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T H E S I S

Design and Construction of a Small Single Phase  
Commutator Induction Motor.

by

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Spring Term

1 9 1 4



**THESIS**

## **C O N T E N T S .**

**Introduction.**

**Theory.**

**Design as a Shunt Commutator Motor.**

**Redesign as an Induction Motor.**

**Test Data.**

**Appendix of Drawings and References.**

### **List of Drawings.**

- 1 Motor Diagrams.**
- 2 Vector Diagrams.**
- 3 Circle Diagram.**
- 4P Performance Curves.**
- 5 Stator.**
- 6 Armature.**
- 7 End Castings.**
- 8 Commutator and Brushes.**
- 9 Shunt Motor Wireing Diagram.**
- 10 Squirrel Cage Rotor.**
- 11 Base.**
- 12 Induction Motor Wireing Diagram.**
- 13 Photograph of Finished Motor.**



## I N T R O D U C T I O N

There is an increasing demand for small electric motors. Like large motor practice, there should be motors with characteristics, suited to the work they are to do.

The Shunt and Series Motors in D. C. will do about all that is required, but D. C. is not very extensively used on lighting circuits where the small motor is naturally connected.

Small A. C. motors are generally of the single phase induction type with squirrel cage motors and a split phase starting winding which is thrown out of service when full speed is reached, by a centrifugal device.

These motors run at only one speed and have a very small starting torque. Plain A. C. series motors are also used especially on vacuum cleaners. Such motors have a very bad power factor and small capacity for the iron used.

The writer made a number of tests on a small series motor and tried a compensating winding, but still the power factor was low and sparking bad.

Series characteristic is hardly what is wanted in a small motor, the shunt being greatly preferred. The writer's attention was next turned to the shunt induction motor for single phase.

These have a good starting torque and a wide speed variation, with a power factor near unity. The overload capacity is also higher than the plain induction motor. It is true that the efficiency is low, but this is not such an important item in a small motor for intermittent use.



Therefore since the writer could find nothing concerning small motors of this type, it was thought worth while to experiment along this line.

## T H E O R Y

The theory of the single phase shunt commutator motor and the common single phase squirrel cage induction motor is exactly the same.

The shunt motor consists essentially of a stator with a distributed single phase winding similar to the common induction motor and an armature and commutator similar to a D. C. machine. On the commutator are four brushes (speaking of a two pole machine for simplicity) one set parallel to the primary winding and the others at right angles. (See Fig. 1).

At stand still the motor is essentially a transformer under short circuit, stator winding primary and rotor winding secondary, shorted across  $y y$ .

Thus the stator current must supply flux enough to generate a counter E.M.F. equal to the impressed E.M.F. less the local stator impedance and balance the M.M.F. of the rotor current in the transformer axis.

The stator circuit is highly inductive thus the current  $I_0$  the Magnetizing current will lag almost  $90^\circ$  behind the impressed E.M.F.,  $E_1$ .  $I_0$  causes the flux  $\phi_c$  which is nearly in phase with it.

$\phi_c$  generates an E.M.F.  $E_2$  in both the stator and rotor, lagging  $90^\circ$ . The magnitude of these E.M.F.'s varies according to the ratio of transformation.

$E_2$  causes a current  $I_2$  to flow across axis  $y y$ , determined both in magnitude and phase by the local impedance of





the rotor. The primary current  $I_1$  will then be the resultant of  $I_0$ , the magnetizing current, and  $I_2$  reversed, or the vectorial difference, (assuming 1 to 1 ratio of transformation). The impressed E. M. F.  $E_1$  will be the resultant of a component equal and opposite to  $E_2$  and of a component  $i_1 z$ , to overcome the local stator impedance and  $i_1 r$ .

Now if the motor is brot up to speed, there will be in E.M.F.  $E_2'$  (Fig. 3) of line frequency along axis  $x x$ , due to the conductors cutting  $\Phi_2$ .  $E_2$  is proportional to  $\Phi_2$  and the speed and is either in time phase with or in time-phase opposition to flux  $\Phi_2$  depending on the direction of rotation. Assuming it to be in time-phase with  $\Phi_2$ . The rotor current  $I_2$  along the transformer axis sets up a leakage field  $\Phi_2$  in phase with itself.

$\Phi_2$  also generates an E.M.F.  $e_2'$  in the speed axis, it is in phase with  $I_2$ . Thus  $E_2$  is the vectorial sum of  $E_2'$  and  $e_2'$ . The conditions along the speed axis are those of a transformer on open circuit since the Counter E.M.F. allows only exciting current to flow. Thus  $E_2$  causes a current  $I_2$  lagging heavily, this produces a flux  $\Phi_3$  nearly in quadrature with  $E_2$ .  $\Phi_3$  has line frequency and is along  $x x$  or right angles to  $\Phi_2$  mechanically.  $\Phi_3$  by its alternations induces an E.M.F.,  $E_3$  along  $x x$ ,  $90^\circ$  behind  $\Phi_3$  in phase which brings it nearly in opposition to  $E_2$ . The vectorial difference between  $E_3$  and  $E_2$  is the E.M.F. required to drive  $I_2$  thru the local impedance and resistance. The motion of the rotor conductors thru the speed field  $\Phi_3$  generates an E.M.F.  $E_3'$  in the transformer axis, which is in time-phase opposition to  $\Phi_3$  and proportional to  $\Phi_3$  and the speed. Thus  $E_3'$  is nearly in opposition to  $E_2$

$E_c$ .  $E_s$  is the counter E.M.F. of the motor.  $\Phi_s$  also produces a leakage flux  $\phi_s$  coaxial with  $\Phi_s$  and in phase <sup>WITH</sup>  $I_s$ . This with the speed generates  $e'_s$  in the transformer axis in phase opposition to  $I_s$ . The vector sum of  $E_c$ ,  $E'_s$  and  $e'_s$  give  $E_r$ , which drives  $I_c$  thru the local rotor impedance.

The limiting speed will be when the counter E.M.F.  $E'_s$  and  $E_r$ ,  $e'_s$  and  $E_c$  vectorily balance.  $E_c$  is constant while  $E'_s$  depends upon the speed. Now if an external E.M.F. in phase with  $E_c$  or opposition such as from line or taps from stator, is introduced across y y,  $E_c$  will be either increased or decreased and the speed will have to increase or decrease to keep up the balance. This method is used for speed variation and is used over wide ranges. See Fig. 4.

Again if the speed field can be increased or weakened,  $E'_s$  will be changed and the speed will have to change to again give equilibrium. This can be done by inserting a inductance or capacity along x x. A capacity increases  $I_s$ , thus  $\Phi_s$  and  $E'_s$  and reduces speed; an inductance decreases  $I_s$ , thus raises speed. (Fig. 5).

If  $I_s$  be made to pass thru stator coils along axis x x which will either boost or buck  $\Phi_s$ ,  $E'_s$  can be changed, thus the speed. (Fig. 6).

#### # Power factor Compensation.

The power factor may be improved by introducing an E.M.F. from the line or stator in the speed axis. This E.M.F.  $E$  is in phase with  $I_s$  and  $\Phi_s$  approximately and at right angles with  $E_f$  and  $E_g$ . Thus we have three E.M.F.'s in speed axis. (Fig. 8)  $E_c$  causes  $I_c$  and  $\Phi_c$  nearly at right angles to it.  $\Phi_c$  generates  $E'_c$

Laging  $90^\circ$  which is a counter E.M.F. to the  $E$  introduced.  
 Thus along axis  $x x$ , we have two fluxes  $\Phi_s$  and  $\Phi_c$   $90^\circ$  out of  
 phase with each other, therefore they cannot react together  
 to give torque and change the speed. The conductors cutting  
 $\Phi_c$  generates another speed E.M.F.  $E_c''$  along the transformer  
 axis in phase with the flux.  $E_c''$  being at right angles to  
 the main speed E.M.F.  $E_s'$  in the  $y y$  axis, they combine to  
 form a new resultant E.M.F. Taking the action of this E.M.F.  
 $E_c''$  causes  $I_c'$  in  $y y$  axis to flow lagging heavily, thus causes  
 flux  $\Phi_c'$  on this axis  $90^\circ$  behind  $E_c''$ . This flux generates  $E_c'''$  in  
 both the rotor and the stator, which lags  $90^\circ$  behind  $\Phi_c'$  or  $90^\circ$   
 behind the counter E.M.F. in the stator equal and opposite  
 to  $E_c$ . Thus  $E_s$  and  $E_c'''$  combined to give the stator resultant  
 E.M.F.  $\underline{E}$ , which can be made to either lead or lag behind the  
 primary current  $I_s$ .

All of the theory connected with Fig. 3 holds  
 for a squirrel cage rotor, the end rings at all times keep  
 the rotor bars shorted across the respective axis, thus  
 equivalent to commutator and shorted brushes.



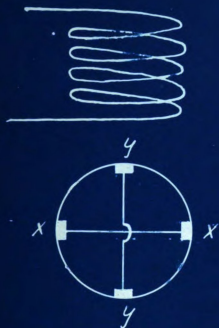


Fig. 1.

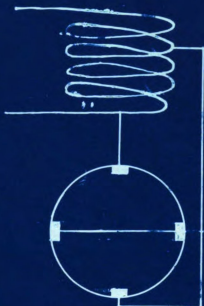


Fig 4



Fig. 5.

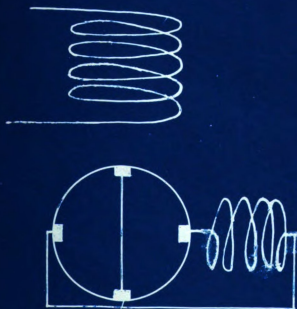


Fig. 6

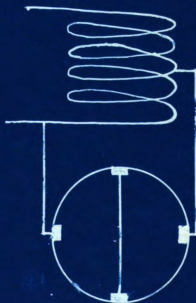


Fig 7.

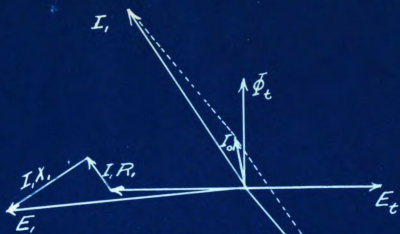


Fig 2.

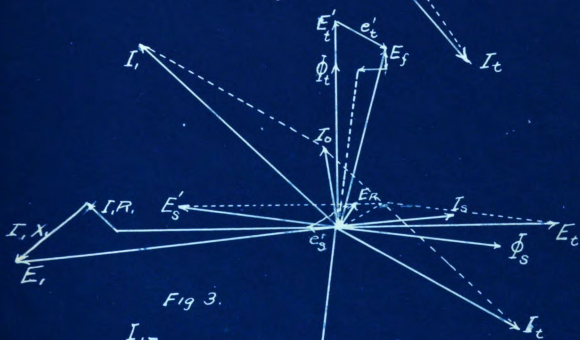


Fig 3.

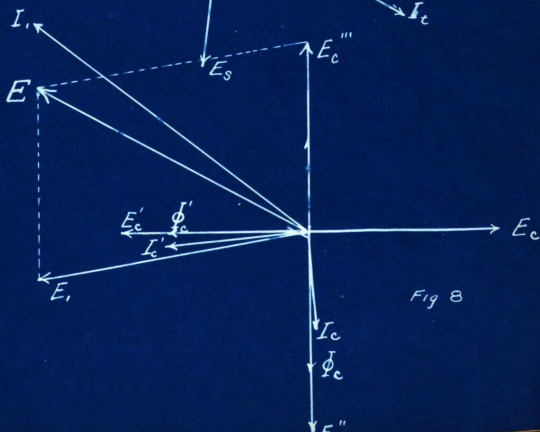


Fig 8

## S P E C I F I C A T I O N S

Out put about  $\frac{1}{10}$  H. P.  
Voltage 110 60 cycles  
Single Phase  
Speed near 3600 R.P.M.

## D E S I G N

### Armature

From small motor practice an armature about  $2\frac{1}{4}$ " diam. and 2" long was selected. Standard punchings can be purchased  $2\frac{5}{16}$ " diam. 12 round slots  $\frac{3}{8}$ " diam.

Standard practice of motors of this size calls for a  $\frac{5}{16}$ " shaft.

For mechanical detail, see drawing. Allowance was made for winding by examining armatures of similar size.

### Stator

The stator used is the same as that of any single phase induction motor of two poles.

The area of the air gap is the area of one-half the armature surface minus the slot area.

$$A = \frac{1}{2} (2 \times 5 \times 12) = 6 \text{ sq. in.}$$

Air gap density 22,500 lines per sq. in.

(Standard Hand Book 13,000 lines to 26,000 lines)

Thus  $6 \times 22500 = 135000$  or total flux

Number turns wire

$$S = \frac{E \times 10^8}{2K, K_m f}$$

Where

E Line voltage

S number conductors in stator

K, Form factor





$K_z$  Distribution constant

$\phi$  Maximum flux

$f$  Frequency

$K_z$  for Sin wave 1.11

$K_z$  for 2/3 pole face distribtors .9 (Fig.52 Sheldon & Mason)

$$S = \frac{110 \times 100,000,000}{2 \times 1.11 \times .9 \times 135000 \times 60} = 630 \text{ turns}$$

Considering 1/10 H.P. as 74 watts and 50% efficiency assumed, the input should be 158 watts. Assuming Unity Power factor as this type of motor should give, the current would be 1.4 amps. With good ventilation, using 400 cir. mils. per amp. (Standard Hand Book)

1.4 x 400 560 cir. mils. area

This is close to ~~aw~~ No. 22 wire, so use No. 22 wire.

With 8 slots, each slot must contain

$$\frac{630}{8} = 85 \text{ conductors}$$

D.C.C. wire No. 22 will run 876 turns per sq. in.

$$\frac{85}{876} = .1 \text{ sq. in. approximately}$$

.1 sq. in corresponds to a 3/8" hole.

Allowing 1/16" for insulation of slot and extra room for winding, makes diameter of slot 7/16".

Round slots are used since they are easier to make and give greater air gap area thus greater capacity.

The inside diameter of stator is determined so as to give 1/32" air gap (Standard Hand Book).

Outside diameter is determined by end room for coils and castings.

The punching are clamped by a 3/16" bolt.

( See drawing for details.)



## Armature Winding

Designing the armature winding according to the transformer E.M.F.  $N_c$  actual number of conductors on the armature, the actual number turns is  $\frac{N_c}{2}$ . Since they are distributed around the armature, the E.M.F. in each coil is equal to the Cos. of the angle of displacement from the position of Max. E.M.F. Thus the E.M.F. is the resultant as vectorial sum of E.M.F. around a circle.

$\frac{N_c}{2}$  number turns in one-half the armature or from brush to brush, thus the effective turns would be  $\frac{N_c}{2}$ .

$$\text{Thus, } E_c = \frac{N_c \phi f}{\sqrt{2} 10^8}$$

Assuming 40 volts for the transformer E.M.F.

$$N_c = \frac{E_c \sqrt{2} 10^8}{\phi f} = \frac{40 \times 1.41 \times 100,000,000}{135,000 \times 60} = 700$$

700 Conductors on armature

$$\frac{700}{12} = 57.5 \text{ conductors per slot use 60 conductors}$$

3/8" round slots give an area of .11 sq. in.

Allowing 1/32" for insulation gives a net area of about .1 sq. in.

Thus, 60 x .1 600 turns per sq. in. allowable

D.C.C. wire of this size is between No. 21 and No.22.

Use No. 22 wire.

With 12 slots and 24 commutator segments, makes 4 coil per slot of 15 turns each.

(See winding diagram and drawings for details.)

This motor was built as designed, but did not operate at all satisfactorily. Sparking at the commutator was at all times very bad, in fact, the commutator was nearly destroyed. The



exciting current was very large, being 2.4 amps. the input on no load, 100 watts.

The synchroneous speed was 3600 R.P.M., but the speed ~~was~~ only 2400 R.P.M. The motor would carry a heavy load of about 1/10 H.P., but the current was excessive, running up to five amperes.

## Standard Squirrel Cage Induction Motor.

Using the same stator with four more slots to make 12 slots and with the same flux per pole 135000 lines. With 6 slots per pole with winding distributed over five slots.

$$E = 2.22 \times k_s \phi f 10^{-8}$$

where E line E. M. F.

$k_s$  = number conductors

$\phi$  = flux per pole

f = frequency

$$S = \frac{E \cdot 10^8}{2.22 k_s \phi f} = \frac{110 \times 100000000}{2.22 \times .74 \times 135000 \times 60} = 830 \text{ turns}$$

Minimum tooth area of stator.

Width of slot  $\frac{1}{4}$ ", 6 slots per pole face

$$6 \times \frac{1}{4} \times 2 \frac{1}{16} = 3.1 \text{ sq. in. area}$$

Core area of stator depth  $\frac{1}{2}$ "  $\times 2 \frac{1}{16}$ " = 1 sq. in.

Apparent gap area per pole stator tooth  $\frac{1}{2}$ "

$$6 \times \frac{1}{2} \times 2 \frac{1}{16} = 6.2 \text{ sq. in area}$$

Maximum core density. The stator flux divides half going around each way.

$$\frac{135000}{2 \times 1} = 67,500 \text{ lines}$$

Minimum tooth area per pole of rotor

11 conductors or  $5\frac{1}{2}$  per pole face

$$5\frac{1}{2} \times \frac{1}{4} \times 2 \frac{1}{16} = 2.85 \text{ sq. in.}$$

Maximum tooth density of stator

$$\frac{\pi \times \phi}{2 \text{ tooth area per pole}}$$

$$\text{Stator density} = \frac{135000 \times \pi}{3.1 \times 2} = 74,500$$

$$\text{Rotor density} = \frac{135000 \times \pi}{2.85 \times 2} = 74,000$$

830 turns in 12 slots gives

$$\frac{830}{10} = 83 \text{ Conductors per slot or } 83 \text{ turns per coil}$$

The slots will easily hold this amount of No. 22 wire. (See first Calculation)

Squirrel Cage Rotor.

Air gap clearance  $1/64"$

External Diameter  $2 \frac{9}{32}"$

Length  $2 \frac{1}{16}"$

Number slots 11

In order for the rotor not to lock on starting the rotor slots must be prime to the stator slots.

Rotor current I per condutor at full load.

I for full load will be 1.6 amps. No. 22 wire has an area of 642 cir. mils at 400 cir. mils per amp.

$$\frac{642}{400} = 1.6 \text{ amps. carrying capacity with good ventilation.}$$

$$\text{Rotor amps.} = .95 I \times \frac{\text{total stator conductors}}{\text{total rotor conductors}}$$

$$I = .95 \times 1.6 \times \frac{830}{11} = 103 \text{ amps.}$$

$$\text{Ampere conductors per inch } \frac{11 \times 103}{\pi \times 2.33} = 160$$

Cir. mils per amp. allowable 500 (Standard Hand Book)

$$103 \times 500 = 51500 \text{ Cir. Mils.}$$

This area is close to No. 3 B&S wire .229" diameter or Drill slots  $15/64"$  diameter.

## DATA FOR CIRCLE DIAGRAM

### Magnetizing current.

$C_1$  = the stator Carter coefficient

$$\frac{s}{\delta} = \frac{.125}{.02} = 5.1$$

$s$  = slot width = .125

$\delta$  = clearance = .02

$f$  = from Curve of Carter fringing constant page 44  
Gray's Electrical Machine Design

$$f = .5$$

$$C_1 = \frac{\lambda}{t + fs} \quad \text{slot pitch} = .606$$

$$C_1 = \frac{.606}{.437 + .5 \times .125} = 1.21$$

$$C_2 \text{ for rotor} = \frac{s}{\delta} = \frac{.062}{.02} = 3.1$$

$$f = .65$$

$$C_2 = \frac{.64}{.635 + .65 \times .06} = 1.02$$

$$\text{Pole pitch} = 3.64 = \tau \quad L_g = \text{Axial length of air gap}$$

$$\text{Magnetizing current } I_0 = \frac{1}{.87 (\text{Cond. per pole}) \tau L_g} \frac{\Phi_a \times \delta C}{L_g}$$

$$I_0 = \frac{1}{.87(6 \times 80)} \frac{135000 \times .02 \times 1.02 \times 1.21}{3.64 \times 2} = 1.1 \text{ amps. air gap}$$

Allow 20% for iron  $1.2 \times 1.1 = 1.3$  amps. mag. current

### Constant Losses

Weight of stator teeth in pounds

Volume of stator teeth 5.4 sq. in.

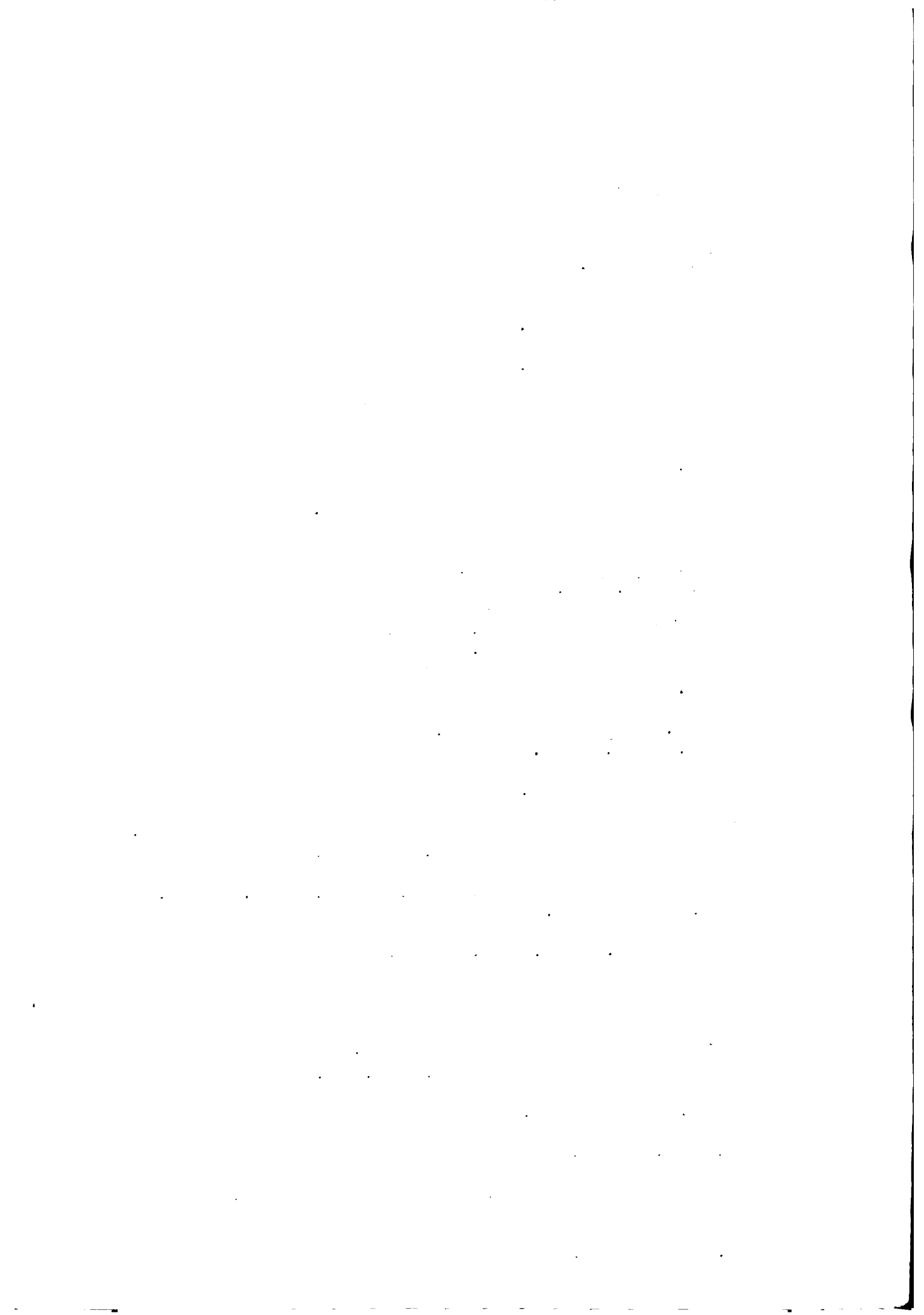
1 cu. in. steel .274 #

$$5.4 \times .274 = 1.47 \#$$

Loss in watts per lb. 7 watts (Fig. 31 pg. 102 Gray's  
Machine Design)

$$1.47 \times 7 = 10.3 \text{ watts loss in teeth}$$





Volume of core 13 cu. in.

$$13 \times .274 = 3.56\#$$

Watts per lb. 7

$$3.56 \times 7 = 25 \text{ watts loss in core}$$

Disregard rotor iron loss since the frequency is very low.

Total loss 35 watts which remains constant on all loads

$$\text{Bearing loss} = .81 \times dl \left( \frac{v}{100} \right)^{\frac{3}{2}} \text{watts}$$

Where  $d$  = bearing diam.

$l$  = length of rubbing surface

$v$  = velocity of rubbing in feet per min.

$$.81 \times .31 \times 1.25 \left( \frac{3600 \times .31}{12 \times 100} \right)^{\frac{3}{2}} = 1.7 \text{ watts}$$

For 2 bearings 3.4 watts

Assume 1 watt windage

Total loss 40 watts.

### Maximum Current

Slot Leakage (Page 220 Sheldon & Mason)

Stator

$$X_s = 2 f l_s N n^2 (.62 \frac{d}{w_s}) 10^{-7} \text{ (For round slots)}$$

Where  $l_s$  = length of slot in inches

$n$  = number conductors in series per slot

$N$  = number slots per phase

$d_s$  = depth of saw cut

$w_s$  = width of saw cut in tooth

$$X_s = 2 \times 60 \times 2 \times 12 \times 6400 (.625 \frac{.5}{.5}) 10^{-7} = 2.7 \text{ ohms}$$

Rotor

$$X_r = 2 \times 10 \times 2 \times 11 \times 1 (.625 \frac{.2}{.2}) 10^{-7} =$$

Comes out very small so disregard



## Zig Zag Leakage

### Stator and Rotor

$$X_2 = 3.35 f l_s N_r^2 \frac{\lambda}{4} \left( \frac{t_s}{\lambda_s} + \frac{t_r}{\lambda_r} - 1 \right)^2 10^{-9}$$

Where  $t_s$  and  $t_r$  are stator and rotor tooth tip widths respectively  
 $\lambda_s$  and  $\lambda_r$  are stator and rotor tooth pitches  
 $\lambda$  average or common tooth pitch

$\Delta$  radial length of air gap in inches

$$X_2 = 3.35 \times 60 \times 2 \times 12 \times 6400 \cdot \frac{.687 \left( \frac{.5}{2 \cdot .68} + \frac{.68}{5} - 1 \right)^2 10^{-9}}{2 \cdot .68} = 15 \text{ ohms}$$

### Resistance Primary

Length of conductors on stator

$$\frac{2(2.5 \quad 3.64) \times 83}{12} = 85 \text{ ft.}$$

$$\frac{2(2.5 \quad 3) \times 83}{12} = 76 \text{ ft.}$$

$$\frac{2(2.3 \quad 1.5) \times 83}{12} = 52 \text{ ft.}$$

$$\text{Total} = 213 \text{ ft.}$$

Resistance per foot of No. 22 wire is .0184 ohms

$$213 \times .0184 = 3.9 \text{ ohms stator resistance}$$

$$\sqrt{3.9^2 + 2.85^2} = 4.9 \text{ ohms apparent resistance}$$

$$\text{Maximum current} = \frac{110}{4.9} = 22.4 \text{ amps.}$$

$\frac{110}{295} = 28.6 \text{ amps.}$  This value is used for diameter of the circle diagram.

22.4 is used to determine the locked position of the rotor in the circle diagram.

### Exciting Current

$$\frac{40}{110} = .363 \text{ amps. in phase with E.M.F. or a power component}$$

$$\text{Copper loss } I^2 R = 1.3^2 \times 3.9 = 4.9 \text{ watts}$$

$$\frac{4.9}{110} = .406 \text{ amps. in phase with E.M.F. or OG in circle diagram}$$



Total amps. in phase with E.M.F. = .769

Exciting current  $\sqrt{.76^2 + 1.3^2} = 1.5$  amps. or OI in Circle diagram

### Rated Load

Maximum capacity of wire = 1.6 amps.

Magnetizing current = 1.3

$$1.6 = \sqrt{1.3^2 + x^2}$$

$x = .93$  amps.

$.93 \times 110 = 103$  watts power component

$103 - 50$  watts = 50 watts net power

$50 = .067$  H.P. or  $1/15$  H.P.

~~746~~

Efficiency  $\frac{50}{103} = 48.5\%$



# T A B U L A T E D   D A T A

	<u>Stator</u>	<u>Motor</u>
External Diameter	4. 5/16"	2 9/32"
Internal Diameter	2 5/16"	
Frame Length	2 1/16"	2 1/16"
Air ducts	none	none
Net iron	2 1/16"	2 1/16"
Slots number	12	11
Size	7/16" D	15/64"
Conductors per slot	83	1
Size	#22 D.C.C.	#3
Winding type	two coil	squirrel cage
Minimum slot pitch	.606"	.64"
Minimum tooth width	1"	1"
Core depth	1"	1
Pole pitch	3.64	
Minimum tooth area per pole	3.1 sq. in.	2.35sq. in.
Core area	1 sq. in.	2 sq. in.
Apparent gap area per pole	6.2	6.2
Flux per pole	135000	135000
Maximum tooth density	69000	74300
Maximum core density	67,500	67,500
Ampere conductors per inch	220	160
Circular mills per ampere	500	500
Apparent gap density	22500	
Air gap clearance	.02	.02
Carter Coefficient	.5	.65
Magnetizing current air gap	1.1	
Total	1.3	
Reactance per phase	2.85 ohms	
Maximum line current	22.4	



	<u>Stator</u>	<u>Rotor</u>
Rating	75 watts	
Horse Power	1/10	
Terminal voltage	110	
Amperes full load	1.9	
Phases	1	
Frequency	60	
Synchronous R.P.M.	3600	
Poles	2	



## M E T H O D O F S T A R T I N G .

The Single Phase Motor will not start alone as there is no torque at standstill. For starting purposes a second winding was put on at right angles to the main winding, as in a two phase motor. This winding was of fine wire therefore of high resistance, thus the current was slightly in advance of the main current. This gives the polyphase effect.

DESIGN. The coil is completely in one slot thus no distribution factor is needed

Conductors in main winding 830.

Distribution factor .74

$.74 \times 830 = 615$  conductors. or 307 turns.

$\frac{\pi}{4} \times (7/16)^2 = .15$  sq. in. area of slot.

$\frac{307}{.15} = 2050$  turns per sq. in.

This corresponds to a No. 26 S. C. C. wire.

It was found that the motor would not start with the full voltage on the main winding, so an inductance coil was put in series with it, to reduce the starting current and the locking effect. This also caused the main current to lag still more, giving a greater difference in phase.

A 40% reduction in voltage was found to be satisfactory the motor would then run up to speed with only 2 amps starting current.



# T E S T   D A T A .

Kvts	E I	Watts	Power Factor	Speed	Amps.	Load oz.	H P
114	154	44	.286	3500	1.35	0	0
113	158	69	.438	3400	1.4	12	.0302
107	161	95	.59	3400	1.5	22	.0555
110	170	103	.605	3350	1.55	25	.0625
107.5	183	126	.69	3300	1.7	34	.0835
104	203	153	.75	3200	1.95	46	.109

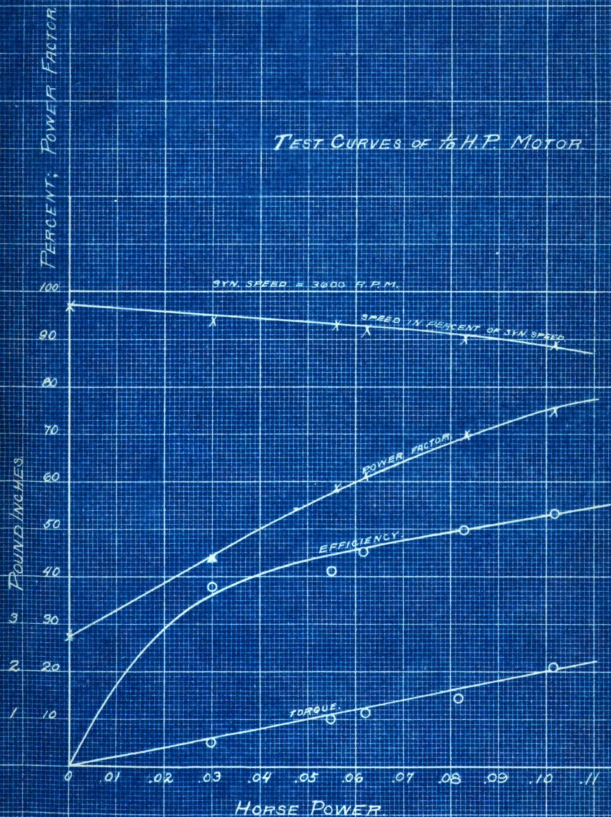
Eff. %	Torque. In. lbs.	Speed. % Syn. Speed
0	0	97.2
30.8	.562	94.5
41.5	1.03	94.5
45	1.17	93.2
49.5	1.6	91.6
53.2	2.16	89

## Comparison of calculated data, and test data.

	By Calculation	By Test.
Capacity	1/10 H P	1/10 H P
Exc. Current	1.5 amps.	1.35 amps.
Watts input no load	40	44
Efficiency at 1/10 H P	52%	53%
Power Factor at 1/10 H P	.65	.75
Resistance of primary	3.9 ohms	7.5 ohms
Reactance	2.85 ohms.	



# TEST CURVES OF $\frac{1}{10}$ H.P. MOTOR



## A P P E N D I X .

### Shunt Motor Drawings.

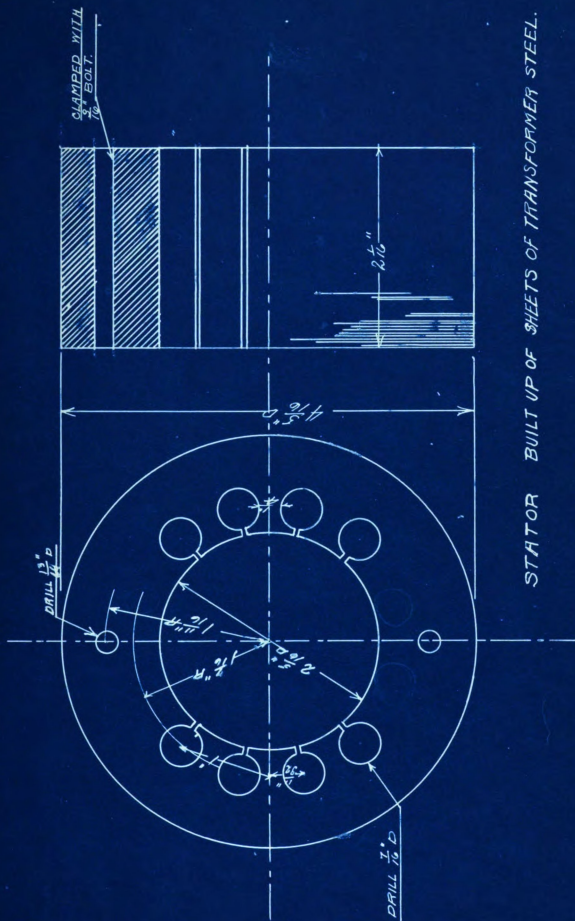
- 1 Stator.
- 2 Armature.
- 3 End Castings.
- 4 Commutator and Brushes.
- 5 Wireing Diagram.

### Squirrel Cage Induction Motor Drawings.

- 1 Stator as above with four more slots, so as to make twelve slots equally spaced.
- 2 Squirrel Cage Rotor.
- 3 Bearings and Oil Cups as above.
- 4 End Castings as above, both with the short bearing.
- 5 Base.
- 6 Wireing Diagram.
- 7 Photograph of Finished Machine.

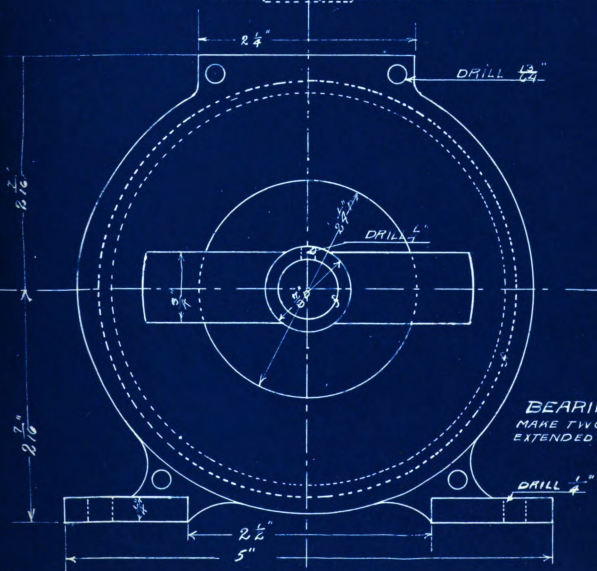
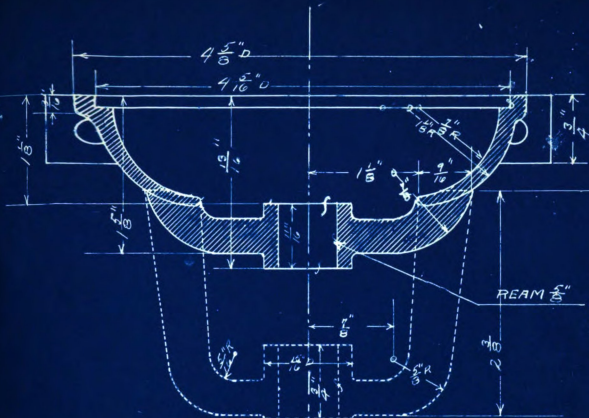
### References











BEARING CASTING  
MAKE TWO ONE WITH  
EXTENDED BEARING

MAKE TWO ONE WITH  
EXTENDED BEARING

## EXTENDED BEARING



RED FIBER



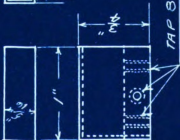
COMMUTATOR, 24 SEGMENTS.



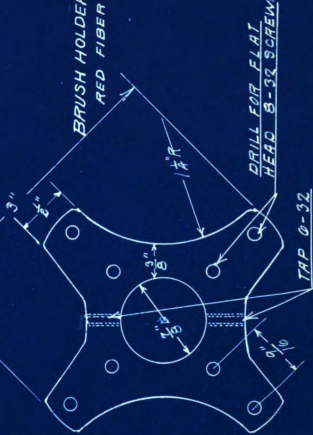
SOLDER



BRUSH HOLDER



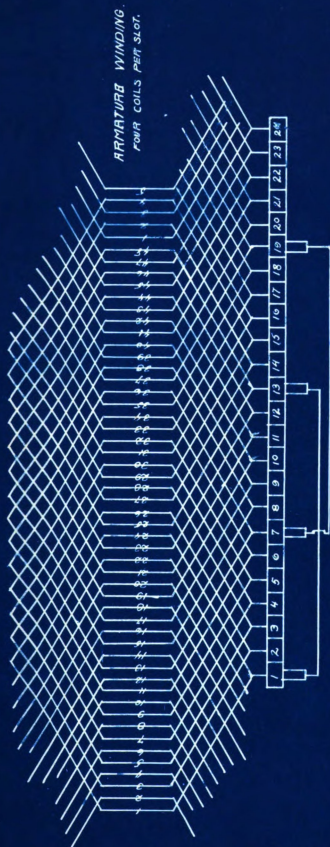
BRUSH HOLDER YOLK.  
RED FIBER



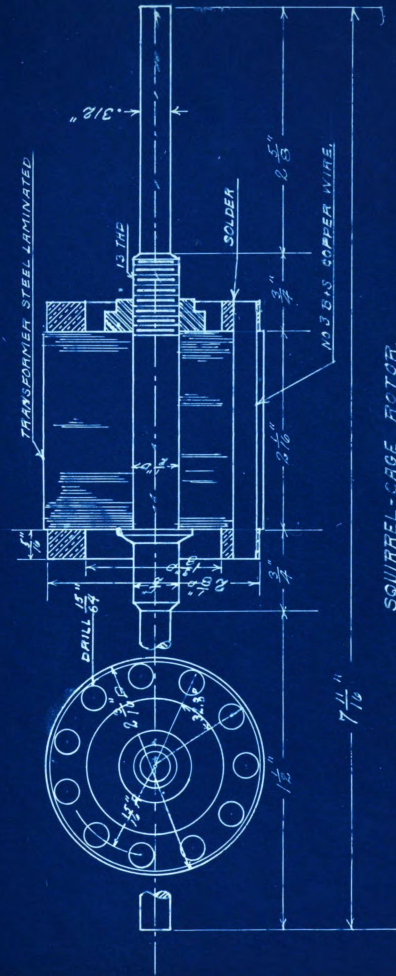
DRILL FOR FLAT  
HEAD 8-32 SCREW

TAP 8-32



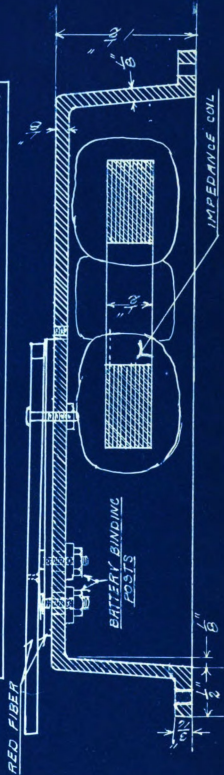
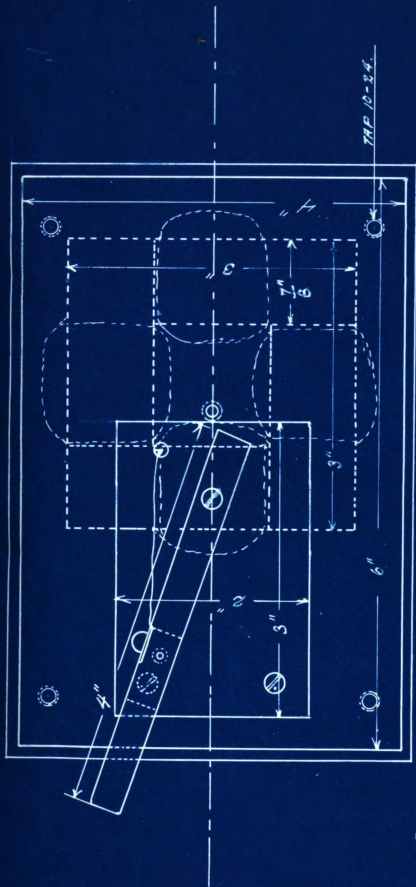




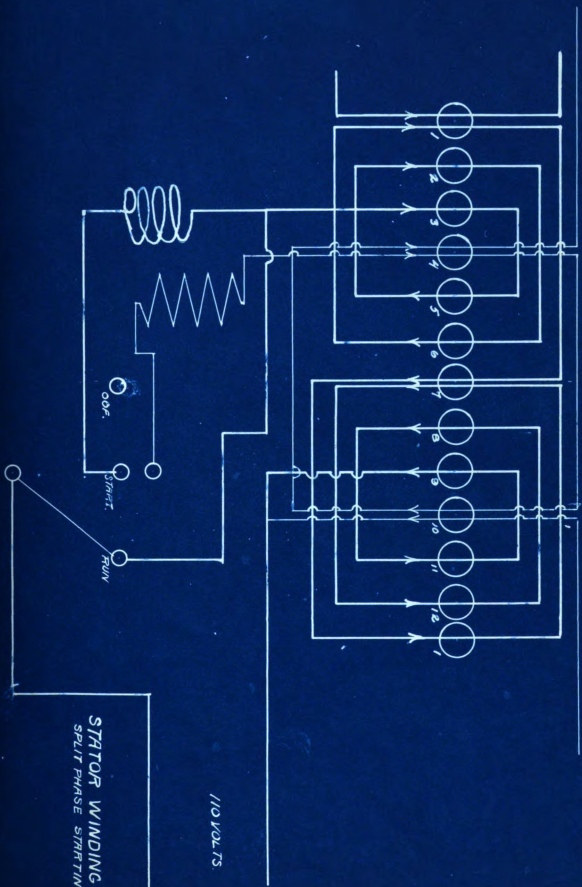


COIL - CAST IRON.





1. The first part of the document is a list of names and titles, including "The Hon. Mr. Justice" and "The Hon. Mr. Justice".





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