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DIGITAL TERRAIN ANALYSIS AND SIMULATION MODELING TO ASSESS SPATIAL VARIABILITY OF SOIL WATER BALANCE AND CROP PRODUCTION

presented by

Bruno Basso

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DIGITAL TERRAIN ANALYSIS AND SIMULATION MODELING TO ASSESS SPATIAL VARIABILITY OF SOIL WATER BALANCE AND CROP PRODUCTION

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By

Bruno Basso

A DISSERTATION

Submitted to Michigan State University in partial fulfillment of the requirements for the degree of

DOCTOR OF PHILOSOPHY

Department of Crop and Soil Sciences

2000

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ABSTRACT

DIGITAL TERRAIN ANALYSIS AND SIMULATION MODELING TO ASSESS SPATIAL VARIABILITY OF SOIL WATER BALANCE AND CROP PRODUCTION

By

Bruno Basso

Terrain characteristics and landscape position control soil physical properties. They often modify environmentally sensitive processes such as leaching, erosion and sedimentation, as well as dynamic factors affecting crop production. The likelihood of soils becoming saturated increases at the base of slopes and in the depression where there is a convergence of both surface and subsurface flow. The objective of this study was to combine a conventional, one-dimensional soil water balance model with a terrain analysis model to evaluate the hydrological and agricultural processes occurring on sloping land surfaces. A new digital terrain model, TERRAE-SALUS was developed to study and model how the terrain affects the vertical and lateral movement of water occurring on the land surface and in the shallow, subsurface regimes. This study evaluated the capability of TERRAE-SALUS applied at ^a field scale with rolling terrain where the soil water content was measured. The model was able to partition the landscape into an interconnected series of element network from ^a grid DEM. TERRAE-SALUS was evaluated using three different scenarios to gain a better understanding of the factors affecting the runoff-runon processes. The high elevation point consistently showed lower water contents compared to the upper and lower saddles and depressions. The subsurface lateral flow was highest on the saddles between two peaks, indicating the

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correct performance of the model in predicting the contribution of water from the elements located on the peaks. The RMSE between measured and simulated soil water content varied from 0.22 cm to 0.68 cm. A second experiment was carried out applying the crop simulation model CROPGRO in combination with remote sensing data to evaluate the ability of the model to identify factors responsible for the yield variation in a spatially variable landscape. Results from this study showed that the combination of crop simulation modeling and remote sensing can identify management zones and causes for yield variability, which are prerequisites for zone-specific management prescription.

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To my family, my friends, and my love Valentina!

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I made many friends during my stay at MSU, and the friendship with some of them will last forever. Brian Bear is one of them; I cannot ever thank him enough for his friendship and help. Thanks Brian! A very special friend that I would like to thank for his friendship, help and support is EdMartin. . Ed and I had many memorable conversations enjoying cappuccino together. Grazie fratello!

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Last, but not least, my deepest gratitude goes to my parents, Francesco and Angela, and my **brothers**, Giovanni and Claudio, for their love and support. I gratefully thank Valentina for her love and my friends in Napoli for their inestimable friendship.

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CHAPTER ^I

INTRODUCTION

1.1. Background and Rationale

Most demographers agree that almost 800 million people of the world's population today are chronically malnourished. In the developing nations, poverty presents increasing challenges; it occurs in more advanced countries as well. As the global population increases, the demand for food expands, with a growing diversity in diets. As a result of population pressure, the world's finite resources are taxed to the limits by those same people whose existence depends on them. The World Resources Institute (1992) estimates that there are about a billion people, roughly one in every five, who must survive on less than the equivalent of one US dollar per day. Equally alarming is the deteriorating condition of the natural resources that underpin our current agricultural production systems. We are now witnessing a never-before-seen rate of increase in the World population; nearly 200 new residents are added to this crowded planet every minute. Moreover, global food stocks, as a percent of utilization, are at their lowest level since we began keeping such records.

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A report by the World Resources Institute (1992) presents data that clearly show the world is heading for an uncertain future if present trends in population growth, land degradation, and water and atmospheric pollution continues unabated. In the past 50 years alone, an equivalent to almost 11 percent of the Earth's vegetated surface (1.2 billion hectares) has had its capacity to support productive forest and agricultural systems impaired through human-induced soil degradation. This degradation has resulted mainly from soil loss by erosion and from chemical and physical deterioration caused by overgrazing, deforestation, and inappropriate agricultural practices. Many of the same activities that have degraded soil resources have diminished the quality and availability of freshwater resources as well. Clearly, the long-term productivity of soil and water resources is in jeopardy. According to Rosensweigh and Hillel (1998) almost five billion hectares of land globally have been degraded in the past half century.

Solving the poverty problem and, thus the food insecurity problem in developing countries requires rapid increases in food production, income, and employment. According to the United Nations, agricultural production-the engine of the development and the key to alleviating poverty-must be tripled within the next 50 years, and the people must have the income to buy it. The erosion of the natural resource base must be halted and then reversed. If the environmental degradation is to be curtailed, and if the food demands of a growing human population are to be met, agricultural land management PraCtices that sustain and enhance the long-term productivity of the natural resource base must be implemented. Successful implementation of these practices, referred to as sustainable land management (IBSRAM, 1991), will require quantitative evaluation of the factors that determine whether an agricultural system is sustainable or unsustainable.

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Only by identifying and measuring these factors will it become possible to evaluate the long-term performance of a given management practice. This, however, is not an easy task. The issue of what constitutes sustainable land management is complex and transcends concerns of a physical-chemical-biological nature to include socio-economic, cultural, and political concerns. Because of this complexity, a land management practice found to be sustainable at one site might not be equally sustainable at another site.

The goal of agricultural research is to improve agricultural productivity and sustainability by increasing crop yields and by using inputs (water, fertilizer, labor, and farm machinery) more efficiently and at less cost to the farmer and the environment. Results from scientific research based on a single discipline are site specific and time and weather dependent, and they often require many experiments at different locations over several years. $\mathbf{W}\mathbf{e}$ are inundated with information regarding site-specific crop yield and factors that affect them. Climatically driven crop growth simulation models which quantify water and soil nutrient processes, integrate experimental results and knowledge from various disciplines to transfer the scientific knowledge to other sites and other years. These models offer predictions and recommendations independent of location, season, crop, cultivar, and management. Crop growth simulation models are increasingly used to support field research, extension, and teaching. The number of costly, multi-treatment, time-consuming field trails can be substantially reduced by crop simulation as crop models can quantify the magnitude and variability in response to treatments (Ritchie et al., 1989; Ritchie 1991; Jones and Ritchie, 1991). From 1970, when computers became easily available to help us deal with the complexity of crops, crop simulation modeling

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developed rapidly. Two distinct types of models emerged: one was essentially practical, and combined simple relationships and rules of thumb to predict the behavior of crops. The other was seemingly scientific in spirit, and sought to represent the biological and physiological processes thought to occur in plants and their environments (Passioura, 1996). These two approaches correspond to what Addiscott and Wagenet (1985) termed functional and mechanistic in their analysis of leaching models.

Mechanistic models incorporate most fundamental mechanisms of the processes that are involved as currently understood. For example, soil water flow would be modeled using Darcy's Law, and solute transport would involve mass flow and diffusion-dispersion. Because of the large amount of input information and the uncertainty of some assumptions, mechanistic models are usually not used by those other than their developers. For this reason, mechanistic models are seldom used for problem solving except for academic purposes.

Functional models, on the other hand, represent the same processes but use simplified ways to model them. These types of models may be able to express a process as accurately as mechanistic models, although they use less input data and require much less calculation. Because of that, they can usually be used by those others than the developers without much difficulty. The best functional models might be thought of as containing rational empiricism to express rather complex relationships. The well-established CERES family of crop models (Ritchie et al., 1985) is predominantly functional rather than mechanistic, as a matter of fact they are built with the minimum data set concept (Nix, 1983). This minimum data set consists of information on weather, soil, crop genetic and

- management. Th model for several strategic planning analysis, and defin particular cultivar and development plant growth and t of the total produc deficits on grow th growth and long-to consequences of g The soil water bala soil and plant wate. leashing to the grou establishing how m gavity, and how m soil layer can decre
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management. The CERES models were developed to provide users with an operational model for several purposes: assistance with farm decision making, risk analysis for strategic planning, within-year management decisions, large area yield forecasting, policy analysis, and definition of research needs. Models can predict the performance of a particular cultivar sown at any time, on any soil, in any climate. They estimate the growth and development of the crop, including the duration of each stage of growth, the rate of plant growth and they calculate the part of growth that becomes the economic component of the total production (Ritchie and NeSmith, 1991), the impact of soil water and nitrogen deficits on growth and development. Simulation models that accurately describe crop growth and long-term soil processes are also increasingly valuable tools for studying the consequences of global climate change (Adams et al., 1990).

The soil water balance is calculated to evaluate the possible yield reduction caused by soil and plant water deficits, and the environmental impact of nutrients and pesticides $16a$ ching to the groundwater. The soil water balance model requires inputs for establishing how much water the soil will hold by capillarity, how much will drain out by gfaVitY. and how much is available for root uptake (Ritchie, 1985). Water content in any soil layer can decrease by soil evaporation, root absorption, or flow to adjacent layers. The limits to which water can increase or decrease are input (volumetric fraction) for each soil layer as the lower limit (LL) of plant water availability, the limit where capillary forces are greater than gravity forces, the drained upper limit (DUL), and for field saturation (SAT). The values used for these limits must be appropriate to the soil in the field, and accurate values are quite important in situations where the water input

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supply is marginal (Ritchie, 1981). Determinations of these soil water extraction limits have been described in Ritchie et al., (1986), Ritchie and Crum (1989), Ritchie et al., (1999).

The CERES family models have proven to be effective in simulating the water balance of soils when the drainage is vertical, often an unrealistic assumption. Runoff produced by such models is only from a point in space and there is no account for the water over space and tirme. To use such models for erosion estimates and for poorly drained, sloping terrain, the spatial and temporal relationship between various hydrological processes must be addressed.

There are three main mechanisms that produce storm runoff: saturation overland flow that occurs when a rising water table intersects the soil surface, generating exfiltration; Hortoni an overland flow that occurs when the rainfall intensity exceeds the infiltration rate of the soil; and subsurface flow in which water flows laterally through a highly conductive soil profile (Horton, 1933; Dunne, 1970, 1983). These mechanisms are part of a continuum of processes and may operate singularly, but more often in combination (Freeze, 1972). In the case of saturation overland flow and Hortonian overland flow, Precipitation falling directly on the saturated zone at the soil surface produces surface runoff or overland flow. These saturated areas may occupy only a portion of a catchment and may vary in size depending upon soil properties such as saturated hydraulic conductivity, organic content, depth to restricting soil layers, antecedent soil water content, and topography. The Hortonian mechanism of runoff generation is most

important in ser occurs. Many hydrologi nature of natural hydrologic proce hydrologic and e power of these m at the catchment vanation of inflow topographic conve a major impact on The terrain often n and sedimentation acounting for the possible. Terrain: stomorphological between processes D_{i} gital Elevation topographic attrib the spatial distribut format consisting

important in semiarid and desert areas, and on agricultural land when surface sealing occurs.

Many hydrologic and water quality models crudely represent the three-dimensional nature of natural landscapes and therefore crudely represent spatially distributed hydrologic processes. As transport modeling becomes increasingly important in hydrologic and environmental assessment, this becomes a limiting factor in the predictive power of these models. Not only do we need to know the temporal variation in discharge at the catchment outlet, we also need to be able to accurately predict the temporal Variati on of inflow depths and flow velocities throughout the catchment. The effect of topographic convergence and divergence on flow characteristics in natural landscapes has a majo $\mathbf r$ impact on the values of hydrologic variables (Moore and Grayson, 1991).

The terrain often modifies environmental sensitive processes such as leaching, erosion and sedimentation as well as dynamics factors affecting crop production. Without accounting for the terrain characteristics, accurate prediction of water quality is not POSSible. Terrain analysis is becoming increasingly important in the hydrological, geomorphological and ecological sciences for examining the spatial relationships between processes occurring on the land surface and the shallow subsurface regime. Digital Elevation Models (DEMs) provide the basic data for characterizing the topographic attributes of landscapes. A Digital Terrain Model (DTM), instead, includes the spatial distribution of terrain attributes. A DTM is ^a topographic map in digital format, consisting not only of ^a DEM, but also the type of land use, settlements, types of

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drainage lines and so on. They are a major constituents of geographical information processing. DTMs help to model, analyze and display phenomena related to topography. Algorithms have been developed to estimate slope gradient, plan curvature, profile curvature, aspect direction, specific catchment area, and a variety of surface drainage proximity variables from the DTMs (Moore et al., 1993; Bell et al., 1994).

For closer correspondence in scale between model predictions and measurements, there is a need of partitioning landscapes into small areas where the hydrological processes, and the soil and topographic characteristics can be considered uniform or at least can be characterized by simple relationships.

1.2. Hypothesis

The overall hypothesis of this study is that terrain characteristics and landscape position control soil physical properties through organic matter accumulation and formation of soil horizon and soil structure, which highly influence the soil water balance. Landscape POSitiOn also determines how much precipitation infiltrates into the soil profile because it regulates how long water can pond on the surface, as well as how much can pond before it infiltrates or runs off to other areas in the landscape. Hortonian overland flow and lateral subsurface flow of water are most likely to be significant on the backslope, adding Water to soils in toeslope position. Thus, soil water is influenced by the terrain characteristics due to the effect of runoff-runon processes.

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In this study, it is also hypothesized that the partitioning between vertical and lateral movement at a catchment level will help us to better predict the complete water balance and consequently the available water for the plants over space and time. Plants derive water from soil through their roots in an attempt to maintain a favorable hydraulic balance. Accurate evaluation of available soil water reservoir is vital to developing optimum management for rainfed crop production. However, the soil water reservoir is not like a bucket. Some water may percolate down out of the root zone under the influence of gravity. All water remaining in the root zone reservoir cannot be taken up by the plants as rapidly as needed because it is held too tightly by cohesive and adsoprtive forces in soil.

Water infiltrating into the soil profile moves vertically and laterally. The subsurface lateral movement occurs when a low conductivity soil profile or shallow water table are present. This restriction in the soil forces the water to move laterally and if the rainfall intensity exceeds the infiltration rate an overland flow occurs, increasing runoff and consequently causing erosion problems. The horizontal movement of water varies with the soil properties and with the terrain attributes. Accurate prediction of the terrain characteristic will lead us to a better prediction of the water balance and water quality. Factors affecting both crop production and environmental sensitivity vary in both space and time. Topographic convergence and divergence of water flow characteristics in natural landscapes have a major impact on the values of hydraulic variables.

The combination of crop growth models and DTM will enable us to predict the movement of water over space and time at a catchment level and will provide a greater understanding of the environmental sensitive processes as well as dynamic factors affecting crop production.

1.3. Objective

The objective of this study is to combine a conventional one-dimensional soil water balance model with more realistic terrain analysis to evaluate the hydrological and agricultural processes occurring on a sloping land surface.

A new digital terrain model, TERRAE-SALUS, was developed to study and model how the terrain affects the vertical and lateral movement of water occurring on the land surface and in the shallow, subsurface regime, where a shallow water table or a low conductivity soil layer may exist.

The thesis is constructed as follows:

Chapter 2 comprehensively reviews studies pertaining to soil water balance modeling, the development of digital terrain analysis, topographic attributes derived from digital elevation models and terrain-based hydrological modeling;

Chapter 3 presents TERRAE-SALUS: the new element network for deriving flow lines and for modeling the spatial variability of the soil spatial water balance;

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Chapter 4 describes the application of TERRAE-SALUS at agricultural field scale in Durand, Michigan, USA to test the hypothesis of this research;

Chapter 5 describes and evaluate the application of crop models and remote sensing to identify the factors responsible for the spatial variability of crop production in a precision agriculture context;

Chapter 6 gives conclusions and implications of results from this dissertation.

Agricultural ecosystems are very complex entities. The scope of this thesis is not to simplify the complexity of nature but to be able to explore and explain how complex relationships occurring on the dynamic environment can be described and transferred to other sites where the need for such understanding is highly beneficial. Technology and advances in research should be applied to properly manage the natural resources that are in jeopardy.

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CHAPTER II

LITERATURE REVIEW

This chapter reviews the finding of other scientists that have studied problems related to soil water balance, hydrological modeling and the use of digital terrain analysis for assessing appropriate management strategies of natural resources in agricultural sciences. The literature review is divided in four sections. Section 2.1 discusses previous attempts for soil water balance modeling. Section 2.2. describes Digital Terrain Analysis (DTA), its applications in environmental modeling and the topographic attributes derived from Digital Elevation Models (DEMs). Studies pertaining to hydrological modeling and GISrelated application are presented in section 2.3.

2.1. Soil Water Balance Modeling

More than 99% of the water on earth is salty and the remaining fresh water is unevenly distributed. Humid regions have an abundance of it, so that frequently the problem is how to dispose of excess water. Arid and semiarid regions, on the other hand, are afflicted with a chronic shortage of it; and in some areas of arid regions, fresh is water is so limited that life is unbearable. Indeed, of all the major physico-chemical resources needed

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by plants, water is the most limiting factor. The temporal variation in the supply of soil water from precipitation, and the spatial variability in the soil factors affecting soil water reservoir affect crop productivity and create a risky environment for growing crops. Because of the difficulty in obtaining long-term variability in yield, computer simulation models of the soil water balance and crop growth are necessary for agricultural scientists to interpret long-term productivity.

Factors affecting the soil water balance have been exploited by several researchers. Ritchie (1972) developed a program to separate soil evaporation from plant evaporation in his model for calculating the daily evaporation rate from a crop surface with incomplete cover. The model provided close agreements between the simulated evaporation and the evaporation measured in the field using a weighing lysimeter in a grain sorghum plot. Richardson and Ritchie (1973) evaluated the soil water balance model at a watershed scale to study the effect of soil water content on runoff. The total soil water content was predicted accurately by substituting the simulated runoff needed in the equation with the runoff measurements available in the study.

In 1985, Ritchie presented a model of the soil water balance that estimates the daily change in the storage capacity (ΔS) of the profile. This soil water balance model (SWBM), commonly called the Ritchie model, is ^a major component of the CERES (Crop Estimation through Resource and Environmental Synthesis) family of crop-soilatmosphere models which are used in the Decision Support System for Agrotechnology Transfer (IBSNAT, 1986, Hoogenboom, 1998). Ritchie (1987) and Kovac's et al. (1995)

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used the Ritchie soil water balance to simulate nitrate leaching. The model proved to be applicable for simulating the downward flow to the groundwater. Gerakis and Ritchie (1998) used the SWBM in the simulation of atrazine leaching and concluded that it was able to closely simulate the soil water content at three depths (13 cm., 26 cm., and 67 cm).

Yates (1996) presented ^a water balance model (WatBal) that used the Priestly-Taylor (1972) equation to estimate potential evaporation. The WatBal model was used to assess the potential impact of climate change on a river basin runoff. The model required intense calibration using test data sets, a major limitation for interpreting the results outside the study area. Physically based models, like Ritchie (1972) are more adaptable to a GISbased modeling environment because there is little needed calibration for individual sites and regions.

Shanhoultz and Younos (1994) used a water balance approach to study the influence of tillage practices on soil water. In this study, evaporation was estimated with a model based on field measurements of pan evaporation. Results of this model were reported only for the years when the measurements were available, making the model's usefulness limited.

Soil water balance models can be stand-alone models as well as components of other larger models and their validation is often done through their evaluation. As matter of fact, there is extensive literature on the application and validation at different scales of

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the water balance components of the DSSAT models as well as other crop growth models. Diercks et al. (1988) used ^a soil water balance model (SWATRE) developed by Feddes et al. (1978) in conjunction with SUCROS crop model to estimate soil water content and crop yields under different irrigation strategies. This water balance approach used Ritchie (1972) model parameters. The model provided satisfactory results for both soil water and yield data. Gabrielle et al. (1995) evaluated the components of Ritchie's water balance at a field scale. The model was tested against field data collected from various pedoclimatic regimes in France. The authors modified the drainage coefficient and a more accurate prediction of the soil water storage and surface water content was achieved. This was confirmed by comparing the model output against independent data from bare or maize (Zea mays L.) cropped conditions and for silt loam or sandy loam soils and compared the modified version of the model with the original one. Results from this study concluded that the original water balance model preformed accurately in sandy soil, while the accuracy of the simulations performed with the modified model fell within the experimental error in the measurements for silty-loam soils. Maraux and Lafolie (1998) tested the ability of ^a model, mechanistic with respect to soil-water flow and empirical for soil-plant and plant-atmosphere interactions, to predict soil-water balance components for long periods of time when input parameters are measured or estimated independently. A data set gathered in Nicaragua during several months was used for this purpose. Soil hydraulic properties were measured independently and parameters taken from the literature were used for plant processes modeling. The model predicted reasonably well the soil-water balance for maize (Zea mays L.) sorghum [Sorghum bicolor (L.) Merr.] sequence and for a grass sod. Singh et al., (1999) used Ritchie's

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model for long-term simulation of the water balance in a soybean-chickpea rotation on a Vertic Inceptisols. The authors observed that the simulated results were fairly close to the observed patterns.

The soil water balance models discussed have proven to be effective in simulating the water balance of soils when the drainage is vertical, often an unrealistic assumption. To use such models for erosion estimates, for a poorly drained soil in a sloping terrain, it is necessary to address the spatial and temporal relationships between the various hydrological processes occurring on the landscape. Terrain analysis is becoming increasingly important in the hydrological, geomorphological and ecological sciences for examining the spatial relationship between processes occurring on the land surface and the shallow subsurface regime.

2.2. Digital Terrain Analysis

Terrain analysis is the quantitative analysis of topographic surfaces. The purpose of a digital terrain system is the digital representation of terrain so that "real world" problems may be approached accurately and efficiently through automated means. Most attempts at modeling landscapes have been unsuccessful because the landscape was either looked at in little detail or the landscape was considered in two dimensions (Hall and Olson, 1991). Three-dimensional data patterns have a very high information content and can be a powerful vehicle for conveying essential landscape surface information.

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2.2.]. Digital Elevation Model

There is a long history of studying landscape surfaces and an abundant knowledge and technology to measure topographic attributes have been developed. Digital Elevation Models are the source of the primary data used as a source of topographic surfaces information alone (Pike, 1988), for landscape modeling (Moore et al., 1991, 1993) as data layers in a GIS (Wiebel and Heller, 1991) and as ancillary data in remote sensing image analysis (Franklin, 1991). In principle, a digital elevation model (DEM) describes the elevation of any point in ^a given area in digital format. A discrete representation of ^a spatially continuous surface is merely a sample of values from the continuous surface. The sample is a finite set of spatial points with definite value (x, y, z) in a given

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coordinate system. A continuous surface has an infinite number of points that could be sampled to precisely represent the surface. Sampling the infinite points of the continuous surface is impractical and unnecessary; indeed a sampling method is used to extract representative points to build a surface model that approximate the actual continuous surface. A discrete sampling set of ^a continuous surface can still retain the continuity if it is generated from the original surface by following certain sampling procedure. ESRI (1993b) stated that a discrete surface model should:

- accurately represent the surface;
- minimize data storage requirements;
- maximize data handling efficiency;

The type of spatial surface dictates the representation and sampling method of the surface. No matter how smooth the landscape surface appears, it is not ^a mathematical surface, and cannot be represented using ^a single mathematical function. A landscape surface is a very particular continuous surface but no single mathematical function can be used to describe it. It is a product of the composition of many geological processes (faulting, erosion, and sedimentation). Geological young terrains typically have sharp ridges and valleys, in contrast to older terrains which have been smoothed by prolonged exposure to erosional forces (ERSI, 1993b).

There are three principal ways used to represent a surface in digital form: contour lines, arrays of equally spaced sample points, and irregularly spaced sample points (ESRI,

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l993b). The Vector or Contour line model describes the elevation of terrain by contours (stored as Digital Line Graphs, DGLs), the x,y coordinate pairs along each contour of specified elevation. Vector DEMs are based on the most common form of elevation data storage, the topographic map. Topographic maps are prepared directly from aerial photographs or field surveys so the information has undergone the minimum of manipulation, therefore minimizing errors. In the digital contour structure the elevation is recorded only once per contour string.

The most popular way to represent a surface is an array of equally spaced sample points. The surface is represented by a "regular grid", or matrix, of elevation values. Gridded elevation models can be distributed as simple matrices of elevation, with the location of a single point and the grid spacing, implying the horizontal locations of all other points. Carter (1988) describes the methodologies for the digital representation of topographic surfaces. Topographic surfaces are non-stationary, more specifically, the roughness of the terrain is not periodic but changes from one land type to another. A regular grid therefore has to be adjusted to the roughest terrain in the model and be highly redundant in smooth terrain. It is apparent that, if one has to model these non-stationary surfaces accurately and efficiently, one must use a method that adapts to this variation. In response to this problem the Triangulated Irregular Network (TINs) was created. TINs are based on "coordinate random" but "surface specific" sample points. The location of these models would be dictated solely by the surface being modeled. By "surface specific" it is meant that they would be clustered in those regions of maximum roughness. In its most common form, the TIN is a set of irregularly spaced points connected into a network of

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edges that form space-filling, non-overlapping triangles. The points are usually connected according to a Delaunay triangulation, a procedure that joins the centers neighboring Thiessen polygons (Delaunay, 1934; Thiesse 1911). The facets are usually assumed to be planar. The irregular nature of the TIN has many advantages and disadvantages. The primary advantage is variable resolution: a TIN can include many points where the surface is rugged and changing rapidly, but at the same time, only a few points in areas where the surface is relatively uniform. Another significant advantage is the ability to include important surface points (peaks, pits, passes, road and stream intersections, points along ridges and drains) at their exact locations (due to the precision of the coordinate storage). These advantages are countered by complexities in storage and manipulation. Unlike a regular grid, which provides an implicit neighborhood through the mechanism of the matrix, a TIN system would have to include this neighborhood explicitly (Peucker et al., 1975). Indeed, the location of every point in a TIN must be specified in the x,y, and 2 dimensions, as well as the topology of the points (the edges and adjacencies of the triangles). An intensive comparison between these three structures, together with applications of terrain analysis methods based on these structures for calculating topographic attributes and terrain-based indices of a variety of hydrological, geomorphological and biological processes is discussed by Kumler (1990) and Moore et al., (1991).
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In principle, any data that contains the elevation information with location context can be ^a DEM data source. Practically, the main source of data for producing the digital elevation model are topographic contour lines, randomly distributed elevation points, the frame points of land surface such as peak, sinks, passes, points of change in slope, ridges, stream channels and shorelines, as well as stereoplotter data (e.g. stereo aerial—photo pair or stereo SPOT image pair) etc. Stereocorrelated DEMs are created from two complementary images, aerial photographs, or satellite images (Schenk, A.F., 1989). Raw data in the form of stereo photographs or field survey (the accurate data source) are not readily available to potential end users of a DEM. Therefore, most users must rely on published topographic maps or DEMs produced by government agencies such as the United States Geological Survey (USGS). USGS produces several standard types of DEM data:

- 7.5-minute DEMs have a 30-by-30 meter point spacing in x and y;
- ^o 30-minute DEMs have 2-by-2 arc second point spacing, approximately 60-by-60 meter point spacing in x and y;
- ^o l-degree DEMs have 3-by—3 are second point spacing, approximately lOO-by-IOO meter spacing in x and y.

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The distance between two adjacent cells, or the geometric size of a cell or pixel in the x and ^y horizontal directions is called the spatial resolution of the DEM (or "grain"). The spatial resolution of ^a DEM is higher than another if its cell size is smaller than the another is. Spatial resolution is refined if cell size is decreased, or coarsened if cell size is increased. Generally, the finer the spatial resolution is the higher the accuracy of the DEM. The number of cells of ^a DEM covering ^a certain area will be increased when increasing the spatial resolution, and vice versa. The spatial resolution is very dependent upon the primary data used to produce the DEM, and the cost of computer storage and processing time.

The optimum spatial resolution of ^a DEM is closely related to the spatial scale of the landscape pattern analysis and geo-modeling. For example, when soil properties with broad geographic extent are required, then ^a DEM with relatively coarse spatial resolution is indicated. To model detailed spatial distribution of soil properties, instead, a fine spatial resolution DEM will be needed. The topographic attributes computed from DEMs are dependent on the resolution of the elevation data from which they are computed. A regular grid is not an ideal representation of topographic surfaces for the study of scale effects. Gallant and Hutchison (1997) pointed out that when we subsample an elevation grid to obtain another grid at coarser resolution, beside the intended change in losing fine scale features of the surface, we also change the number of square cells into which the surface is divided. This is of particular importance when studying a "specific

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catchment area" that is computed by accumulating cell areas from adjacent cells. Thus, it is important not to confuse scale effects with grid effect if the objective is to study scale properties of a topographic surface. Gallant and Hutchinson (1997) suggested that to appropriately represent a topographic surface for the analysis of scale effects, the size and shape of features should be assessed at different scales.

The accuracy of DEMs in representing the land surface is mainly dependent upon its source data spatial resolution (USGS, 1987). If we build the DEM from contour data that have been captured directly from aerial photographs as primary data using a stereoplotter, the contours are highly accurate (ESRI, 1993b) and the accuracy of the DEM could be high. However, when the contours have been generated from point data, the accuracy could be lower because contours must be interpolated. A DEM usually uses discrete sampling points with raster structure to represent the relief of the landscape surface. Generally, it is difficult using discrete sampling points to represent every detailed feature and anomaly such as streams, ridges, peaks, and pits. Consequently, the higher the spatial resolution, the more detailed information content the DEM could represent and therefore the more accurate the DEM is. Conversely, ^a DEM with lower spatial resolution will miss more detailed information of the land surface. This generalization reduces the ability to recover position of specific features less than the interval spacing. Theoretically, for a given source data set, the only way to enhance the representation of detailed information of the landscape surface is to refine the spatial resolution of the DEM; as the spatial resolution is refined, there is an increasing likelihood that significant features of land surfaces will be represented. Nevertheless, it is not possible for ^a DEM to obtain more

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detailed information than that contained in the source data. Hutchinson (1996) shows how DEM resolution can be matched to information content of source data. Moreover, the spatial resolution of ^a DEM required to contain detailed information of ^a landscape surface varies with roughness characteristics of natural landscape surface. A rough surface usually needs ^a DEM with relatively fine resolution, while ^a coarse spatial resolution will be required by a smooth surface. After selecting the source data at the appropriate scale, the final stage is to interpolate the source data to a grid of elevation points. There are many choices here, and the quality of the DEM is critically dependent on this stage. General-purpose interpolation methods such as Kriging will produce a surface that is reasonably consistent with the data but may contain features such as sinks that are not really present in the real topography. They may also introduce biases that only become apparent when deriving terrain attributes such as slope and aspect for the DEM. The attention to shape and the drainage characteristics of the surface are critical to the production of ^a high quality DEM.

2.2.4. Digital Terrain Modeling

Digital Terrain Models (DTM) have been used in geoscience application since the 19503 (Miller and Laflarnme 1958). Since then, they have become a major constituent of geographical information processing. They provide a basis for a great number of applications in the earth and the engineering sciences. In GIS, DTMs provide an opportunity to model, analyze and display phenomena related to topography. Indeed, DTMs include the spatial distribution of terrain attributes. The spatial distribution of

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topographic attributes can thus be used as a direct or indirect measure of spatial variability of these processes.

2.2.5. Landscape topographic attributes

Landscape topographic attributes are spatial variables that are used to describe and represent the shape and pattern of the landscape surface. Digital terrain analysis and GIS technology provide tools to quantitatively define landscape attributes.

Speight (1974) described over 20 attributes that can be used to depict landforms. Moore et al., (1991, 1993) also described terrain attributes and divided them into categories: primary and secondary or compound attributes. Primary attributes are directly calculated from elevation data and include variables such as elevation, slope, aspect, curvature etc. Secondary or compound attributes involve combinations of the primary attributes and are indices that describe or characterize the spatial variability of specific processes occurring on the landscape such as soil water content or the potential for sheet erosion.

The mathematical representation of most attributes and the methods for calculating them can be found in Moore (1991, 1993), ESRI (1993), Gallant and Wilson (1996, 2000). Topographic attributes can also be divided in local, regional and catchment. Local topographic attributes are those that can be calculated from a small neighboring area surrounding the DEM cell using certain algorithm. The neighboring area is usually 3x3

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Regional topographic attributes are those attributes that are calculated using considerably larger geometric area than the local topographic attributes (Table 2.2). The regional topographic attributes are less sensitive to the spatial resolution of the DEM than local topographic.

Catchment oriented topographic attributes (Table 2.3.) are those attributes that are related to the whole catchment area, and are the measurement of certain catchment characteristics. The output value of the attribute at each DEM cell is calculated from certain combinations of all of DEM cells in the catchment. The catchment oriented topographic attributes have very little sensitivity to the spatial resolution of the DEM. cells. Table 2.1 gives most of these attributes. The accuracy of the local topographic attributes is closely related to the spatial resolution of the DEM.
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Table 2.1. Local topographic attributes

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Table 2.3 Catchment oriented topographic attributes

Several researchers (Bell et al., 1992; Moore et al., 1993; Gessler et al.; 1995; Xu, 1999) have found high correlation between changes in these terrain variables and changes in soil drainage characteristics, A horizon depth, organic matter content, extractable-P, pH, sand, silt and soil taxonomic classes.

2.3. Terrain-based hydrological modeling

In recent years, considerable progress has been made in the development of computerbased mathematical and computational techniques to model hydrological processes for various scales of analysis. GIS technology has become widely used in hydrological and water quality modeling. Hillslope hydrologists have long assumed that the downslope movement of water can be described by surface topography since gravitational potential largely dominates hydraulic gradients in steep terrains. Hence with the increased availability of DTMs, surface topography is driving many popular hydrological models (Moore et al., 1993; Vertessy et al., 1993; Gallant and Wilson, 1996;). Since the first

computer-based model hydrologic models were developed in the early 1960's, hydrologists have been attempting to use micro-scale process descriptions in meso-scale (catchment scale) hydrology. The massive computational effort required to solve equations describing processes in three dimensions and the intensive inputs requirement for the physically based model has limited the success of such models. However, computations may be reduced if the dimensions can be reduced from three to two. This concept was first applied by Onstad and Brakensiek (1968) and Onstad (1973). The proposed a flow net of gravitational potential between contours and their orthogonals (lines of steepest slope). Water was routed laterally down strips of land elements defined by this network and they termed this approach "stream path" or "stream tube". Adjacent contour lines and streamlines define irregularly shaped elements. Surface runoff enters an element orthogonal to the upslope contour line and exists orthogonal to the downslope contour line. Flow from one element can then be successively routed to downslope elements formed by the same stream tube. Moore et al., 1993 adopted this approach in their catchment partition model: TAPES-C (Topographic Analysis Programs for the Environmental Sciences-Contour. TAPES-C performs the partitioning of the catchment beginning at the contour line of lowest elevation and ending at the highest contour line, successively determining the elements for each adjacent pair of contour lines. TAPES-C has been used for distributed hydrological modeling that accounts for the effect of threedimensional terrain on storm runoff generation. THALES (Grayson et al., 1992) is the hydrologic model that is coupled with TAPES-C. This DTM has two major limitations: the first is that it cannot handle depression for the flow network, thus requires a depressionless DEM, which is not a reality in many agricultural fields. The second

limitation available. variables a: The TAPE $IAPES-G$ static mode generation environmen! available in and only one called DS pr for flow $\frac{d}{dx}$ random distu produces a d $FD8$ and FR depends on t terrain wetne based on the because the found a stron content. Gess $\frac{1}{20000}$ predictor limitation is that the model is mechanistic, it requires several inputs that are often not available. Also, there is inconsistency in scale between the measurements of field variables and the way they are applied in the models.

The TAPES model has also ^a grid version, TAPES-G (Gallant and Wilson, 1996). TAPES-G generates primary and secondary attributes from ^a DEM. It is considered ^a static model since it does not contains a dynamic water balance model. Through the generation of topographic attributes, TAPES-G has been applied in ^a variety of environmental modeling applications. For hydrological modeling, flow routing is available in TAPES-G with four different algorithms. Flow is routed from one cell to one and only one of its eight neighbor cells is based on the deepest descent. This algorithm called D8 produces parallel lines of flow along preferred directions. A second algorithm for flow directions (Rh08) aims to break up the parallel flow lines by introducing ^a random disturbance to the flow direction. The Rh08 algorithm is stochastic, indeed it produces a different flow network each time it is run. Flow dispersion is introduced in FD8 and FRhoS, where the fractional amount of flow dispersed to each of the neighbors depends on the slope from the center cells to the neighbor. TAPES-G also computes the terrain wetness index (TWI), helpful in identifying areas of divergence and convergence based on the slope gradient. Where the slope gradient are low, the soil becomes wetter because the water is not removed to other downslope elements. Moore et al., (1988) found a strong correlation between this index and the distribution of surface soil water content. Gessler et a1. (1995) found that the index, along with plan curvature, is a fairly good predictor of soil properties (A horizon depth, solum depth).

With a s developed and salt framework uses Richar lateral satu evapotransp through a di with the \mathbf{u} n costly, time guessed $(R₀)$ predict wat compared _v n and n by le Beven and general this modeling b $\frac{1}{2}$ topograp Several oth have been

With a similar approach of TAPES-C, TOPOG, an ecohydrological model, was developed by CSIRO in Australia to predict plant growth and the three-dimensional water and salt balance of heterogeneous catchment. Vertessy et al., 1993 describe the framework of this physically based, distributed parameter catchment model. The model uses Richard's equations for vertical moisture flow, in multilayered soils, Darcy's Law for lateral saturated flow, the convection-dispersion equation for solute transport, and evapotranspiration based on the Penman-Monteith model. Soil water extraction is through a distributed root system from the multilayered soil, and there is water exchange with the underlying aquifer system. The model demands significant input data that are costly, time consuming and difficult to measure, so most of the model inputs have to be guessed (Refsgaard et al., 1992). Vertessy et al., (1993, 1996) have used TOPOG to predict water yield from a mountain ash forest. Modeled and observed daily runoff compared well. Over the full period of simulation (12 years) the model overpredicted runoff by less 5%.

Beven and Kirky, (1979) developed an hydrological model called TOPMODEL with the general thinking that variable source areas could be identified and the process of modeling basin hydrology be simplified, by summarizing the saturation potential, based on topographic position.

Several other terrain-based overland flow, runoff and non-point source pollution model have been reported in the literature, including the TIN-based models of Jones et al.

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(1990); grid-based models such as SHE (Abbott el al., 1986), MEDRUSH, Kirky et al., (1996), WEPP, Laflen et al., 1997, Cochrane and Flanagan, (1999), Wang and Hjelmfelt (1998).

The hydrological models examined in this review were all physically based and such approach has come under scrutiny in recent years (Grayson et al., 1992 a, b, Grayson and Nathan, 1993). There is a considerable skepticism about their use in hydrology, because the concerns related to the scarcity of appropriate input and validation datasets. Also most of them are based on Richards equations for water flow, that can produce good results for soil evaporation, but it cannot predict plant evaporation as well when the root system is present (Ritchie and Johnson, 1990). An alternative to the models described above is described in Chapter III.

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CHAPTER III

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TERRAE-SALUS

This chapter contains two sections. Section 3.1. presents the principles of TERRAE: the new methods for deriving flow lines and constructing a network of interconnected elements (Gallant, 1999). Section 3.2. discusses the spatial soil water balance of TERRAE-SALUS.

3.1. TERRAE: A new method for element network

TERRAE (Gallant, 1999) constructs ^a network of elements by creating flow lines and contours from ^a grid DEM, that is the only required input. A flow line is ^a line of steepest descent down the surface that represents the flow of water. TERRAE can create contours at any elevation in the grid and does not rely on pre-defined contours. Each element created by TERRAE is an irregular polygon with contours as the upper and lower edges and flow lines as the left and right edges. The elements are connected so that the flow out of one element flows into the adjacent downslope element.

A regular grid digital elevation model (DEM) provides the elevation data for TERRAE. Currently TERRAE reads floating point binary data exported from ARC/INFO using the GRIDFLOAT command. ANUDEM (Hutchinson, 1989), also available as TOPOGRID

within Al or contou **TERRAE** channel he which of 7 To constru This is an ϵ saddles are maximum. on each ass peak. Two meet at this the saddle. TERRAE ap saddles and $\mathfrak{m}_{\mathfrak{e}}$ resulting $^{\rm f_{0}}$ Th the $^{\rm f_{1}}$ within ARC/INFO, is the recommended method for creating the DEMs from spot height or contour data.

TERRAE is controlled by ^a parameter file that specifies the names of the DEM file, channel head file and boundary file. This parameter file also contains settings that control which of TERRAE's functions are active and thresholds for sink clearance.

To construct the element network, TERRAE first identifies all flat points in the surface. This is an essential feature for modeling water routing across the landscape. Peaks and saddles are recognized as critical points for computing flow network. A peak is ^a local maximum. A saddle is mixed extreme with ^a minimum along ^a ridgeline and ^a maximum on each associated drainage line. Topography is more complex near a saddle than near a peak. Two regions of convergent topography and two regions of divergent topography meet at this point. Topography is divergent in the upper part and convergent after turning the saddle. Slope lines turn sharply if they pass close to the saddle.

TERRAE applies ^a user-specified boundary polygon, creates streamlines down from saddles and channel heads then adds ridge lines up from stream junctions and saddles. The resulting network of lines defines polygons that are then subdivided into elements to form the final element network.

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Surface

TERRAE uses ^a continuous surface derived from the DEM to construct its flow lines and contours. This surface is a quadratic B-spline with continuous first derivatives, which results in smoothly curved flow lines and contours. The surface exactly matches the elevation at every grid point in the DEM.

All flat points in the spline surface are identified before creating any flow lines, as these are critical points defining the topology of the surface. Peaks, sinks and saddles are identified by locating exactly all points in the surface where the slope is zero. The lines of steepest descent and ascent from saddles are also determined. A boundary for the analysis may be defined using the supplied boundary file. This file is in ARC/INFO UNGENERATE format. TERRAE builds ^a polygon from the supplied lines.

Sinks and depressions

From each saddle, TERRAE follows ^a flow line down the surface either side of the saddle until it terminates at the edge of the DEM or at ^a sink point. Once all the lines connecting saddles to sinks are known the lowest draining saddle for each sink is determined by working upwards from the lowest connected saddle to the highest. A saddle is considered connected when it drains to the edge of the DEM. The sinks that are drained by connected saddles are then marked and the other saddles flowing into these sinks are also marked as connected. This process is repeated until every sink has a lowest

draining saddle. Depressions around sink points are considered to be either spurious or real. When constructing further flow lines, spurious depressions are cleared by following the flow line from the sink up to its draining saddle and continuing down from the other side of the saddle. Real depressions remain as features in the surface, and elements can be constructed within them. The depth and distance from the sink to the draining saddle determines whether a depression is classified as real or spurious using values specified in the parameter file.

Streams

Stream lines are constructed down from the channel heads defined in the channel head file, and from real depressions out over their draining saddles. When a line approaches ^a previously created line (including the user-specified boundary line) it can connect to that line creating a stream junction. Streamlines can also connect at sink points. These stream junctions become part of the set of critical points defining the surface topology.

For catchment modeling, the polygons defined from channel heads and stream junctions combine to form the modeling area. Catchment outlet points may also be provided; these are treated like stream junctions, so divide lines are constructed upwards either side of the outlet point.

In agricultural applications channel heads will frequently not be used because the areas are smaller than natural first order catchment. In this case the boundary polygon provides the outline for the modeling area.

Ridge lines

Ridgelines are created from either side of each saddle and followed until they reach either ^a peak or the edge of the DEM. When ^a line approaches an existing ridgeline or the boundary, it can connect to it, creating a ridge junction. Ridgelines are also constructed upwards from stream junctions to form catchment divides. It is important that lines do not cross, so these catchment divide lines are started by interpolating between the incoming streamlines. When the interpolated line is sufficiently far from the streamlines, TERRAE follows the surface upslope as for other ridgelines.

Catchment divide lines may also be created for channel heads to delineate the unchanneled contributing area for the channel head.

Elements

The network of lines created at this point forms a series of polygons covering the surface. TERRAE builds the polygons by tracing these lines from each stream junction, channel head and real depression. At each critical point (sink, saddle, peak, stream junction or

ridge junction) there may be several connected lines. TERRAE finds the next line in an anti-clockwise direction and follows each successive line until it returns to the starting point, forming ^a closed polygon. If ^a line terminates at the DEM edge, the polygon is considered to be open and is ignored.

The polygons created by this procedure are converted to elements by locating the lowest and highest point along each polygon boundary, which then form the lower and upper boundary of the element. These points are considered to be contours with zero length. These elements can then be subdivided into smaller elements for hydrologic modeling by constructing contour lines and flow lines within the initial elements. (Figure).

The subdivision of large elements into smaller elements can be done manually or automatically. The automatic method subdivides elements until they are smaller than a threshold area specified in the parameter file. The manual method displays the initial polygons and allows the user to interactively place contour lines and flow lines that subdivide elements.

At each subdivision, the connections to adjacent elements must be determined. When an element is split by a contour line, the entire contribution of the upper element is directed to the lower element. When an element is split by a flow line, both the inwards contribution from the element above and the flow out to the elements below must be connected correctly. The proportion of flow is determined by the relative lengths of contour between the two elements.

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At the end of the processing, a number of files are written. The most important of these are the files that describe the geometry, attributes and connectivity of each element. In each of these files, the elements are identified by a unique element number. The element geometry file (.elemgeom) contains the coordinates of the element boundaries. The element attribute file (.elemattr) specifies the slope, aspect, area, coordinates (x, y, z) and z) of the centroid, upper and lower boundary lengths and other properties of each element. The element connectivity file (.elemconnect) contains the element numbers of the downslope neighbors of every element with the corresponding proportions of flow, and the sink number for elements that drain into real depressions.

Depressions also need to be. described to permit modeling of ponding. The sink properties file (.sinks) contains the location and elevation of the sink, along with the relationship between depth and ponded volume and the number of the element it flows into when it drains over its draining saddle.

3.2. SALUS and Spatial Soil Water Balance Model

Reference pertaining to the development and validation of the soil water balance model were cited in chapter ¹¹ (Ritchie, 1972; Ritchie, 1985 and Ritchie, 1998). This section contains two main parts, the first part describes the principle of soil water balance as

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described by Ritchie 1998 and some of the revisions made recently in the SALUS soil water balance; the second parts discusses the spatial components for the surface and subsurface lateral movement of water: the main core of this research.

3.2.1. Soil water balance model

The one-dimensional (vertical) soil water balance model is calculated to account for soil and plant water stress at each point. The model calculates the profile water balance on a daily basis using the equation:

$$
dS/dt = P + I - R - Es - Ep - D
$$

where

The soil water is distributed in several layers with fixed depths of :

 θ α \ddot{p} \mathbb{R} de sat the \mathbb{D} \overline{p} \mathbb{R} cha \mathbf{w} \overline{D}_a The $\mathfrak{0}^{\dagger}$ tj \dot{a}_3 \mathbb{N} $\mathfrak{m}_{\mathfrak{k} \mathfrak{q}}$ $\frac{1}{9}$ \mathbf{p}_{00} 0-2 cm, 2-7 cm, 7-15 cm, 15-26 cm, 26-40 cm, 40-57 cm, 57-77 cm, 77-100 cm, 100-125 cm, 125-150 cm, 150-175 cm, 175-200 cm. Water content in any soil layer can decrease by root absorption, flow to an adjacent layer, or by soil evaporation in the case of layer 1.

The input required by the model are the soil water limits to which water can increase or decrease (saturation, SAT; the drained upper limit, DUL, and lower limit, LL) and the saturated hydraulic conductivity (KSAT) for each layer. Definition and determination of these soil water extraction limits are described in Ritchie, 1998 and Ritchie et al., 1999.

The use of KSAT has recently been introduced to calculate runoff based on the time-toponding approach instead of the Soil Conservation Service Curve Number (CN) method. The CN method was proven to be inadequate in representing variation in infiltration characteristics associated with differences in tillage and residue management. The soil surface KSAT varies as function of tillage, soil compaction, surface residue amounts (Dadoun, 1993) and it is the main parameter controlling the time-to-ponding curve. The time-to-ponding approach was first described by White et al., 1989. The application of the semi-empirical version of White equation used in the soil water balance model is discussed in chapter 4 of this dissertation. The time-to-ponding (TP) curves relate rainfall intensity to infiltration rate and define the point at which cumulative rainfall intensity exceeds the infiltration capacity of the soil (White et al., 1989, 1990; Chou, 1990), at which time water ponding in micro-depressions in the soil surface occurs. After ponding begins, infiltration is equal to the amount predicted by the TP curve as long as rainfall rate exceeds the infiltration capacity. When the rainfall rate becomes less than the

 $\rm \dot{u}$ \mathbf{p} R $\ddot{\mathcal{C}}$ $\boldsymbol{\mu}$ 0^t \mathfrak{O} α \mathbf{w}^{\dagger} T_{fit} \mathbb{C}^3 \hat{F}_{in} infiltration capacity, rainfall plus the surface ponded water are infiltrated until the amount ponded is depleted.

Runoff is predicted using a new methodology (Ritchie and Gerakis, personal communication). In this methodology a new parameter (" a ") is introduced that varies with the time of the year. The a coefficient can vary for each month of the year and is obtained by calculating the slope for every month of the curve of cumulative rainfall (cm) on the Y axis, and the cumulative rain hours on the X axis. The ^a coefficient is then calculated using the following equation:

$$
a = \text{EXP}(-1.3* \ln (S)-5.9)
$$

where

 $S = slope of the curve of the cumulative rain (cm) vs cumulative rain time (hours)$

The slope of the curve of the daily runoff $(cm hr⁻¹)$ vs daily rain is described with the model:

$$
RS = EXP (a* KSAT)
$$

Finally the runoff (cm) can be estimated by the following equation:

 $\ddot{}$

$$
R = RS * (P-PM)
$$

where

- $R =$ Runoff (cm)
- $P =$ Daily Precipitation (cm)
- $PM =$ Ponding capacity (cm)

Water is moved downward from the top soil layer to lower layers using a cascading approach. Water entering a layer in excess of the holding capacity of that layer (SATi-DUL i) is passed directly to the layer below by saturated flow. The drainage coefficient (K) is also been recently modified. The calculation for the Es

and Ep are taken primarily from the work of Ritchie (1972) and by using Priestly-Taylor type equation (1972) instead of the Penman equation to calculate the potential evaporation (Bo). E0 is calculated as function of the air temperature and solar radiation levels. Potential soil evaporation is a function of the potential evaporation E0 and the current leaf area index (LAI). LAI is the ratio of leaf area to ground area. As LAI increases, potential soil evaporation is decreased because of the protection from the wind and the shading from the leaf cover.

The root water uptake routine has also been modified, but it is not described here. Ritchie, 2000 (unpublished data), discusses details of those modifications.

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3.2.2. Spatial Soil Water Balance Model

The element network created by executing TERRAE allows for the lateral movement of water across the landscape. Surface runoff and subsurface lateral movement is routed from one element to the next starting from the top element and moving downward. The spatial soil water balance model allows the presence of different soil types for each of the elements created if needed.

The spatial routines initialized by reading information from the file "filename.elements" produced by TERRAE containing the element attributes. The element attributes are: the element number, the area of the element, the slope of the element, the X,Y, and Z coordinate of the center of the element and the topology (the connections of the elements).

Surface Runoff

The daily time loop is initiated by reading the weather file and by calculating the soil water balance for the downward flow for each of the element. The surface runoff produced by each element will move laterally to the next downslope element. The amount of surface runoff is calculated by multiplying the surface runoff of the upslope element by the area of the element. This amount of water will be added onto the next downslope elements as additional precipitation. If there is no downslope element, the surface water runs off to field outlet.

Subsurface lateral flow

The downward flow is calculated by introducing a correction factor to account for the slower flow that occurs at the deeper layers. The correction factor consists in separating the KSAT variable into ^a KSAT for the effective vertical flow (KSAT-Vert) and ^a KSAT for the saturated flow (KSAT-Macro). The correction factors is calculated as follow for the various depth:

At the soil surface there is no difference between KSAT-Vert and KSAT-Macro, thus there is not need for ^a correction factor. At 200 cm the correction factor will be the SIN of slope, creating a lower conductivity.

The subsurface lateral flow is computed using the following equation:

$$
SLF=Kef (dH/dx) * (Aup/Adw)
$$

Where

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 $SFL = Subsurface lateral flow (cm day⁻¹)$

- Kef = Saturated hydraulic conductivity calculated as harmonic mean between Ksat of the upslope element and the downslope element (cm day⁻¹)
	- dH = distance between the saturated layer and the soil surface
	- $dx =$ distance between the center of the upslope element and the downslope element
	- Aup = area of the upslope element (m^2)
	- Adw = area of the downslope element $(m²)$

The hydraulic head (dH) is calculated by the soil water balance model, while dx is

calculated by TERRAE.

The Kef is calculated as harmonic mean as follows:

 $Kef = 2/(1/KSATup + 1/KSATdw)$

where

 $KSATup = KSAT$ of the upslope element

 $KSATdw = KSAT$ of the downslope element

The subsurface lateral flow occurs only when the SIN of the slope is greater than 0. The subsurface lateral flow is added to the next downslope elements into the layer that has the capacity to take it in, starting from the bottom layer and moving upwards.

If the SIN of the slope is zero and the amount of water is greater than the KSAT-Macro, then the water backs up within the same element. Subsurface lateral flow will occur again if a hydraulic head is created; dH/dx is then equal to the distance between the saturated layer of the upslope element and the saturated layer of the downslope element. Applications of the spatial soil water balance described above are presented in Chapter 4.

The routines and the codes for the spatial soil water balance simulation are given in Appendix B.

CHAPTER IV

ASSESSING AND MODELING SOIL WATER BALANCE IN A SPATIALLY VARIABLE TERRAIN USING TERRAE-SALUS

4.1. Introduction

Water has been long known to be essential for plants' life and at the same is one of the most limiting factors for their growth. In many agricultural regions of the world, the supply of water is highly variable due to variations that occur spatially and from year to year. One of the most important properties of the soil is that it is a reservoir for water. Without access to such a reservoir, most plants would not survive periods between rains. The factors that affect the soil water content include (1) soil characteristics: soil water limits (saturation-SAT, drained upper limit-DUL, lower limit-LL), saturated hydraulic conductivity (KSAT), thickness of the hydrologically active zone; (2) topography: local slope (a measure of the hydraulic gradient), specific catchment area (a measure of the potential maximum water flux), plan curvature (a measure of the rate of flow convergence and divergence), profile curvature (a surrogate for the rate of change of hydraulic gradient), and aspect and topographic shading (together with slope these influence the amount of solar radiation and in turn, evapotranspiration); (3) vegetation: variation in surface cover and water use characteristics; and (4) weather: net rainfall, net radiation, wind, and temperature (Moore, et al., 1991; Barling et al., 1994).

The ability to characterize the spatial variability of soil water content is of major importance. Models that consider the dynamics of soil water balance and crop growth have been extensively used to quantify the risk related to the uncertainty in water supply (Ritchie 1994, Jones and Ritchie, 1996). The CERES family models have proven to be effective in simulating the water balance of soils when the drainage is vertical, often an unrealistic assumption. Runoff produced by such models is only from a point in space and there is no account for the water over space and time. To use such models for erosion estimates and for poorly drained, sloping terrains, the spatial and temporal relationship between various hydrological processes must be addressed. The water infiltrating into the soil profile moves vertically and laterally. The lateral movement occurs when a low conductivity soil profile or shallow water table are present. This restriction in the soil, forces the water to move laterally and if the rainfall intensity exceeds the infiltration rate an overland flow occurs, increasing runoff and consequently causing erosion problems. The horizontal movement of water varies with the soil properties and with the terrain's attributes.

There are three main mechanisms that produce storm runoff: saturation overland flow that occurs when rising water tables intersect the soil surface, generating exfiltration; Hortonian overland flow that occurs when the rainfall intensity exceeds the infiltration rate of the soil; and subsurface flow in which water flows laterally through a highly conductive soil profile (Horton, 1933; Dunne, 1970, 1983). These mechanisms are part of a continuum of processes and may operate singularly, but more often in combination

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(Freeze, 1972). In the case of saturation overland flow and Hortonian overland flow, precipitation falling directly on the saturated zone at the soil surface produces surface runoff or overland flow. These saturated areas may occupy only a portion of a catchment and may vary in size depending upon soil properties such as saturated hydraulic conductivity, organic content, depth to restricting soil layers, antecedent soil water content, and topography. The Hortonian mechanism of runoff generation is most important in semiarid and desert areas, and on agricultural land when surface sealing occurs. Hortonian overland flow and lateral subsurface flow of water is most likely to be significant on the backslope adding water to soils in toeslope position. Thus, soil water is influenced by the terrain characteristics due to the effect of runoff-runon processes.

Subsurface storm flow is generally considered to occur as lateral movement of water in the upper soil layers. Van de Griend and Engman (1985) reviewed the reasons for this and reported the influence of hard pans (plow pans) and impeding layers. When subsurface flow converges, the capacity of the soil to transmit the flow is exceeded and saturated areas are formed. These saturated areas are impermeable so in addition to exfiltration, all rainfall on them becomes runoff.

Many hydrologic and water quality models crudely represent the three-dimensional nature of natural landscapes and therefore crudely represent spatially distributed hydrologic processes. As transport modeling becomes increasingly important in hydrologic and environmental assessment, this becomes a limiting factor in the predictive power of these models. Not only do we need to know the temporal variation in discharge

at the catchment outlet, we also need to be able to accurately predict the temporal variation of in flow depths and flow velocities throughout the catchment. The effect of topographic convergence and divergence and divergence on flow characteristics in natural landscapes has a major impact on the values of these hydrologic variables (Moore and Grayson, 1991). Topography can also affect the location of zones of surface saturation and the distribution of soil water content (i.e., the soil water content overlying an impermeable or semi permeable soil horizon at shallow depth). The likelihood of soils becoming saturated increases at the base of slopes and in depressions where there is a convergence of both surface and subsurface flow (Kirkby and Chorley, 1967; Moore et al., 1988a). Hall and Olson (1991) determined the effects of landscape morphology on soil physical and chemical properties and soil water movement across the landscape. Without accounting for the terrain characteristics, accurate prediction of the soil water balance was not possible.

The automation of terrain analysis and the use of Digital Elevation Models (DEMs) has made it possible to easily quantify the topographic attributes of the landscape and to use topography as one of the major driving variables for many hydrological models. These topographic models, commonly called Digital Terrain Models (D'I'Ms), partition the landscape into a series of interconnected elements based on the topographic characteristics of the landscape and they are usually coupled to mechanistic soil water balance models (Moore et al., 1993 Grayson, etc al., 1993, Kirkby et a1, 1979; Vertessy et al.,l996). These DTMs have two major limitations: the first is that they cannot handle depression for the flow network, thus requiring ^a depressionless DEM, which is not ^a

reality in many agricultural fields. These DTMs were designed for large-scale applications and for quantifying water quality running into streams, thus the sinks and depressions are filled to have a continuos flow of water down to the streams. The second limitation is that the mechanistic soil water balance models require several inputs that often are either not available, costly, time consuming and difficult to measure, so in most of the cases they have to be estimated (Refsgaard et al., 1992). Also, there is inconsistency in scale between the measurements of field variables and the way they are applied in the models.

There is a considerable skepticism about their use in hydrology, because the concerns related to the scarcity of appropriate input and validation datasets. Also, most of them are based on Richards equations for water flow, that can produce good results for soil evaporation, but it cannot predict plant evaporation as well as water extraction from the root system (Ritchie and Johnson, 1990).

The idea of creating ^a DTM that would include the topographic effect on the soil water balance and would be coupled with a functional soil water balance to spatially simulate the soil water balance became clear from the reasons mentioned above. This lead to the development of TERRAE-SALUS, ^a DTM for predicting the spatial and temporal variability of soil water balance (Chapter 3). The model requires ^a DEM for the creation of the element network for landscape partitioning, weather and soil information for the soil water balance simulation.

Ŝ \mathbf{I} \mathbf{p} θ \mathbf{p} \mathfrak{p} $\overline{\mathfrak{m}}$ \mathbf{F} μ_0 $b_{d,j}$ Soil information required by the model include (SAT, DUL, LL, KSAT). These parameters can be obtained through measurements or estimated using empirical equations (Ritchie et al., 1999). For an accurate soil water balance simulation, the depth of the lowest KSAT should also be included. Indeed, significant contributions of water from subsurface lateral flow occur in saturated conditions. This information is difficult to obtain, but it can be estimated based on topography, or using historical information on the site (knowing the dry and wet areas across the field). Soil surveys could also be helpful providing information on the drainage characteristics of the soil (i.e. soil poorly drained indicates the presence of shallow water table or low conductivity layer). If no information is available on the soil, crop data could be used as indicators of stresses through remote sensing, where imagery interpretation can help identify areas to be sampled and determine soil information necessary for the model.

The overall hypothesis of this study is that the terrain characteristics and landscape positions control soil physical properties through organic matter accumulation, formation of soil horizons and soil structure that highly influence the soil water balance. Landscape position also determines how much precipitation infiltrates into the soil profile and for how long water can pond on the surface, as well as how much water can pond before it infiltrates or runs off to other areas in the landscape.

In this study, it is also hypothesized that the partitioning between vertical and lateral movement at a field-scale level will help us to better predict the complete soil water balance and consequently the available water for the plants over space and time. Accurate predictions of the terrain characteristics will lead to better predictions of the soil water balance.

The objective of this study is to combine a conventional one-dimensional soil water balance model with a more realistic terrain analysis to evaluate the hydrological and agricultural processes occurring on a sloping land surface.

A new digital terrain model, TERRAE-SALUS, was developed to study and model how terrain affects the vertical and lateral movement of water occurring on the land surface and in the shallow, subsurface regimes, where a shallow water table or a low conductivity soil layer exist. This study evaluates the capability of TERRAE-SALUS applied at field scale with rolling terrain where the soil water content was extensively measured. The model was evaluated using three different scenarios (Scenario 1, Scenario 2, Scenario 3) to gain a better understanding of the factors affecting the runoff-runon processes occurring on the landscape.

4.2. Methodology

4.2.1. Models description

Digital Terrain Model: TERRAE

TERRAE is ^a new method for creating element networks where landscape depressions are included. TERRAE constructs ^a network of elements by creating flow lines and

contours from ^a grid DEM. A flow line is ^a line of steepest descent down the surface that represents the flow of water. TERRAE can create contours at any elevation in the grid and does not rely on pre-defined contours. Each element created by TERRAE is an irregular polygon with contours as the upper and lower edges and flow lines as the left and right edges. The elements are connected so that the flow out of one element flows into the adjacent downslope element.

A regular grid digital elevation model (DEM) provides the elevation data for TERRAE. To construct the element network, TERRAE first identifies all flat points in the surface. This is an essential feature for modeling water routing across the landscape. Peaks and saddles are recognized as critical points for computing flow network. TERRAE then applies a user-specified boundary polygon, creates streamlines down from saddles and channel heads then adds ridge lines up from stream junctions and saddles. The resulting network of lines defines polygons that are then subdivided into elements to form the final element network. These elements can then be subdivided into smaller elements for hydrologic modeling by constructing contour lines and flow lines within the initial elements. The subdivision of large elements into smaller elements can be done manually or automatically. The automatic method subdivides elements until they are smaller than a threshold area specified in the parameter file. The manual method displays the initial polygons and allows the user to interactively place contour lines and flow lines that subdivide elements.

At the end of the processing, a number of files are written. The most important of these are the files that describe the geometry, attributes and connectivity of each element. In each of these files, a unique element number identifies the elements. The element geometry file (.elemgeom) contains the coordinates of the element boundaries. The element attribute file (.elemattr) specifies the slope, aspect, area, coordinates (x, y and z) of the centroid, upper and lower boundary lengths and other properties of each element. The element connectivity file (.elemconnect) contains the element numbers of the downslope neighbors of every element with the corresponding proportions of flow, and the sink number for elements that drain into real depressions.

Depressions also need to be described to permit modeling of ponding. The sink properties file (.sinks) contains the location and elevation of the sink, along with the relationship between depth and ponded volume and the number of the element it flows into when it drains over its draining saddle.

Spatial Soil Water Balance Model

The element network created by executing TERRAE allows for the lateral movement of water across the landscape. Surface runoff and subsurface lateral movement is routed from one element to the next starting from the top element and moving downward. The

spatial soil water balance model allows the presence of different soil types to a maximum equal to the number of the elements created. Basically, each element created could have different soil characteristics if necessary.

The spatial routine is initialized by reading information from the file "filename.elements" produced by TERRAE containing the element attributes. The element attributes are: the element number, the area of the element, the slope of the element and the x, y and z coordinates of the center of the element and the topology (the connections of the elements).

The daily loop is initiated by reading the weather file and by calculating the soil water balance for the downward flow for each of the element. The surface runoff produced by each element is moved laterally to the next downslope element. The amount of surface runoff is calculated by multiplying the surface runoff of the upslope element by the area of the element. This amount of water is added onto the next downslope elements as additional precipitation. If there is not a downslope element, the surface water runs off to the field outlet.

The downward flow is calculated by introducing ^a correction factor to account for the slower flow that occurs at the deeper layers. The correction factor consists in separating the KSAT variable into ^a KSAT for the effective vertical flow (KSAT-Vert) and ^a KSAT for the saturated flow (KSAT-Macro). The correction factors are discussed shown in Chapter 3.

The subsurface lateral flow is computed using the following equation:

SLF= Kef (dH/dx) * (Aup/Adw)

where

 $SFL = Subsurface lateral flow (cm day⁻¹)$

 Kef = Effective saturated hydraulic conductivity calculated as harmonic mean between Ksat of the upslope element and the downslope element $(cm day⁻¹)$

 $dH =$ distance between the saturated layer and the soil surface

 $dx =$ distance between the center of the upslope element and the downslope element

Aup = area of the upslope element $(m²)$

Adw = area of the downslope element (m^2)

The hydraulic head (dH) is calculated by the soil water balance model, while dx, the

distance, is calculated by TERRAE. The effective saturated hydraulic conductivity (Kef)

is calculated as a harmonic mean as follows:

 $Kef = 2/(1/KSATup + 1/KSATdw)$

where

KSATup = KSAT of the upslope element (cm day⁻¹)

KSATdw = KSAT of the downslope element (cm day⁻¹)

The subsurface lateral flow occurs only when the sine of the slope is greater than zero. The subsurface lateral flow is added to the next downslope elements into the layer that has the capacity to take it in, starting from the bottom layer and moving upwards. If the sine of the slope is zero and the amount of water is greater than the KSAT-Macro, then the water backs up within the same element. Subsurface lateral flow will occur again if an hydraulic head is created; dH/dx is then equal to the distance between the saturated layer of the upslope element and the saturated layer of the downslope element.

4.2.2. Model simulation

The first simulation run of TERRAE-SALUS was done using ^a single, uniform soil type with no restricting soil layer for the entire area with a high rainfall (76 mm) occuring on the first day. This simulation done was chosen to demonstrate the ability of the model to partition the vertical and horizontal subsurface flow.

The second simulation run of TERRAE-SALUS used three different soil types with ^a low conductivity layer (KSAT=0.01 cm hr-l) at 120 cm. The soil types were ^a shallow sandy soil for the high elevation zones and peaks; a medium sandy-loam for the medium elevation zones and saddles areas; and a loamy soil for the low elevation areas and depressions. The rainfall was the same as scenario ¹ (76 mm). This scenario was selected to have ^a direct comparison with scenario ¹ but with a restricting layer at 120 cm that altered the vertical flow.

The final simulation run of TERRAE-SALUS was done to perform ^a model validation at field scale. Similar to scenario 2, the model was set up using three different soil types with low conductivity layer (KSAT=0.01 cm hr-1) at 120 cm. The soil types were a shallow sandy soil for the high elevation zones and peaks; a medium sandy-loam for the medium elevation zones and saddles areas; and a loamy soil for the low elevation areas and depressions.

Field measurements of profile soil water content were taken on a three ha portion of a field located ¹⁰ km south of Durand, M1, to compare with model values. The field was planted with soybeans on May 5, 1997. A digital elevation model (DEM) was created for the site using ^a high accuracy differential global positioning system (DGPS) at ^l m grid resolution (FJ Pierce and T.G.Mueller, personal communication, 1997). Using the DEM, the following topographic attributes were determined for the site: elevation, slope, plan curvature and profile curvature. A regular grid consisting of ²⁸ grid locations spaced 30.5 m apart was imposed on the experimental area. Latitude, longitude and elevation of each grid points were determined with DGPS.

Neutron probe access tubes were installed at each of the 28 grid locations. A neutron moisture gauge was used to measure the spatial variability of soil water content at lS-cm increments to the depth of the C horizon or ^a maximum of 150 cm depth, which ever occurred first. Neutron probe calibration was obtained by filling four large metal cylinders with soil collected from two different location in field. The locations were

selected based on the soil type. Two cylinders were filled with the predominant soil type present in the field (sandy loam), and the other two were filled with the sandy soils that characterized the high elevations points and the peak. Each cylinder was carefully filled reproducing the field bulk density. For each soil type, one cylinder was filled with air-dry soil and the other was brought to saturation. This methodology is the most appropriate for neutron probe calibration. It allows the correct determination of the slope of the lines that joins the the driest and wettest point for that soil. It also decreases the errors obtained by fitting a curve through a clouds of points as observed from the traditional field methods measurements.

Measurements on soil water were taken on a weekly basis throughout the season. During the installation of the neutron probe access tubes, soil samples were taken at the intersection of each of the 28 grid points in 25-cm increments and stored for analysis. Soil samples were air-dried and passed through ^a ² mm sieve. Particle size was determined for each segment of each soil profile using the hydrometer method (Gee and Bauder, 1986). The upper and lower limit of soil water availability was determined using soil water measurements taken in the field, and from empirical equations based on soil texture (Ritchie et al., 1999).

A datalogger (Licor 1000) was installed to collect weather data on solar radiation, minimum and maximum temperature, and precipitation, which are required as model inputs. Precipitation was measured with an electronic tipping bucket rain gauge every five minutes to record rainfall intensities as well as daily total amounts.

The spatial structure for each parameter was assessed using a semivariance analysis. Soil water measurements taken on each grid point were interpolated using punctual kriging technique available in GS+ Version 3.1a (Gamma Design Software, 1999).

The first day selected for the model validation was July 3, 1997, day of the year (DOY) 184. The rainfall that occurred on this day was 7.5 mm. This day was chosen to test the performance of the model under a low rainfall amount. The simulations started with the soil profile at DUL for the first ¹⁰⁰ cm of the soil profile and at saturation for ¹⁰⁰ cm to 200 cm for all scenarios. The performance of the model was evaluated by using the RMSE between the predicted and observed values.

4.3. Results and Discussions

4.3.1. Topographic attributes

The topographic attributes are shown in Figure 4.1 through 4.6. "Images and figures of this dissertation are presented in color". The elevation map (Figure 4.1) shows that the field had an elevation relief of 3.6 m. The north part of the field is the highest point but two other small areas (peaks) also have high relief. These two peaks can be observed in the slope map (Figure 4.2). The slope of the field varies from zero in the flat areas to 3.4

% on the backSIOpes of the peaks. Surface curvatures are shown in Figure 4.3 (profile curvature) and Figure 4.4 (plan curvature). They can be thought of as the curvature of a line formed by the intersection of a plane and the topographic surface. This intersection is in the direction of the maximum slope for the profile curvature and transverse to the slope for the plan curvature. Profile curvature is negative for slope increasing downhill (convex flow profile, typically on upper slopes) and positive for slope decreasing downhill (concave flow profile, typically on lower slopes). Plan curvature or contour curvature measures the topographic convergence and divergence and hence, the concentration of water in the landscape. The plan curvature is negative for diverging flow (on ridges) and positive for converging flow (in valleys).

The maximum ponding capacity is purely a function of slope. Indeed, this can be observed in the maximum ponding capacity map (Figure 4.5) that shows an opposite trend from the slope map. The maximum ponding capacity varied from zero observed on the backslope of the peaks to 3.0 on the flat areas.

Figure 4.6 depicts the location and the number of the elements created by executing TERRAE study area. The highest point in the landscape is represent by one element while the bottom of landscape is represented by several elements that describe the lowest elevation point of the field (depressions).

4.3.2. Model Simulations

Scenario 1-- Day 1. The model results for scenario 1 (uniform soil type across the landscape, no restricting layer, ⁷⁶ mm rainfall on the first day) are shown in Figures 4.7 through 4.17. The units used in the outputs for all the variables are in cm (height of water). The soil water content for the 0-26 cm (Figure 4.7a) is quite uniform across the field, except for the low elevation areas, which are higher due to accumulation of surface flow onto the elements. These areas also showed higher water content for the profile at the 26-77 cm depth (Figure 4.7b). The cumulative surface leaving the element was high, as expected, due to the quantity of rainfall (Figure 4.8a). However, the surface water balances out as can be seen from the map of the cumulative surface flow out of the each element (Figure 4.8b). The model predicted that water not infiltrated on the element located on top of the landscape runs off to the next element downslope as runon. This explains the balance observed between flow out and flow in. Both maps clearly show the effect of the landscape in the surface water routing. The highest amount of water leaving and entering each element is 65 cm and it is observed in the depression areas due to the contributions from the upperslope elements. The net surface flow (Figure 4.9) is calculated by subtracting the amount of water coming into the element from the one leaving the element. The highest value (-5) is observed on top of the landscape since those elements do not have water running onto them. Figure 4.10 shows the surface ponding. The model was able to correctly determine that the depression areas have higher surface ponding capacities. The subsurface lateral flow is shown in figure 4.11. The highest amount of horizontal flow is observed in the depressions due to high soil water

content present at these locations. The vertical drainage is depicted in figure 4.12. The drainage amount predicted is quite small throughout the landscape. This may be due to the rapid occurrence of saturation in each soil layer due to the high rainfall amount. If the elements have ^a slope greater than zero, the model allows the water to flow horizontal through the KSAT corrections factors that decreases the vertical flow.

 Δ Day 2. The soil water content for the second day of simulation is shown in figures 4.13a and 4.13b. The 0-26 cm soil water content (Figure 4.13a) decreased from the previous day on the high elevation zones and peaks, but did not greatly change in the saddles and depressions due to the higher water flow coming onto the elements and ponding conditions occurring at these zones. Similar phenomenon was also observed for the 26-77 cm soil profile (figure 4.13b). Ponding conditions disappeared on this day, as well as the flow in and out of the elements. The subsurface lateral flow (figure 4.14) also decrease for the second day of simulation but the highest amount (0.3 cm) was still observed in the low elevation areas. The drainage (Figure 4.15) did not vary significantly from the previous day, both for the amounts and locations of occurrence.

Day 7. The soil water content at 0-26 cm (Figure 4.16a) indicates that soil surface dried out quite uniformly across the field. The 26-77 cm soil water content (Figure 4.16b) shows a high water content (14.10 cm) at the lowest point on the landscape as result of the higher water content, ponding, surface water flow onto the element and subsurface lateral flow affecting this area. Figure 4.17 shows the sum of the subsurface lateral flow for the seven days of simulation. The highest value (3.6 cm) was observed in the lower

- â $\mathbf{\hat{x}}$
- F_{ij} \mathfrak{c}_0
-
- x_{e}
- ϕ_{e}
elevation areas and depressions as expected. The drainage for day 7 is shown in Figure 4.18. The drainage consistently decreased from the previous days but was still present. Subsurface flow, however, had terminated by day 4.

Scenario 2--Day 1. The simulated results for scenario 2 are shown in Figures 4.19 through 30. Figure 4.19a and 4.19b show the soil water content for the 0-26 cm and 26-77 cm. The model predicted a higher amount of soil water on depression areas and sinks as compared to scenario ¹ for the 0-26 cm and 26-77 cm soil profiles. Since the rainfall amount used for scenario 2 was the same for scenario 1, the surface water flow in and out of the elements Figure 4.20a and 4.20b showed similar values and locations to the maps of flow in and out produced for scenario ¹ on day l. The surface ponding (Figure 4.21) is also similar to the previous scenario. The net surface flow is shown in figure 4.22 and showed the same values predicted for scenario 1, since the values of runoff and runon were also similar with the ones observed in scenario 1. The lowest negative value was observed on the high elevation areas since there was no water contribution from the upslope elements. The subsurface lateral flow, shown in figure 4.23, was higher on the depressions due to the higher water content consistently present on the low elevation areas. The value for the subsurface lateral flow was lower compared to the ones from scenario ¹ since most of the water remained on the surface as ponding for scenario 2. Figures 4.24 depicted the drainage that occurred on first day. The values were lower compared to scenario ¹ due to the restricting soil layer present at 120 cm depths. In scenario 2 the effects of the three different soil types were not visible. This may be due to the high rainfall amount that minimized the soil type influence.

Day 2. The 0-26 cm soil water content (Figure 4.25a) did not change from day 1. Similar results were also found for the 26-77 cm soil depth (Figure 4.25b). Runoff did not occur on day 2. The subsurface lateral flow was highest on the saddles between two peaks, indicating the contribution of water from the elements located on the peaks (Figure 4.26). Drainage values for day 2 (Figure 4.27) were low due to the low conductivity layer. Also on day 2, the effect of the different soil types was not present.

 $Day 7.$ The soil water content for the 0-26 cm depth (Figure 4.28a) decreased on the high elevation zones, but it remained the same for the low elevation zones and depressions. The soil water content for the 26-77 cm depth (Figure 4.28b) did not change significantly across the field. The vertical drainage terminated on day 4, while the subsurface later flow was still occurring (Figure 4.29a). The sum of the subsurface flow (Figure 4.2%) is higher (4.6 cm) compared to the one for scenario 1 (3.6), showing the influence from the low conductivity layer.

4.3.3. Validation study-- Scenario 3

Scenario 3 includes a validation with field measured data on soil water content. The simulated soil water content for the 0-26 cm depth is shown in Figure 4.30a. The model predicted higher water content for the saddles and depression areas. The simulated soil water content varied from 1.8 cm to 6.2 cm. Figure 4.30b shows the simulated soil water content for the 26-77 cm soil depth. The highest values of soil water were also observed at the saddle point and depressions and varied across the field from 3.2 to 13.4. The

subsurface lateral flow was higher in the saddles and depression area (Figure 31) due to the contribution from runon that increased the amount of potential infiltration on those areas. The values predicted by the model for the vertical drainage (Figure 32) were lower than those predicted for the lateral flow. The locations in the field that had the highest amount of water draining vertically were the areas located on the high and medium elevation. TERRAE-SALUS correctly simulated higher amount of vertical drainage in the areas occupied by the sandy soil. The soil water content slightly changed on DOY 188 (July 7) both for 0-26 cm and 26-77 cm (Figure 4.33a and b). The simulated subsurface lateral flow for day 188 is shown in Figure 4.34. The saddles and depressions showed the highest amount of lateral flow (0.0045 cm). The lowest value of flow was ^a result of the low rainfall occurring on day 184. Figure 4.35 shows the drainage that occurred on day 188. Its values are also small, almost identical and at the opposite locations where the subsurface lateral flow took place, indicating correct partitioning being employed by the model. Figure 4.36 depicts the error maps from the measured and observed soil water content for day 184 and for the 0-26 cm depth.

Figure 4.37 shows the predicted versus the observed measurement compared to a 1:1 line for the soil water content at 26-77 cm depth and for the entire season on the highest elevation point. The model provides accurate results for the entire season but it slightly underestimates the soil water content measured. Figures 4.38 through 4.41 show the measured and simulated results for the soil water content for 0-26 and 26—77 cm soil depth for the entire season using four points along a streamline (from the top-peak, to the bottom of landscape-depression). The model performance was compared using the root mean square error (RMSE). Figures 4.38a shows the comparison between the measured

and simulated results for the 0-26 cm and 26-77 cm for the point located on the highest elevation point of the field (264 m). The RMSE observed was 0.51 cm, for the 0-26 cm depth and 0.62 cm for the 26-77 depth. The simulated soil water content for the point located in the upper saddle (263 m) are compared with soil water measurements in Figure 4.38 b. The RMSE observed for this comparison were 0.39 cm for the 0-26 cm depth and 0.52 cm for the 26-77 cm depth. Figure 4.39 shows the comparison between simulated and simulated soil water content for the lower saddle point (262 m). A RMSE of 0.46 cm and 0.49 was observed for this comparison for the 0-26 cm and 26-77 cm depth. An e valuation of the model performance was also done for the depression area of the streamline selected (260 m) The RMSE observed for this evaluation were 0.47 cm for the Q –26 cm and 0.59 cm for the 26-77 cm depth.

The soil water content simulations and field observations were also compared as function of ϵ evation. The RMSE for this evaluations are shown in Figure 40 a and b. The high ele \vee ation point consistently showed a lower water content compared to the upper and lower saddles and for the depressions. The days used in this final evaluation of the model, the $s \rightarrow i$] water content did not change significantly for the saddle points and for the depressions. This is due to the contributions of water running downhill from the peaks.

4.4. Conclusions

This chapter discussed the application of TERRAE-SALUS, ^a digital terrain model with a functional spatial soil water balance model, at a field scale to simulate the spatial soil water balance and how the terrain affects the water routing across the landscape.

The first part of the chapter described the principles for the two models. The second parts discussed the capability of the model tested under three different scenarios. The scenarios were selected to evaluate the model sensitivity with a soil having no vertical drainage restrictions and for one that had basically almost no vertical flow. The model was able to \mathbf{p} artition the subsurface lateral flow and the vertical drainage differently for the two s ϵ enarios, but the high amount of rainfall seemed to have an higher effect through the armount of runoff and ponding that occurred on the first day, making the rest of the days qui $t e$ similar between the scenarios.

The **model provided excellent results when compared to the field measured soil water** conternat. The RMSE between measured and simulated results varied from 0.22 cm to 0.68 cm. T_{The} performance of TERRAE-SALUS is very promising and its benefits can be quite substantial for the appropriate management of water resources as well as for identifying the areas across the landscape that are more susceptible for erosion. It is necessary to further validate the model at different sites with different soils and weather characteristics.

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Figure 4.1. Elevation at ¹ m grid resolution for the study area, Durand, MI.

Figure 4.2. Slope for the study area, Durand, MI.

Figure 4.3. Profile curvature of the study area, Durand, MI.

Figure 4.4. Plan curvature of the study area, Durand, MI.

Figure 4.5. Maximum ponding capacity for the study area in Durand, MI.

Figure 4.6. Location in the landscape of the element network created by TERRAE (Gallant, 1999).

Figure 4.7.a. Soil water content (0-26 cm) on day-1 for scenario 1 (1 uniform soil type, high rainfall, no restricting soil layer).

Figure 4.7.b. Soil water content (26-77 cm) on day-1 for scenario 1 (1 uniform soil type, high rainfall, no restricting soil layer).

Figure 4.8.a. Cumulative surface water flow out of the elements on day-1 for scenario 1 (1 uniform soil type, high rainfall, no restricting soil layer).

Figure 4.8b. Cumulative surface water flow onto the elements on day-l for scenario 1 (1 uniform soil type, high rainfall, no restricting soil layer).

Figure 4.10. Surface ponding for day-1 for *scenario 1* (1 uniform soil type, high rainfall, no restricting soil layer).

Figure 4.12. Drainage on day-1 for scenario $I(1 \text{ uniform soil type, high rainfall,})$ no restricting soil layer).

Figure 4.13.a. Soil water content (0-26) on day-2 for *scenario* $I(1 \text{ uniform soil type}$, high rainfall, no restricting soil layer).

Figure 4.13.b. Soil water content (26-77) on day-2 for scenario $I(1 \text{ uniform soil type},$ high rainfall, no restricting soil layer).

Figure 4.14. Subsurface lateral flow on day-2 for scenario 1(1 uniform soil type, high rainfall, no restricting soil layer).

Figure 4.15. Drainage on day-2 for scenario $1(1 \text{ uniform soil type, high rainfall,})$ no restricting soil layer).

high rainfall, no restricting soil layer).

Figure 4.16 b. Soil water content (26-77) on day-7 for *scenario 1*(1 uniform soil type, high rainfall, no restricting soil layer).

Figure 4.17. Sum of the subsurface lateral flow on day-7 for scenario 1 (1 uniform soil type, high rainfall, no restricting soil layer).

Figure 4.18. Drainage on day-7 for scenario 1 (1 uniform soil type, high rainfall, no restricting soil layer).

Figure 4.19.a. Soil water content (0-26 cm) on day-l for scenario 2 (3 different soil types, high rainfall, with restricting soil layer at 120 cm).

Figure 4.19.b. Soil water content (26-77 cm) on day-l for scenario 2 (3 different soil types, high rainfall, with restricting soil layer at 120 cm).

Figure 4.20. b. Cumulative surface water flow onto the elements on day-l for scenario 2 (3 different soil types, high rainfall, with restricting soil layer at 120 cm).

rainfall, with restricting soil layer at 120 cm).

Figure 4.22. Net surface flow (cm) on day-1 for scenario 2 (3 different soil types, high rainfall, with restricting soil layer at 120 cm).

Figure 4.23. Subsurface lateral flow on day-1 for scenario 2 (3 different soil types, high rainfall, with restricting soil layer at 120 cm).

Figure 4.24. Drainage on day-1 for scenario 2 (3 different soil types, high rainfall, with restricting soil layer at 120 cm).

Figure 4.25.a. Soil water content (0-26 cm) on day-2 for scenario 2 (3 different soil types, high rainfall, with restricting soil layer at 120 cm).

Figure 4.25.b. Soil water content (26-77 cm) on day-2 for scenario 2 (3 different soil types,high rainfall, with restricting soil layer at 120 cm).

Figure 4.26. Subsurface lateral flow on day-2 for scenario 2 (3 different soil types, high rainfall, with restricting soil layer at 120 cm).

Figure 4.27. Drainage on day-1 for scenario 2 (3 different soil types, high rainfall, with restricting soil layer at 120 cm).

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Figure 4.28. b. Soil water content (26-77 cm) on day-7 for scenario 2 (3 different Soil types, high rainfall, with restricting soil layer at 120 cm).

Figure 4.29. a. Subsurface lateral flow on day-7 for scenario 2 (3 different soil types, high rainfall, with restricting soil layer at 120 cm).

Figure 4.29. b. Sum of subsurface lateral flow on day-7 for scenario 2 (3 different soil types, high rainfall, with restricting soil layer at 120 cm).

Figure 4.30.b. Simulated soil water content (26-77 cm) on day 184 (July 3) for scenario 3 (3 different soil types, low rainfall, with restricting soil layer at 120 cm).

Figure 4.31. Subsurface lateral flow on day 184 (July 3) for scenario 3 (3 different soil types, low rainfall, with restricting soil layer at 120 cm).

Figure 4.32. Drainage on day 184 (July 3) for scenario 3(3 different soil types, low rainfall, with restricting soil layer at 120 cm).

Figure 4.33 a. Simulated soil water content (0-26 cm) on day 188 (July 7) for scenario 3 (3 different soil types, low rainfall, with restricting soil layer at 120 cm).

Figure 4.33 b. Simulated soil water content (26—77 cm) on day 188 (July 7) for scenario 3 (3 different soil types, low rainfall, with restricting soil layer at 120 cm).

Figure 4.35. Drainage on day 188 (July 7) for scenario 3 (3 different soil types, low rainfall, with restricting soil layer at 120 cm).

Figure 4.36. Measured soil water content (0-26 cm) on day 184 (July 3).

Figure 4.38.a. Error map of soil water content (0-26 cm) on day 184 (July 3) for scenario 3 (3 different soil types, low rainfall, with restricting soil layer at 120 cm).

Figure 4.38.b. Measured and simulated soil water content (26-77 cm) for the entire season on the high elevation point (peak).

264 meter (Peak)

Figure 4.39 b. Measured and simulated water content for the soil profile (0-26 cm) and (26-77 cm) for the medium elevation zone (upper saddle) for the entire season. 262 meter (Lower saddle)

Figure 4.40 a. Measured and simulated water content for the soil profile (0-26 cm) and (26-77 cm) for the medium elevation zone (lower Saddle) for the entire season.

Figure 4.40 b. Measured and simulated water content for the soil profile (0-26 cm) and (26-77 cm) for the medium elevation zone (depression) for the entire season.

Water Content Change vs Elevation

Figure 4.41 a. Water content change as function of elevation for 0-26 cm soil profile for day 184 (July 3), day 225 (August 13) , and day 240 (August 28).

Figure 4.41 b. Water content change as function of elevation for 26-77 cm soil profile for day 184, day 219 (August 7), and day 248 (September 5).

CHAPTER V

UNDERSTANDING SOYBEAN YIELD VARIABILITY USING CROP MODELS AND REMOTE SENSING

5.1. Introduction

Agricultural production systems are inherently variable due to spatial variation in soil properties, topography, and climate. To achieve the ultimate goal of sustainable cropping systems, variability must be considered both in space and time because the factors influencing crop yield have different spatial and temporal behavior (Pierce and Nowak, 1999). Advances in technologies such as Global Positioning Systems (GPS), Geographic Information Systems (GIS) and remote sensing have created the possibility to assess the spatial variability present in the field and manage it with appropriate site-specific practices (Verhagen et al., 1995). Site-specific management (SSM) strategies may be able to optimize production, but their potential benefits are highly dependent on the accuracy of the assessment of such variability (Pierce and Nowak, 1999).

Traditional analytical techniques, such as regression of static measurements against yield, have failed to explain the reasons for yield variability because the dynamic, thus temporal, interactions of stresses on the crop growth and development cannot be accounted for (Jones et al., 1989; Cambardella et al., 1996; Sudduth et al., 1996). Process

oriented crop simulation models, such as the CERES and CROPGRO models (Ritchie et.al, 1998; Boote et al., 1998), have the capability to integrate the effects of temporal and multiple stress interactions on crop growth processes under different environmental and management conditions. Even though crop models have shown high potential for optimizing production and minimizing environmental impact, their application for SSM has been limited thus far. Crop models can be used for understanding yield variability, leading to a more sustainable environment (Sadler and Russell, 1997, Cora et al., 1998). Batchelor et al. (1998) and Paz et al., (1999), used CERES-Maize and CROPGRO-Soybean simulation model to determine the effect of soil water variation throughout the season on yield spatial variability optimizing for soil water limit parameters. The differences between measured and simulated yield for 224 grid points over a 3 year period ranged from $\pm 10\%$ for 70% of the grids and $\pm 20\%$ for 96% of the grids in maize and for soybean from $\pm 10\%$ for 84% of the grids and $\pm 20\%$ for 92% of the grids.

Recent advances on the resolution and availability of remote sensing imagery, coupled with a decrease in its associated costs, have allowed the collection of timely information on soil and crop variability by examining spatial and temporal patterns of vegetation indices (Moran et al., 1997). Such information can be useful to derive inputs for crop models in a GIS environment (Moran et al., 1997; Barnes et al., 1998, Johannsen et al., 1999). Vegetation indices involvemathematical relationship between near infrared and red reflectances and they have been extensively used with the goal of estimating vegetation amount (Wiegand et al., 1990; Jackson and Huete, 1991; Price, 1992). Among vegetation indices, the normalized difference vegetative index (NDVI) is the one most

commonly used to quantify canopy vigor and density (Price, 1992; Carlson and Ripley, 1997). NDVI is defined as: vigor and density (F

NDVI = $\frac{NIR - RED}{NIR + RED}$

$$
NDVI = \frac{NIR - RED}{NIR + RED}
$$

where NIR and RED represent the surface reflectance averaged over ranges of wavelengths in the near infrared ($\lambda \sim 0.8$ µm) and the visible ($\lambda \sim 0.6$ µm) regions of the spectrum, respectively. NDVI increases almost linearly with increasing leaf area index (LAI, leaf area per unit land area) until LAI exceeds values of 3-4, above which NDVI rapidly approaches an asymptotic limit (Liu and Huete 1995; Jasinski 1996, Carlson and Ripley, 1997). NDVI analysis performed on images taken at critical times during ^a growing season can help characterize spatial variability in crop performance.

Clearly, the goal of crop simulation in precision agriculture is to explain the spatial variability of crop performance mapped with grain yield monitoring systems and to help guide in management decisions related to the site-specific management of crop inputs. It is also clear that crop simulations cannot be performed everywhere given that the cost and the availability of detailed inputs would be prohibitive. A more balanced approached to the application of crop simulation models to precision agriculture would be to delineate zones within the field of similar crop performance. One approach may be to obtain vegetation indexes derived from remotely sensed imagery during critical times during the growing season to select spatial patterns to sample and to use the results of the target sampling as inputs for the models. Model validation can be performed at selected sites within these delineated management zones.

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The objective of this study was to examine a new procedure for spatial validation of crop models for use in precision agriculture that uses the CROPGRO-Soybean model to simulate soybean performance using a progressive increase of spatial inputs. The procedure also uses the crop model to validate management zones across the field delineated using ^a NDVI classification procedure.

5.2. Materials and Methods

5.2.1. Site Description and Field Measurements

The study area consisted of ^a seven ha portion of ^a field located 10 km south of Durand, MI. The field has been cropped to a com-soybean rotation for more than 10 years. Soils are variable containing five soil map units and considerable spatial variability in soil fertility (Pierce et al., 1995; Pierce and Warncke, 2000) with the major soil type in the experimental area mapped as Capac loam (Udollic Ochraqualf fine, loamy, mixed, mesic). Soybean was grown in 1997. The field was planted on May ⁵ by direct drilling soybean (Variety Asgrow 1901, a Roundup Ready variety) in 37-cm rows at a seeding rate of $494,000$ seeds ha⁻¹.

A regular grid consisting of ⁵² grid locations spaced 30.5 m apart was imposed on the ⁷ ha experimental area after planting. Latitude, longitude and elevation of each grid point were determined with a high-resolution differential GPS. Neutron probe access tubes

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were installed at each of the ⁵² grid locations. A neutron moisture gauge was used to measure the spatial variability of soil water content at lS-cm increments to the depth of the C horizon or ^a maximum of 150 cm depth, which ever occurred first. Measurements were taken on a weekly basis throughout the season. During the installation of the neutron probe access tubes, soil samples were taken at the intersection of each of the 52 grid points in 25-cm increments and stored for analysis Soil samples were air-dried and passed through ^a ² mm sieve. Particle size was determined for each segment of each soil profile using the hydrometer method. Soil organic matter was determined on the surface ²⁵ cm of each soil profile by dry combustion using ^a CHN analyzer (Carlo Erba Instruments, Italy). The upper and lower limits of soil water availability were determined using soil water measurements taken in the field during the season, and also from using Ritchie's simple model to estimate soil water limits using soil texture data (Ritchie et al., 1999). Soil depth for each grid point was determined using the deepest depth observed during the installation of neutron probe access tubes. Potential extractable soil water (PESW) was determined by subtracting the lower limit of plant water availability from the upper limit for each soil layer and integrated for the entire profile.

A 5 $m²$ area was delineated at each grid location for selected plant measurements. Plant population and the distance between plants were measured at emergence (May 20) and at the $3rd$ leaf stage of development (June 15). A non-destructive optical device with a fisheye sensor (LAI- 2000; LI-COR) was used to quantify the LAI at the 52 grid points on July ¹⁵ and August 10. Soybean yield was obtained by harvesting four rows along ^a ²⁰ m length centered on each grid point using a plot combine. Grain moisture was obtained after harvest on a subsample from each harvested area.

A datalogger (Licor 1000) was installed to collect weather data on solar radiation, minimum and maximum temperature and precipitation, which are required as model input. Precipitation was measured with an electronic tipping-bucket rain gauge every five minutes to record rainfall intensities as well as daily total amounts.

Standard statistical analyses were done for the variables measured in the field. The spatial structure for each parameter was assessed thorough a sernivariance analysis. Measurements taken on each grid point were interpolated using the punctual kriging technique available in GS+ Version 3.1a (Gamma Design Software, 1999). Correlation matrices were developed to determine the relationships among variables for each single class and for the 52 grid points.

5.2.2. Remote Sensing Data

The airborne false color composite images in the green, red and NIR portion of the spectrum were taken on June 1, June 28, July 18, July 29, August 13, August 29, September 15 at ¹ meter pixel resolution. The images provided spatial information about the condition of the crop throughout the season. Each image was used to generate NDVI maps of the field and to identify spatial patterns across the field . The false color composite image taken on July 18 (figure 5.1a) was selected for quantifying areas with

similar reflectance by grouping areas into classes of similar NDVI values (Figure 5.2) using supervised classification technique available in Idrisi v32 software (Clark Labs, 1999). Pixels of similar reflectance were queried across the field after trying various ranges of values able to reproduce the spatial patterns visible in the original false-color composite image (Figure 5.3).

5.2.3. Crop Growth Model

CROPGRO-Soybean v.3.5 is a process oriented model that simulates plant responses to environmental conditions (soil and weather), genetics and management strategies. A detailed description of the inputs required for the model is described in Ritchie and Dent (1990). This model is part of the Decision Support System for Agrotechnolgy Transfer (DSSAT 3.5, Hoogenboom et al., 1998) that provides several tools for model application. The soil water limits used to run the simulation experiments varied spatially and according to the observed data of soil texture and soil water content at the 52 grid points. The model was evaluated using the Root Mean Square Error (RMSE):

$$
RMSE = \left[\frac{1}{n}\sum_{i=1}^{n} \left(y_i - \hat{y}_i\right)^2\right]^{1/2}
$$

 $\ddot{}$

where y_i are the measurements, $\hat{y_i}$ the predictions, and n is the number of comparisons.

The soybean model was used to simulate yields in the field using progressive increase of spatial inputs. Yields simulations were made using five different scenarios. These scenarios varied from one that assumed uniform soil and management conditions across the field to one that used field-measured, spatially variable inputs for the soil water balance parameters (LL, DUL, SAT and soil depth) and plant populations, to one that simulated three areas identified by the NDVI analysis. The five cases are described in table 5.1.

5.3. Results and Discussion

5. 3.1 . Field Measurements

The yield was spatially variable across the field (Figure 5.23), ranging from 1900 to 3600 kg ha⁻¹ with a mean value of 2953 kg ha⁻¹ and a standard deviation of 433 kg ha⁻¹. The spatial distribution of yield was consistent with other field measurements (LAI and plant population) and by the remote sensing image that showed high reflectance in the high yielding areas (Figure 5.1 and 5.2).

Field measurements of LAI on August 8, (Figure 5.2b), reflected the different soil water regimes present across the field. The highest value of LAI was 4.6 and it was observed in areas of high plant population, deeper soil and high PESW. The areas of the field with rocky soil and highest elevation had the lowest LAI value of 1.7. The mean and the standard deviation for LAI were 3.6 and 0.6 respectively. The areas showing high LAI corresponded with the remote sensing image areas with high reflectance as depicted in figures 5.1 and 5.2.

Record cool weather in May delayed soybean emergence and resulted in variable population densities across the field (Figure 5.2c). Plant populations varied from 22 to 60 plants $m²$ with a mean value for the 52 grid-points of 47 plants $m²$ and a standard deviation of 8 plants $m²$. Plant stand is highly influenced by the environmental condition (soil and weather) at planting time.

Soil textural analysis from the 52 grid-points showed high spatial variability for sand and clay particles. The clay content varied across the field from 8% in soil of the high relative elevation areas to 25% in soil in low relative elevation areas. Sand percentage varied from a minimum of 40% to a maximum of 82% and logically had an opposite spatial distribution from the clay content. Based on textural analysis results and their spatial distribution, three main soil types were detected across the field. A deep-dark sandy-loam soil located in lower elevation areas of the field, a sandy loam characterizing the flat areas and a sandy-rocky soil present in the higher elevation areas.

Soil depth measurements also showed the presence of high spatial structure across the field (Figure 5.33). Spatial variations in soil depth had similar trends as clay (Figure

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5.3b). Peaks had lower soil depth due to erosion phenomena. Soil depths ranged from 95 cm to 150 cm with a mean value for the 52 grid-points of 130 cm and ^a standard deviation of l4-cm.

Potential extractable soil water (PESW) values are shown in Figure 5.3c. PESW is ^a function of soil depth and soil texture, thus the spatial distribution of these variables were similar. A maximum PESW of ¹⁴⁰ mm was observed in the low elevation areas, while the lowest value of ⁷⁰ mm was found at high elevations. The mean PESW value for the field was ¹¹¹ mm with ^a standard deviation of ¹⁹ mm.

The field is characterized by a rolling terrain that caused high spatial variability of soil properties. Landscape position and relative elevation highly influenced soil physical properties thorough erosion processes that occurred over the years (Mueller, 1998). The spatial dependence was determined for each soil and crop variable measured in the field. Geostatistical analysis revealed spatial structure for all the variables giving ranges of distance that varied from ⁶⁰ m for the plant population to ¹⁵⁰ m for the yield (Table 5.2a). The spherical model fitted the sernivariance well. Table 5.2b reveals that the yield measured at the 52 grid points is highly correlated to LAI, PESW and NDVI as shown by the correlation coefficients of 0.86, 0.87 and 0.97.

5.3.2. Simulation Experiments

5.3.2.1. Scenarios 1-4

Error in yield prediction decreased as the level of input detail increased for the simulation scenarios tested (Table 5.1). The field average of 2995 kg ha⁻¹ was underestimated under scenario 1 which predicted a soybean yield of 2530 kg ha^{-1} . The RMSE for scenario 1 was 465 kg ha⁻¹. Under scenario 2, adding site-specific plant population data as model input improved model performance by decreasing the RMSE to 296 kg ha⁻¹, a reduction of ³⁶ % over scenario 1. Using site-specific soils data at constant plant populations in scenario ³ improved yield prediction ¹⁸ % more than scenario ² as evidenced by an RMSE of 245 kg ha⁻¹ and 47% over scenario 1. Using both site-specific soils and plant population input further reduced RMSE improving the prediction of soybean yield over scenario ¹ by 58% (Figure 5.4a).

5.3.2.2. NDVI Classes

The 18 July composite image and the corresponding NDVI image clearly show spatial variability in soybean performance (Figure 5.1b). The correlation between NDVI and crop yield for the 52 grid points was very strong (Figure 5.5). Classification of the NDVI image indicated three classes of importance in this field. Note that the areas of different classes are not contiguous. Table 5.3 summarizes the areal distribution and properties of these classes as well as the data for soils and plant populations used as input in the crop

simulations under scenario 5. Yield predictions for the three NDVI classes were very good as evidenced by an RMSE values for the three classes (Table 5.4, Figure 5.1c). These RMSE were the lowest of all crop simulation scenarios evaluated showing that the NDVI reclassification procedure adopted in the study was appropriate and proven to be ^a useful way of creating zones in the field. Multi-year simulation with this approach would allow for the characterization of the field.

The progressive use of site specific model inputs combined with the NDVIreclassification has a major advantage over an issue that thus far has limited the power and application of simulation model in precision agriculture: scale! The site-specific input approach is scale-independent because the scale is controlled by the observed variation in the field and that is the scale at which the model will be applied.

5.4. Conclusion

Analysis of remote sensing imagery processed into the NDVI identified the spatial patterns of crop growth variability. The variability in soybean populations within the field provided validation of the plant population and soil type effects on soybean yields predicted by the CROPGRO- Soybean model. The model gave accurate predictions of the yield across the field when the correct inputs were used showing great potential for use in yield map prediction and interpretation in the context of site-specific management. This

study showed that the soil types present in the field could be managed differently using different cultivars or plant density to achieve higher yield while minimizing the costs.

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It is clear that zone-specific management to optimize production can be developed through a combination of remote sensing and simulation models. This is a more affordable alternative to the use of traditional soil sampling and micro-scale sensing. It also answers questions related to the scale issue by applying the model at the scale of variability observed through remote sensing and NDVI image reclassification.

Table 5.1. Model inputs, number of model runs and RMSE for each simulation scenarios.

Table 5.2a. Semivariograms parameters for the variables measured in the field. Table 5.2a. Semivariograms parameters for the variables measured in the field.

Table 5.2b. Correlation matrix among variables measured in the field at the 52 grid-point. Table 5.2b. Correlation matrix among variables measured in the field at the 52 grid-point.

Figure 5.1 a. False-color composite image taken on July 18, 1997 (original image delivered by Emerge).

Figure 5.1 b. NDVI Image.

Figure 5.1 c. Reclassified NDVI Image. The areas in white are NDVI-Class 1, the areas in grey are NDVI-Class 2 and the areas in black are NDVI-Class 3.

Figure 5.2. Krigged map of measured soybean yield (Kg ha⁻¹)(a); LAI measured on August 8 (b); plant population measured on June 5 (plant m⁻²) (c).

Figure 5.3. Krigged map of soil depth (cm) (a); clay content (%) (b); and potential extractable soil water (mm) (c).

Table 5.3. Variables measured in each NDVI class and average for the 52 grid points. Table 5.3. Variables measured in each NDVI class and average for the 52 grid points.

 \prime

Table 5.4. Summary table for measured and simulated yield for each NDVI Class and area weighted average across the field. Table 5.4. Summary table for measured and simulated yield for each NDVI Class and area weighted average across the field.

soil type for the 52 grid point (a); measured yield for the three NDVI classes (b); simulated yield for the three NDVI classes using average measured inputs.

Figure 5.5. Correlation between NDVI (image taken on July 18) and yield.

CHAPTER VI

CONCLUSIONS AND RECOMMENDATIONS

This chapter summarizes the importance of using simulation modeling and digital terrain analysis to evaluate the effect of topography and soil physical properties on spatial soil water balance.

Chapter one presented the rationale and background of this dissertation. A detailed literature review (chapter two) was done for the terrain analysis, reviewing existing digital terrain models and soil water balance models. From this chapter, it was shown that a new hybrid model that combined a digital terrain model with a spatially sensitive soil water balance was needed in order to better simulate water movement over the terrain. The terrain model and the spatial component of the soil water balance models were discussed in chapter three. The model was able to partition the landscape into an interconnected series of element network from ^a grid DEM. The soil spatial water balance of SALUS was able to partition the downward water flow in the vertical and horizontal dimensions. The model was rapid in its simulations and output outcome.

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Chapter four was the primary focus of this dissertation. In this chapter, data were presented on the newly developed TERRAE—SALUS model and its ability to simulate the spatial soil water balance as affected by landscape topography. The model was applied at a field scale in Durand, Michigan, were an extensive data set on soil water measurements was available. The RMSE between model and observed results varied from 0.22 cm to 0.68 cm of water. In addition, two scenarios were presented illustrating the model capabilities to partition the subsurface lateral flow and the vertical drainage as well as the surface water runoff-runon as affected by landscape positions and by rainfall amount. TERRAE-SALUS was able to simulate satisfactorily the soil water content. The biggest advantage of this model appears to be its simplicity and at the same time accuracy. Due to the functional approach of the soil water balance, the data inputs requirements are also minimum and easy to obtain.

Chapter five described the integration of the current technology available in agriculture to predict the spatial variability of soybean yield. The crop simulation model CROPGRO was applied in combination with remote sensing data to evaluate the capability of the model to identify factors responsible for the yield variation in a spatially variable landscape. Results from this study showed that a combination of crop simulation model and remote sensing can identify management zones and causes for yield variability, which are prerequisites for zone-specific management prescription.

The processes of modeling the soil water balance over space and time is of crucial importance for the appropriate management of the water resources, especially in areas

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where they are in continuous jeopardy. Although, this is not an easy task due to the difficulties related to the complexity of the soil-water-atmosphere systems, uncertainty of weather, and lacking of good quality data to be used for the model evaluation. The scale issue is also a restriction on the power of the existing simulation models if applied at the inappropriate scale to simulate a process characterized by different scale characteristics. Moreover, it must not be forgotten that any model is a simplification of reality. If the biological processes modeled were not dynamic, the modeling of such system would have been much easier.

In the case of this study, TERRAE-SALUS has been shown to produce satisfactory results in its field application. The accuracy of the model results is highly dependent on the quality of inputs used, especially pertaining to soil characteristics, elevation data and weather information. Further investigations are recommended to evaluate approaches to the problems of up scaling model simulations. The up-scaling is not solely achieved by running the model patch scale models for larger areas consisting of many patches, but that different processes and connectivities emerge as dominant as we move from the plot scale to catchment scale. The promising results showed by TERRAE-SALUS demonstrated that its application can be beneficial in water resources management. My vision for the future is that digital terrain modeling will be become increasingly important in simulating the most sustainable soil and water resources management practice. The application of DTM can help in identifying areas across the landscape more susceptible to erosion and with the highest surface runoff. Moreover, the model does not need to be applied on the entire landscape, requiring large amount of inputs but it can be executed

on small areas and then extend the output to areas that are alike across the landscape,

avoiding in this way repetitive data collection, not necessarily needed.

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APPENDICES

APPENDIX A

USING TERRAE

TERRAE requires ^a grid DEM. TERRAE is run with ^a single argument specifying the parameter file:

Unix> TERRAE dem.params

The parameter file contains all the information required to run the program, including the names of the DEM, channel head and boundary files as well as numeric parameters such as the maximum sink depth and logical parameters specifying which components of TERRAE are active. The most commonly used parameters are:

 \bullet Grid file = dem.flt

The name of the DEM file exported from ARC/INFO using GRIDFLOAT. TERRAE expects to find the header file (eg dem.hdr) in the same directory as the binary DEM file. A full path name may be used. This parameter must be set (there is no default).

 \bullet Channel head file = channels.txt

The channel heads, as ASCII x y values one per line. This is an optional parameter; if it is not set or the file cannot be opened, channel heads will not be used.

Diversion line file $=$ boundary.ung

The boundary polygon in ARC/INFO ungenerate format. This is an optional

parameter; if it is not set or the file cannot be opened, no boundary polygon will be used.

• Remove sinks $=$ yes or no

If yes, sinks will be cleared if they are within the depth and/or distance thresholds. Default is yes.

 \bullet Sink depth threshold = number

The maximum depth of a depression that will be considered a spurious sink. There is no default value, so if "Remove sinks" is set, a value must be provided.

 \bullet Sink draining distance threshold = number

The maximum distance from sink to saddle for a spurious sink. The default value is twice the grid spacing.

 \bullet Sink threshold combine logic = AND or OR

Use AND if both thresholds must be satisfied to drain the sink; use OR if either can be satisfied. Default is OR.

- Construct polygons $=$ yes or no
- Construct elements $=$ yes or no

These two settings must be yes for elements to be created. The default for both is yes.

Subdivision size $=$ number \bullet

> This sets the target area for automatically subdividing elements. The initial set of elements will be automatically subdivided until each element is smaller than the specified area.

- Create flow lines out from depressions $=$ yes or no If this is set to yes, stream lines will be created from the depression over its draining saddle as if the depression was a channel head. Default is yes.
- Spaced flowline spacing $=$ number

Apart from creating element networks, TERRAE can operate in ^a simpler mode by creating a set of flowlines at fixed spacing across the landscape. In this mode, the lines do not connect to form ridge and stream junctions. Set this parameter to a number and set "Construct polygons" to no to use this mode.

After its processing, TERRAE writes the following files:

Dem.sinks, dem.saddles, dem.peaks \bullet

The locations and properties of each flat point.

Dem.ridgelines, dem.valleylines \bullet

The set of lines generated by TERRAE

Dem.streamj, dem.ridgej \bullet

The stream and ridge junction points

Dem.polygons

The outlines of each polygon

Dem.elemgeom, dem.elemattr and dem.elemconnect

The element description files (described above)

Dem.topology

Description of the line network topology – each peak, sink, saddle, stream junction

and ridge junction and the lines they connect to; sinks and saddles have additional information.

These files are all in simple x y z format (apart from the .topology file) that can be plotted directly using GNUPLOT or converted to ungenerate format to read into ARC/INFO.

APPENDIX B

Program Spatial Soil Water Balance

C (SALUS-TERRAE) C DEFINITIONS OF VARIABLES ARE LISTED AT THE END OF THE PROGARM

USE elemwatbal IMPLICIT NONE CHARACTER HEAD*32, FNAME*8, doystring*3 type(soil_type) :: Soils(MaxSoils) type(element_type) :: Elements(MaxElems) REAL LAT,LONG,ALT,Press REAL CROPEC,VPDMIN,RGRATE,RTLMR REAL MEANDEP, CUMDEP, Depth REAL DTT.LAI,RLD(MaxLayer), RootDep, RootDepIncr REAL SOLAR,TMAX,TMIN,RAIN REAL OutFlow REAL SWSTR REAL SWTot,SWO_26,SW26_77,SW77_Bot INTEGER YR,DOY,L,I,EMDAY,ELEM,NUMELEMS, ^l elemnum,elemdown,downnum,numsoils,soil REAL FINDY,LAI_TAB(2,100),REAL_DOY integer month **!AG** real a(12), b(12), runoff_slope(maxsoils) !AG !
!**************************READING INPUT DATA*************************** WRITE(*,*)' ENTER WEATHER (_.WTH) FILE NAME WITHOUT EXTENSION' READ(*,'(A8)')FNAME OPEN(UNIT=1 l,FlLE=trim(FNAME)//'.WTH', STATUS='OLD') OPEN(UNIT=12,FILE='SOIL.DAT',STATUS=UNKNOWN') OPEN(UNIT=14,FILE='CROP.DAT',STATUS='UNKNOWN') OPEN(UNIT=13,FILE=trim(FNAME)//'.PRN', STATUS='UNKNOWN') OPEN(UNIT=1 5,FlLE=trim(FNAME)/I'.PRF', STATUS='UNKNOWN') OPEN(UNIT=17,FILE=trim(FNAME)//'.PRL', STATUS='UNKNOWN') OPENCUNIT=18,FILE='RUNOFF.DAT', STATUS=UNKNOWN')

!SPATIAL: Need files to read elements information from OPENCUNIT=l 9,FILE=trim(fname)//'.elemparams',STATUS='OLD') OPEN(UNIT=1 10,FlLE=trim(fname)//'.elemsoils',STATUS='OLD')

```
!***** Read values for LAI and root depth for given days of the year***
   OPEN(UNIT=120,FILE='LAI.DAT',STATUS='OLD')
   CALL READXY(120,LAI_TAB)
   CLOSE(120)
   READ(l 1,'(A32)')HEAD
```
! Read till the line with Latitude, Longitude and elevation is found

```
700 READ(11,5,ERR=700,END=900)LAT,LONG,ALT
   IF(LAT .EQ. 0.0 .AND. LONG .EQ. 0.0 .AND. ALT .EQ. 0.0) GOTO 700
5 FORMAT(8X,2F9.3,F7.I)
```
! Read the runoff parameters: !AG

```
read (UNIT = 18, fmt = 300) (month, a(i), b(i), i = 1, 12) !AG
300 format (l, 12(1x, i2, 2(1x, f7.4), l)) !AG
```

```
READ(14,*)
   READ(14,*)
   READ(14,*)CROPEC,VPDMIN,RGRATE,RTLMR
   READ(12,*)
   soil=l
   DO WHILE(.TRUE.)
    READ(12,*,END=790)
    IF(soil.GT.maxsoils) THEN
      WRITE(*,*) Too many soils: maximum is ', maxsoils
      STOP
    ENDIF
    READ(12,*) Soils(soil).NLAYR,Soils(soil).COEFW,
  l Soils(soil).KSMICRO,Soils(soil).PONDMAX
    READ(12,*)CUMDEP=0.
!SPATIAL read element data
!**********************MITIALIZING AND READING SOILS
FII E***************
    WRITE(*,*) 'Soil number', soil
    DO L=1, Soils(soil).NLAYRREAD(12,*)Soils(soil).DLAYR(L),Soils(soil).SWLL(L),
  l Soils(soil).SWDUL(L),Soils(soi1).SWSAT(L),
  2 Soils(soi1).KSMACRO(L),Soils(soil).RHF(L),
  3 Soils(soil).INITSW(L),Soils(soil).BD(L)
      CUMDEP=CUMDEP+Soils(soil).DLAYR(L)
      Soils(soil).ZLayr(L) = CumDepSoils(soil).SWAD(L)=0.44*Soils(soi1).SWDUL(L)**2
      MEANDEF = (CUMDEF + (CUMDEF - Soils(soil).DLAYR(L)))/2
```
Soils(soil).FLOWUCO(L)=0.63/MEANDEP**2* ^l (0.495+EXP(2.804- l0.76*Soils(soi1).SWDUL(L))) IF(L.LT.5)THEN Soils(soil).RUCO(L)=Soils(soil).RHF(L)*0. 15 ELSE Soils(soil).RUCO(L)=Soils(soil).RHF(L)*0.10 ENDIF $RLD(L)=0.0$ WRITE(*,10)CUMDEP,Soils(soil).DLAYR(L),Soils(soil).SWLL(L), ^l Soils(soil).SWDUL(L),Soils(soil).SWSAT(L), 2 Soils(soil).KSMACRO(L),Soils(soil).RHF(L), 3 Soils(soil).INITSW(L) 10 FORMAT(2F6.0,3F6.3,F6. 1,F6.3,F6.3) ENDDO Soils(soil).FLOWUCO(1)=Soils(soil).FLOWUCO(1)* 1 (0.82-4.7*(0.45-Soils(soil).SWDUL(1))**2) $WRITE(13, (A32))HEAD$ WRITE(IS,'(A32)')HEAD WRITE(17,'(A32)')HEAD WRITE(13,18)LAT,LONG,ALT,CROPEC,VPDMIN,Soils(soil).PONDMAX, ^l Soils(soil).KSMICRO ¹⁸ FORMAT(LAT'FS. 1,' LONG',F6. l,' ALT',F5.0,' CROPEC',F5. 1,' VPD 1M1N',F6.2,' PONDMAX',F5. l,' KSMICRO',F5. l) WRITE(13,30) WRITE(15,31) WRITE(17,32) WRITE(17,33) $WRITE(13, 15)$ (Soils(soil).INITSW(I),I=1,12) 15 FORMAT(8X, '------------cm/day----------- cm',2X,12F5.3) ! Soils(soil).PONDY=0.0

soi1=soil+l ENDDO

!SPATIAL - Read information from TERRAE about element attributes(area, slope, etc.) ! and connection (topology, which is the downslope elements, etc) from the 'filename.Elements'.

790 CONTINUE $numelems = 0$

- ! The Element array is sparse. The USED variable will tell the program
- ! which elements have valid data

Elements.Used = .FALSE. DO WHILE(.TRUE.)

```
READ(19,* ,end=79 l) elemnum, Elements(elemnum).centreX,
  \mathbf{1}Elements(elemnum).centreY,Elements(elemnum).centrez,
  enddo Nu—
  \overline{2}Elements(elemnum).Area,
  3 Elements(elemnum).ndownslope,Elements(elemnum).slope
       Elements(elemnum).Used = .TRUE.
       WRITE(*,*) Elem ', elemnum, 'has',
  l Elements(elemnum).ndownslope,'connections'
    if(Elements(elemnum).ndownslope .gt. maxdown) then
      WRITE(*,*) Too many connections: maximum is ', maxdown
      STOP
    endif
    do downnum=l, Elements(elemnum).ndownslope
      READ(19,*) Elements(elemnum).downslope(downnum),
  1 Elements(elemnum).downfrac(downnum)
      WRITE(*,*) downnum, Elements(elemnum).downslope(downnum),
  1 Elements(elemnum).downfrac(downnum)
    enddo
    READ(110,*) elemnum,soil
    Elements(elemnum).Soil = soil
    do i=1,Soils(Soi1).nlayr
      Elements(elementum).sw(i) = Soils(Soil).initsw(i)enddo
    Elements(elemnum).pond = 0.0Elements(elemnum).pondMax = Soils(Soil).PondMax
    numelems = max(numelems, elemnum)enddo
! initialise depth to saturated layer in all elements
   do elem=l ,numelems
     soil = Elements(elem).Soil
     Elements(elem).SatDepth = 9999
    Elements(elem).SatLayer = Soils(soil).nlayr + 1
     do L=Soils(soil).nlayr,1,-l
      if (Elements(elem).sw(L) .lt. Soils(soil).swdul(L)) then
        exit
      else
        Elements(elem).SatDepth = Soils(soil).Zlayr(L) -
   1 Soils(soil).Dlayr(L)
        Elements(elem).SatLayer = L
      endif
     enddo
```
! convert depth from cm from the top of the soil to meters above some ! base level

Elements(elem).SatDepth = Elements(elem).CentreZ -

^l (Elements(elem).SatDepth/100.0)

enddo

```
791 CONTINUE
  PRESS=101.-0.0107*ALT
  ROOTDEP=0.0
  EMDAY=0
  YR=1
```
! write out Are LUT for element parameters

```
OPEN(UNIT=111,FILE=trim(FNAME)//'.area', STATUS='UNKNOWN')
do elemnum = 1, numelems
  if (Elements(Elemnum).Area .gt. 0) then
   WRITE(111,*) elemnum, Elements(Elemnum).Area,
1 Elements(Elemnum).centrex,Elements(Elemnum).centrey,
2 Elements(Elemnum).centrez, Elements(Elemnum).Slope
  endif
enddo
```

```
close(UNIT=111)
```
! Open ^a Sufer DAT file to store some non-volitle data

```
Open(20,file=trim(fname)//'_fixed.dat',status='unknown')
write(20,'(7A13)')"'X"',"'Y"',"'Z"',"'Slope"',"Area"',
l "'PondMax" ','"ElemNum"'
```

```
do elemnum = l,numelems
 if (Elements(elemnum).Used) then
   soil = Elements(elemnum).Soi1
```
! Initialize variable needed for the water balance

CALL ElemCSWB(INIT, DOY, YR, SOLAR, TMAX, TMIN, RAIN,

- LAT, LONG, ALT, Press, d'IT, LAI, RLD, SWSTR, Elemnum,
- Soil,Soils(soil),Elements(elemnum),CROPEC,RTLMR,RGRATE,
- 3 Elements,Soils) write(20,'(6f13.3,I13)') Elements(Elemnum).centreX, 1 LA

2 Soi

3 Ele

write(1

2 Ele

2 Ele

3 Ele

endif

endio

close (20)
- Elements(Elemnum).centrey,Elements(Elemnum).centreZ,
- Elements(Elemnum).Slope,Elements(Elemnum).Area,
- Elements(Elemnum).PondMax,ElemNum

```
endif
enddo
```
! ***************DAILY LOOP (READ WEATHER AND CALCULATE WATER BALANCE*******

```
DO WHILE(YR.GT.0)
800 READ(l l,20,ERR=800,END=900)YR,DOY,SOLAR,TMAX,TMIN,RAIN
    IF (DOY .EQ. 0) GOTO 800
20 FORMAT(12,I3,4F6. l)
    REAL_DOY = REAL(DOY)
    dTT = \frac{amax1(0,(Tmax + Tmin)/2 - 10)}{2}LAI = FINDY(REAL_DOY,LAI_TAB)
    do elem=l ,numelems
      Elements(elem).surfinflow = 0Elements(elem).subsurfinflow = 0Elements(elem).inflowdepth = 9999
       enddo
       outflow = 0WRITE(doystring,'(I3.3)') doy
! OPEN(UNIT=1 l l ,FILE=trim(FNAME)//'.wat'//trim(doystring),
! 1 STATUS='UNKNOWN')
```

```
! Open a Sufer DAT file to store some daily data
```

```
Open(20,fi1e=trim(fname)//trim(doystring)//'.dat',
   1 status='unknown')
   write(20,'(25A13)')"X"',"'Y"',"'ElemNum"',"'Runoff"',"'RunOn"',
   1 "NetSurfFl"',"Ponding"',
  2 '"SW 0-26"','"SW 26-77"',"'SW 77-Bot"',"'Tot. SW'",
   3 "SubFlow"',"SumSubFlow"',"Drainage"'
     DO ELEM=1,NUMELEMS
      if (.not. Elements(ELEM).Used) then
! no element specified, go on to next one
        cycle
       endif
       soil = Elements(ELEM).Soil
       WRITE(13,*) 'Water balance for element ',elem
l***********************************************************************
       RATE calculations
                           l**************************=1!III*4"!*#510101!*************************Ilfllfllfllul'*****
```

```
CALL ElemCSWB(RATE, DOY, YR, SOLAR, TMAX, TMIN, RAIN,
```
- ¹ LAT, LONG, ALT, Press, d'IT, LAI, RLD, SWSTR, Elem,
- 2 Soil,Soils(soil),Elements(elem),CROPEC,RTLMR,RGRATE,
- 3 Elements,Soils)

```
l*Ilulflk#3101!*#************************##1##**********************************
```


- Elements(EIem).centrey,Elem,Elements(Elem).runoff, \mathbf{I}
- $\overline{2}$ Elements(Elem).surfinflow,
- $\overline{\mathbf{3}}$ Elements(Elem).surfinflow - Elements(Elem).runoff,
- 123456 $\overline{\mathbf{4}}$ Elements(Elem).Pond,SWO_26,SW26_77,SW77_Bot,SWTot,
- $\mathbf{5}$ Elements(elem).SumSubInFlow - Elements(elem).SumSubInFlowYest,
- $\boldsymbol{6}$ E1ements(elem).SumSubInFlow,

7 Elements(elem).FlowD(SoilS(Soil).NLayr)

ENDDO

Close(20)

```
! \text{close}(\text{UNIT}=111)
```
ENDDO

```
900 CONTINUE<br>STOP
```
- 30 FORMAT(' YR DOY RAIN ROFF DRAN ES EP LAIRTDEP SW1 SW2
1 SW3 SW4 SW5 SW6 SW7 SW8 SW9 SW10 SW11 SW12)
- ³¹ FORMAT(' YR DOY RAIN RNOFS RNOFD POND FLOWl FLOW2 FLOW3 F

1LOW4 FLOWS FLOW6 FLOW7 FLOW8 FLOW9 FLOWlO FLOWll FLOW12')

- 32 FORMAT(' ROOT LENGTH DENSITY FILE --units cm/cm^3)
- ³³ FORMAT(' YR DOY DEPl DEP2 DEP3 DEP4 DEP5 DEP6 DEP7 DEP8 D 1EP9 DEPlO DEPll DEPlZ') END

```
SUBROUTINE READXY (INUNIT,POINTS)
```

```
C<br>C<br>C<br>C
    Subroutine to read an arbitrary number of xy points and put them
    into the array POINTS
   INTEGER I,J,INUNIT,NUMPOINTS
   REAL POINTS(2,*)
C<br>C Read number of points for this equation from the file
\mathbf CJ = 0READ(INUNIT,*,ERR=100,END=100) NUMPOINTS
C<br>C<br>C
    Repeat until error (ie. a line without two real numbers on it)
   DO J = 1, NUMPONTSREAD(INUNIT,*,ERR=100,END=100) (POINTS(I,J),1=1,2)
   END DO
100 CONTINUE
C
C Place end of points marker
C
   IF (J .EQ. 0) THEN
```
```
POMTS(1,1) = -9999.0ELSE
 POMTS(1, J) = -9999.0ENDIF
IF (I L.E. 1) THEN
 WRITE(*,*) ' No points read!'
ENDIF
RETURN
END
```

```
REAL FUNCTION FINDY (X,POINTS)
```

```
C<br>C<br>C<br>C
C<br>C<br>C
C<br>C<br>C
    From the arbitrary X,Y values in the POINTS array find a Y
    value for a given X value.
   INTEGER I
   REAL POINTS(2,*),WEIGHT,X !variable X added
    If input X is less than minimum X set Y to value of first XIF (X .LE. POINTS(1,1)) THEN
     FINDY = POINTS(2,1)ELSE
     I = 2DO WHILE ((X . GT. POMTS(1,I)).AND.POMTS(1,I) . GE. -9998.0))I=I+1END DO
       If input X is greater than maximum X set Y to value of last YIF (POINTS(IJ) .LT. -9998.0) THEN
       FINDY = POINTS (2,I-1)ELSE .
        WEIGHT = (X-POINTS(1,(I-1)))/(PONTS(1,I)-PONTS(1,(I-1)))FINDY = POINTS(2,I-1) + (POMTS(2,I) - POINTS(2,I-1)) *WEIGHTENDIF
   ENDIF
   RETURN
WEMPTHE FIND<br>FIND<br>ENDIF<br>END<br>C========
WEI<br>FINI<br>ENDIF<br>END<br>C========<br>C========
```
END

C======

C NAILUJ, Subroutine

C

C Determines Julian date

C Revision history

C Revision history

C 1. Written

C 3. Header revision and minor changes

C TNPUT : JULD,NYRCHK

C

C LOCAL : RNAME(),NSUM,JCOUNT,NDIF,MON()

C

C COUTPUT : NDAY RMON

C COUTPU Determines Julian date C Revision history C 1. Written 2 Modified by Determines Julian date

The Common Sevision history

1. Written

2 Modified by

3. Header revision and minor changes

P.W.W. 3. Header revision and minor changes P.W.W. 2-8-93 C INPUT : JULD,NYRCHK LOCAL :RNAME(),NSUM,JCOUNT,NDIF,MON() Determines Julian date

Mevision history

Revision history

1. Written

2 Modified by

3. Header revision and minor changes

P.W.W.

INPUT : JULD,NYRCHK

LOCAL : RNAME(),NSUM,JCOUNT,NDIF,MON()

OUTPUT : NDAY RMON

--------C OUTPUT : NDAY RMON Called : SEHARV SENS SEPLT SETINIE OPDAY Determines Julian date

Revision history

1. Written

2 Modified by

3. Header revision and minor changes

P.W.W.

INPUT : JULD,NYRCHK

LOCAL : RNAME(),NSUM,JCOUNT,NDIF,MON()

OUTPUT : NDAY RMON

Called : SEHARV SENS SEPLT Calls : None DEFINITIONS C RMON : C RNAME(): C NSUM : C JCOUNT: C NDIF : C JULD :
C NYRCHK : C NDAY : Called : SEHARV SEN

Calls : None

DEFINT

RMON :

RNAME():

NSUM :

JCOUNT :

NDIF :

JULD :

NYRCHK :

NDAY :

MON() : C MON $()$:

SUBROUTINE NAILUJ (JULD,NYRCHK,month)

IMPLICIT NONE

CHARACTER*3 RMON,RNAME(12) INTEGER NSUM,JCOUNT,NDIF,JULD,NYRCHK,NDAY,MON(l2), month

DATA MON /31,28,31,30,31,30,31,31,30,31,30,31/ DATA RNAME /'JAN','FEB','MAR','APR','MAY','JUN', & JUL','AUG','SEP','OCT', NOV','DEC'

IF (MOD(NYRCHK,4) .EQ. 0) THEN $MON(2) = 29$ ELSE

```
MON(2) = 28ENDIF
NSUM = 0DO JCOUNT = 1, 12NDIF = JULD - NSUM
 IF (NDIF .LE. MON(JCOUNT)) THEN
  NDAY = NDIFRMON = RNAME(JCOUNT)
  month = icountRETURN
 ENDIF
 NSUM = NSUM + MON(JCOUNT)
END DO
```
RETURN

END

C DEFINITIONS

C EO Potential evapotranspiration (cm/day)

C ESO Potential soil evaporation (cm/day)

C ES Actual soil evaporation (cm/day)

C EPO Potential plant evaporation (cm/day)

C EP Actual plant evaporation (cm/day)

C VPD Estimated vapor pressure deficit for ^a day (kPa)

C VPDAY Estimated vapor pressure for ^a day (kPa)

C VP Estimated saturation vapor pressure for ^a day (kPa)

C VPDMIN A crop specific threshold vapor pressure deficit below which the aero-

C dynamic component in the potential evaporation equation is zero (kPa)

C CROPEC A crop specific constant--slope of the aerodynamic component relation-

C ship in the potential evaporation equation (MJ/kPa)

C RADCOM The radiation component in the potential evaporation equation (mm/day)

C AEROCOMS The aerodynamic component in the potential evaporation equation for

C bare soil surfaces (mm/day)

C AEROCOMC The aerodynamic component in the potential evaporation equation for C crops surfaces (mm/day)

C GODPG Gamma divided by delta plus gamma in the potential evap. equation

C PRES The estimated atmospheric pressure based on elevation (kPa)

C RTLMR The root length to mass ratio for the empirical root growth routines (cm/g)

C RUNOFFS Daily runoff related to lack of surface infiltration (cm/day)

C RUNOFFD Daily runoff related to lack of drainage at depth (cm/day)

C LAI Leaf area index (cm2/cm2)

C LAI_TAB Table of LAI for given dates (input data)

C ROOTDEP,TAB Table of root depth for given dates (input data)

C RLD(L) Root length density (cm/cm3)

C COEFD Empirical coefficient used to calculate new water content after

C infiltration (unitless)

C CUMDEP Cumulative soil depth at bottom of layer (cm)

C MEANDEP Soil depth at center of layer (cm)

C SW(L) Soil water content (cm3/cm3)

C SWT Temporary variable for ^a new soil water content (cm3/cm3)

C SWTD Temporary variable for calculating water content during drainage (cm3/cm3)

C SWTI Temporary variable for calculating water content during infiltration (cm3/cm3)

C SWDUL(L) Soil water content at the drained upper limit (cm3/cm3)

C SWSAT(L) Soil water content at saturation (cm3/cm3)

C RHF(L) Root hospitality factor input from soils file unitless

C RUCO(L) Root uptake coefficient unitless

C SWDIFU(L) Soil water content difference resulting from upward flow (vol frac)

- C SWDIFD(L) Soil water content difference resulting from downward flow (vol frac)
- C SWDIFR(L) Soil water content difference resulting from root uptake (vol frac)

C SWDIF(L) Net soil water content difference from all factors (vol frac)

C FLOWU(L) Flow rate upward at the layer being evaluated (cm/day)

C FLOW(L) Net flow rate at the layer being evaluated (cm/day)

C FLOWEXC Excess water that cannot flow downward (cm/day)

C FLOWUCO(L) Coefficient for each soil layer used to calculate evaporation rate unitless

C RUCO(L) Coefficient for each soil layer used to calculate root uptake - unitless

C REDCOU Reduction coefficient to reduce upward flow to potential soil evap.

C REDCOR Reduction coefficient to reduce root uptake to potential plant evap.

C ROOTDEP Depth of rooting cm

C INFILT Amount of infiltration during ^a given period (mm). Temp.var.

C KSMACRO(L) Saturated hydraulic conductivity with macropores (cm/day).

C KSMICRO Saturated hydraulic conductivity at surface without macropores (cm/day).

C (Should be lower than KSMACRO)

C MAXRAIN Maximum rate of rainfall (cm/day)

C NUMSTEPS Number of steps in ^a rainstorm

C PINF Daily precipitation infiltrated (cm)

C PIP Precipitaion infiltrated from ponding (cm)

C POND Amount/depth of water held in ponding on the surface (cm)

C PONDMAX Maximum amount of water that can be stored in ponding (cm)

C RAIN Daily measured rain from weather input file (mm).

C is assumed to infiltrate and the ponding routine is bypassed (mm).

C PPRECIP Amount of precipitation for ^a given period (cm).

C PRECIP Sum of RAIN and irrigation (cm) convert from mm.

C RAINDUR Length of rain storm (hrs)

C RUNOFFS Daily runoff (cm).

C TIME Current time into the storm (days)

C TIMESTEP Amount of time per step in ^a storm (days)

C TPAMT For ^a given period amount of water that could infltrate (cm)

C TRUNOFF Amount of water runoff during ^a given period (cm).

C LR Depth increment in depth counter (L) where root depth is located

Element Spatial Soil Water Balance

module elemwatbal implicit none

!**** CONSTANTS

!* MAX_LAYER: Maximum number of soil layers

- Type soil_type integer :: NLAYR ! Number of layers Real :: COEFW Real :: KSMicro Real :: PondMax Real :: DLAYR(MaxLayer),ZLayr(MaxLayer) Real :: BD(MaxLayer) Real :: SWDUL(MaxLayer) Real :: SWLL(MaxLayer) Real :: SWSAT(MaxLayer) Real :: KSMACRO(MaxLayer) Real :: SWAD(MaxLayer) Real :: FLOWUCO(MaxLayer) Real :: RHF(MaxLayer) Real :: RUCO(MaxLayer) Real :: InitSW(MaxLayer) end type soil_type type element_type logical :: Used Integer :: NDownSlope Integer :: DownSlope(MaxDown)
	- Integer :: Soil

Integer :: EMDAY Integer :: LR Integer :: OutFlowLayer Integer :: SatLayer !Highest (non-perched) saturated layer Real :: DownFrac(MaxDown) Real :: Pond Real :: PondMax Real :: Pondy !Used for Error checking Real :: CentreX, CentreY, CentreZ Real :: Area Real :: Slope Real :: SatDepth !Depth in meters above a base elevation Real :: surfinflow Real :: subsurfinflow,SumSubInFlow,SumSubInFlowYest Real :: inflowdepth Real :: Runoff,RunoffS,Runoffd Real :: SWYest, PondEvap !Used for Error checking Real :: ROOTDEP Real :: RootDepIncr Real :: SW(MaxLayer) Real :: VirtKSMac(MaxLayer) !Effective Sat. Flow for virtical flow Real :: Flow(MaxLayer),FlowD(0:MaxLayer+l),FlowU(0:MaxLayer+l),FlowR Real :: SWDif(MaxLayer),SWDifD(MaxLayer),SWDifU(MaxLayer),SWDifR(MaxLayer) Real :: RedCOU, RedCOR Real :: ES Real :: EP end type element_type Vest, PondEvap

IV:

TDEP

DepIncr

MaxLayer)

(MaxLayer),FlowD(0:1

rer),SWDifD(MaxLaye

COU, RedCOR

t_type ²

2. Highest (non-perched) saturated layer

2. Highest (non-perchecking

treY, CentreZ

2. Depth in meters above a base elevation

5.SumSubInFlow,SumSubInFlowYest

1.5.SumSubInFlow,SumSubInFlowYest

1.5.SumSubInFlow,Sum

contains

!Modified Water balance routine from Joe Ritchie.

! Soil -- all the permenant physical properties associated with a soil

! (LL, DUL, etc.)

¹ Element -- all the dynamic properties of a soil in a given letter and the left that the lands of th ! geographical element (SW, ES, EP, etc.) I

========
! PROGRAM SOIL WATER BALANCE

SUBROUTINE ElemCSWB(DYNAMIC, DOY, YR, SOLAR, TMAX, TMIN, RAIN, & LAT, LONG, ALT, Press, dTT, LAI, RID, SWSTR, Elem, & Soil,CurrSoil,CurrElem,CROPEC,RTLMR,RGRATE, & Elements, Soils)

! DEFINITIONS OF VARIABLES ARE LISTED AT THE END OF THE PROGARM

 $INTEGR$, intent(in) :: Dynamic, DOY, Yr, Elem, Soil REAL, intent(in) :: Solar, TMax, TMin, Rain, Lat, Long, Alt, Press, dTT, LAI Real, intent(in) :: RLD(MaxLayer) REAL, intent(out) :: SWStr type(soil_type), intent(inout) :: CurrSoil,Soils(MaxSoils) type(element_type), intent(inout) :: CurrElem,Elements(MaxElems) Real, intent(in) :: CROPEC,RTLMR,RGRATE Integer :: I,L,LNU Integer :: Month Integer :: DownNum,DownElem,DownSoil Real :: Error !Used for Error checking Real :: Precip,WInf Real $:: a(12), b$ Real :: PESWabove,PESWaboveFAC(MaxLayer) Real :: MEANDEP, CUMDEP, acoef, ncoef Real :: runoff slope Real :: Porosity, WatFilPor, halfpesw, swdryfac, swwetfac, coldfac Real :: TMEAN, LATHEAT, GODPG, RadCom, VPD, VPDAY, VP, AEROCOMS, AEROCOMC Real :: EO, EPO, ESO, ESD, PotentialSurfaceEvap Real :: SWN(MaxLayer), SWTI, SWTD, SWT Real :: FLOWEXC Real :: RootPres,Coef_Wat_Ext Real :: RootAct(MaxLayer) Real :: CumDif Real :: Depth,SatDP,DownAmt,KSSat,KSSatDown, KSEff, LateralFlow Real :: DeltaX, DeltaZ Real :: DepthFact, RadSlope, ZLayr, TotSubSurfOutFlow I*************************INITIAIJZATION****************************** * ' File reading will be handled outside of this routine for ! spatial application $\ddot{}$ IF (DYNAMICEQJNIT) THEN !** . ! OPEN(UNIT=2,FILE='SOIL.DAT',STATUS='UNKNOWN') ! OPEN(UNIT=4,FILE='CROP.DAT',STATUS='UNKNOWN') ! OPEN(UNIT=3,FILE=trim(FNAME)//'.PRN', STATUS='UNKNOWN')

```
l
    OPEN(UNIT=5,FILE=trim(FNAME)//'.PRF', STATUS=UNKNOWN')
!
       OPEN(UNIT=15,Flle=trim(FNAME)//'.Err', STATUS='UNKNOWN')
l
l
    READ(4,*)l
    READ(4,*)READ(4,*)CROPEC,RGRATE .
1c *******************MMLIZWG AND READING SOILS
mE*************** Ţ
<u>! ! ! ! ! ! !</u>
    READ(2,*)Ţ
    READ(2,*)\mathbf{I}READ(2,*)NLAYR,Slope
\mathbf{I}READ(2,*)Ţ
      Compute PondMax from Slope
    CurElem.PondMax = Max(1/(0.2 + 0.35*CurrElem.Slope), CurElem.PondMax)Compute the efective virtical saturated flow conductivity
Ţ
     First convert Slope from % slope to radians
     RadSlope = CurrElem.Slope * 100.0/90.0 * 0.00175
    ZLaw = 0Do L = 1, CurrSoil.NLayrŢ
      At zero depth there is no difference bewteen KSMacro and KSMacVirt
\pmb{\mathsf{I}}at two meters the correction factor will be sin(slope)
      ZLayr = ZLayr + CurrSoil.DLayr(L)
      DepthFact = 1.0 - 0.5 * (ZLayr/100.0)CurrentKSMac(L) = CurrSoil.KSMac(CL) * (DepthFact + &(l - DepthFact) * sin(RadSlope))
     EndDo
Ţ
\mathbf{I}Set coefficients for Runoff, currently N. Central USA eqn. from Gerakis
     b = -0.30Do I=1,12a(I)=MIN(-0.015,-0.15*sin(2.*3.1417*(I+2.)/12.)-0.05)ENDDO
    PESWabove = 0.
     CUMDEP=0.
    DO L=l,CurrSoil.NLayr
      CUMDEP=CUMDEP+CurrSoiLDLayr(L)
      CurrSoil.SWAD(L)=0.44*CurrSoil.SWDUL(L)**2 !Air dry soil
water contents
WRITE(*,10)CUMDEP,CurrSoil.DLayr(L),CurrSoil.SWLL(L),Cun'Soil.SWDUL(L),Cu
```

```
rrSoil.SWSAT(L). &
```
CurrSoil.KSMacro(L),CurrSoil.RHF(L),CurrSoil.InitSW(L),CurrSoil.BD(L),CurrSoil.S WAD(L)

! Set factors for root water extraction based on upper soil water

```
PESWabove=PESWabove + max(0.,CurrSoil.InitSW(L)-
CurrSoil.SWLL(L))*CurrSoi1.DLayr(L)
      PESW above FACT(L)=MIN(1, MAX(0, exp(2.2-0.62*PESW above)-0.07))RootAct(L) = 0 !Indicates that roots have not yet been active, layer L
```
! Set root water uptake coefficients for each layer

```
IF(L.LT.5)THEN
 CurrSoil.RUCO(L)=CurrSoil.RHF(L)*0.30
ELSE
 CurrSoil.RUCO(L)=CurrSoil.RHF(L)*0. 10
ENDIF
```
! Compute coefficients for soil-limited evaporation from depths

```
MEANDEP = (CUMDEP + (CUMDEP - CurrSoil.DLayr(L)))/2
      ncoef=-2.2-l.04*CurrSoi1.SWDUL(L)
      acoef=3.20*CurrSoilSWDUL(L)-0. 15
      CurrSoil.FlowUCo(L)=acoef*MEANDEP**ncoef
    ENDDO
    CurrSoil.FlowUCo(1)=CurrSoil.FlowUCo(l)*(0.82-4.7*(0.45-
CurrSoil.SWDUL(1))**2) !adjust top layer
    CurrElem.ROOTDEP = 0.0
    CurrElem.RootDepIncr = 0.0
    CurrElem.PondY=0.0
    CurrElem.EMDAY=0
    CurrElement, Pond = 0.0 !AG
    CurrElem.SumSubInFlow = <math>0.0</math>CurrElem.SumSubInFlowYest = <math>0.0</math>CurrElem.SatDepth = 9999
    CurrElem.SatLayer = CurrSoil.nlayr + 1
    do L=CurrSoil.nlayr,l,-1
      if (CurrElem.sw(L) .lt. CurrSoil.swdul(L)) then
        exit
      else
        CurrElem.SatDepth = CurrSoil.Zlayr(L) - &CurrSoil.Dlayr(L)
        CurrElem.SatLayer = L
      endif
    enddo
```

```
!
   WRITE(3,'(A32)')HEAD
l
   WRITE(5,'(A32)')HEAD
l
   WRITE(3,18)LAT,LONG,ALT,CROPEC,CurrElem.PondMax
l
   WRITE(3,30)
!
   WRITE(5,31)
l
   WRITE(3,15)(SW(I),I=1,12)
l
\ddot{\bullet}l****************************RATE
CALCULATIONS****************************
  ELSEIF (DYNAMIC.EQ.RATE) THEN
                                   l***********************************************************************
***
!
    CurElem.PondEvap = 0.0 !BDB
    CurrElem.SWYest =
sum(CurrElem.sw(l:CurrSoil.nlayr)*CurrSoil.DLayr(1:CurrSoil.nlayr)) !BDB
!*********** Runoff Rate calCUIatlonS************************************
    PRECIP=RAIN*0.1 !CONVERTS RAIN FROM mm/day to cm/day
Ţ
    Added for Spatial
    Precip = Precip + CurrElem.surfinflow !BDB
    CurrElementumoffs = 0.0 !AG
    \text{winf} = 0.0 !AG
    if (precip .gt. 0.0) then !AG! Slope of curve of rain vs. runoff: !AG
     call nailuj (doy, yr, month) !AG
     runoff_slope = MIN(1.0, exp (MAX (-1e1, a(month)* & !AG
             CurrElem.VirtKSMac(1) + b))) !AG
     Currentlem.Runoffs = max(runoff_slope * (precip + CurrElement).CurrElem.PondMax),0.0) !AG
     winf = min(precip - CurrElem.Runoffs, CurrElem.VirtKSMac(1)) !AG
     CurrElem.Pond = CurrElem.Pond + precip - CurrElem.Runoffs - winf !AG
     if (CurrElem.Pond .gt. CurrElem.PondMax) then !AG
       CurrElem.Runoffs = CurrElem.Runoffs + CurrElem.Pond - CurrElem.PondMax
!AG
       CurrElem.Pond = CurrElem.PondMax !AG
      endif !AG
    elseif (CurrElem.Pond .gt. 0.0) then !AG
     winf = min(CurrElem.Pond, CurrElem.VirtKSMac(l)) !AG
     CurrElem.Pond = CurrElem.Pond - winf !AG
    endif endif \blacksquare
```

```
if (CurrElem.Pond .lt. -1e-5) then !AGwrite (*,*) '**** Negative ponding = ', CurrElem.Pond !AG
    endif !AG
    CurrElem.FLOWD(0) = winf !AGCurrElem.Runoffd=0.
!******************RATE OF ROOT GROWTH, DOWNWARD
(cm/day)*************
    IF(LAI.GT.0.)THEN
!******************Initializing Root Depth on Day of Emergence*******
     CurrElem.EMDay=CurrElem.EMDay+l
     IF(CurrElem.EMDay.EQ.1)THEN
       CurrElem.RootDep=7.
       CurrElem.LR=2
     ENDIF
    Porosity = 1. - CurrSoil.BD(CurrElem.LR)/RockBD
                 !jwj
    WatFilPor = CurrElem.SW(CurrElem.LR)/Porosity
                 !jwj
    halfpesw = CurrSoil.SWLL(CurrElem.LR) +
0.5*(CurrSoil.SWDUL(CurrElem.LR)-CurrSoil.SWLL(CurrElem.LR))
      !jwj
    SWDRYFAC=max(0.,min(1.,(CurrElem.SW(CurrElem.LR)-
CurrSoil.SWLL(CurrElem.LR)) &
     Khalfpesw-CurrSoil.SWLL(CurrElem.LR))))
    SWWETFAC=MIN(1.,5.*(1.-WatFilPor))
      !jwj
    coldfac = 1.CurrElem.RootDepIncr = RGRATE * dTT *
min(CurrSoil.RHF(CurrElem.LR),swdryfac, &
      swwetfac,coldfac)
    ENDIF
1**************** POTENTIAL EVAPOTRANSPIRATION CALCULATIONS**********
```

```
TMEAN=TMAX*O.5+TMIN*0.5
LATHEAT=(25.01-TMEAN/42.3) !THIS IS FOR CM/DAY UNITS
GODPG=(0.598-3.0E-05*PRESS)-0.0 l 7*TMEAN+1 .49E-04*TMEAN* *2
IF(GODPG.GT. l .0)GODPG=1.0
```
! THE ABOVE EXPRESSION IS NOT GOOD AT VERY LOW TEMPERATURES

```
RADCOM=(l -GODPG)*SOLAR*0.63
```

```
VPDAY=0.611*EXP(17.27*TMEAN/(TMEAN+237.3))
VP=0.611*EXP(17.27*TMIN/(TMIN+237.3))
VPD=VPDAY-VP
IF(LAI.GT.0)THEN
 AEROCOMS=GODPG*15.0*VPD**1.5*EXP(-0.75*LAI)
 ESO=(RADCOM*EXP(-0.40*LAI)+AEROCOMS)/LATHEAT
 AEROCOMC=GODPG*CROPEC*VPD** l .5
 E0 = (RADCOM+AEROCOMC)/LATHEAT
 EPO=EO*(1 .-EXP(-0.92*LAI))
 if (lai .lt. 0.5) then
  EO = ESOendif
ELSE
 AEROCOMS=GODPG*15.0*VPD**1.5
 ESO=(RADCOM+AEROCOMS)/LATHEAT
 EPO=0.0EO = ESOENDIF ! End of LAI if statement for PET calculations
```
þ

```
CurrElem.FlowR=0.
CUMDEP=0.
ESD=0.
PESWabove=0.
SWN = CurrElem.SW
```
! SPATIAL:

! Move water laterally in or out of the saturated zone

```
CurrElem.SumSubInFlowYest = CurrElem.SumSubInFlow
CurrElem.SumSubInFlow = CurrElem.SumSubInFlow + &
             CurrElem.subsurfinflow
```
! If water is flowing in start from the top of the water table and ! move up

```
If (CurrElem.subsurfinflow > 0) then
 L = CurrElem.SatLayer
 do while ((L > 0) and. (CurrElem.subsurfinflow > 0))
   SWN(L) = SWN(L) + min(Currelem.subsurfinflow, &(CurrSoil.SWSAT(L) - SWN(L)))
   CurrElem.subsurfinflow = CurrElem.subsurfinflow - &
      min(CurrElem.subsurfinflow,(CurrSoil.SWSAT(L) - SWN(L)))
   L = L -1enddo
```
! If there is no room in the soil to store the water put it into

! the ponded water

```
If (CurrElem.subsurfinflow > 0) then
 CurrElem.pond = CurrElem.Pond + CurrElem.subsurfinflowCurrElem.subsurfinflow = 0Endlf
```
! If water is to be removed start from the bottom layer and work up

```
Elself (CurrElem.subsurfinflow < 0) then
 L = CurrSoiI.NLayrdo while ((L > 0) and. (CurrElem.subsurfinflow < 0))
   SWN(L) = SWN(L) - min(-CurrentElem.subsurfinflow, &Max((SWN(L) - CurrSoil.SWDUL(L)),0.0))
   CurrElem.subsurfinflow = CurrElem.subsurfinflow + &min(-CurrElem.subsurfinflow, &
             Max((SWN(L) - CurrSoil.SWDUL(L)),0.0))
   L = L - 1enddo
 If (CurrElem.subsurfinflow < 0) then
   Write(*,*) ' Outward lateral flow exceeded available water!'
   CurrElem.subsurfinflow = 0EndIf
Endif
```

```
DO L=l,CurrSoil.NLayr
!*******COMPUTE DOWNWARD FLOW (INFILTRATION AND
REDISTRIBUTION)******
```

```
SWN(L)=SWN(L)+CurrElem.FlowD(L—l)/CurrSoil.DLayr(L)
      IF(SWN(L).LE.CurrSoil.SWDUL(L))THEN
       CurrElem.FlowD(L)=0.
      ELSE
       SWTI=CurrSoil.SWDUL(L)-1-0.25*(l-EXP(-0.05*CurrElem.FlowD(L-l)))
       SWN(L)=MIN(SWTI,CurrSoil.SWSAT(L),SWN(L))
       SWTD=CurrElem.SW(L)-0.55*(CurrElem.SW(L)-CurrSoilSWDUL(L))
       SWN(L)=MAX(SWN(L),SWTD)
       CurrElem.FlowD(L)=CurrElem.FlowD(L—l)-(SWN(L)-
CurrElem.SW(L))*CurrSoil.DLayr(L)
```

```
! ALTER FLOW DOWN AND WATER CONTENTS ABOVE LAYER FOR
RESTRICTED DOWNWARD FLOW
```

```
IF(CurrElem.FlowD(L).GE.CurrElem.VirtKSMac(L))THEN
```

```
FLOWEXC=CurrElem.FlowD(L)-CurrElem.VirtKSMac(L)- &
            (CurrSoil.SWSAT(L)-SWN(L))*CurrSoil.DLayr(L)
         CurrElem.FlowD(L)=CurrElem.VirtKSMac(L)
         IF(FLOWEXC.GE.0.)THEN
          SWN(L)=CurrSoil.SWSAT(L)
          DO LNU=L-l,1,-l
            SWT=SWN(LNU)+FLOWEXC/CurrSoil.DLayr(LNU)
            IF(SWT.GT.CurrSoil.SWSAT(LNU))THEN
             FLOWEXC=(SWT-CurrSoil.SWSAT(LNU))*CurrSoil.DLayr(LNU)
             CurrElem.FlowD(LNU)=CurrElem.FlowD(LNU)-FLOWEXC- &
                  (CurrSoil.SWSAT(LNU)-SWN(LNU))*CurrSoil.DLayr(LNU)
             SWN(LNU)=CurrSoil.SWSAT(LNU)
            ELSE
             CurrElem.FlowD(LNU)=CurrElem.FlowD(LNU)-FLOWEXC
             FLOWEXC=0.
             SWN(LNU)=SWT
            ENDIF
            CurrElem.SWDifD(LNU)=SWN(LNU)-CurrElem.SW(LNU)
          ENDDO
         ELSE .
          SWN(L)=CurrSoil.SWSAT(L)+FLOWEXC/CurrSoil.DLayr(L)
          FLOWEXC=0.
         ENDIF
         CurrElem.Pond=CurrElem.Pond+FLOWEXC
         IF(CurrElem.Pond.GT.CurrElem.PondMax)THEN
          CurrElem.Runoffd=CurrElem.Pond—CurrElem.PondMax
          CurrElem.Pond=CurrElem.PondMax
         ELSE
          CurrElem.Runoffd=0.0
         ENDIF
       ENDIF
      ENDIF
      CurrElem.SWDifD(L)=SWN(L)-CurrElem.SW(L)
      CurrElem.RUNOFF=CurrElem.Runoffs+CurrElem.Runoffd
!<br>! THIS IS TOTAL RUNOFF FROM SURFACE AND SUBSURFACE FLOW
CAUSES
!*************COMPUTE SOIL LIMITED ROOT WATER
UPTAKE********************
      IF(LAI.GT.0.0)THEN
I********************Determine bottom layer with roots***********************
       CUMDEP=CUMDEP+CurrSoil.DLayr(L)
       IF(CUMDEP-CurrSoil.DLayr(L).LT.CurrElem.RootDep)CurrElem.LR=L
!Layer where roots are growing
```
151

IC*********************************UP'I'AKE****************************31: ****** $RootPres = 1.0$ IF(L .EQ. CurrElem.LR) then RootPres=MIN(1.0,(CurrElem.RootDep-(CUMDEP-CurrSoil.DLayr(CurrElem.LR))) & /CurrSoil.DLayr(CurrElem.LR)) Endif IF(L .GT. CurrElem.LR) RootPres = 0.0 PESWabove=PESWabove+MAX(0.,CurrElem.SW(L)- CurrSoil.SWLL(L))*CurrSoil.DLayr(L) IF(RootAct(L) .EQ. 1) THEN ! Roots Already have been active in uptake in this layer PESWaboveFAC(L)=MIN($1, MAX(0, \&$ -exp(—4.8+0.3*PESWabove)+l.03)) Else ! Roots still have not become active in uptake from this layer yet PESWaboveFAC(L)=MIN(1.,MAX(0., & exp(2.2-0.62*PESWabove)-0.07)) IF(PESWaboveFAC(L)*RootPres .GE. 0.90) RootAct(L) = 1 Endif Coef_Wat_Ext=CurrSoilRUCO(L)*RootPres*PESWaboveFAC(L) IF(CurrElem.SW(L).LT.CurrSoil.SWLL(L))THEN CurrElem.SWDifR(L)=0. ELSE CurrElem.SWDifR(L)=Coef_Wat_Ext*MAX(0.,CurrElem.SW(L)- CurrSoil.SWLL(L)) ENDIF ELSEIF(CurrElem.EMDay.GT. 1)THEN !RESET ROOT GROWTH PARAMETERS WHEN LAI = ^O CurrElem.EMDay=0. CurrElem.RootDep=4.0 ENDIF CurrElem.FlowR=CurrElem.FlowR+CurrElem.SWDifR(L)*CurrSoi1.DLayr(L) !*********CALCULATE SOIL LMTED SOIL EVAPORATION RATE************** CurrElem.SWDifU(L)=CurrSoil.FlowUCo(L)*(CurrElem.SW(L)- CurrSoil.SWAD(L)) IF(CurrElem.SW(L).GT.CurrSoilSWDUL(L))THEN

```
CurrElem.SWDifU(L)=CurrElem.SWDifU(L)*(3 .-2.*(CurrSoil.SWSAT(L)-
CurrElem.SW(L))/&
            (CurrSoil.SWSAT(L)-CurrSoil.SWDUL(L)))
      ENDIF
      ESD=ESD+CurrElem.SWDifU(L)*CurrSoil.DLayr(L)
    ENDDO ! end of layer do loop
    IF(CurrElem.RootDep.GT.CUMDEP)THEN
      CurrElem.RootDep=CUMDEP
    ENDIF
!******Calculate actual soil evaporation (cm/day) and water stress factor*
    if (CurrElem.Pond > 0) then
      if (CurrElem.Pond > ESO) then
       PotentialSurfaceEvap = ESO
       CurrElem.Pond = CurrElem.Pond - ESO
       CurrElem.PondEvap = ESO
      else
       PotentialSurfaceEvap = ESO - CurrElem.Pond
       CurrElem.PondEvap = CurrElem.Pond
       CurrElement. Pond = 0
      endif
    else
      PotentialSurfaceEvap = ESO
    endif
    IF(ESD.GT.PotentialSurfaceEvap)THEN
      CurrElem.RedCOU=PotentialSurfaceEvap/ESD
      CurrElem.ES=PotentialSurfaceEvap
    ELSE
      CurrElem.RedCOU=l .
      CurrElem.ES=ESD
    ENDIF
    SWSTR = 1.0IF(CurrElem.FlowR.GT.0.)THEN
      IF(EPO+CurrElem.ES .GT. EO)THEN
       EPO=EO-CurrElem.ES
       if (EPO < 0) then
         EPO = 0endif
      ENDIF
      IF(CurrElem.FlowR.GE.EPO)THEN
       CurrElem.RedCOR=EPO/CurrElem.FlowR
       CurrElem.EP=EPO
      ELSE
```

```
CurrElem.RedCOR=1.0
       CurrElem.EP=CurrElem.FlowR
       SWSTR = CurrElem.FlowR/EPO
      ENDIF
    ELSE
      CurrElem.RedCOR=0.
      CurrElem.EP=0.
    ENDIF
l*********************INTEGRATION
CALCULATIONS********************************
   ELSEIF (DYNAMIC.EQ.INTEG) THEN
l**********************************************************************
.
!******************Update Root Depth********************************
         CurrElem.RootDep = CurrElem.RootDep+CurrElem.RootDepIncr
  l**********************************************************************
.
!
!******CALCULATE FINAL SOIL WATER DIFFERENCE*******************
    CUMDIF=0.
    CurrElem.FlowU(CurrSoil.NLayr)=0.
    DO L=CurrSoil.NLayr,l,-l
      CurrElem.SWDif(L)=CurrElem.SWDifD(L)— &
                CurrElem.SWDifU(L)*CurrElem.RedCOU— &
                CurrElem.SWDifR(L)*CurrElem.RedCOR
      CurrElem.FlowU(L-1)=CurrElem.FlowU(L)+&CurrElem.SWDifU(L)*CurrElem.RedCOU*CurrSoil.DLayr(L)
      CurrElem.FLOW(L)=CurrElem.FlowD(L)-CurrElem.FlowU(L)
      CurrElem.SW(L)=CurrElem.SW(L)+CurrElem.SWDif(L)
      IF(CurrElem.SW(L).LT.CurrSoil.SWAD(L))THEN
        WRITE(*,l9)L,CurrElem.SW(L),CurrElem.SWDifU(L), &
              CurrElem.SWDifD(L),CurrElem.SWDifR(L),L
      ENDIF
      CUMDIF=CUMDIF+CurrElem.SWDif(L)*CurrSoil.DLayr(L)
    END DO
!************* Lateral subsurface flow Added for Spatial ********************
I calculate depth of saturated layer if any
    CurrElem.SatDepth = 9999
    CurrElem.SatLayer = CurrSoil.nlayr + 1
    do L=CurrSoil.nlayr, 1,-1
      if (CurrElem.sw(L) .lt. CurrSoil.swdul(L)) then
```

```
exit
      else
        CurrElem.SatDepth = CurrSoil.Zlayr(L) - &CurrSoil.Dlayr(L)
        CurrElem.SatLayer = L
      endif
     enddo
! convert depth from cm from the top of the soil to meters above some
! base level
     CurrElem.SatDepth = CurrElem.CentreZ - &
                 (CurrElem.SatDepth/100.0)
     TotSubSurfOutFlow = 0.0
! write (3,*) 'Sat depth = ', satdp
```

```
if (CurrElem.SatLayer .LE. CurrSoil.nlayr) then
```
ţ

! For all saturated layers above the water table of down hill elements

```
Do L = CurrElem.SatLayer, CurrSoil.nlayr
        do DownNum = l, CurrElem.ndownslope
         DownElem = CurrElem.downslope(downnurn)
         if (CurrElem.SatDepth .gt. Elements(DownElem).SatDepth) then
           deltaZ = CurrElem.SatDepth - Elements(DownElem).satdepth
           deltaX = sqrt((Currentlem.centrex-Elements(DownElem.centrex)*2+ &(CurrElem.centrey-Elements(DownElem).centrey)**2)
           Kssat = CurrSoil.KSMacro(L)
           kssatdown =
Soils(Elements(DownElem).soil).KSMacro(Elements(DownElem).SatLayer)
           kseff = 2/(1/Kssat + 1/kssatdown)LateralFlow = kseff * CurrElem.downfrac(DownNum) * (DeltaZ/DeltaX) *
&
                   (CurrElem.Area/Elements(DownElem).Area)
! If the flow is out of the current element but there is
I not enough water above DUL to drain
           If ((LateralFlow .gt. 0) and. \&(LateralFlow .gt. (CurrElem.sw(L)-CurrSoil.SWDUL(L))))then
             Elements(DownElem).subsurfinflow = &Elements(DownElem).subsurfinflow + \&CurrElem.SW(L)-CurrSoilSWDUL(L)
             TotSubSurfOutFlow = TotSubSurfOutFlow + &
              CurrElem.SW(L)-CurrSoilSWDUL(L)
             CurrElem.SW(L) = CurrSoil.SWDUL(L)
```


|
|
|

! CurrElem.outflowlayer = ⁱ

```
kssat
= CurrSoil.ksmacro(i)
           exit
         endif
       enddo
       write(*,*) Ksat = ', kssat,' for layer ', CurrElem.outflowlayer
!<br>! exit<br>! endif<br>! depthlost<br>!
       depthlost = 0.0! do downnum
= 1, CurrElem.ndownslope
! downelem
= CurrElem.downslope(downnum)
! DownSoil
= Elements(DownElem).Soil
! write(*,*) Downslope connection to ', downelem
1
!! subsurface flow happens when elevation of saturated layer (2
- satdp)
!! is higher than the elevation of the downslope element's saturated layer 1 deltaZ = (CurrElem.centrez - satdp) - &
! (Elements(DownElem).centrez - Elements(DownElem).satdepth) write(*,*) 'deltaZ =',deltaZif (deltaZ .gt. 0) then
1
I! set depth of inflow equal from elevation of highest contributing inflow
!! adjusting depth for elevation difference of the two elements
           if (CurrElem.centrez
- satdp .gt.
&
             Elements(DownElem).centrez
-
&
             Elements(DownElem).inflowdepth) then
             Elements(DownElem).inflowdepth
= satdp
-
&
             (Elements(DownElem).centrez
- CurrElem.centrez)
           endif
!!ll!!!!! depth
                 = 0! do i=1,CurrSoil.nlayr ! depth = depth + CurrSoil.dlayr(i)
            if (depth > Elements(DownElem).inflowdepth) then
              ! kssatdown = Soils(DownSoil).KSMacro(i) exit
            endif
           ! enddo kseff = 2/(1/kssat + 1/kssatdown)write(*,*) kssatdown = ',kssatdown,' kseff = ',kseff
1
I! calculate amount of water moving laterally subsurface 1:<br>! deltaX = sqrt((CurrElem.centrex-Elements(DownElem).centrex)**2+ &
! (CurrElem.centrey—Elements(DownElem).centrey)**2) ! SurfSlope = deltaZ / deltaX
```

```
Ţ
           slope angle = \tan(SurfSlope).— I- C- 0' 0' O- O- O- O- I- 0' I- 1' 0'
\mathbf{I}flowdistance = kseff * sin(slopeangle) * &
\pmb{\mathsf{I}}CurrElem.downfrac(downnum)
1
           depthlost = depthlost + flowdistanceElements(DownElem).subsurfinflow = &Ţ.
            Elements(DownElem).subsurfinflow + \&flowdistance * Currelemarea / elements(downelem).area
            write(*,*) 'flowdist =',flowdistance
         endif
Ţ
       enddo
Ţ
       CurrElem.sw(CurrElem.outflowlayer) = &Ţ
Ţ
          CurrElem.sw(CurrElem.outflowlayer) - depthlost
Ţ
     endif
     ERROR=PRECIP+CurrElem.PondY-CurrElem.Runoffs-CurrElem.Runoffd- &
        CurrElem.Pond-CurrElem.FlowD(CurrSoil.NLayr)+ &
        CurrElem.SWYeSt- &
        sum(CurrElem.SW(1:CurrSoil.NLayr)*CurrSoil.DLayr(1:CurrSoil.NLayr))- &
        CurrElem.EP-CurrElem.ES-CurrElem.PondEvap-TotSubSurfOutFlow !BDB
     IF(ERROR**2.GT.0.0000000001)THEN
       WRITE(15,22)YR,DOY,Elem,ERROR
       WRITE(*,22)YR,DOY,Elem,ERROR
     ENDIF
     CurrElem.PondY=CurrElem.Pond
     WRITE(13,25)YR,DOY,PRECIP,CurrElem.RUNOFF,CurrElem.Pond, &
            CurrElem.FlowD(CurrSoil.NLayr),CurrElem.ES, &
            CurrElem.EP,LAI,CurrElem.RootDep, SWSTR, &
            (CurrElement.SW(I),I=1,12)1
WRITE(S,26)YR,DOY,PRECIP,CurrElem.Runoffs,CurrElem.Runoffd,CurrElem.Pond,(
FLOW(I), I=1,12)1
1
   ENDIF
```

```
RETURN
```
- 10 FORMAT(2F6.0,3F6.3,F6.1,F6.3,3F6.3)
- 15 FORMAT(BX,'---------cm/day---------- cm',8X,12(lx,F7.3))
- l8 FORMAT(LAT',F5. l,' LONG',F6. l,' ALT',F5.0,' CROPEC',F5. l,' VPD' & 'MIN',F4.2,' PONDMAX',F5. l)
- ¹⁹ FORMAT(' UNACCEPTABLE RESULT, SW BELOW AIR DRY,

```
SW(L), UPWARD FLOW, DOWN FLOW, ROOT UPTAKE, DEPTH L', I3, 4F7.3, I3)
```
²² FORMAT(' YR',I4, 'DAY',I4,' ELEMENT',I4,' WATER BALANCE ERROR (cm) $=$;F9.6)

25 FORMAT(214,F6.2,6F5.2,F6.0,F6.3,2X,12(1x,F8.7))

³⁰ FORMAT(' YR DOY RAIN ROFF POND DRAN ES EP LAI RTDEP SWSTR'&

,' SW1 SW2 SW3 SW4 SW5 SW6 SW7'&

,' SW8 SW9 SW10 SW11 SW12')

26 FORMAT(214,4F6.2, 12F7.4)

³¹ FORMAT(' YR DOY RAIN RNOFS RNOFD POND FLOW] FLOWZ FLOW3 F', & 23 ΓΟΡΑΝΔΤ(ΥR', H. TAAY, H. TAATAHATT, IA, WATER BALANCE FRROR (cm)

23 ΓΟΡΑΝΔΤ(ΥR', H. TAAY, H. TAIMPATT, IA, WATER BALANCE FRROR (cm)

23 ΓΟΡΑΝΔΤ(ΥR), H. TADY RAIN KOFF POND DRAM IS EP LAI RTDEP

30 ΓΟΡΑΜΔΤ(ΥR), ΕΥΣ (S

'LOW4 FLOWS FLOW6 FLOW7 FLOWS FLOW9 FLOWlO FLOWll FLOW12')

END SUBROUTINE ElemCSWB

! DEFINITIONS

- ! EO Potential evapotranspiration (cm/day)
- ! ESD Amount of water available for soil evaporation? (cm/day)
- ! ESO Potential soil evaporation (cm/day)
- ! ES Actual soil evaporation (cm/day)
- ! EPO Potential plant evaporation (cm/day)
- ! EP Actual plant evaporation (cm/day)

! VPD Estimated vapor pressure deficit for ^a day (kPa)

! VPDAY Estimated vapor pressure for ^a day (kPa)

! VP Estimated saturation vapor pressure for ^a day (kPa)

! CROPEC A crop specific constant--Slope of the aerodynamic component relation- ! ship in the potential evaporation equation (MJ/kPa)

! RADCOM The radiation component in the potential evaporation equation (mm/day)

! AEROCOMS The aerodynamic component in the potential evaporation equation for ! bare soil surfaces (mm/day)

! AEROCOMC The aerodynamic component in the potential evaporation equation for ! crops surfaces (mm/day)

! GODPG Gamma divided by delta plus gamma in the potential evap. equation

! PRES The estimated atmospheric pressure based on elevation (kPa)

! RUNOFFS Daily runoff related to lack of surface infiltration (cm/day)

- ! RUNOFFD Daily runoff related to lack of drainage at depth (cm/day)
- ! LAI Leaf area index (cm2/cm2)

! LAI_TAB Table of LAI for given dates (input data)

- ! ROOTDEP_TAB Table of root depth for given dates (input data)
- ! COEFD Empirical coefficient used to calculate new water content after ! infiltration (unitless)
- ! CUMDEP Cumulative soil depth at bottom of layer (cm)
- ! MEANDEP Soil depth at center of layer (cm)
- ! SW(L) Soil water content (cm3/cm3)
- ! SWT Temporary variable for a new soil water content (cm3/cm3)
- ! SWTD Temporary variable for calculating water content during drainage (cm3/cm3)

! SWTI Temporary variable for calculating water content during infiltration (cm3/cm3) ! SWDUL(L) Soil water content at the drained upper limit (cm3/cm3) ! SWSAT(L) Soil water content at saturation (cm3/cm3) ! RHF(L) Root hospitality factor input from soils file unitless ! RUCO(L) Root uptake coefficient unitless ! SWDIFU(L) Soil water content difference resulting from upward flow (vol frac) ! SWDIFD(L) Soil water content difference resulting from downward flow (vol frac) ! SWDIFR(L) Soil water content difference resulting from root uptake (vol frac) ! SWDIF(L) Net soil water content difference from all factors (vol frac) ! FLOWU(L) Flow rate upward at the layer being evaluated (cm/day) ! FLOW(L) Net flow rate at the layer being evaluated (cm/day) ^l FLOWEXC Excess water that cannot flow downward (cm/day) ! FLOWUCO(L) Coefficient for each soil layer used to calculate evaporation rate unitless ! RUCO(L) Coefficient for each soil layer used to calculate root uptake - unitless ! REDCOU Reduction coefficient to reduce upward flow to potential soil evap. ! REDCOR Reduction coefficient to reduce root uptake to potential plant evap. ! ROOTDEP Depth of rooting cm ! INFILT Amount of infiltration during a given period (mm). Temp.var. ! KSMACRO(L) Saturated hydraulic conductivity with macropores (cm/day). ! MAXRAIN Maximum rate of rainfall (cm/day) ! NUMSTEPS Number of steps in ^a rainstorm ! PINF Daily precipitation infiltrated (cm) ! PIP Precipitaion infiltrated from ponding (cm) ! POND Amount/depth of water held in ponding on the surface (cm) ! PONDMAX Maximum amount of water that can be stored in ponding (cm) ! RAIN Daily measured rain from weather input file (mm). ! is assumed to infiltrate and the ponding routine is bypassed (mm). ! PPRECIP Amount of precipitation for a given period (cm). ! PRECIP Sum of RAIN and irrigation (cm) convert from mm. ! RAINDUR Length of rain storm (hrs) ! RUNOFFS Daily runoff (cm). ! TIME Current time into the storm (days) ! TIMESTEP Amount of time per step in ^a storm (days) ! TPAMT For ^a given period amount of water that could infltrate (cm) ! TRUNOFF Amount of water runoff during ^a given period (cm). ! LR Depth increment in depth counter (L) where root depth is located ! acoef ! ncoef ! dTI' Thermal time on current day, oC.d (base of 10 0C) ! BD Bulk density of soil(g/cm3) ! RockBD Bulk density of the solid material in soil (g/cm3) ! Porosity Fraction of soil volume that is pore space ! WatFilPor Fraction of soil pore space filled with water ! HalfPESW Soil water content when half of available water remains ! RootDepIncr Daily growth rate of roots, vertical direction (cm/d)

! coldfac Factor reducing root growth in a layer due to cold temperature (0-1)

i j

! Slope Average slope of the soil surface (%)

! RootPres Indicator of root presence in a layer, fraction (0 to l)

! PESWabove volume of plant avaialble water above a layer (for computing root activity)

! PESWaboveFAC Factor (0-1) to indicate root activity in water uptake

! Coef_Wat_Ext Relative rate at which water is extracted from a layer (1/d)

! RootAct Indicator that roots have been taking up water, each layer 1

end module elemwatbal

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