRINT "Valid input is a real number between 0 and 99.999" END IF ELSE VALID $\overline{1}$ END IF LOOP UNTIL VALID I = CITYA TILING 400T

PRINT USING "##.##"; FiberInfo.Diameter PRINT USING "####"; FiberInfo.Diameter + 3. COLM - 2 COLOR YELLOW. BLUE **CALL CLEARINFOBOX** CALL CLEARINFOBOX LOCATE ROW

PRINT USING "###.###"; FiberInfoF.Density PRINT USING "###.##"; FiberInfoF.Density ELSEIF CHOICES = "5" THEN COLOR YELLOW. CYAN COLOR WHITE, CYAN
LOCATE 22, 19 COLOR WHITE. CYAN CALL DISPINFOBOX PRINT "Change to: "
LOCATE 22, 30 PRINT "Change to: " LOCATE 21, 21
PRINT "Density:"; ELSEIF CHOICES PRINT "Density:"; $\frac{3}{1}$ $\frac{1}{\pi}$ TEMPBUFS $0 = QT$ BUFFERS **S**

COLOR CYAN, CYAN
PRINT TEMPBUFS
COLOR WHITE, CYAN COLOR WHITE. CYAN LOCATE 22, 30
INPUT : '''', BUFFER\$ INPUT ; "". BUFFERS TEMPBUFS = BUFFERS IF BUFFERS <> "" THEN BUFFER! = VAL(BUFFER\$) = VAL(BUFFERS) IF BUFFER! > 0 AND BUFFER! <= 999.999 THEN Fiberlnfo.Density = BUFFER! VALID $\overline{\mathbf{u}}$ ELSE LOCATE 23. 16 COLOR YELLOW. CYAN PRINT "Valid input is a real number between PRINT "Valid input is a real number between 0 and 999.999" END IF ELSE VALID $\overline{1}$ END IF LOOP UNTIL VALID I = CITYA TILMO dOO'

LOCATE ROW + 4, COLM - 3
COLOR YELLOW, BLUE
PRINT USING "#####"; FiberInfo.Density
CALL CLEARINFOBOX

ELSEIF CHOICES ELSEIF CHOICES = "6" THEN

VALID = 0 TEMPBUFS $\frac{1}{n}$ " CALL DISPINFOBOX 8 BUFFERS $\frac{3}{1}$ COLOR YELLOW. CYAN COLOR YELLOW, CYAN
LOCATE 21, 16
PRINT "Hamaker Constant";
PRINT USING "*##.###^^^"; FiberInfo.Hamaker PRINT "Hamakcr Constant"; PRINT USING "**** **** ^^^^"; FiberInfo.Hamaker

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 $\label{eq:2.1} \frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac$

END SUB

SUB GETMAIN (SIMNUM) SUB GETMAIN (SIMNUM) المتباعد والمستحققة والمتمر والمتمرد والمستحقة والمستحقة والمستحقة والمستحقة والمستحقة والمستحقة والمستحقة المتحد

Program Name: GETMAIN ' Program Name: GETMAIN

Description: This routine gets the user responses from the ' Description: This routine gets the user responses from the

DISPMAIN menu. ' DISPMAIN menu. Author: Peter T. Robinson ' Author: Peter T. Robinson

Date: August 1992 ' Date: August 1992

' Revision History: ' Revision History:
' None

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 Q UIT $=0$ SIMNUM=O DONE=O DO CHOICES = INKEYS

IF CHOICES = "1" TEIEN SIMNUM $\overline{\mathbf{u}}$ DONE $\overline{1}$ NUMPART $\frac{8}{1}$ IF PartlnfoA.Number > NUMPART THEN PartlnfoA.Number IF ParlnfoA.Number > NUMPART THEN PartlnfoA.Number = NUMPART ELSEIF CHOICES ELSEIF CHOICES = "2" THEN SIMNUM $\frac{1}{2}$

DONE

 $\overline{1}$

ELSEIF CHOICE\$
CHANNA = «3» THEN SIMNUM
SIMNUM $\sum_{i=1}^{n}$ DONE = 1 $\begin{array}{lll} \text{DONE} = 1 \\ \text{ELSEIF CHOICES} \\ \text{f.t.} \\ \text{f.t.$ = "4" THEN ELSEL CHO
SIMNUM = 4
CONE DONE = 1 DONE = 1
ELSEIF UCASES(CHOICES)
enant m = e = "D" THEN ELASELT
SIMNUM
Nome $5 - 5$ DONE = 1 3000110004 = 3
DONE = 1
ELSEIF UCASE\$(CHOICE\$)
CALL UTILDMAN! = "H" THEN ELSELF UCASES(CHOUCES)
CALL HELPMAIN
SCREEN 0, , 0
ELSEIF UCASES(CHOICES)
CAARILACASES(CHOICES) = "X" THEN ELSEL OCA
SIMNUM = 0
outr_ 1 $QUIT = 1$ SMIVOM
QUIT = 1
DONE = 1
DONE = 1 LOOP UNTIL DONE
END IF
LOOP UNTIL DONE $\sqrt{1}$

END SUB

DEFSNG A-Z
SUB GETMATERIALI (OPT%) SUB GETMATERIALI (OPT%)

 $\begin{array}{c} \begin{array}{c} \begin{array}{c} \begin{array}{c} \end{array} \\ \end{array} \end{array} \end{array}$

 Program Name: GETMATERIAL1 ' Program Name: GETMATERIALI

' Description:

'Author: Peter T. Robinson : Author: Peter T. Robinson

Date: August 1992 ' Date: August 1992 Revision History: ' Revision History:

' None

0PT%=0 DONE=o QUIT=0

 $\ddot{}$

DO CHOICES

IF CHOICES

OPT%

DONE

 $OPT% = 2$ DONE

 $\overline{\mathbf{u}}$

OPT%

DONE

 $OPT\% = 4$ DONE

 $\overline{\mathbf{u}}$

SCREEN 0, , 0
ELSEIF CHOI
OPT% = 0

DONE

END IF

END SUB

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 $\overline{1}$

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PRINT USING "###.###"; MediumInfo1.Viscosity PRINT USING "###.###"; MediumInfol Viscosity

PRINT USING "###.##w^^"; MediumInfo1.Hamaker PRINT USING "###.###\\\\"; MediumInfol.Hamaker LOCATE ROW + 4, COLM + 6 LOCATE ROW $+4$, COLM $+6$

PRINT USING "###.###"; MediumInfo1.Perm PRINT USING "###;###"; MediumInfol Perm LOCATE ROW + 5, COLM + 2 LOCATE ROW + 5. COLM + 2

PRINT USING "###.###"; MediumInfo1.Temp PRINT USING "W### ****; MediumInfo!.Temp LOCATE ROW + 6, COLM LOCATE ROW + 6. COLM

DO
CHOICES = INKEYS CHOICES = INKEYS

INPUT ; "", BUFFERS
IF BUFFERS <> "" THEN MediumInfo1.ComName = BUFFERS IF BUFFERS <> "" TEEN MediumInfol.ComName = BUFFERS PRINT "Common Name: "; MediumInfo1.ComName PRINT "Common Name: "; MediumInfo 1 .ComName PRINT MediumInfo1.ComName PRINT MediumInfol.ComName LOCATE ROW, COLM + 2 LOCATE 21, 18
COLOR YELLOW, CYAN PRINT "Change to: "
LOCATE 22, 31
COLOR YELLOW, CYAN LOCATE ROW. COLM + 2 COLOR YELLOW, BLUE IF CHOICES = "I"THEN COLOR YELLOW. CYAN COLOR YELLOW. CYAN COLOR YELLOW. BLUE IF CHOICES = "1" THEN CALL CLEARINFOBOX CALL CLEARINFOBOX LOCATE 22, 20
COLOR WHITE, CYAN COLOR WHITE. CYAN CALL DISPINFOBOX CALL DISPINFOBOX INPUT ; "". BUFFERS PRINT "Change to: " BUFFERS = ""

ELSEIF CHOICES = "2" THEN ELSEIF CHOICES = "2" THEN

LOCATE 21, 18
PRINT "Chemical Name: "; MediumInfo1.ChemName PRINT "Chemical Name: "; MediumInfol.ChemName BUFFERS = "" COLOR YELLOW. CYAN **CALL DISPINFOBOX** CALL DISPINFOBOX

F BUFFERS <> ""THEN MediumInfo1.ChemName = BUFFERS IF BUFFERS <> "" TEEN MediumInfol.ChemName = BUFFERS PRINT MediumInfol.ChemName PRINT Mediurnlnfol .ChemName LOCATE ROW + 1, COLM + 3 LOCATE ROW + l. COLM + 3 COLOR YELLOW, BLUE COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX COLOR WHITE, CYAN
L**OCATE 22. 22**
PRINT "Change io: " LOCATE 22, 33
INPUT ; "", BUFFER\$ INPUT ;"". BUFFERS PRINT "Change to: "

PRINT USING "###.###"; MediumInfo1.Density PRINT USING "###.###"; MediumInfol.Density ELSEIF CHOICES = "3" THEN
VALID = 0
CALL DISPINFOBOX ELSEIF CHOICES = "3" THEN BUFFERS = "" F BUFFERS <> ""THEN COLOR YELLOW. CYAN IF BUFFERS <> '"' TEEN **TEMPBUFS = BUFFERS** TEMPBUFS = BUFFERS COLOR WHITE, CYAN COLOR WHITE, CYAN
LOCATE 22, 30
INPUT ; "", BUFFER\$ COLOR WHITE. CYAN COLOR WHITE. CYAN PRINT "Change to: "
LOCATE 22, 30
COLOR CYAN, CYAN COLOR CYAN. CYAN CALL DISPINFOBOX INPUT ;"". BUFFERS PRINT "Change to: " PRINT TEMPBUFS LOCATE 21, 21
PRINT "Density: "; PRINT TEMPBUFS PRINT "Density: "; TEMPBUFS = "" LOCATE 22. 19 $\mathbf 8$

IF BUFFER! > 0 AND BUFFER! <= 999.999 THEN IF BUFFER! > 0 AND BUFFER! <= 999.999 TEEN MediumInfol.Density = BUFFER! MediumInfol.Density = BUFFER! BUFFER! = VAL(BUFFER\$) BUFFER! = VAL(BUFFERS) LOCATE 23. 16 VALID = l ELSE

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 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac$

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2.$

COLOR YELLOW, CYAN
PRINT "Valid input is a real number between
END TE

a and 999.999"

END E ELSE VALID \vec{I} END E. LOOP UNTIL VALID I = CITHN TILNO dOOT

PRINT USING "###.###"; MediumInfo1.Density
CALL CLEARINFOBOX PRINT USING "###.##"; MediumInfol.Density + 2. COLM - 3 COLOR YELLOW. BLUE CALL CLEARINFOBOX LOCATE ROW

ELSEE CHOICES ELSEIF CHOICES = "4" THEN

PRINT USING "###.###"; MediumInfol.Viscosity

PRINT USING "###.###"; MediumInfol.Viscosity

CALL CLEARINFOBOX

CALL CLEARINFOBOX

PRINT USING "### ###"; MediumInfo1. Viscosity PRINT USING "###.###"; MediumInfol.Viscosity DO
COLOR YELLOW, CYAN COLOR YELLOW. CYAN = BUFFERS COLOR WHITE, CYAN COLOR WHITE, CYAN
LOCATE 22, 31
INPUT ; "", BUFFER\$ COLOR WHITE. CYAN COLOR WHITE. CYAN LOCATE 22, 31
COLOR CYAN, CYAN CALL DISPINFOBOX COLOR CYAN. CYAN INPUT; ". BUFFERS LOCATE 21, 20
PRINT "Viscosity: "; LOCATE 22, 20
PRINT "Change to: " PRINT "Change to: " PRINT "Viscosity: "; PRINT TEMPBUFS PRINT TEMPBUFS $\frac{1}{\pi}$ TEMPBUFS TEMPBUFS $VAM = 0$

IF BUFFERS <> "" THEN E BUFFERS <> "" TEEN BUFFER! = VAL(BUFFERS) ISSI I III
IF BUFFER!
`` `` > DOTTER! = 7.CL/LOOTTER! <= 999.999 THEN
IF BUFFER! > 0 AND BUFFER! <= 999.999 THEN
MediumInfol.Viscosity = BUFFER! MediumInfo1.Viscosity = BUFFER!

 V ALID = 1
ELSE LOCATE 23. 15 COLOR YELLOW. CYAN PRINT "Valid input is a real number between PRINT "Valid input is a real number between 0 and 999.999" END E ELSE VALID $\overline{1}$ END E LOOP UNTIL VALID I = CITYA TILMO dOO' LOCATE ROW + 3. COLM - l COLOR YELLOW. BLUE

PRINT USING "###.###"; MediumInfol Density PRINT USING "###.###"; MediumInfol .Density ELSEIF CHOICES = "3" THEN COLOR YELLOW. CYAN IF BUFFERS <> "" THEN = BUFFERS COLOR WHITE, CYAN COLOR WHITE, CYAN
LOCATE 22, 30
INPUT ; "", BUFFER\$ COLOR WHITE. CYAN COLOR WHITE. CYAN LOCATE 22, 30
COLOR CYAN, CYAN COLOR CYAN. CYAN CALL DISPINFOBOX INPUT ; "". BUFFERS LOCATE 22, 19
PRINT "Change to: " PRINT "Change to: " PRINT TEMPBUFS PRINT TEMPBUFS LOCATE 21, 21
PRINT "Density:"; ELSEE CHOICES PRINT "Density:"; $\frac{1}{\pi}$ $\frac{1}{\pi}$ TEMPBUFS TEMPBUFS VALID = 0 BUFFERS 8

BUFFER! = VAL(BUFFERS) $\frac{1}{2} \frac{1}{2} \frac{$

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{$

PRINT "Valid input is a real number between 0 and 999.999" F BUFFER! > 0 AND BUFFER! <= 999.999 THEN IF BUFFERI>0 AND BUFFERI<=999.999 THEN PRINT "Valid input is a real number between MediumInfo1 Density = BUFFER! LOCATE 23, 16
COLOR YELLOW, CYAN COLOR YELLOW. CYAN I = CITYN TILING 4007 LOOP UNTIL VALID MediumInfol Density $\overline{1}$ $\overline{1}$ E E VALID VALID ELSE ELSE END END

PRINT USING "###.###"; MediumInfol.Density PRINT USING "###.##"; MediumInfol.Density + 6. COLM - 3 COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX LOCATE ROW

LOCATE 21, 16
PRINT "Hamaker Constant:";
PRINT USING "###.###^^^^"; MediumInfo1.Hamaker PRINT USING "###.##W^^"; MediumInfo1.Hamaker ELSEIF CHOICES = "5" THEN PRINT "Hamakcr Constant:"; COLOR YELLOW. CYAN E BUFFERS <> "" TEEN COLOR WHITE, CYAN COLOR WHITE, CYAN
LOCATE 22, 34
INPUT ; "", BUFFER\$ = BUFFERS COLOR WEIITE. CYAN COLOR WHITE. CYAN LOCATE 22, 34
COLOR CYAN, CYAN CALL DISPINFOBOX COLOR CYAN. CYAN INPUT ; "". BUFFERS LOCATE 22, 23
PRINT "Change to: " PRINT "Change to: " PRINT TEMPBUFS PRINT TEMPBUFS ELSEIF CHOICES $\frac{3}{1}$ $\frac{3}{1}$ TEMPBUFS TEMPBUFS VALID = 0 BUFFERS $\overline{\mathsf{z}}$

BUFFER! $=$ VAL(BUFFERS) E BUFFER! > 0 AND BUFFER! <= 1E+30 TEEN MediumInfol.Hamaker MediumInfol.Hamaker = BUFFER! VALID $\overline{1}$ ELSE LOCATE 23. 16 COLOR YELLOW. CYAN PRINT "Valid input is a real number between PRINT "Valid input is a real number between 0 and 1.0E+30" END E ELSE VALID $\overline{1}$ END E LOOP UNTIL VALID 1 = CLIAV UNIT LOOP UNIT

PRINT USING "###.##www"; MediumInfol.Hamaker PRINT USING "****.***WW"; MediumInfol .Hamaker + 4. COLM + 6 COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX LOCATE ROW

PRINT USING "###.###"; MediumInfo1.Perm PRINT USING "###.###"; MediumInfol.Perm ELSEIF CHOICES = "6" THEN COLOR YELLOW. CYAN COLOR WHITE, CYAN COLOR WHITE, CYAN
LOCATE 22, 35
INPUT ; "", BUFFER\$ LOCATE 21, 20
PRINT "Permeability:"; COLOR WHITE. CYAN COLOR WHITE. CYAN LOCATE 22, 35
COLOR CYAN, CYAN PRINT "Permeability:"; COLOR CYAN. CYAN CALL DISPINFOBOX INPUT ;"". BUFFERS LOCATE 22, 23
PRINT "Change to: " PRINT "Change to: " PRINT TEMPBUFS PRINT TEMPBUFS ELSEIF CHOICES $\frac{3}{1}$ $\frac{1}{\pi}$ TEMPBUFS VALID = 0 BUFFERS $\overline{8}$

TEMPBUFI = BUFFERS E BUFFERS <> "" TEEN BUFFER! = VAL(BUFFERS) = VAL(BUFFERS) E BUFFER! > 0 AND BUFFER! <= 9999.999 TEEN MediumInfo₁ Perm MediumInfo1.Perm = BUFFER! VALID \overline{u} ELSE LOCATE 23. 16 COLOR YELLOW. CYAN PRINT "Valid input is a real number between PRINT "Valid input is a real number between 0 and 9999.999" ENDE ELSE VALE=1 END F
LOOP UNTIL VALID = 1 LOOPUNTILVALE=1

PRINT USING "###.###"; MediumInfol Perm PRINT USING "###.###"; MediumInfo! .Perm $\ddot{ }$ + 5. COLM COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX LOCATE ROW

PRINT USING "###.*##"; MediumInfo1.Temp PRINT USING "#####.###"; MediumInfol.Temp ELSEIF CHOICES = "7" THEN COLOR YELLOW. CYAN COLOR WHITE, CYAN
LOCATE 22, 18 COLOR WHITE, CYAN COLOR WHITE. CYAN COLOR WEIITE. CYAN LOCATE 21, 16
PRINT "Temperature:": PRINT "Change to: "
LOCATE 22, 29
COLOR CYAN, CYAN PRINT "Temperature:"; COLOR CYAN. CYAN CALL DISPINFOBOX PRINT "Change to: " PRINT TEMPBUFS PRINT TEMPBUFS ELSEE CHOICES $\frac{1}{\pi}$ $\frac{1}{\pi}$ TEMPBUFS $VAM = 0$ BUFFERS DO

NPUT : "". BUFFERS
tempbufs = buffers
if buffers <> "" then IF BUFFERS <> "" THEN TEMPBUFS = BUFFERS LOCATE 22, 29 LOCATE 22. 29

PRINT "Valid input is a real number between -273.150 and 9999.999" PRINT "Valid input is a real number between -273.150 and 9999.999" IF BUFFER! > -273.15 AND BUFFER! <= 9999.999 THEN > -273.15 AND BUFFER! <= 9999.999 TEEN MediumInfol.Temp = BUFFER! BUFFER! = VAL(BUFFER\$) = VAL(BUFFERS) LOCATE 23. 16 COLOR YELLOW. CYAN 1 = CLIAV TITNU GOOJ LOOP UNTIL VALE MediumInfol .Temp $\overline{1}$ $\overline{1}$ E E VALE **VALID** ELSE ELSE END END

PRINT USING "#######""; MediumInfo1.Temp
CALL CLEARINFOBOX PRINT USING "#####.###"; MediumInfol.Temp + 6. COLM COLOR YELLOW. BLUE CALL CLEARINFOBOX LOCATE ROW

ELSEIF CHOICES = CHRS(27) THEN 'Escape = CEIR\$(27) THEN 'Escape ب
OPT% = 0
OPT% = 0 DONE = 1 03 1 % = 0
DONE = 1
ELSEIF UCASES(CHOICES)
ELSEIF UCASES(CHOICES) = "H" THEN CALL HELPMEDIUM
CALL HELPMEDIUM
SCREEN 0, , 0
END IF
LOOP UNTIL DONE = 1

EQUIT = l TEEN CLS END ENDE

END SUB

DEFSNGA-Z

SUB GETPARTA (OPT%)

Program Name: GETPARTA Description:

Author: Peter T. Robinson

Date: August 1992

Revision History:

'None

'SINCLUDE: 'MENUPAR.INC'

 $OPT% = 0$ $DONE = 0$ Q UIT=0

 $COLM = 40$ $ROW = 7$

COLOR YELLOW, BLUE

PRINT ParlinfoA.ComName LOCATE ROW, COLM + 2

LOCATE ROW + 1, COLM +4 PRINT PartInfoA.ChemName $\frac{1}{2}$

LOCATE ROW + 2, COLM - 4 PRINT PartInfoA.Shape

PRINT USING "##.##"; PartInfoA.MaxVel LOCATE ROW + 3, COLM + 14

PRINT USING "##.##"; ParLinfoA.MeanDiameter LOCATE ROW + 4, COLM + 3

PRINT USING "##.###"; PartInfoA.SDevDiameter LOCATE ROW + 5, COLM + 12

PRINT USING "###.###"; PartInfoA.Density LOCATE ROW + 6, COLM - 3

PRINT USING "###"; ParlnfoA.Number LOCATE ROW + 7, COLM + 9

LOCATE ROW + 8, COLM + 6
PRINT USING "###.###^^^"; ParInfoA.Hamaker

CHOICES = INKEYS BLANKS = "" 8

INPUT ; "", BUFFER\$
IF BUFFER\$ <> "" THEN ParlinfoA.ComName = BUFFER\$ PRINT "Common Name: "; ParlinfoA.ComName COLOR YELLOW, CYAN COLOR YELLOW, CYAN IF CHOICES = "I" THEN COLOR WHITE, CYAN CALL DISPINFOBOX PRINT "Change to: " **LOCATE 21, 18** LOCATE 22, 20 $BUFFERS = "$ LOCATE 22, 31

LOCATE ROW, COLM_{+2} COLOR PELLOW, BLUE
PRINT Parlinfor.ComName

PRINT ParintoA.ComName CALL CLEARINFOBOX CALL CLEARINFOBOX ELSEE CHOICES = "2" TEEN

IF BUFFERS \sim "" THEN PartInfoA.ChemName = BUFFERS COLOR YELLOW, CYAN
LOCATE 21, 18
PRINT "Chemical Name: "; PartInfoA.ChemName PRINT "Chemical Name: "; PartlnfoA.ChemName E BUFFERS <> "" TEEN PartlnfoA.ChemName + l. COLM + 4 PRINT ParlinfoA.ChemName
CALL CLEARINFOBOX PRINT PartlnfoA.ChemName COLOR YELLOW. CYAN COLOR YELLOW. BLUE CALL CLEARINFOBOX COLOR WHITE, CYAN
LOCATE 22, 22
PRINT "Change to: " COLOR WHITE. CYAN CALL DISPINFOBOX LOCATE 22. 33 CALL DISPINFOBOX INPUT ; "". BUFFERS PRINT "Change to: " LOCATE ROW $\frac{1}{\pi}$ BUFFERS

ELSEE CHOICES ELSEIF CHOICES = "3" THEN

F BUFFERS \sim "THEN PartinfoA.Shape = BUFFERS E BUFFERS <> "" TTEN PartlnfoA.Shape COLOR YELLOW, CYAN
LOCATE 21, 24
PRINT "Shape: "; ParlinfoA.Shape PRINT "Shape: "; PartlnfoAShape + 2. COLM - 4 COLOR YELLOW. CYAN COLOR YELLOW. BLUE COLOR WHITE, CYAN COLOR WEIITE. CYAN CALL DISPINFOBOX LOCATE 22, 31
INPUT ; "", BUFFERS CALL DISPINFOBOX INPUT; '"'. BUFFERS LOCATE 22, 20
PRINT "Change to: " PRINT "Change to: " LOCATE ROW $\frac{1}{\pi}$ BUFFERS

 $\frac{4}{3}$

 $\bar{1}$

PRINT PartlnfoA.Shape CALL CLEARINFOBOX

PRINT USING "##.###"; PartinfoA.MaxVel PRINT USING "###"; PartInfoA.MaxVel LOCATE 21, 18
PRINT "Average Initial Velocity: "; PRINT "Average Initial Velocity: "; ELSEIF CHOICES = "4" THEN
CALL DISPINFOBOX DO
COLOR YELLOW, CYAN COLOR YELLOW. CYAN = BUFFERS COLOR WHITE, CYAN COLOR WHITE, CYAN
LOCATE 22, 36
INPUT ; "", BUFFER\$ COLOR WHITE. CYAN COLOR WEIITE. CYAN LOCATE 22, 36
COLOR CYAN, CYAN COLOR CYAN. CYAN CALL DISPINFOBOX INPUT ; "". BUFFERS LOCATE 22, 25
PRINT "Change to: " PRINT "Change to: " PRINT TEMPBUFS PRINT TEMPBUFS ELSEE CHOICES $\frac{1}{2}$ TEMPBUFS TEMPBUFS $VAM = 0$

IF BUFFERS <> "" THEN E BUFFERS <> '"' THEN BUFFER = VAL(BUFFER\$)
IF BUFFER > 0 AND BUFFER <= 50! THEN = VAL(BUFFERS) E BUFFER>0AND BUFFER <= 50! TEEN PartlnfoA.MaxVel PartInfoA.MaxVel = BUFFER VALE $\overline{1}$ ELSE LOCATE 23, 15
COLOR YELLOW, CYAN COLOR YELLOW. CYAN PRINT "Valid input is a real number between 0 and 50.0" END E ELSE VALE $\overline{1}$ END E LOOP UNTIL VALE 1 = CLIW TILM dOOT

LOCATE ROW + 3, COLM + 14
COLOR YELLOW, BLUE
PRINT USING "####"; ParlingA.MaxVel

PRINT USING "##.###"; PartlnfoA.MaxVel CALL CLEARINFOBOX CALL CLEARINFOBOX

PRINT USING "##.###"; PartInfoA.MeanDiameter PRINT USING "##1##"; PartlnfoA.NIeanDiameter ELSEIF CHOICES = "5" THEN
CALL DISPINFOBOX DO
COLOR YELLOW, CYAN LOCATE 21, 19
PRINT "Mean Diameter."; COLOR YELLOW, CYAN PRINT "Mean Diameten"; = BUFFERS COLOR WHITE, CYAN
LOCATE 22, 23 COLOR WHITE, CYAN
LOCATE 22, 34
INPUT ; "", BUFFERS COLOR WHITE. CYAN COLOR WHITE. CYAN PRINT "Change to: "
LOCATE 22, 34
COLOR CYAN, CYAN COLOR CYAN. CYAN INPUT ; "". BUFFERS CALL DISPINFOBOX PRINT TEMPBUFS PRINT "Change to: " PRINT TEMPBUFS ELSEE CHOICES $\frac{1}{\pi}$ TEMPBUFS TEMPBUFS VALE = 0

IF BUFFERS <> ""THEN E BUFFERS <> "" TEEN BUFFER = VAL(BUFFER\$)
IF BUFFER > 0 AND BUFFER <= 2! THEN = VAL(BUFFERS) IFBUFFER>OANDBUFFER (=2! THEN PartlnfoA.NIeanDiameter PartInfoA.MeanDiameter = BUFFER VALE $\overline{\mathbf{u}}$ ELSE LOCATE 23, 15
COLOR YELLOW, CYAN COLOR YELLOW, CYAN PRINT "Valid input is a real number between PRINT "Valid input is a real number between 0 and 2.0" END E ELSE VALE $\overline{1}$ END E

 $\begin{array}{c} \begin{array}{c} \begin{array}{c} \end{array} \end{array} \end{array}$

LOOP UNTIL VALID =1

PRINT USING "##.###"; ParlinfoA.MeanDiameter PRINT USING 'WMHI"; PartlnfoA.MeanDiameter \mathfrak{D} + 4. COLM COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX LOCATE ROW

ELSEE CHOICES ELSEIF CHOICES = "6" THEN

PRINT USING "##.##"; ParlinfoA.SDevDiameter PRINT USING "##.##"; PartlnfoA.SDevDiameter PRINT "Diameter Standard Dev.:"; PRINT "Diameter Standard Dev.:"; LOCATE 21, 13 DO
COLOR YELLOW, CYAN COLOR YELLOW, CYAN = BUFFERS COLOR WHITE, CYAN
LOCATE 22, 26 COLOR WHITE, CYAN
LOCATE 22, 37
INPUT ; "", BUFFER\$ COLOR WHITE. CYAN COLOR WHITE. CYAN PRINT "Change to: "
LOCATE 22, 37
COLOR CYAN, CYAN COLOR CYAN. CYAN CALL DISPINFOBOX INPUT ; "". BUFFERS CALL DISPINFOBOX PRINT "Change to: " PRINT TEMPBUFS PRINT TEMPBUFS $\frac{1}{\pi}$ **LOCATE 21, 13** TEMPBUFS TEMPBUFS $VAM = 0$

IF BUFFERS <> "" THEN E BUFFERS <> "" TEEN BUFFER = VAL(BUFFER\$)
IF BUFFER > 0 AND BUFFER <= 1! THEN = VAL(BUFFERS) EBUFFER>0ANDBUFFER<= 1! TEEN PartlnfoA.SDevDiameter ParlnfoA.SDevDiameter = BUFFER VALE $\overline{1}$ ELSE LOCATE 23, 15 COLOR YELLOW, CYAN PRINT "Valid input is a real number between PRINT "Valid input is a real number between 0 and 1.0" ENDE

ELSE

V=OMN

I = CITKA TLIAN dOOT END IF

PRINT USING "##.###"; PartInfoA.SDevDiameter LOCATE ROW + 5, COLM + 12 COLOR YELLOW, BLUE CALL CLEARINFOBOX

PRINT USING "###.###"; PartInfoA.Density ELSEIF CHOICES = "7" THEN COLOR YELLOW, CYAN IF BUFFERS <> ""THEN **TEMPBUFS = BUFFERS** COLOR WHITE, CYAN COLOR WHITE, CYAN COLOR CYAN, CYAN NPUT ; "", BUFFERS CALL DISPINFOBOX PRINT "Change to: "
LOCATE 22, 30 PRINT TEMPBUFS PRINT "Density."; TEMPBUFS = "" LOCATE 22, 19 **LOCATE 22, 30** LOCATE 21, 21 $BUFFERS = "$ $0 = \frac{1}{N}$ 8

IF BUFFER > 0 AND BUFFER <= 999.999 THEN PartInfoA.Density = BUFFER BUFFER = VAL(BUFFERS) COLOR YELLOW, CYAN **JOCATE 23, 16** VALID=1 ELSE

PRINT "Valid input is a real number between 0 and 999.999" **LOOP UNTIL VALID = 1 I=dTKA END IF** ENDIF ELSE

PRINT USING "###.###"; PartInfoA.Density LOCATE ROW + 6, COLM - 3 COLOR YELLOW, BLUE CALL CLEARINFOBOX

ELSEIF CHOICES = "8" THEN

CALL DISPINFOBOX TEMPBUFS = "" VALID=0

IF PardnfoA.Number > NUMPART THEN PartInfoA.Number = NUMPART ELSEIF Simulation = 2 THEN IF Simulation = 1 THEN NUMPART = 120 NUMPART = 60 **END IF**

PRINT USING "###"; ParlinfoA.Number PRINT "Number of Particles:"; COLOR YELLOW, CYAN COLOR WHITE, CYAN COLOR WHITE, CYAN COLOR CYAN, CYAN PRINT "Change to: " PRINT TEMPBUFS LOCATE 21, 16 LOCATE 22, 26 LOCATE 22, 37 BUFFERS = "" g

LOCATE 22, 37

[INPUT; " BUFFERS TEMPBUFS = BUFFERS EBUFFERS <> "" TEEN BUFFER = VAL(BUFFERS) E Simulation = l TEEN NUMPART $\frac{8}{1}$ EPartlnfoA.Number > NUMPART TEEN PartlnfoA.Number IF PartInfoA.Number > NUMPART THEN PartInfoA.Number = NUMPART ELSEE Simulation ELSEIF Simulation = 2 THEN NUMPART $= 120$ END E

E BUFFER > 0 AND BUFFER <= NUMPART TEEN PartlnfoA.Number PartInfoA.Number = BUFFER VALE $\overline{\mathbf{u}}$ ELSE LOCATE 23. 15 COLOR YELLOW. CYAN E Simulation = 1 TEEN PRINT "Valid input is an integer number between 1 and 60" ELSEE Simulation PRINT "Valid input is an integer number between 1 and 60"
ELSEIF Simulation = 2 THEN
PRINT "Valid input is an integer number between 1 and 120" PRINT "Valid input is an integer number between 1 and 120" END E

END E ELSE VALE $\overline{1}$ END E LOOP UNTIL VALE 1 = CITYA TLMD aOOT

PRINT USING "###"; PartInfoA.Number PRINT USING "###"; ParLinfoA.Number + 7. COLM + 9 COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX LOCATE ROW

ELSEIF CHOICES ELSEIF CHOICES = "9" THEN

VALE = 0 TEMPBUFS $\frac{3}{1}$ $\frac{1}{2}$ CALL DISPINFOBOX

PRINT USING "###.###^^^^"; ParlnfoA.Hamaker
LOCATE 22, 23
COLOR WHITE, CYAN PRINT USING "###.###WW"; ParlinfoA.Hamaker COLOR YELLOW, CYAN
LOCATE 21, 16
PRINT "Hamaker Constant!"; PRINT "Hamakcr Constant: "; COLOR YELLOW. CYAN E BUFFERS <> "" TEEN = BUFFERS COLOR WHITE, CYAN
LOCATE 22, 34
INPUT ; "", BUFFER\$ COLOR WHITE. CYAN COLOR WHITE. CYAN COLOR CYAN, CYAN
LOCATE 22, 37
PRINT TEMPBUFS COLOR CYAN. CYAN INPUT ; "". BUFFERS PRINT "Change to: " PRINT "Change to: " PRINT TEMPBUFS $\frac{3}{1}$ TEMPBUFS BUFFERS $\bf 8$

BUFFER = VAL(BUFFER\$) = VAL(BUFFERS) E BUFFER > 0 AND BUFFER <= 1E+30 TEEN PartlnfoA.Hamaker PardnfoA.Hamaker = BUFFER VALE $\overline{1}$ ELSE LOCATE 23. 15 COLOR YELLOW. CYAN PRINT "Valid input is an integer number between 1 and 1.0E+30" END E ELSE **VALID** $\overline{1}$ END E LOOP UNTIL VALE LOOP UNTIL VALID = 1

LOCATE ROW + 8. COLM $+$ COLOR YELLOW. BLUE

PRINT USING "###.###^^^"; ParlnfoA.Hamaker ELSEIF CHOICES = CHR\$(27) THEN 'Escape ELSEIF UCASES(CHOICES) = "H" THEN Program Name: GETPARTB Author: Peter T. Robinson **CALL CLEARINFOBOX SUB GETPARTB (OPT%) LOOP UNTIL DONE = 1** CALL HELPPARTA IF QUIT = 1 THEN Date: August 1992 Revision History: SCREEN 0, 0 DEFINT A-Z Description: $OPT\% = 0$ $DONE = 1$ END SUB END IF **END IF** None END **CLS** \cdot ľ

PRINT USING "###.###^^^^"; PartInfoB.Hamaker PRINT USING "##.###"; ParInfoB.MeanDiameter PRINT USING "##.##"; ParlnfoB.SDevDiameter LOCATE ROW + 6, COLM - 3
PRINT USING "###.###"; ParInfoB.Density LOCATE ROW + 3, COLM + 14
PRINT USING "##,###"; ParInfoB.MaxVel PRINT USING "###"; ParlnfoB.Number LOCATE ROW + 5, COLM + 12 'SINCLUDE: 'MENUPAR.INC' LOCATE ROW + 4, COLM + 3 LOCATE ROW + 7, COLM + 9 LOCATE ROW + 8, COLM + 6 LOCATE ROW + 1, COLM + 4 LOCATE ROW + 2, COLM - 4
PRINT ParlinfoB.Shape PRINT ParinfoB.ChemName PRINT PartInfoB.ComName LOCATE ROW, COLM + 2 COLOR YELLOW, BLUE $COLM = 40$ $OPT% = 0$
DONE = 0 Q UTT = 0 $ROW = 7$

BLANKS = ""

 \mathbf{g}

CHOICES = INKEYS

INPUT ; "", BUFFER\$
IF BUFFER\$ <> "" THEN ParlinfoB.ComName = BUFFER\$ PRINT "Common Name: "; PartInfoB.ComName
LOCATE 22, 20
COLOR WHITE, CYAN PRINT "Common Name: "; PartlnfoB.ComName E BUFFERS <> "" TEEN PartlnfoB.ComName PRINT ParlnfoB.ComName PRINT PartInfoB.ComName LOCATE ROW, COLM + 2
COLOR YELLOW, BLUE PRINT "Change to: "
LOCATE 22, 31
COLOR YELLOW, CYAN LOCATE 21. 18 COLOR YELLOW. CYAN COLOR YELLOW. CYAN COLOR YELLOW. BLUE CALL CLEARINFOBOX = "1" TEEN CALL CLEARINFOBOX COLOR WHITE. CYAN LOCATE ROW. COLM CALL DISPINFOBOX INPUT ; "". BUFFERS PRINT "Change to: " $\frac{1}{\pi}$ ECHOICES BUFFERS

ELSEE CHOICES = "2" THEN

INPUT ; "", BUFFERS
IF BUFFERS <> "" THEN ParlnfoB.ChemName = BUFFERS LOCATE 21, 18
PRINT "Chemical Name: "; ParlnfoB.ChemName PRINT "Chemical Name: "; PartlnfoB.ChemName E BUFFERS <> "" TEEN PartlnfoB.ChemName .OCATE ROW + 1, COLM + 4 LOCATE ROW +1. COLM + 4 PRINT PartInfoB.ChemName PRINT PartInfoB.ChemName COLOR YELLOW, BLUE COLOR YELLOW. CYAN COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX COLOR WHITE, CYAN
LOCATE 22, 22
PRINT "Change 10: " COLOR WHITE. CYAN CALL DISPINFOBOX INPUT ; "". BUFFERS PRINT "Change to: " LOCATE 22. 33 $\frac{1}{\pi}$ BUFFERS

ELSEE CHOICES = "3" TEEN

CALL DISPINFOBOX

IF BUFFERS <> ""THEN PartinfoB.Shape = BUFFERS E BUFFERS <> "" TEEN PartlnfoBShape COLOR YELLOW, CYAN
LOCATE 21, 24
PRINT "Shape: "; ParlinfoB.Shape PRINT "Shape: "; PartInfoB.Shape + 2. COLM - 4 COLOR YELLOW. CYAN COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX COLOR WHITE, CYAN
LOCATE 22, 20
PRINT "Change to: " COLOR WHITE. CYAN PRINT PartinfoB.Shape PRINT PartinfoB.Shape LOCATE 22, 31
INPUT ; "", BUFFERS CALL DISPINFOBOX INPUT : "". BUFFERS PRINT "Change to: " LOCATE ROW $\frac{1}{\pi}$ BUFFERS

PRINT USING "###.###"; PartinfoB.MaxVel PRINT USING "##.##"; PartlnfoB.MaxVel LOCATE 21, 18
PRINT "Average Initial Velocity: "; PRINT "Average Initial Velocity: "; ELSEIF CHOICES = "4" THEN
CALL DISPINFOBOX COLOR YELLOW, CYAN COLOR WHITE, CYAN = BUFFERS COLOR WHITE, CYAN COLOR WHITE. CYAN COLOR WHITE. CYAN LOCATE 22, 36
COLOR CYAN, CYAN COLOR CYAN. CYAN LOCATE 22, 36
INPUT : "", BUFFER\$ CALL DISPINFOBOX INPUT ; "". BUFFERS LOCATE 22, 25
PRINT "Change to: " PRINT "Change to: " PRINT TEMPBUFS PRINT TEMPBUFS COLOR YELLOW. ELSEE CHOICES $\frac{1}{\pi}$ TEMPBUFS TEMPBUFS VALE = 0 $\overline{8}$
IF BUFFERS \sim "THEN

BUFFER! = VAL(BUFFERS) E BUFFER! > 0 AND BUFFER! <= 50! THEN PanInfoB.MaxVel = BUFFER! **TIRA** $\overline{1}$ ELSE LOCATE 23. 15 COLOR YELLOW. CYAN PRINT "Valid input is a real number between PRINT "Valid input is a real number between 0 and 50.0" END IF ELSE VALE=1 END IF
LOOP UNTIL VALID = 1 LOOP UNTIL VALE =1

PRINT USING "##.##"; PartInfoB.MaxVel PRINT USING "## ##"; ParlnfoB.MaxVel $+ 14$ + 3. COLM COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX LOCATE ROW

PRINT USING "##.###"; PartInfoB.MeanDiameter PRINT USING "##1##"; PartlnfoB.MeanDiameter ELSEIF CHOICES = "5" THEN
CALL DISPINFOBOX DO
COLOR YELLOW, CYAN LOCATE 21, 19
PRINT "Mean Diameter.": COLOR YELLOW. CYAN PRINT "Mean Diameter:"; COLOR WHITE, CYAN COLOR WHITE, CYAN
LOCATE 22, 34
INPUT ; "", BUFFER\$ COLOR WHITE. CYAN COLOR WHITE. CYAN LOCATE 22, 34
COLOR CYAN, CYAN CALL DISPINFOBOX COLOR CYAN. CYAN INPUT; "". BUFFERS LOCATE 22, 23
PRINT "Change to: " PRINT "Change to: " PRINT TEMPBUFS PRINT TEMPBUFS ELSEE CHOICES $\frac{3}{10}$ TEMPBUFS \degree VALE

TEMPBUFS = BUFFERS

IF BUFFERS <> ""THEN E BUFFERS <> "" TEEN BUFFER! = VAL(BUFFER\$) = VAL(BUFFERS) IF BUFFER! > 0 AND BUFFER! <= 2! THEN > OAND BUFFER! <= 2! TEEN PartlnfoB.MeanDiameter PartInfoB.MeanDiameter = BUFFER! VALE $\overline{1}$ ELSE LOCATE 23, 15 COLOR YELLOW. CYAN PRINT "Valid input is a real number between PRINT "Valid input is a real number between 0 and 2.0" ENDE ELSE VALE=1 END IF
LOOP UNTIL VALID = 1 LOOP UNTIL VALE =1

PRINT USING "##.###"; ParlinfoB.MeanDiameter PRINT USING "###"; ParlinfoB.MeanDiameter \mathbb{R}^+ + 4. COLM COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX LOCATE ROW

ELSEE CHOICES = "6" TEEN

PRINT USING "##.###"; ParlnfoB.SDevDiameter PRINT USING "##.###"; PartlnfoB.SDevDiameter LOCATE 21, 13
PRINT "Diameter Standard Dev.:"; PRINT "Diameter Standard Dev.:"; DO
COLOR YELLOW, CYAN COLOR YELLOW, CYAN COLOR WHITE, CYAN COLOR WHITE. CYAN LOCATE 22, 37
COLOR CYAN, CYAN CALL DISPINFOBOX COLOR CYAN. CYAN CALL DISPINFOBOX LOCATE 22, 26
PRINT "Change to: " PRINT "Change to: " PRINT TEMPBUFS PRINT TEMPBUFS $\frac{3}{1}$ TEMPBUFS VALE = O

COLOR WHITE, CYAN LOCATE 22, 37

TEMPBUFS = BUFFERS INPUT : "", BUFFERS

IF BUFFERS <> "" THEN

PRINT "Valid input is a real number between 0 and 1.0" IF BUFFER! > 0 AND BUFFER! <= 1! THEN ParlinfoB.SDevDiameter = BUFFER! BUFFER! = VAL(BUFFERS) COLOR YELLOW, CYAN I = CITYN TLIAN dOOT LOCATE 23, 15 VALID=1 VALID=1 END IF ENDIF ELSE ELSE

PRINT USING "##.###"; PartInfoB.SDevDiameter LOCATE ROW + 5, COLM + 12 COLOR YELLOW, BLUE CALL CLEARINFOBOX

PRINT USING "### ###"; PartInfoB.Density ELSEIF CHOICES = "7" THEN COLOR YELLOW, CYAN COLOR WHITE, CYAN CALL DISPINFOBOX PRINT "Change to: " PRINT "Density:"; TEMPBUF\$ = "" LOCATE 22, 19 LOCATE 21, 21 BUFFERS = "" $0 = \text{CLINV}$ 8

IF BUFFERS <> "" THEN TEMPBUFS = BUFFERS COLOR WHITE, CYAN COLOR CYAN, CYAN INPUT ; "", BUFFERS PRINT TEMPBUFS LOCATE 22, 30 LOCATE 22, 30

PRINT "Valid input is a real number between 0 and 999.999" IF BUFFER! > 0 AND BUFFER! <= 999.999 THEN PartInfoB.Density = BUFFER! BUFFER! = VAL/BUFFERS) COLOR YELLOW, CYAN **LOOP UNTIL VALID = 1** LOCATE 23, 16 VALID=1 VALID=1 END IF END IF **ELSE** ELSE

PRINT USING "###.###"; PartInfoB.Density LOCATE ROW + 6, COLM - 3 COLOR YELLOW, BLUE CALL CLEARINFOBOX

ELSEIF CHOICES = "8" THEN

CALL DISPINFOBOX TEMPBUFS = "" VALID=0

COLOR YELLOW, CYAN LOCATE 21, 16 $BUFFERS = "$ $\mathbf 8$

PRINT USING "###"; ParlinfoB.Number
LOCATE 22, 26
COLOR WHITE, CYAN PRINT USING "###"; ParlinfoB.Number PRINT "Number of Particles:": PRINT "Number of Particles:";

E BUFFERS <> "" TEEN = BUFFERS COLOR WHITE, CYAN
LOCATE 22, 37
INPUT ; ''', BUFFERS COLOR WHITE. CYAN COLOR WHITE. CYAN COLOR CYAN, CYAN
LOCATE 22, 37
PRINT TEMPBUFS COLOR CYAN. CYAN INPUT ; "". BUFFERS PRINT "Change to: " PRINT "Change to: " PRINT TEMPBUFS TEMPBUFS

PRINT "Valid input is an integer number between 1 and 60" PRINT "Valid input is an integer number between 1 and 60" 0 AND BUFFER! <= 60 TEEN PartInfoB.Number = BUFFER! BUFFER! = VAL(BUFFER\$) = VAL(BUFFERS) LOCATE 23. 15 COLOR YELLOW. CYAN LOOP UNTIL VALE =1 PartlnfoB.Number λ E BUFFER! $\overline{\mathbf{u}}$ VALE=1 E E VALE ELSE ELSE END END

PRINT USING "###": ParlnfoB.Number PRINT USING "###"; ParLinfoB.Number $+7$, COLM $+9$ COLOR YELLOW. BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX LOCATE ROW

ELSEE CHOICES = "9" TEEN

 $VAM = 0$ TEMPBUFS $\frac{1}{\pi}$ CALL DISPINFOBOX

PRINT USING "****.****^^^"; PartInfoB.Hamaker PRINT USING "###.###\\\\\"; PartlnfoB.Hamaker BUFFER! = VAL(BUFFERS) LOCATE 21, 16
PRINT "Hamaker Constant": PRINT "Hamakcr Constant"; E BUFFERS <> "" TEEN COLOR YELLOW. CYAN = BUFFERS LOCATE 22, 23
COLOR WHITE, CYAN COLOR WHITE, CYAN COLOR WHITE. CYAN PRINT "Change to: "
COLOR CYAN, CYAN COLOR WHITE. CYAN LOCATE 22, 34
INPUT ; "", BUFFERS COLOR CYAN. CYAN INPUT ;"". BUFFERS PRINT "Change to: " LOCATE 22, 37
PRINT TEMPBUFS PRINT TEMPBUFS $\frac{3}{1}$ TEMPBUFS BUFFERS **S**

= VAL(BUFFERS) E BUFFER! \mathbf{v} 0 AND BUFFER! <= 1E+3O TEEN PartlnfoB.Hamaker PartinfoB.Hamaker = BUFFER! VALE $\overline{\mathbf{u}}$ ELSE LOCATE 23, 15
COLOR YELLOW, CYAN COLOR YELLOW. CYAN PRINT "Valid input is an integer number between 1 and 1.0E+30" END E ELSE **VALID** $\sqrt{1}$ END E LOOP UNTIL VALE I = CLINATIL MATD = 1

PRINT USING "###.###^^^^"; PartInfoB.Hamaker PRINT USING '***** **** AMW"; PartlnfoB.Hamaker $+$ + 8. COLM COLOR YELLOW, BLUE CALL CLEARINFOBOX CALL CLEARINFOBOX LOCATE ROW

ELSEIF UCASES(CHOICES) = "H" THEN ELSEE UCASES(CHOICES) CALL HELPPARTB CALL HELPPARTB

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 $\label{eq:2.1} \frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^{2} \left(\frac{1}{\sqrt{2}}\right)^{2} \left(\$

 $\label{eq:2.1} \frac{1}{2} \sum_{i=1}^n \frac{1}{2} \sum_{j=1}^n \frac{$

Description

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2.$

· Description: This subroutine retrieves information for the particle information menu.

Author: Peter T. Robinson

Date: August 1992

Revision History:

Note

SINCLUDE: 'MENUPAR.INC'

 $OPT\% = 0$ $DONE = 0$ $QUT = 0$

 $COLM = 40$ $ROW = 6$

COLOR YELLOW, CYAN

PRINT USING "##"; pHInfol LOCATE ROW, COLM

PRINT USING "###.###"; ZetaInfoA LOCATE ROW + 1, COLM + 13

PRINT USING "###.###"; ZetaInfoB PRINT USING "###.##"; ZetaInfoF LOCATE ROW + 2, COLM + 13 LOCATE ROW + 2, COLM + 13 ELSEIF Simulation = 2 THEN IF Simulation = 1 THEN END IF

 S

CHOICES = INKEYS

PRINT USING "##"; pHInfol IF BUFFERS <> ""THEN COLOR YELLOW, CYAN IF CHOICES = "I" THEN **TEMPBUFS = BUFFERS** COLOR WHITE, CYAN COLOR WHITE, CYAN COLOR CYAN, CYAN INPUT ; "", BUFFERS CALL DISPINFOBOX PRINT "Change to:"
LOCATE 22, 30 PRINT TEMPBUFS TEMPBUFS = "" LOCATE 22, 30 **LOCATE 22, 19** LOCATE 21, 26 $BUFFERS = "$ PRINT "pH: "; $0 = \text{GLINV}$ 8

PRINT "Valid input is a real number between 0 and 14.0" BUFFER! = VAL(BUFFER\$)
IF BUFFER! > 0 AND BUFFER! <= 14! THEN COLOR YELLOW, CYAN I = CLINI TIMU 4001 pHInfo1 = BUFFER! LOCATE 23, 16 VALID=1 $VALID = 1$ **END IF** END IF ELSE ELSE

LOCATE ROW, COLM

CYMOR YELLOW, CYAN
PRINT USING "HE WE"

COLOR YELLOW, CYAN
PRINT USING "##.##"; pHInfo] CALL CLEARINFOBOX

ELSEE CHOICES = "2" TEEN

LOCATE 21, 10
PRINT "Zeta Potential of Particle A: "; PRINT "Zeta Potential of Particle A: "; PRINT USING "###.###"; ZetaInfoA PRINT USING "###.###"; ZetaInfoA COLOR YELLOW. CYAN E BUFFERS <> "" TEEN = BUFFERS COLOR WHITE, CYAN
LOCATE 22, 40
INPUT ; "", BUFFERS COLOR WHITE, CYAN
LOCATE 22, 29
PRINT "Change 10: " COLOR WHITE. CYAN COLOR WHITE. CYAN LOCATE 22. 4O COLOR CYAN. CYAN CALL DISPINFOBOX INPUT ; '"'. BUFFERS PRINT "Change to: " PRINT TEMPBUFS PRINT TEMPBUFS $\frac{1}{\pi}$ $\frac{1}{\pi}$ TEMPBUFS TEMPBUFS $0 = \text{TLAV}$ BUFFERS DO

BUFFER! = VAL(BUFFERS) IF BUFFER! > -99.999 AND BUFFER! <= 99.999 THEN > -99.999 AND BUFFER! <= 99.999 THEN ZetalnfoA = BUFFER! **TIRY** $\overline{1}$ ELSE LOCATE 23. 16 COLOR YELLOW. CYAN PRINT "Valid input is a real number between -99.999 and 99.999" END E ELSE **UTKA** $\overline{1}$ END E

LOOP UNTIL VALID = 1 LOOP UNTIL VALID = 1

PRINT USING "###.###"; ZetaInfoA PRINT USING "###.###"; ZetaInfoA LOCATE ROW + 1, COLM + 13 LOCATE ROW +1. COLM +13 COLOR YELLOW, CYAN COLOR YELLOW. CYAN CALL CLEARINFOBOX CALL CLEARINFOBOX

ELSEE CHOICES = "3" TEEN

 $0 = \frac{1}{N}$ CALL DISPINFOBOX TEMPBUFS $\frac{1}{\pi}$ $\overline{8}$ BUFFERS $\frac{1}{\pi}$ COLOR YELLOW, CYAN COLOR YELLOW, CYAN
LOCATE 21, 10

E Simulation = 1 TEEN PRINT "Zeta Potential of Particle B:"; PRINT "Zeta Potential of Particle B: "; PRINT USING "###.###"; ZetaInfoB ELSEIF Simulation = 2 THEN
PRINT "Zeta Potential of the Fiber: "; PRINT USING "###.###"; ZetaInfoF PRINT "Zeta Potential of the Fiber: "; PRINT USING "###.###"; ZetaInfoB PRINT USING "###.###"; ZetaInfoF ELSEE Simulation END IF

E BUFFERS <> "" TEEN = BUFFERS COLOR WHITE, CYAN
LOCATE 22, 29
PRINT "Change to: " COLOR WHITE, CYAN
LOCATE 22, 40
INPUT ; "", BUFFER\$ COLOR WHITE. CYAN COLOR WHITE. CYAN LOCATE 22. 4O COLOR CYAN. CYAN INPUT ; '"'. BUFFERS PRINT TEMPBUFS PRINT "Change to: " PRINT TEMPBUFS TEMPBUFS

BUFFER! = VAL(BUFFERS)

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 $\frac{1}{2}$

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2.$

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 $\label{eq:2.1} \frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac$

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 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2.$

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 $\mathfrak f$

CALL DISPHELP(HELPMESS₍₎₎

 $\frac{1}{2}$, $\frac{1}{2}$

To soly is carefully

 $\frac{HELPMESS(9)}{HELPMESS(9)} = \cdots$

Ξ, MESSAGES(6) = "The file: "
MESSAGES, "

CALL DISPMATERIALI CALL DISPSIM1 $MENTVL = 3$ **END IF**

' Accept and verify the input to the Material Parameters Menu. ļ $\frac{1}{2}$

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CALL GETMATERIALI (OPT%)

MENULVL=3 MENULVL=3

ELSEIF OPT% = 0 THEN \cdot Return to the previous menu DONE = 1 ELSEE OPT% = 0 THEN ' Return to the previous menu ELSEIF Simulation = 2 THEN ELSEIF OPT% = 2 THEN ELSEIF OPT% = 3 THEN ELSEIF OPT% = 4 THEN IF Simulation = 1 THEN IF OPT% = 1 THEN CALL ELECTROI CALL MEDIUMI CALL ELECTROI MENULVL = 3 CALL PARTA CALL PARTB CALL FIBER **END IF**

LOOP UNTIL DONE = 1

END SUB

DEFINT A-Z

CALL DISPMAIN

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La companya de la co

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2.$

 $\begin{array}{c} \vdots \\ \vdots \\ \vdots \\ \vdots \\ \vdots \end{array} \begin{array}{c} \vdots \\ \vdots \\ \vdots \\ \vdots \\ \vdots \\ \vdots \\ \vdots \end{array}$

لمتعاد <u>na Amirel</u> (1988) i

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Accept and verify the input to the Particle Information Menu.
 $\frac{1}{1-\epsilon}$ ' Accept and verify the input to the Particle Information Menu.

END SUB

PUT #1. 5. Fiberlnfo

GET #1. 2. PartlnfoB

APPENDIX B

CSSDISP PROGRAM LISTINGS

DEFINT A-Z

and a second companion of the second companion of the second companion of the second companion of the second companion

 CALL DISPMAIN $DOT = -1$ END IF ļ J J DECLARE SUB DISPINFO ()
DECLARE SUB DISPLAYBOX ()
DECLARE SUB DISPLAY (X() AS DOUBLE, Y() AS DOUBLE, Z() AS DOUBLE,
X() AS DOUBLE, Y(Y) AS DOUBLE, Z() AS DOUBLE, RADIUS() AS DOUBLE,
COLR()
DECLARE SUB READSTATE0 (FILENAMES RADIUSO AS DOUBLE. COLRO AS INTEGER. X00 AS DOUBLE. Y0() AS DOU- المواصور المستحققات والمستحقة والمستحقق والمتعارض والمتواطن والمتواطن والمتواطن والمستحق المستحق والمتحدث ' Description: This routine is the display module for the colloidal ' Description: This routine is the display module for the colloidal DECLARE SUB GETHLENAME (FILENAMES, FILEPARS) DECLARE SUB GETFILENAME (FILENAMES, FILEPARS) DECLARE SUB LOADDATA (FILEPARS) DECLARE SUB LOADDATA (FILEPARS) **BLE)**
DECLARE SUB CLEARINFOBOX () DECLARE SUB CLEARINNBOX () DECLARE SUB DISPINFOBOX () DECLARE SUB DISPINFOBOX () DECLARE SUB DISPMAIN () DECLARE SUB DISPMAIN () 'File Name: CSSDISPBAS ' File Name: CSSDISPBAS Program Name: CSSDISP ' Program Name: CSSDISP ' Author: Peter T. Robinson ' Author: Peter T. Robinson 'Date: January 24, 1992 : Date: January 24. 1992 suspension simulator. ' suspension simulator. ' Revision History: : Outputs: None ' Inputs: None ' None

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DIM SHARED DOT AS INTEGER DIM SHARED DOT AS INTEGER

SINCLUDE: 'CSSCOM.INC' 'SINCLUDE: CSSCOM.INC ON ERROR GOTO ErrorHandler ON ERROR GO'IO ErrorHandler

the contract of Display the Main Screen ' Display the Main Screen

Obtain the filename where to read the data. ' Obtain the filename where to read the data.

IF FILENAMES = "QUIT" THEN RUN CSSMENUS E FILENAMES = "QUIT" THEN RUN CSSMENUS CALL GETTFILENAME(FILENAMES, FILEPARS) CALL GETFILENAME(FILENAMES, FILEPARS)

'Load the parameter file. ' Load the parameter file.

CALL LOADDATA (FILEPARS) CALL LOADDATA(FILEPARS) Determine the number of particles ' Determine the number of particles

NUMPART = PardnfoA.Number + PardnfoB.Number NUMPART = PartlnfoA.Number + PartlnfoBNumber NUMPART = PartinfoA.Number NUMPART = PartlnfoA.Number **ELSEIF Simulation = 2 THEN** ELSEE Simulation = 2 THEN IF Simulation = 1 THEN E Simulation = 1 THEN

DIM X(1 TO NUMPART) AS DOUBLE 'X position DIM X(1 TO NUMPART) AS DOUBLE ' X position

APPENDIX B

CSSDISP PROGRAM LISTINGS

DIM Y(1 TO NUMPART) AS DOUBLE 'Y postion DIM Z(1 TO NUMPART) AS DOUBLE ' Z postion DIM Y(l TO NUMPART) AS DOUBLE ' Y postion DIM Z(l TO NUMPART) AS DOUBLE ' Z postion DIM XO(1 TO NUMPART) AS DOUBLE 'X position DIM YO(1 TO NUMPART) AS DOUBLE 'Y postion DIM X0(l TO NUMPART) AS DOUBLE ' X position DIM ZO(1 TO NUMPART) AS DOUBLE ' Z postion DIM Y0(l TO NUMPART) AS DOUBLE ' Y postion DIM 200 TO NUMPART) AS DOUBLE ' Z postion DIM XOLD(1 TO NUMPART) AS DOUBLE ' OId X position
DIM YOLD(1 TO NUMPART) AS DOUBLE ' OId Y position
DIM ZOLD(1 TO NUMPART) AS DOUBLE ' OId Z postion DIM XOLD(l TO NUMPART) AS DOUBLE ' Old X position DIM YOLD(l TO NUMPART) AS DOUBLE ' Old Y postion DIM ZOLD(1 'IO NUMPART) AS DOUBLE ' Old Z postion DIM RADIUS(1 TO NUMPART) AS DOUBLE ' Particle color DIM RADIUSO '10 NUMPART) AS DOUBLE ' Particle color DIM COLR(1 TO NUMPART) AS INTEGER ' Particle color DIM COLR(1 TO NUMPART) AS INTEGER ' Particle color

Define constants and initialize variables. ' Define constants and initialize variables.

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 $REPLSPD&= \mathcal{D}$ UPARROW = 72
DOWNARROW = 80 DOWNARROW = 80 ESCAPE = 27 ENTER = 13 $SPACE = 32$ Pi# = 3.141592654# 'The value of Pi $P# = 3.1415926544$ ' The value of P $T# = T$ imeIncr AGAIN = 0 ' Equal to 0 if do not run again. $AGAIN = 0$ ' Equal to 0 if do not run again. ' Equal to 1 if run again.
DONE = 0 ' Equal to 1 if run again. FIRST=1 $CNT = 1$

XMAX = 510 'Maximum X screen coordinate. YMAX = 410 'Maximum Y screen coordinate. XMAX = 510 ' Maximum X screen coordinate. YMAX = 410 ' Maximum Y screen coordinate. YMIN = 20 'Minimum Y screen coordinate. YMIN = 20 ' Minimum Y screen coordinate. XMIN = 0 'Minimum X screen coordinate. XMIN = 0 ' Minimum X screen coordinate.

,我们的心里也不是一个人,我们的心里也不是不是**,我们的心里也不是不是不是,我们的心里也不是不是,我们的心里也不是**不是,我们的心里也不是不是,我们的心里也不是不是

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HOWE

IF BUTTONS <> ""THEN 'Test for key press. BUTTONS = UCASES(INKEYS)

 $Ky = ASC(RIGHTS(BUTTONS, 1))$

IF $Ky = 68$ THEN DOT = DOT *-1 PRINT USING "##"; REPLSPD&
BUTTON\$ = "" PRINT USING "##"; REPLSPD& IF Ky = DOWNARROW THEN REPLSPD& = REPLSPD& +1 $REPLSPD&=REPLSPD&-1$ IF $Ky = UPARROW$ THEN IF REPLSPD& > 20 THEN IF REPLSPD& < 0 THEN PRINT "Replay Speed: "; PRINT "Replay Speed: "; CASE DOWNARROW SELECT CASE Ky CASE UPARROW REPLSPD& = 20 $REPLSPD&=0$ CASE ESCAPE LOCATE 1,69 LOCATE 1, 55 LOCATE 1,69 LOCATE 1,55 CASE 68 'D COLOR₁₄ COLOR₁₅ COLOR₁₄ COLOR₁₅ $DONE = 1$ **END IF** END IF **END IF BEEP BEEP CNE.**

COLOR LWHITE $LWHTE = 15$ $\frac{4}{14}$ LWHITE = 15 YELLOW
WOLLEY

LOCATE 27, 3
PRINT ParlinfoA.ComName PRINT PartlnfoA.ComName CIRCLE (5, 422), 4, 15 CIRCLE (5. 422). 4. 15

LINE (184, 418)-(192, 426), 10, BF
END IF LINE (184. 418)—(192. 426). 10. BE = 2 THEN LOCATE 27, 26
PRINT ParInfoB.ComName LOCATE 27, 26
PRINT FiberInfo.ComName PRINT PartInfoB.ComName PRINT Fiberlnfo.ComName CIRCLE (188, 422), 4, 10 CIRCLE (188. 422). 4. 10 = 1 THEN ELSEIF Simulation IF Simulation

LINE (367, 419)-(375, 427), 1, BF LINE (367, 419)-(375, 427). 1. BF PRINT MediumInfol.ComName PRINT MediumInfol.ComName LOCATE 27, 49 LOCATE 27. 49

ELSEIF DYNNDL = 2 THEN ELSEIF DYNNDL = 3 THEN = 1 THEN LOCATE 3. 73 COLOR YELLOW ELSEIF DYNMDL PRINT "Acid/BS" ELSEIF DYNMDL PRINT "Random" PRINT "Random" LOCATE 3, 66
COLOR LWHITE PRINT "Model:"; COLOR LWHITE PRINT "DLVO" IF DYNMDL END IF

LOCATE 5, 66
COLOR LWHITE
PRINT "pH Level: ";
'LOCATE 5, 68

COLOR YELLOW
PRINT USING "##.#"; pHInfo! PRINT USING "##"; pHInfol

PRINT USING "###.##"; ZetaInfoA; PRINT USING "###;##"; ZetaInfoA; COLOR LWHITE
PRINT "Zeia(Pat. A): "; PRINT "Zeta(Part. A): "; LOCATE 8. 68 COLOR YELLOW LOCATE 7. 66 PRINT " mV"

PRINT USING "###.##"; ZetaInfoB; PRINT USING "###.##"; ZetaInfoF;
PRINT " mV" PRINT USING "###.##"; ZetaInfoB; PRINT USING "###.##"; ZetaInfoF; ELSEIF Simulation = 2 THEN COLOR LWHITE
PRINT "Zeta(Part. B): "; PRINT "Zeta(Part. B): "; = 1 THEN COLOR LWHITE
PRINT "Zeta(Fiber): "; PRINT "Zeta(Fiber): "; LOCATE 11. 68 LOCATE 11, 68
COLOR YELLOW COLOR YELLOW COLOR YELLOW ELSEIF Simulation LOCATE 10. 66 LOCATE 10. 66 PRINT " mV" IF Simulation END IF

LOCATE 13. 66 COLOR LWHITE
PRINT "Debye Length: " PRINT "Debye Length: " LOCATE 14, 66
COLOR YELLOW COLOR YELLOW 'PRINT USING 'M#.##"; **FRINT USING "########"; K
FRINT USING "########"; K**; PRINT USING "##.##^^^"; K; PRINT" 1/m"

LOCATE 16. 66

ENDIF

' Revision History:
'Nore None

والمستحدث والمتواد ومستحق والمستحق والمستحق والمستحق والمستحق والمتعارض والمتعادل والمتحدث والمتحدث والمتحدث والمتحدث

SINCLUDE: 'MENUPAR.INC' 'SINCLUDE: 'MENUPARJNC'

DONE=O DO

PRINT "Enter The Input File Name (With no File Extension): "; PRINT "Enter The Input File Name (With no File Extension): "; LOCATE 22, 5
COLOR YELLOW, CYAN **FILENAMES = BUFFERS** COLOR YELLOW. CYAN FILENAMES = BUFFERS CALL CLEARINFOBOX CALL CLEARINFOBOX COLOR WHITE, CYAN
LOCATE 22, 58
INPUT ; "", BUFFERS COLOR WHITE. CYAN CALL DISPINFOBOX CALL DISPINFOBOX INPUT ; '"'. BUFFERS BUFFERS = ""

MESSAGES = "File names must be eight characters or less."
LOCATE 21, 5
PRINT MESSAGES MESSAGES = " File names must be eight characters or less." MESSAGES = "Invalid File Name" MESSAGES = " Invalid File Name" IF LEN(FILENAMES) > 8 THEN E LEN(FILENAMES) > 8 THEN LOCATE 20, 5
PRINT MESSAGES PRINT MESSAGES PRINT MESSAGES FILENAMES = "" END E

IF FILENAMES = "QUIT" THEN STOP IF FILENAMES = "QUIT" TEEN STOP FILENAMES = FILENAMES + ".DAT" FILENAMES = FILENAMES + ".DAT" FILEPS = FILEPARS + CHRS(0)
CALL EXIST(FILEPS, FILEXISTS%) CALL EXIST(FILEPS. FILEXISTS%) FILEPARS = FILENAMES + ".PAR" FILEPARS = FILENAMES + ".PAR" FILEPS = FILEPARS + CHRS(0) IF FILENAMES <> ""THEN IF FILENAMES <> "" TEEN IF FILEXISTS% THEN IF FILEXISTS% THEN

LOCATE 23, 10

INPUT "Do You Wish To Quit? [N]: "; RS

LOOP WHILE UCASES(RS) = "Y" AND UCASES(RS) = "N" LOOP WHILE UCASES(RS) = "Y" AND UCASES(RS) = "N" LOCATE 23, 20
PRINT "The File: "; UCASES(FILEPS); " Does not exist" PRINT "The File: "; UCASES(FILEPS); " Does not exist" PRINT "No Data File found for "; UCASES(FILENS) PRINT "No Data File found for "; UCASES(FILENS) INPUT "Do You Wish To Quit? [N]: "; RS CALL EXIST(FILENS, FILEXIST%) CALL EXIST(FILENS. FILEXIST%) FILENS = FILENAMES + CHRS(0) FILENS = FILENAMES + CHRS(0) IF UCASES(R\$) = "Y" THEN
DONE = 1
FILENAMES = "QUIT" E UCASES(RS) = "Y" THEN DO
LOOP WHILE INKEYS = '''' DO
LOOP WHILE INKEYS = "" LOOP WHILE INKEYS = "" LOOP WHILE INKEYS = "" LOCATE 23. 18 ELSE
COLOR YELLOW, CYAN ELSE
COLOR YELLOW, CYAN COLOR YELLOW, CYAN COLOR YELLOW. CYAN COLOR YELLOW. CYAN FILENAMES = "QUIT" IF FILEXIST% THEN E FILEXIST% TEEN LOCATE 22. 50 DONE = 1 $RS = "N"$ R5 = "N" END E END E END E ELSE DO

END SUB

PRINT ""; LOCATE 23. 10 PRINT ""; END IF
LOOP WHILE (DONE = 0) LOOP WHILE (DONE = 0)

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CALL EXIST(TFILES, FILEXISTS%) CALL EXIST(TFILES. FILEXISTS%)

IF FILEXISTS% THEN IF FILEXISTS% THEN

OPEN TFILS FOR RANDOM ACCESS READ WRITE AS #1 OPEN TFILS FOR RANDOM ACCESS READ WRITE AS #1

**GET #1, 3, Medium

for #1, 3, Medium

for #1, 4, Electonfol

GET #1, 6, MENULVL

GET #1, 6, MENULVL

GET #1, 8, ZetanfoA

GET #1, 9, ZetanfoB

GET #1, 10, ZetanfoF

GET #1, 11, DYNMDL

GET #1, 13, Simulation

GET #1, 13,** GET #1. 3. MediumInfol GET #1. 4. Electrolnfol GET #1. ll. DYNMDL GET #1. 12. Simulation GET #1. 6. MENULVL GET#1, 1, PartlnfoA
GET#1, 2, PartlnfoB GET #1. 10. ZetaInfoF GET #1. l3. INITDAT GET #1. 8. ZetaInfoA GET #1, 14. Timelncr GET #1. 1. PartlnfoA GET #1. 9. ZetaInfoB GET #1. 2. PartlnfoB GET #1. 5. Fiberth GET #1. 7. pHInfol SCREEN 12 CLS

CLOSE #1 ELSE PRINT PRINT PRINT " CSS.EXE must be run first" END E

END SUB

APPENDIX C

CSSRUN PROGRAM LISTINGS

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DEFINT A-Z

Program Name: CSSRUN ' Program Name: CSSRUN

which is a construction of the second construction of the se

File Name: CSSRUN.BAS ' File Name: CSSRUNBAS Description: This routine reads input provided by the ' Description: This routine reads input provided by the

casmenu routine and performs the necessary ' cssrnenu routine and performs the necessary

ealculations used by the cssdisplay routine. : calculations used by the cssdisplay routine.

' Author: Peter T. Robinson ' Author: Peter T. Robinson

Date: January 24, 1992 ' Date: January 24. 1992

' Inputs: None

' Outputs: None

Revision History: ' Revision History: 142

' None

DECLARE SUB DISPMAIN ()
DECLARE SUB CHECKWALL (X#, Y#, XOLD#, YOLD#)
DECLARE SUB CHEARINFOBOX ()
DECLARE SUB DISPINFOBOX ()
DOUBLE, XOOT) AS DOUBLE, YOOT) AS DOUBLE, FX() AS DOUBLE, FX
AS DOUBLE)
DECLARE SUB GETFXFY (II, R

DECLARE SUB GETTILENAME (FILENAMES, FILEPARS) DECLARE SUB GETFILENAME (FILENAMES. FILEPARS) DECLARE SUB PRINTDATA (RECNUM, X() AS DOUBLE, DECLARE SUB PRINTDATA (RECNUM. X0 AS DOUBLE. K() AS DOUBLE, Y() AS DOUBLE, Z() AS DOUBLE, X0 AS DOUBLE, Y0 AS DOUBLE. Z0 AS DOUBLE. DECLARE SUB GETTIMELIMIT (TIMELIMIT) DECLARE SUB GETTIMELIMIT ('ITMELIMIT) DECLARE SUB PRINTHEADER (RECNUM%, DECLARE SUB PRINTHEADER (RECNUM%. RADIUS() AS DOUBLE, COLR%()) RADIUS() AS DOUBLE. COLR%0) Y() AS DOUBLE, Z() AS DOUBLE) DECLARE FUNCTION GAUSS# () Y0 AS DOUBLE. 20 AS DOUBLE) DECLARE FUNCTION GAUSS# 0 DECLARE FUNCTION SIGN% () DECLARE FUNCTION SIGN% ()

SINCLUDE: 'MENUPARINC' ' SINCLUDE: 'MENUPARINC' SINCLUDE: 'CSSCOM.INC' ' SINCLUDE: 'CSSCOMJNC'

ON ERROR GOTO ErrorHandler ON ERROR GOTO ErrorHandler RANDOMIZE (TIMER) RANDOMIZE (TIMER)

Display the Main Screen ' Display the Main Screen CALL DISPMAIN **CALL DISPMAIN**

' Obtain the filename where to write out the data. Obtain the filename where to write out the data.

IF FILENAMES = "QUIT" THEN RUN CSSMENUS E FILENAMES = "QUIT" THEN RUN CSSMENUS CALL GETFILENAME(FILENAMES, FILEPARS) CALL GETFILENAMEEILENAMES. FILEPARS)

Create the file FILENAMES ' Create the file FIIENAMES OPEN FILENAMES FOR OUTPUT AS #2 OPEN FILENAMES FOR OUTPUT AS #2

Transfer the data that was obtained through CSS.EXE ' Transfer the data that was obtained through CSS.EXE CALL TRANSDATA CALL TRANSDATA Calculate the Debye length,i.e. K ' Calculate the Debye length,i.e. K and the second contract of the second

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CSSRUN PROGRAM LISTINGS

APPENDIX C

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TAIT $CNT = 1$
XVAL! = 54!

DIM BOXX(1 TO NB) AS DOUBLE ' X positions for the initial

'particles.

DIM ROXY(1 TO NB) AS DOUBLE ' Y positions for the initial

'Equal to 1 if a box is taken. ۵

DIM SHARED MinDistvan DIM SHARED MinDistDbl DIM SHARED STATS DIM SHARED Pi#

Define constants and initialize variables.

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"

MeanB# = ParlinfoB.MeanDiameter / 2! MeanA# = PartInfoA.MeanDiameter / 2! SDevA# = ParlinfoA.SDevDiameter / 2! SDevB# = PartInfoB.SDevDiameter / 2!

MinDistvan = 10! 'The minimum distance to calculate the van der Waals force. MinDistDbl = 10! 'The minimum distance to calculate the DBL layer force. $BROWW = .5$ ' Brownian motion variable $STATS = -1$ 'Show statistics if equal to 1 Pi# = 3.141592654# 'The value of Pi $T# = T$ imelner

 $COUT = 0$

FOR $I = 1$ TO NB $TAXEN(I) = 0$ NEXT_I Define the possible coordinates (boxes) where the initial

particles will be placed.

YVAL! = 39.5 'Y location of the CNT box. $XVAL$: $=$ 54! $CNT = 1$

 $XYAL! = 54! YX location of the CNT box.$ BOXX(CNT) = XVAL! BOXY(CNT) = YVAL! $XYALI = XVAL1 + 3$ $YVAL$: $YVAL$: $+3$ $FORJ = 17015$ $CNT = CNT + 1$ $FOR1 = 1708$ NEXT_J NEXT_I

RANDOMIZE (TIMER)

the radius, density, volume, mass and initial velocity. For one to the number of particles, initialize

FOR I=1 TO NUMPART

 $RADIUS(1) = MeanBH + SDevB# * ABS(GAUSS#)$ $RADIUS(1) = MeanAt + SDevAt + ABS(GAUSS#)$ **YDOT(I)** = SIGN ***** RND ***** ParlnfoA.MaxVel
END IF XDOT(I) = SIGN * RND * ParlnfoB.MaxVel YDOT(I) = SIGN * RND * ParlnfoB.MaxVel XDOT(I) = SIGN * RND * ParlinfoA.MaxVel IF I > PartInfoA.Number THEN $DENS(I) = PartInfoA. Density$ $DENS(I) = Partin 6B. Density$ ELSE

'Used For Diagnostics

PRESSS = UCASES(INKEYS)

IF I <= ParlInfoA.Number THEN

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ELSE

ENDE

RUN CSSMENUS

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RUN CSSMENUS

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FRAME%=1

V%, RCOL%, BROW%, LABEL\$,
(3E%) CALL MAKEWINDOW(LCOL%. TROW%. RCOL%. BROW%. LABELS. FRAME%. TYP%. FORE%. BACK%. PAGE%)

 $(2! * P_H * U2#)$ $GAV = SQR(-2! * D) * (CUSC0 * D) * P$

LEPARS) SUB GETFILENANE (FILENAMES. FILEPARS)

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DONE=0 DO

PRINT "Enter The Output File Name (With no File Extension): "; PRINT "Enter The Output File Name (With no File Extension): "; LOCATE 22, 5
COLOR YELLOW, CYAN COLOR YELLOW. CYAN = BUFFERS CALL CLEARINFOBOX COLOR WHITE, CYAN
LOCATE 22, 58
INPUT ; "", BUFFER\$ COLOR WHITE. CYAN CALL DISPINFOBOX CALL DISPINFOBOX INPUT ; "". BUFFERS $\frac{1}{\pi}$ " FILENAMES BUFFERS

ELEN(FIL.ENAMES) IF LEN(FILENAMES) > 8 THEN MESSAGES = "Invalid File Name" = " Invalid File Name" LOCATE 20, 5
PRINT MESSAGES PRINT MESSAGES MESSAGES = "File names must be eight characters or less." $=$ " File names must be eight characters or less." LOCATE 21, 5
PRINT MESSAGE**S** PRINT MESSAGES FILENAMES $\frac{1}{\pi}$ END E

ENDINAMES CONTINUES IF FILENAMES \sim "" THEN
IF FILENAMES = "QUIT" THEN STOP = "QUIT" TEEN STOP FILEPARS = FILENAMES + ".PAR" FILENAMES = FILENAMES + ".DAT" **DONE** $\overline{1}$ ELSE
COLOR YELLOW, CYAN COLOR YELLOW. CYAN $\boldsymbol{\mathbf{z}}$ = "N" DO LOCATE 23. 10 INPUT "Do You Wish To Quit? [N]: "; RS LOOP WHILE UCASES(RS) = "Y" AND UCASES(RS) INPUT "Do You Wish To Quit? [N]: "; R\$
LOOP WHILE UCASES(R\$) = "Y" AND UCASES(R\$) = "N" E UCASES(RS) = "Y" TEEN

DONE $\overline{1}$ FILENAMES = "QUIT" END E LOCATE 22. 50 PRINT ""; LOCATE 23. 10 PRINT ""; END E LOOP WHILE (DONE LOOP WHILE (DONE = 0)

END SUB

SUB GETFXFY (II, RADIUS() AS DOUBLE, X() AS DOUBLE, Y() AS DOUBLE, XDOTO AS DOUBLE, YDOTO AS DOUBLE, FXO AS DOUBLE, FYO AS DOU-SUB GETFXFY (II. RADIUS() AS DOUBLE. X0 AS DOUBLE. Y0 AS DOUBLE. XDO'T0 AS DOUBLE. YDOT() AS DOUBLE. FX() AS DOUBLE. FY() AS DOU- BLE) BLE)

 $\begin{array}{c} \begin{array}{c} \begin{array}{c} \end{array} \\ \end{array} \end{array}$ Program Name: GETFXFY : Program Name: GETFXFY

<u> 1999 - John Amerikaanse verschieden in de staatstelling in de staatstelling van de staatstelling van de staats</u>

' Description:

'Author: Peter T. Robinson ' Author: Peter T. Robinson

' Date:

' Inputs: None

' Outputs: None

' Revision History:

' Revision History:
'None

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LOCATE LL. 10
PRINT WIPES

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BUFFERS = ""

LOCATE 22, 5
PRINT "Enter The Number of Frames to be Calculated: "; PRINT "Enter The Number of Frames to be Calculated: "; BUFFERS = "" IF BUFFERS <> ""THEN ' E BUFFERS <> "" TEEN COLOR YELLOW. CYAN TEMPBUFS = BUFFERS COLOR WHITE, CYAN
LOCATE 22, 50
INPUT ; "", BUFFERS TEMPBUFS = BUFFERS COLOR WEIITE. CYAN INPUT ; "". BUFFERS DO

BUFFERI = VAL(BUFFER\$) BUFFER! = VAL(BUFFERS)

LOOP WHILE UCASES(RS) = "Y" AND UCASES(RS) = "N"
IF UCASES(RS) = "Y" THEN
VALID = 1 PRINT "Valid input is an integer number between 1 and 30,000" PRINT "Valid input is an integer number between 1 and 30,000"
LOCATE 22, 50 INPUT "Do You Wish To Quit? [N]: "; R\$
LOOP WHILE UCASES(RS) = "Y" AND UCASES(RS) = "N"
IF UCASES(RS) = "Y" THEN IF BUFFER! > 0 AND BUFFER! <= 30000 THEN E BUFFER! > 0 AND BUFFER! <= 30000 TEEN TIMELIMIT = BUFFER!
VALID = 1
ELSEIF BUFFER! = 0 OR BUFFER\$ = "" THEN ELSEE BUFFER! = 0 OR BUFFERS = "" TEEN COLOR YELLOW. CYAN LOCATE 23, 10
INPUT "Do You Wish To Quit? [N]: "; R\$ COLOR YELLOW, CYAN
RS = "N" LOCATE 23. 10 COLOR YELLOW. CYAN TTMELIMIT = BUFFER! LOCATE 22. 50 LOCATE 23. 10 LOCATE 22, 50
PRINT " "; PRINT["]; PRINT ""; $OUT = 1$ END E ELSE 8

 COLOR WHITE, BLUE
LOCATE 10, 5
PRINT "Number of Frames to be Generated: " PRINT "Number of Frames to be Generated: " PRINT USING "******"; TIMELIMIT PRINT USING "WWWW"; TIMELIMIT LOCATE 10. 39 'END FF
LOOP UNTIL VALID = 1 Author: Peter T. Robinson COLOR YELLOW. BLUE CALL CLEARINFOBOX
END IF ' Author: Peter T. Robinson LOOPUNTILVALID=1 CALL CLEARINFOBOX Program Name: KAPPA COLOR WHITE. BLUE : Program Name: KAPPA **IF QUIT <> I THEN** E QUIT <> 1 TEEN ' Description: 'VALID=1 SUB KAPPA END SUB ENDE 'ELSE

' Date:

' Inputs: None

: Outputs: None

' Revision History:

' None

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 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2.$

 $\label{eq:2.1} \frac{1}{2} \sum_{i=1}^n \frac{1}{2} \sum_{j=1}^n \frac{$

SUB TRANSDATA SUB TRANSDATA

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 $\label{eq:2.1} \mathcal{L}(\mathcal{L}^{\text{max}}_{\mathcal{L}}(\mathcal{L}^{\text{max}}_{\mathcal{L}})) \leq \mathcal{L}(\mathcal{L}^{\text{max}}_{\mathcal{L}}(\mathcal{L}^{\text{max}}_{\mathcal{L}}))$

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PUT #1. 1, PartlnfoA PUT#1, 2, PartlnfoB PUT #1. 3. MediumInfol PUT #1, 4. ElectroInfol PUT #1, 5. Fiberlnfo PUT #1. 6. MENULVL PUT #1. 7, pEIInfol PUT #1. 8. ZetaInfoA PUT #1, 9, ZetaInfoB PUT#1, 10. ZetaInfoF PUT #1, 11. DYNMDL PUT #1, 12, Simulation PUT #1, 13. INITDAT PUT #1. 14. TuneIncr PUT #1, 1, PartinfoA

PUT #1, 2, Partinfo1

PUT #1, 3, Mediuminfo1

PUT #1, 3, Helertonfo1

PUT #1, 5, NENULVL

PUT #1, 6, MENULVL

PUT #1, 8, ZetahnfoA

PUT #1, 9, ZetahnfoB

PUT #1, 10, ZetahnfoB

PUT #1, 11, DYNMDL

PU CLOSE #1

END SUB

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